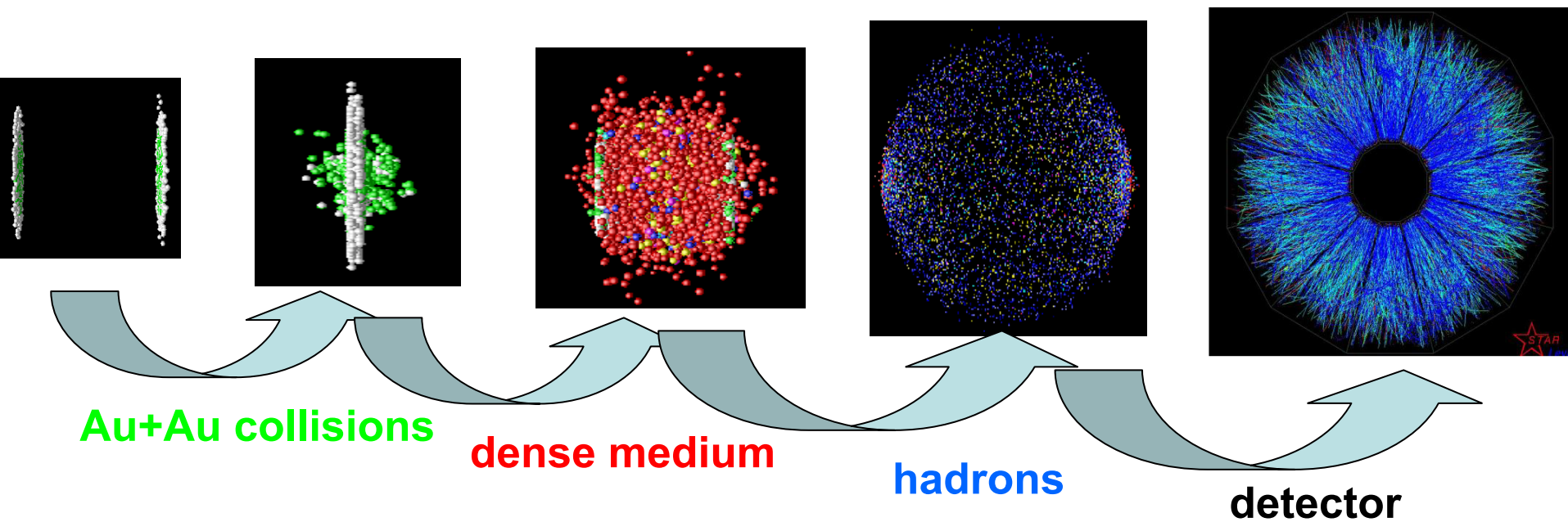


*Simple measurements with  
GREAT impact :*  
Nuclear Modification Factors



*High  $p_T$  hadrons*

- unidentified
- identified

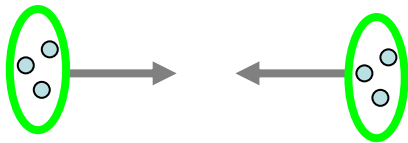
➤ Probe

- ➔ hadronization mechanisms
- ➔ medium properties

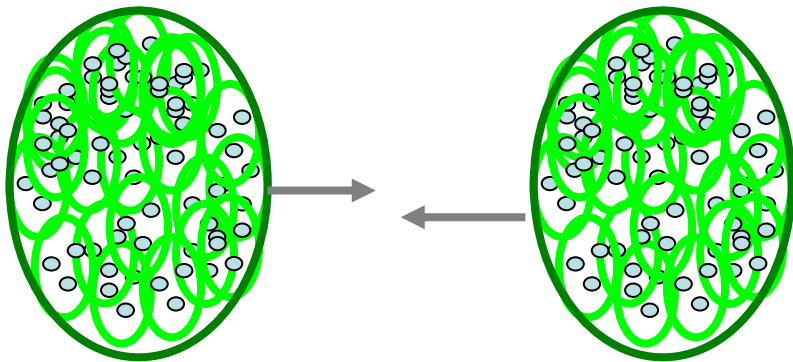
# Is $A+A$ just a 'bunch' of 'p+p'?

Initial

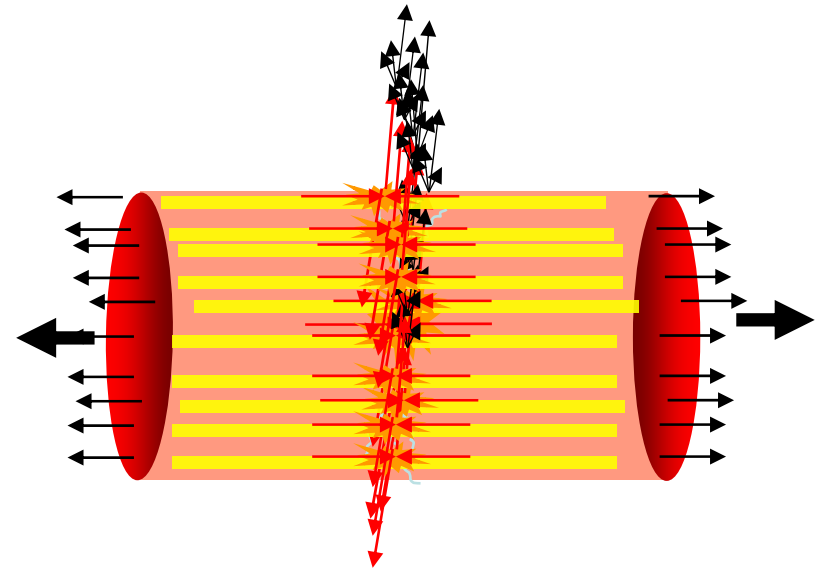
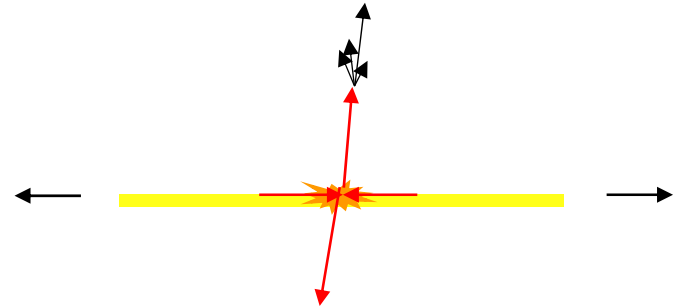
p+p



A+A



Final



# pQCD particle production: p+p ( $p_T > 2 \text{ GeV}/c$ )

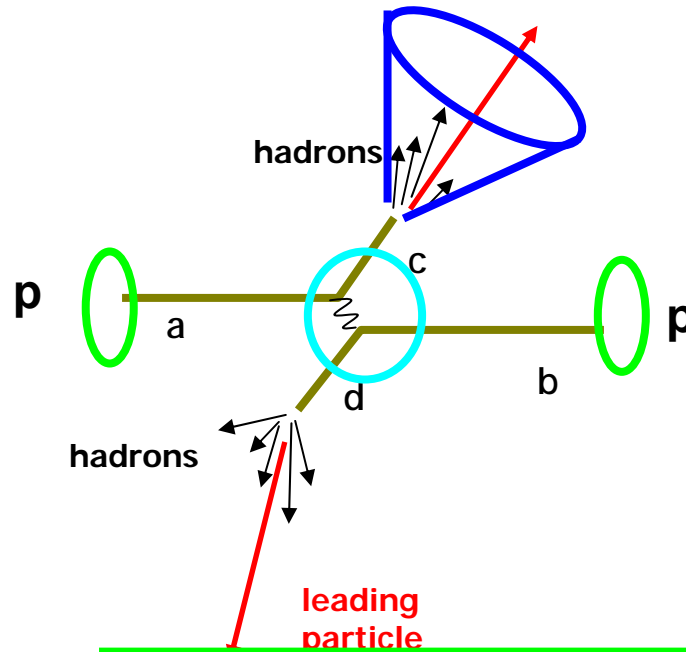
Initial

Final

Parton Distribution Functions

Hard-scattering cross-section

Fragmentation Function



$$\frac{d\sigma_{pp}^h}{dy d^2 p_T} = K \sum_{abcd} \int dx_a dx_b f_{a/p}(x_a, Q^2) f_{b/p}(x_b, Q^2) \frac{d\sigma}{d\hat{t}}(ab \rightarrow cd) \frac{D_{h/c}^0}{\pi z_c}$$

# pQCD particle production: Au+Au ( $p_T > 2 \text{ GeV}/c$ )

**Initial**

**Final**

Parton Distribution Functions

Intrinsic  $k_T$

PDF modification  
(shadowing)

Hard-scattering cross-section

Fragmentation Function

Partonic Energy Loss

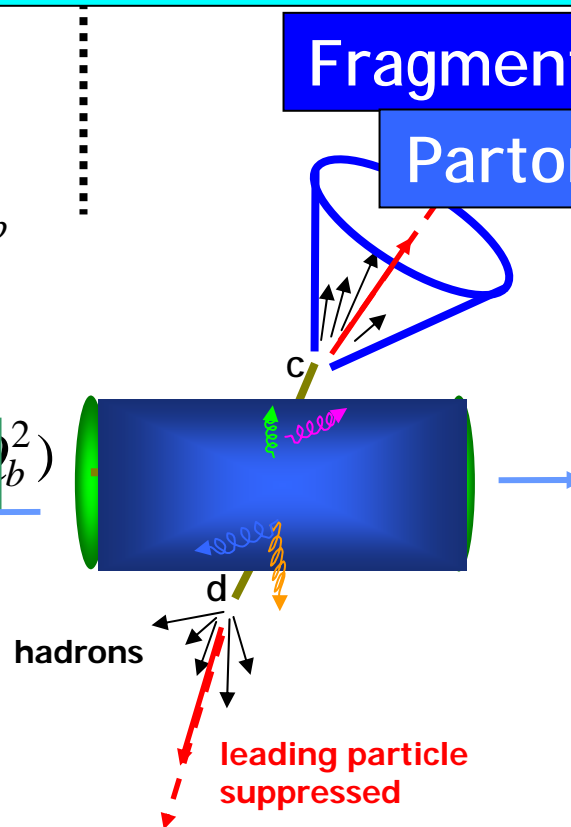
$$\frac{dN_{AB}^h}{dy d^2 p_T} = ABK \sum_{abcd} \int dx_a dx_b \int d^2 \mathbf{k}_a d^2 \mathbf{k}_b$$

$$\otimes f_{a/A}(x_a, Q^2) f_{b/B}(x_b, Q^2)$$

$$\otimes g(\mathbf{k}_a) g(\mathbf{k}_b) \otimes S_{a/A}(x_a, Q_a^2) S_{b/B}(x_b, Q_b^2)$$

$$\otimes \frac{d\sigma}{d\hat{t}}(ab \rightarrow cd)$$

$$\otimes D_{h/c}^0(z_c, Q_c^2) \otimes \int_0^1 d\varepsilon P(\varepsilon) \frac{z_c^*}{z_c}$$



# Au+Au vs. p+p

**Au+Au** : initial +final state effects

**pp** : 'simple'

We NEED ALSO A collision system *to disentangle* the initial-final states effects

→ p (d) + Au – 'no final state effects'

# pQCD particle production: d+Au ( $p_T > 2 \text{ GeV}/c$ )

**Initial**

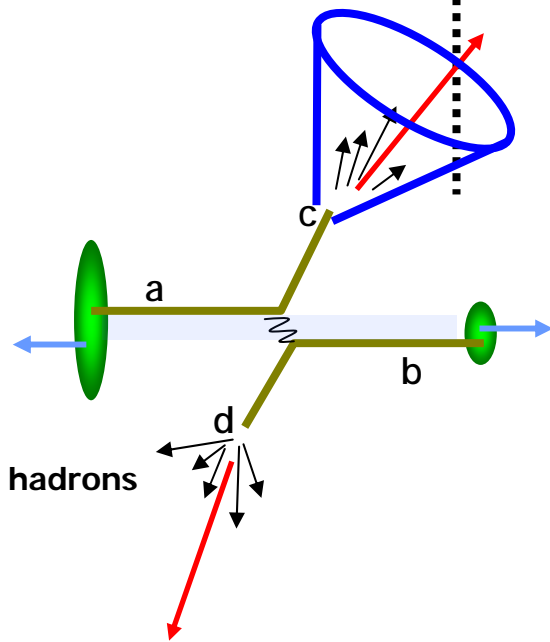
**Final**

Parton Distribution Functions

Intrinsic  $k_T$

PDF Modification  
(shadowing)

**Fragmentation Function**



Quantify deviations of  $A+A$  from  $p+p$  ?

!!! Simplest: divide AA spectra to pp spectra!!!! →

## NUCLEAR MODIFICATION FACTORS



# Quantify deviations of A+A from p+p

## NUCLEAR MODIFICATION FACTORS

$$R_{AA}(p_T) = \frac{d^2 N^{AA} / dp_T dy}{\sigma_{in}^{pp} T_{AA}(b) * d^2 N^{pp} / dp_T dy}$$

$$R_{CP}(p_T) = \frac{N_{coll}^{peripheral}}{N_{coll}^{central}} \frac{dN_{central}^2 / dp_T dy}{dN_{peripheral}^2 / dp_T dy}$$

$N_{coll} (N_{binary})$

→ Need one collision system

→ systematic errors cancel out

ASSUMPTION: both ratios exhibit the same behavior because of the same underlying physics

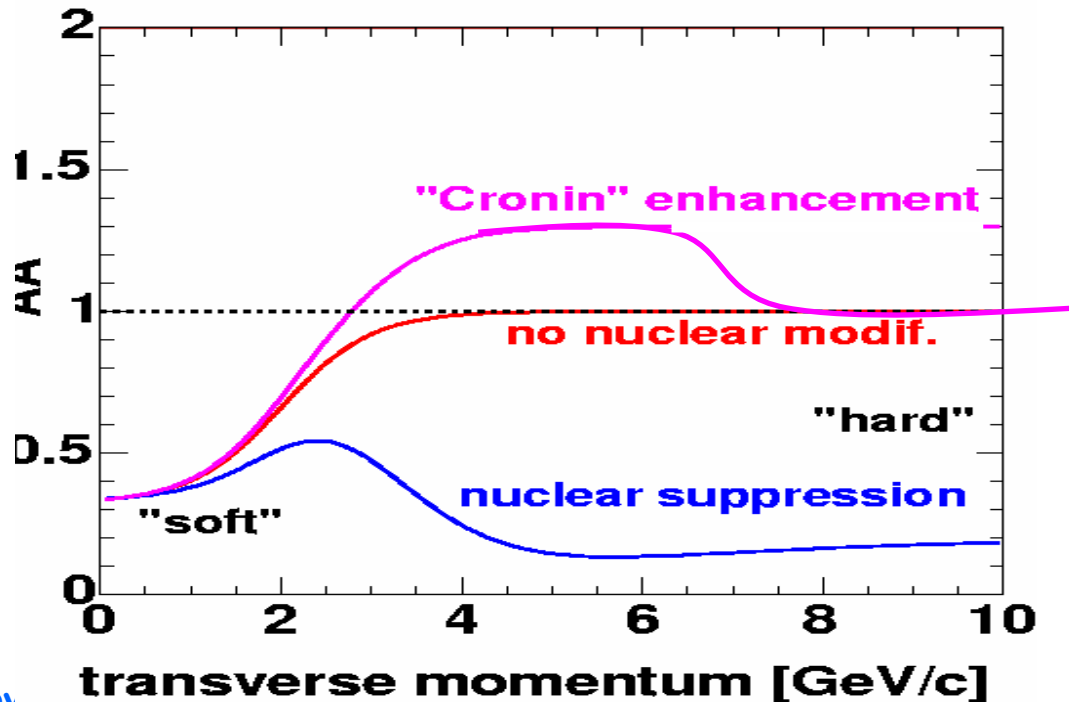
# Information via $R_{XX}$

→  $R \sim 1$  -- no nuclear effects:  $A+B = C * (p+p)$

→ deviation from 1 indicate presence of nuclear effects:

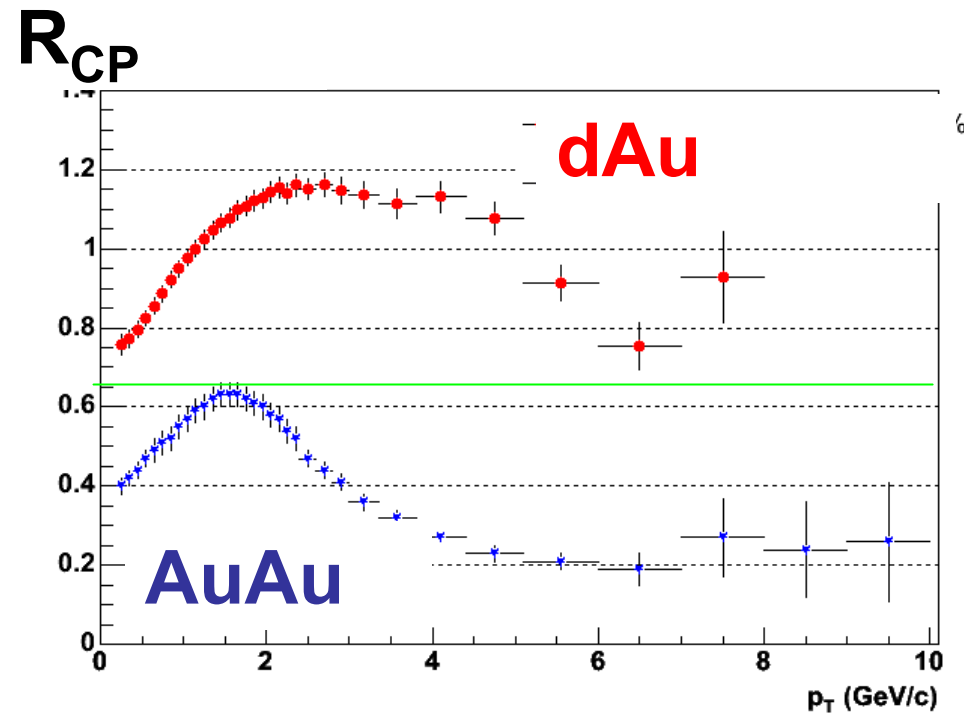
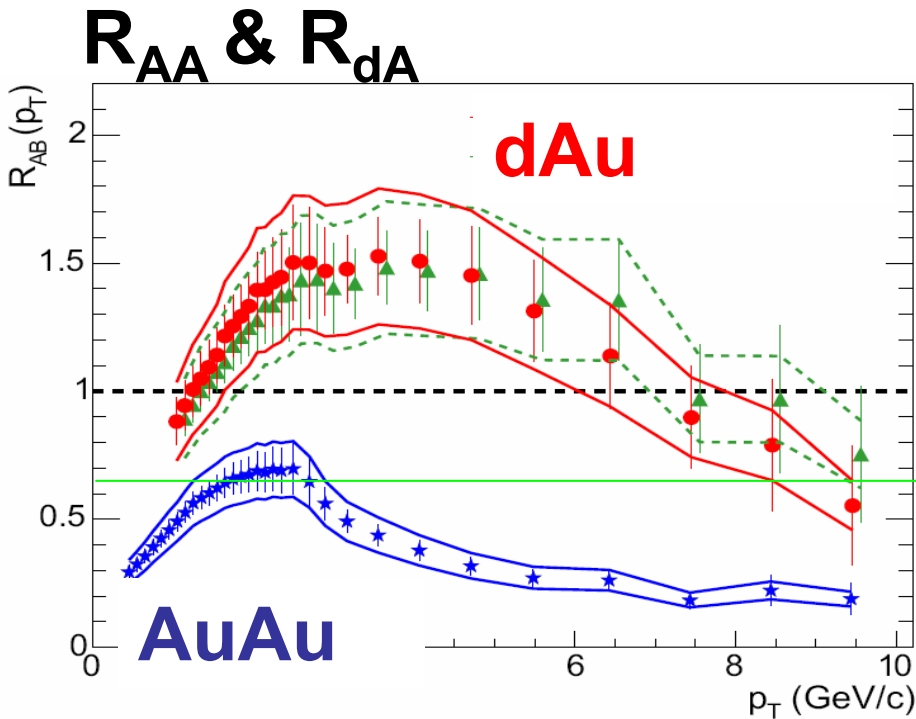
→  $R > 1$  → enhancement (usual explanation: soft scatters before hard collision)

→  $R < 1$  → suppression (energy loss in dense medium)



# Nuclear modification factors for $h_{+-}$

$$R_{AA}/R_{CP}: h^\pm$$



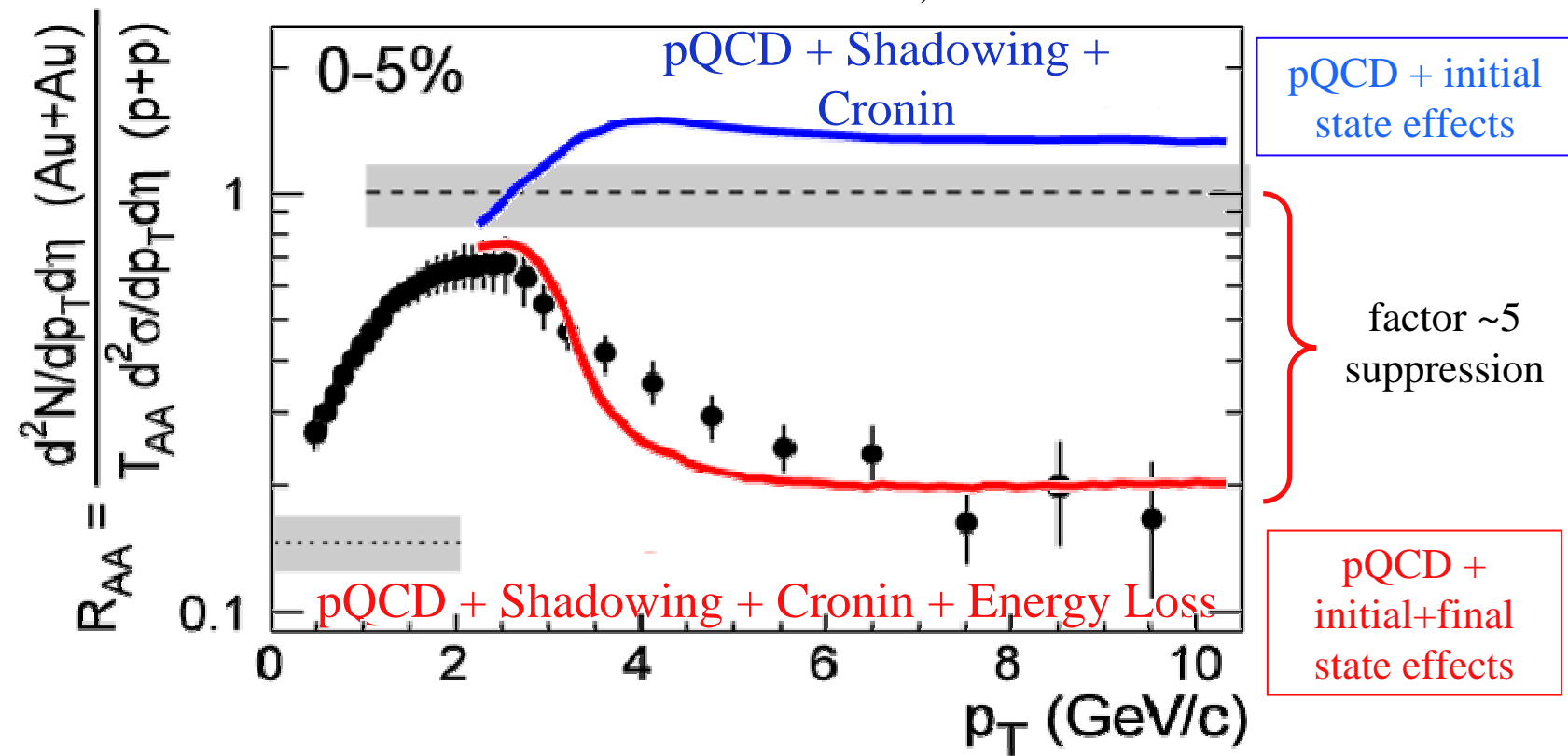
### *Charged Hadrons:*

→ Au + Au :  $R_{CP}$  and  $R_{AA}$  ~ suppression

→ d + Au :  $R_{CP}$  and  $R_{dA}$  ~ enhancement (Cronin effect – experimental observation and not the explanation) → initial effects ‘not responsible’ for AuAu suppression

# Theory: $R_{AA}$ for $h^{+-}$

STAR, nucl-ex/0305015



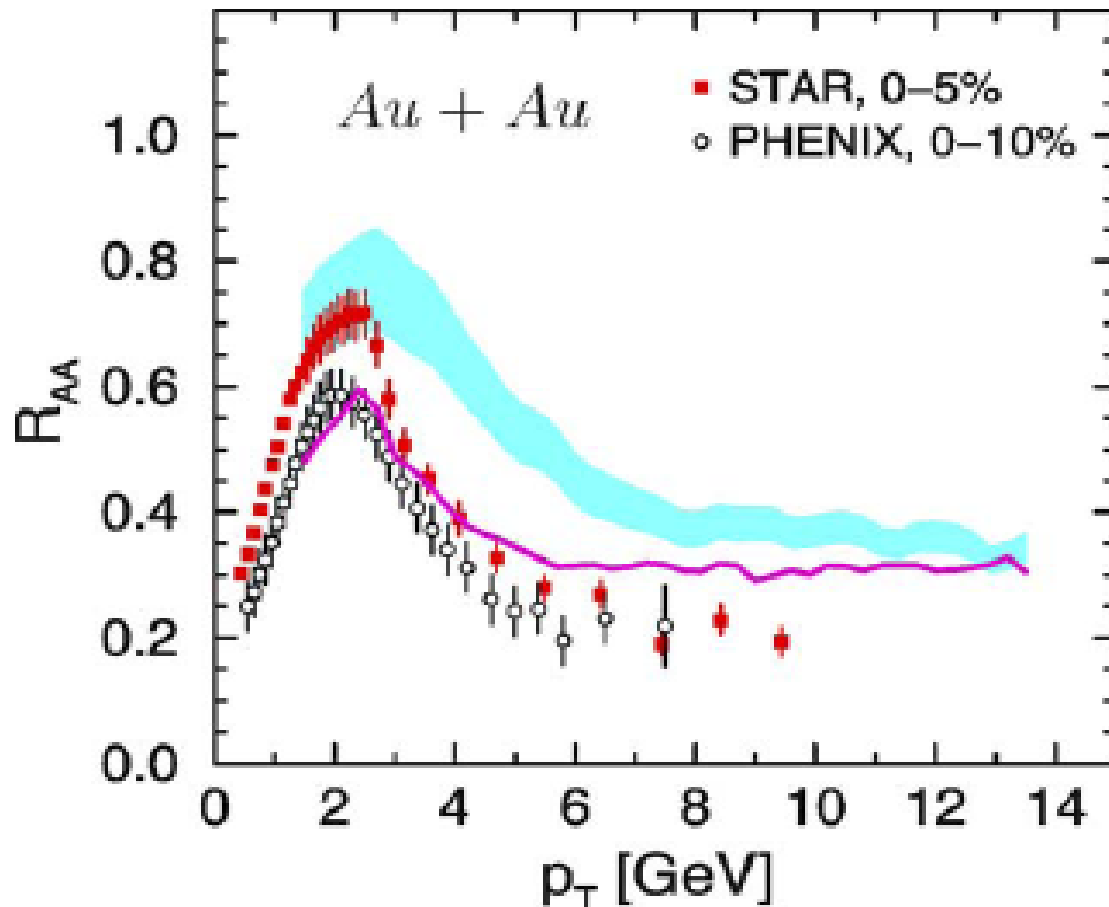
→ pQCD+final (energy loss) + initial (Cronin+shadowing) describes data → dense medium created in central AuAu !!!!!



# Final state hadronic rescattering?

→ Final hadrons with moderate  $p_T$  could be fully established inside the late stage of the hadronic fireball → interaction with the bulk hadronic matter → suppression

Galmeister et al Nucl Phys A 735(2004), 277



NOT (entirely)!

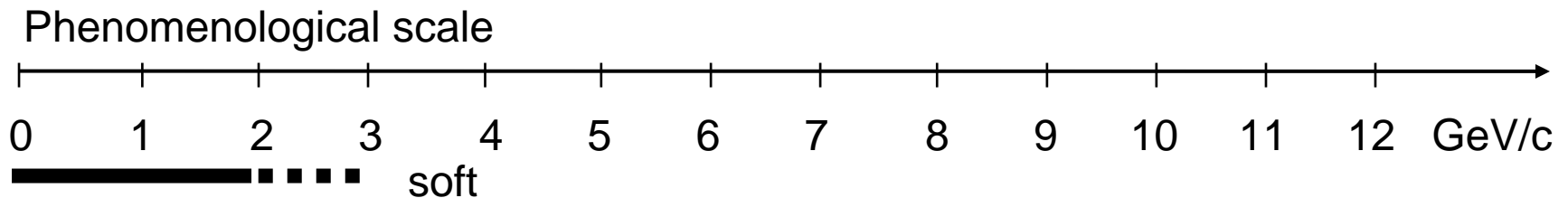
# Conclusions from $h^{+-}$

→  $R_{AA}$ ,  $R_{dA}$  and  $R_{CP}$  give same information

→ Au+Au suppression can NOT be explained entirely by ...:

→ hadronic rescattering

→ initial state effects



Hard (pQCD)

# Identified hadrons ...

$\Lambda(uds)$  1116 (MeV/c<sup>2</sup>)

$K(us)$  494 (MeV/c<sup>2</sup>)

p + p    d + Au    Au + Au

$\Xi(dss)$  1321 (MeV/c<sup>2</sup>)

$K_s^0(d\bar{s})$  498 (MeV/c<sup>2</sup>)

Do all these particles have anything extra to add to what

unidentified charged hadrons revealed already?

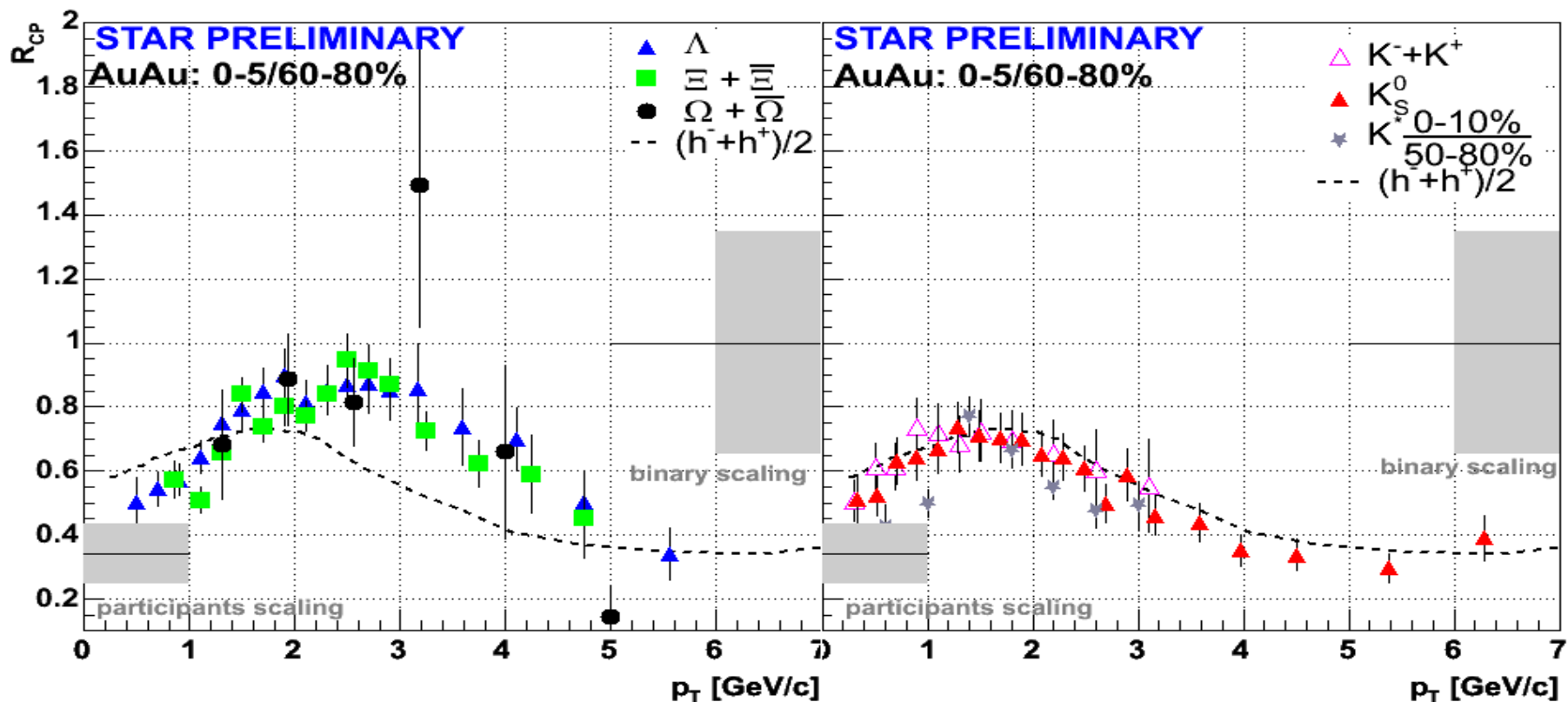
$\Omega(sss)$  1673 (MeV/c<sup>2</sup>)

$\phi(s\bar{s})$  1020 (MeV/c<sup>2</sup>)



# Nuclear Modification Factors for $K$ , $\Phi$ , $\pi$ , $\Lambda$ , $\Xi$ , $p$ ...

# $R_{CP}$ : identified hadrons

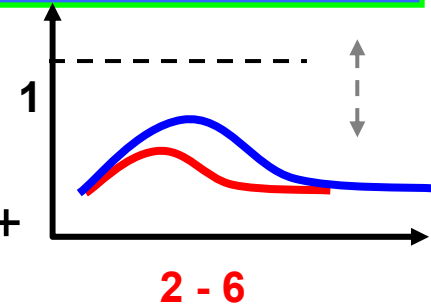


→ Baryons suppressed  $\sim 2.5 \text{ GeV}/c$

→ Mesons suppressed  $\sim 1.5 \text{ GeV}/c$

# Au + Au: Theory explain $R_{CP}...$

Topor-Pop, Gyulassy, Barrette, Gale, Wang, Xu nucl-th/0407095



→ **HIJING/BBv2.0**: HIJING + jet quenching + shadowing +  
baryon junction + strong color field effects

→ additional production mechanism for baryons (junctions)

Fries, Müller, Bass, Nonaka Phys. Rev. C **68** (2003) 044902

## → **ReCombination**

-assumes the recombination of two and three low pT partons to form hadrons from an exponential parton pT spectrum.

→  $R_{xx}$  different for mesons and baryons (fragmentation dominates later for baryons than for mesons) !!

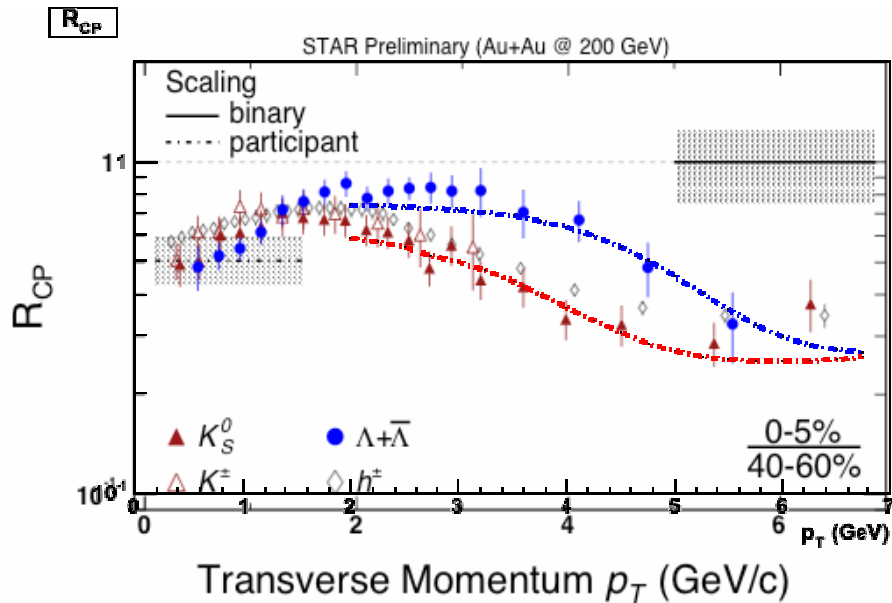
# $R_{CP}$ Theory

Fries et al nucl-th/0306027

**Recombination** describes fairly well the baryon – mesons differences

Reco for  $K^0$ s and  $\Lambda+\bar{\Lambda}$

Central( $b=3\text{fm}$ ) / Peripheral ( $b=12\text{fm}$ )

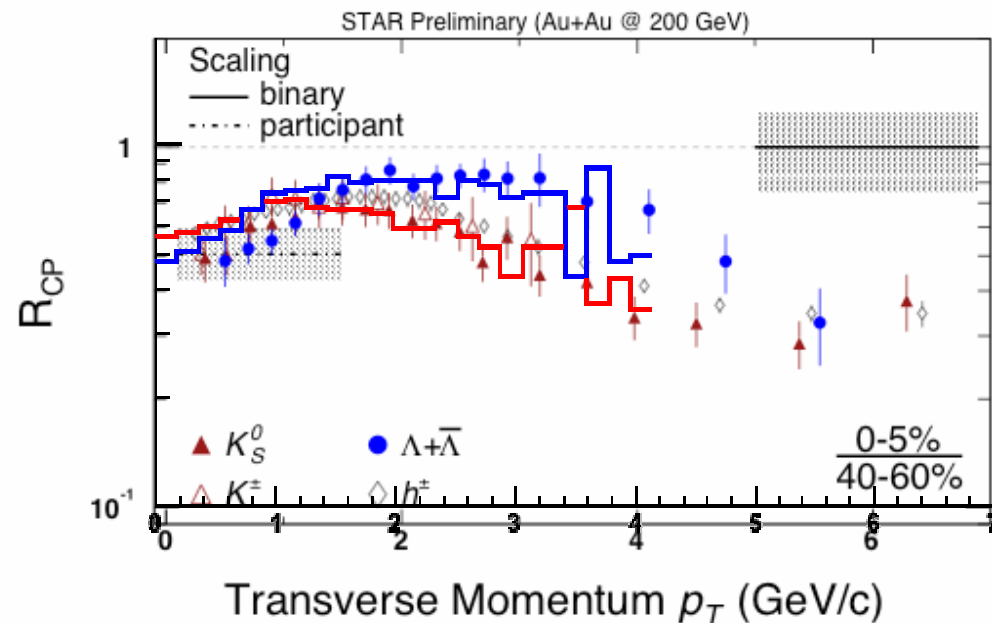


Topor-Pop et al (nucl-th/0407095)

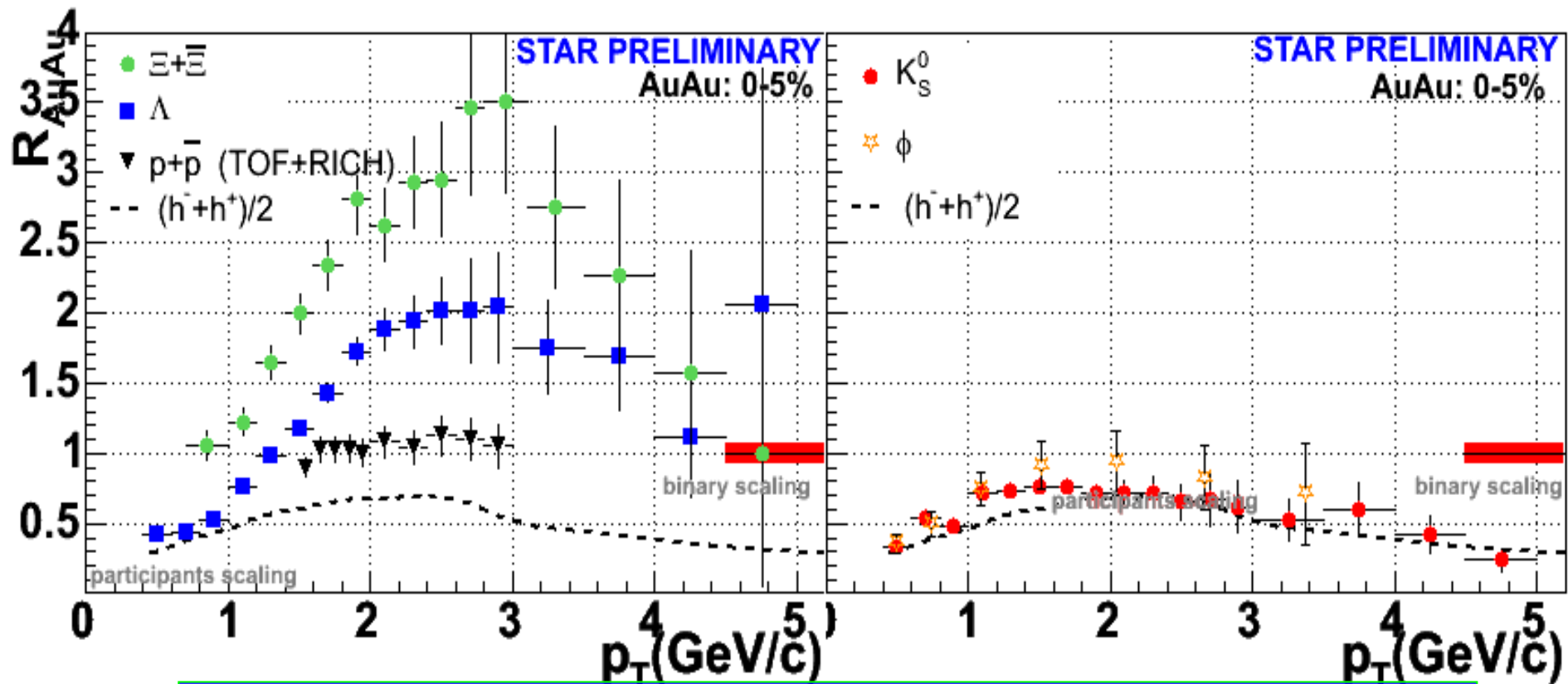
... same Hijing/BBbar v2.0

Hijing/BBbar v2 0-10% / 60-90%

For  $K^- + K^+$  and  $\Lambda+\bar{\Lambda}$



# $R_{AA}$ : identified hadrons



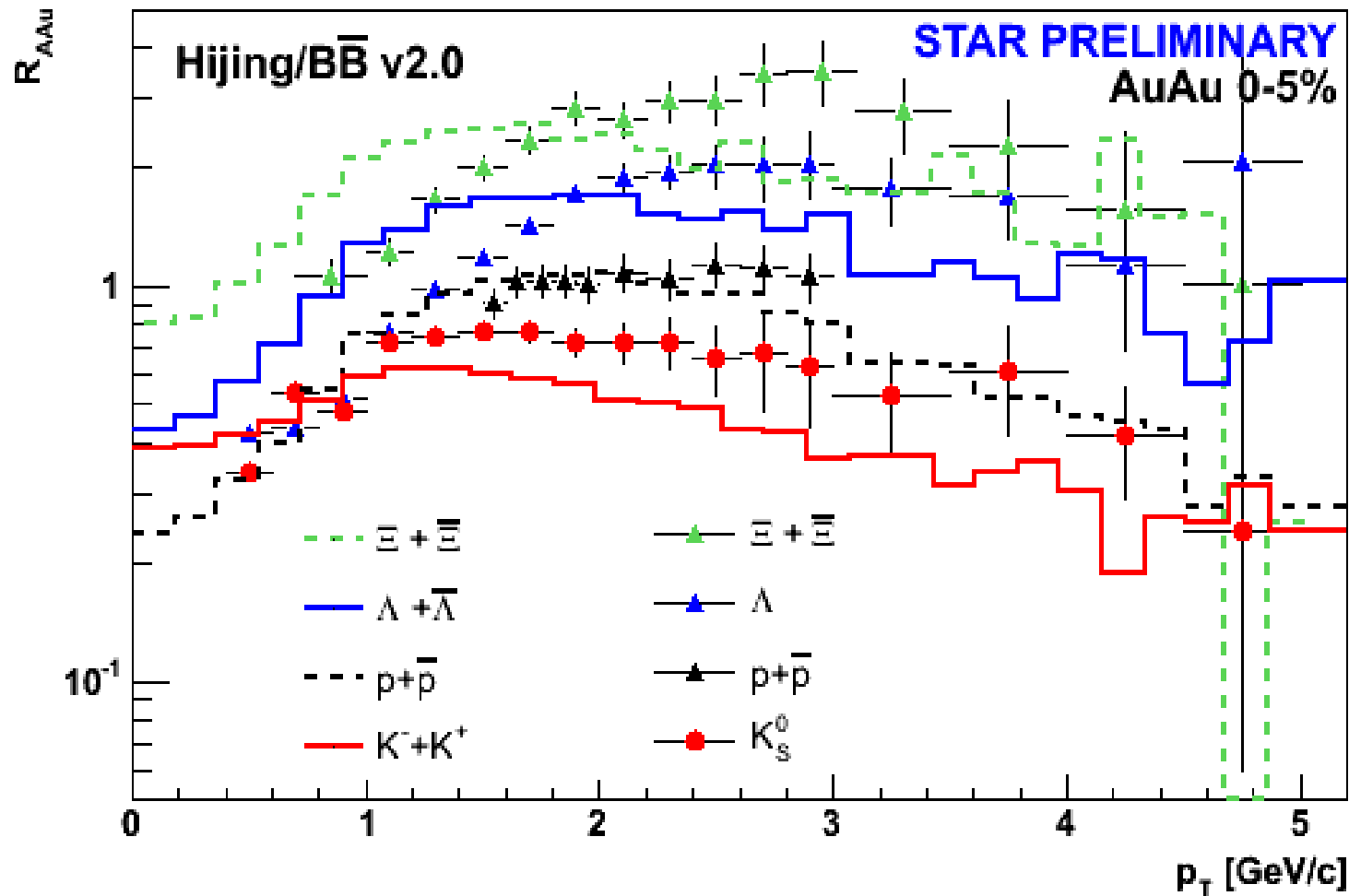
→ Mesons *suppressed*

→ Baryons *enhanced*

AND

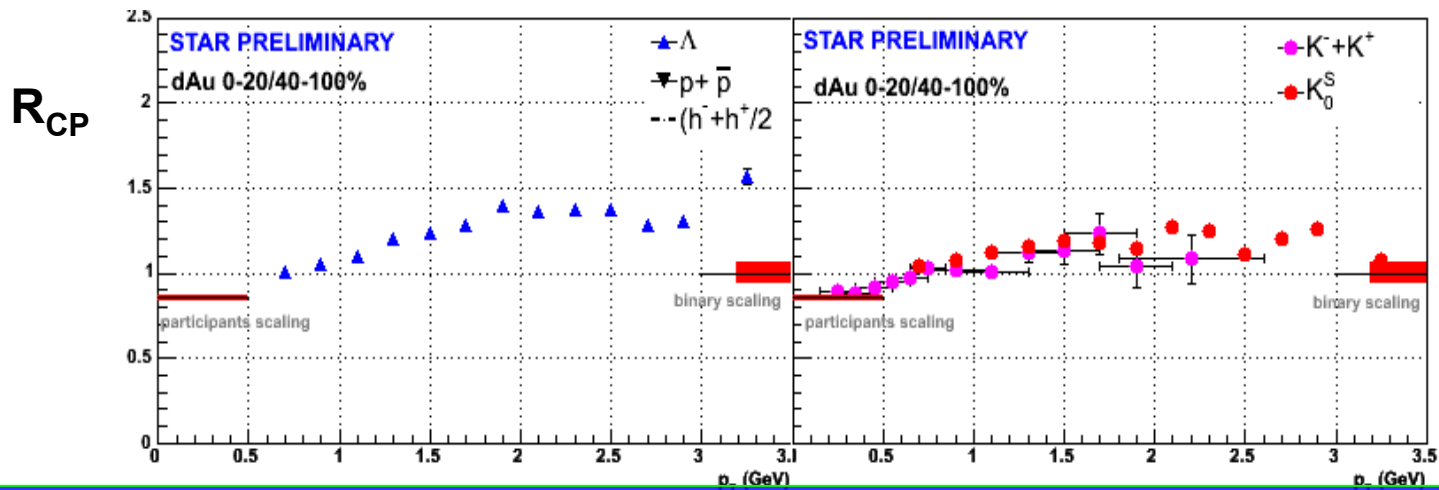
# $R_{AuAu}$ Theory ...

Topor-Pop (private communication and nucl-th/0407095)

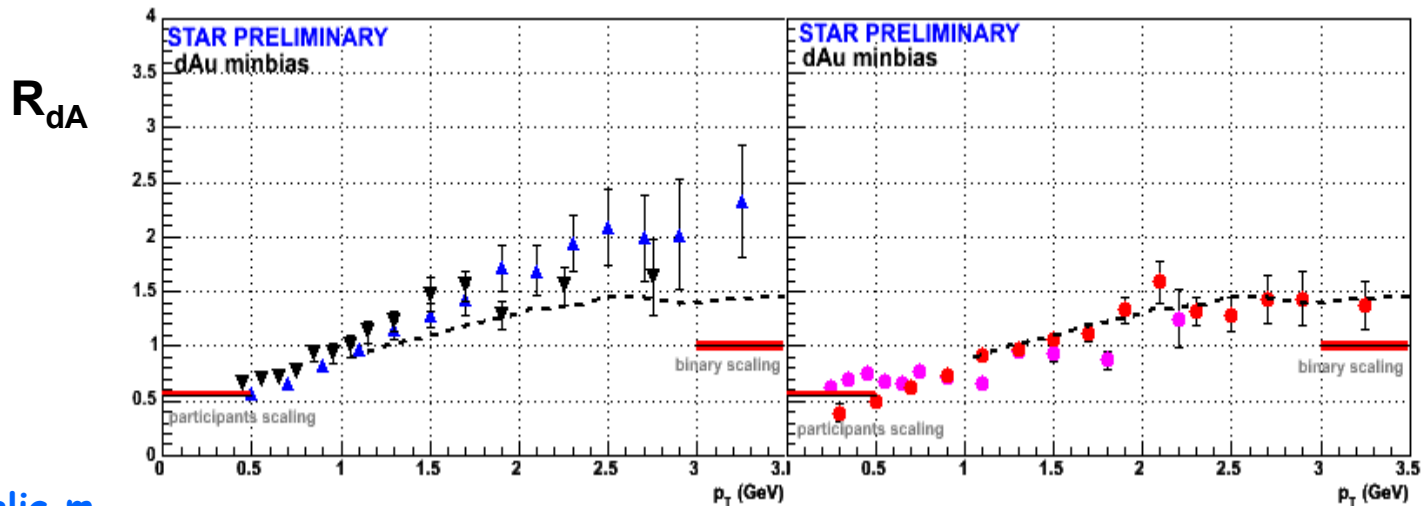


→ Experimental pattern reproduced

# d+Au: identified hadrons

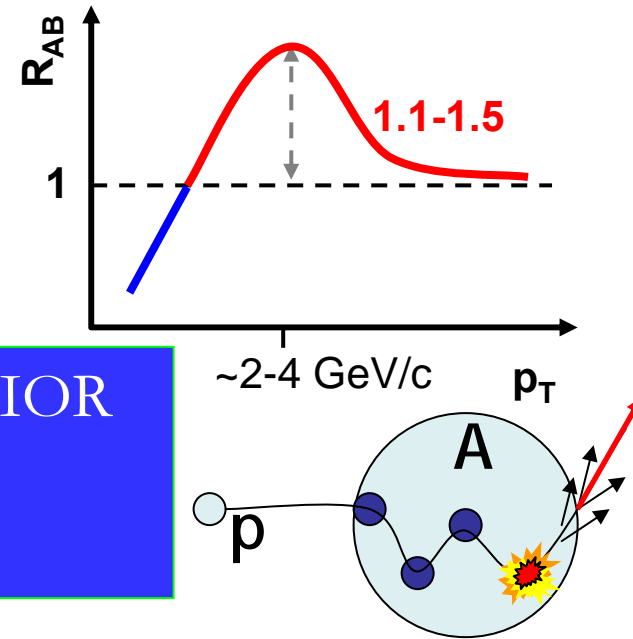


- both ratio present enhancement compared to binary scaling
- similar to AA, there seem to be a difference between mesons and baryons
- also  $R_{dA}$  (baryons)  $>$   $R_{CP}$  (baryons) (error bars)



# To explain...

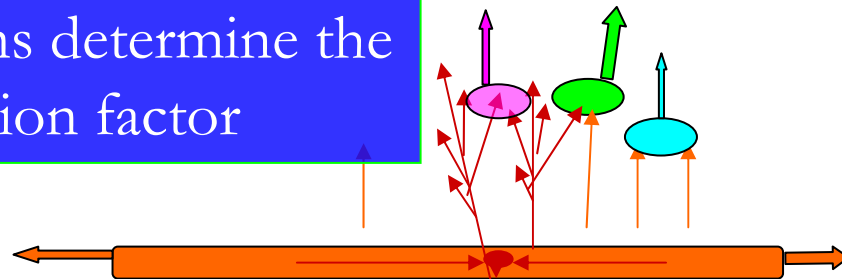
1. Kopeliovich, Nemchik, Schafer, Tarasov – Phys. Rev. Lett. 88(2002) 232303
2. Vitev, Gyulassy – Phys. Rev. Lett. 89 (2002) 252301
3. X.N. Wang – Phys. Rev. C 61(2000) 064910
4. Accardi, Trelani – Phys. Rev. D 64(2001) 116004
5. Zhang, Fai, Papp, Bernafoldi, Levai – Phys. Rev. C 65(2002) 034903



Rescatterings (projectile hadron or its partons) PRIOR to the hard collision cause a broadening of the  $p_T$  spectrum

1. Hwa, Yang nucl-th/0404066 **Recombination model (Oregon)**

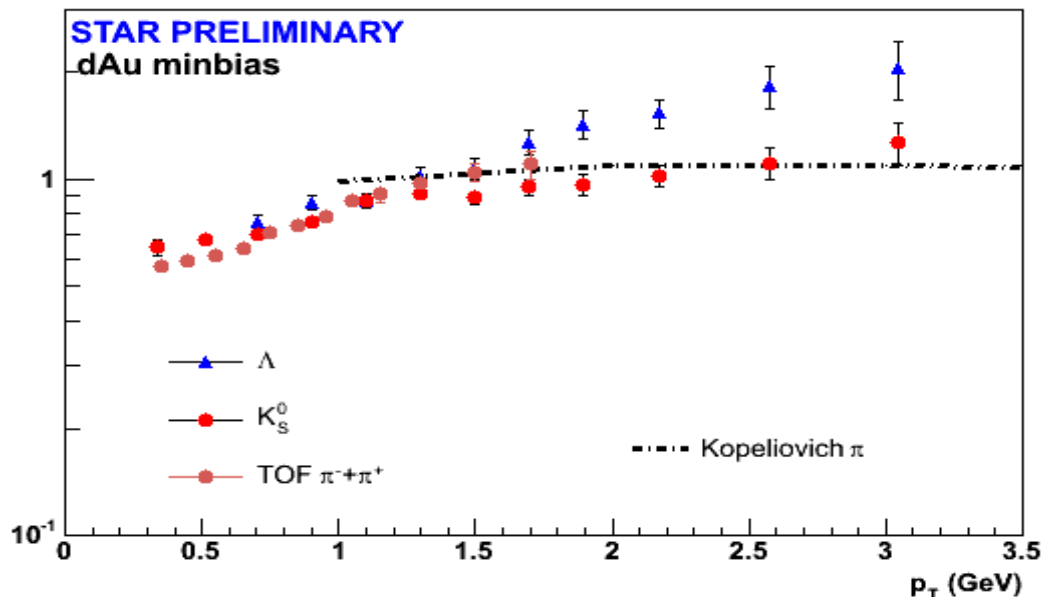
FINAL STATE recombination of partons determine the enhancement of the nuclear modification factor





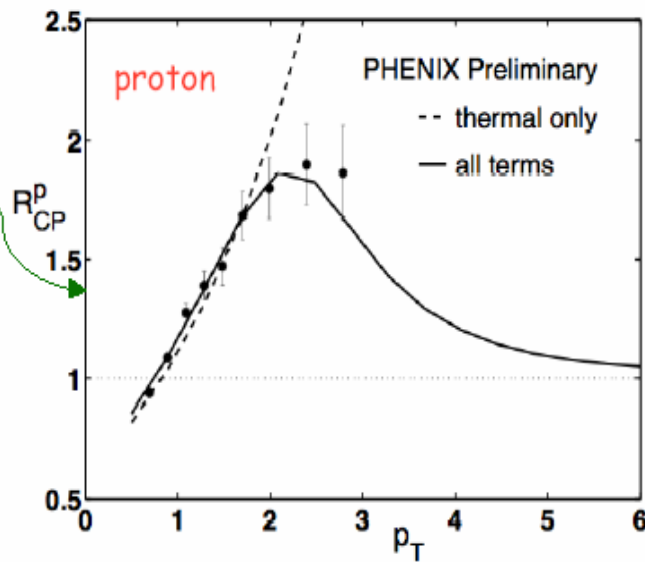
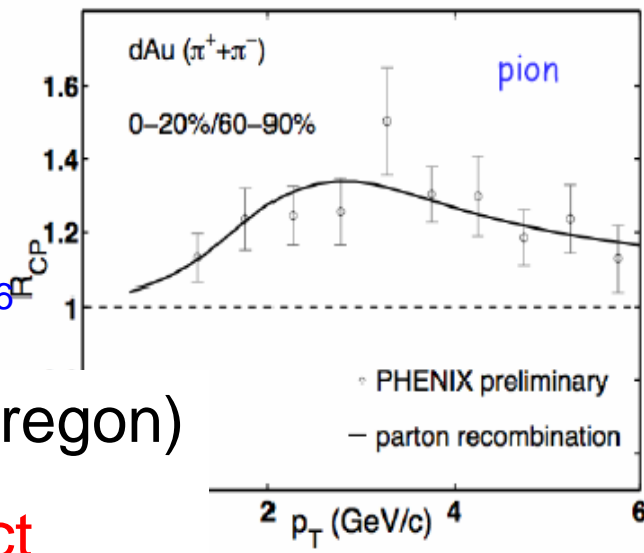
# $R_{dA}/R_{CP}(d+Au)$ : theory and experiment

Kopeliovich, Nemchik, Schafer, Tarasov – Phys. Rev. Lett. 88(2002) 232303



→ *Initial state* elastic scatterings reproduce the general trend of the  $R_{dA}$  but NOT the particle species dependence

1.Hwa, Yang nucl-th/0404066



Recombination (Oregon)

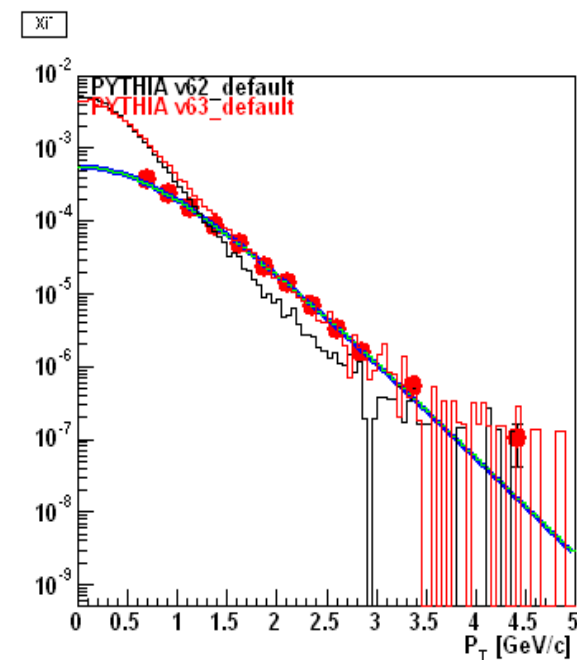
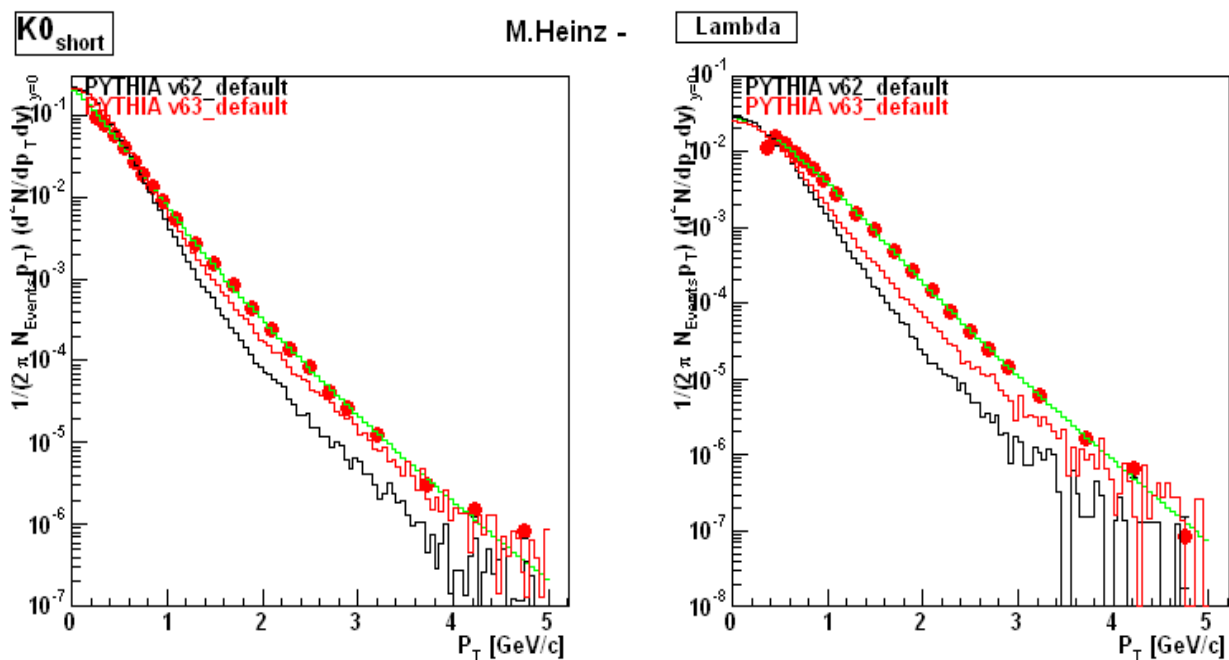
→ *Final state* effect

# Do we understand the baseline anyway?

→ 2 different hadronization describe data

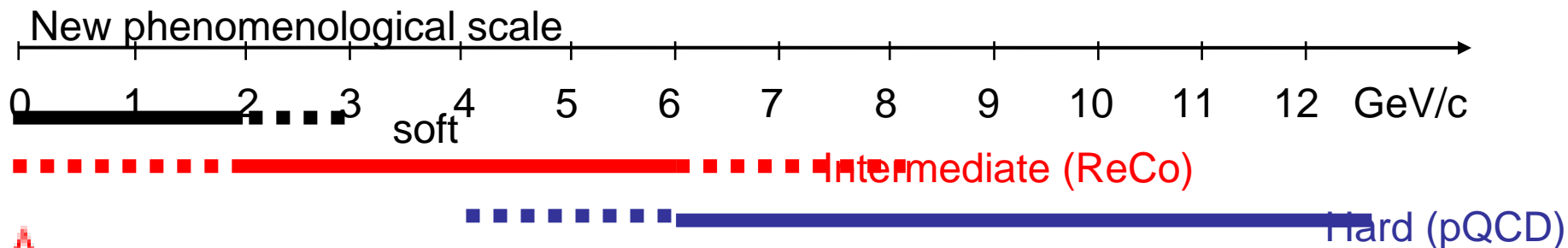
→  $R_{CP}$  suppression BUT when ratio to p+p ( $R_{AA}$ ) enhancement for strange baryons

## DO WE UNDERSTAND THE BASELINE (p+p)?



# Conclusions from identified hadrons

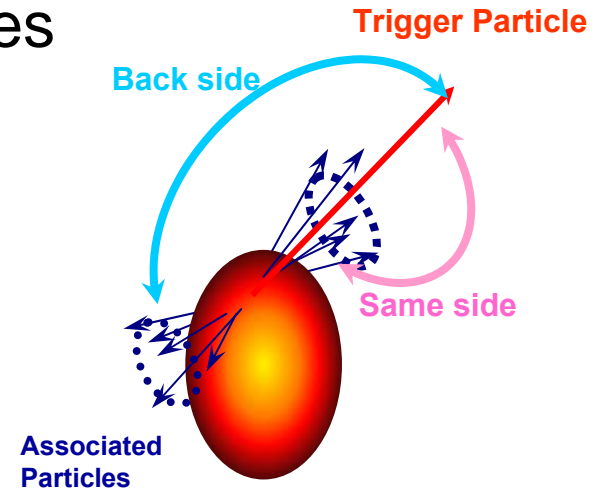
- $R_{AB}/R_{CP}$  HAS TO BE TREATED SEPARATELY (at least until an explanation/scaling for the  $R_{AB}$  strangeness ordering is found)
- Au+Au, d+Au: difference between mesons and baryons in the intermediate  $p_T$  region
- models assuming different hadronization scenarios, qualitatively describe data → need other probes



# Other probes to answer the questions

**DO JET ANALYSIS** with identified particles

- in p+p, d+A and A+A
- trigger on mesons and baryons
- trigger on strange and non-strange baryons and meson



- Looking at near side -→ hadronization mechanisms
- Looking at the away side → medium properties.

And the scene is set for the next (experimental) talks!

# Just\_in\_Case plots

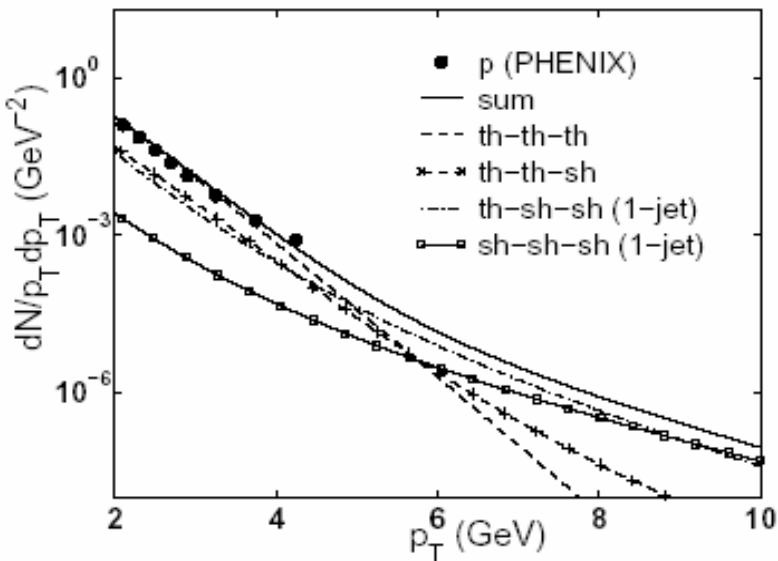
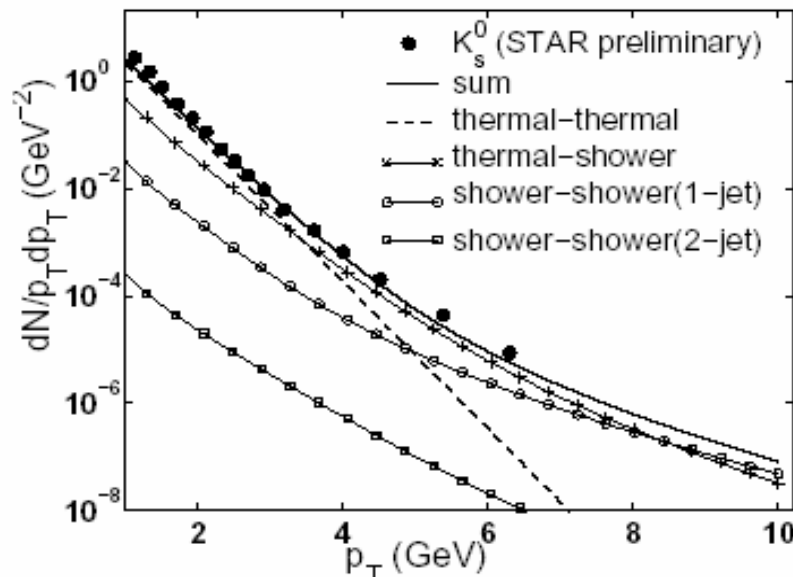
# Hadronization ReCo(Oregon)...

## → Mesons ( $\bar{q}q$ )

$$p \frac{dN_M}{dp} = \int \frac{dp_1}{p_1} \frac{dp_2}{p_2} F_{q\bar{q}}(p_1, p_2) R_M(p_1, p_2, p)$$

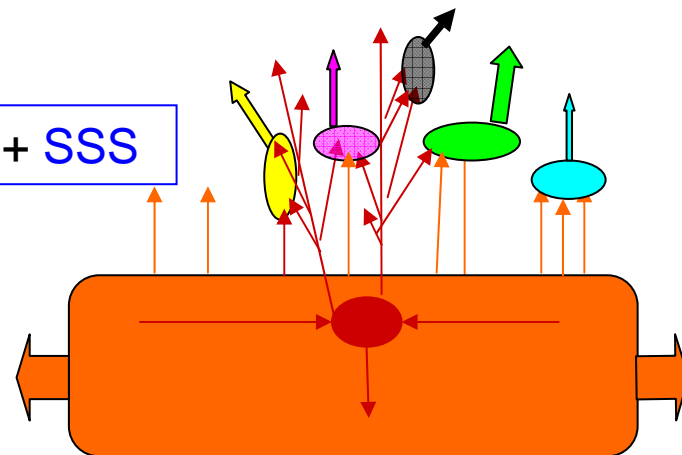
Quark-antiQuark distribution

$$F_{qq}(p_1, p_2) = T T + \dots$$

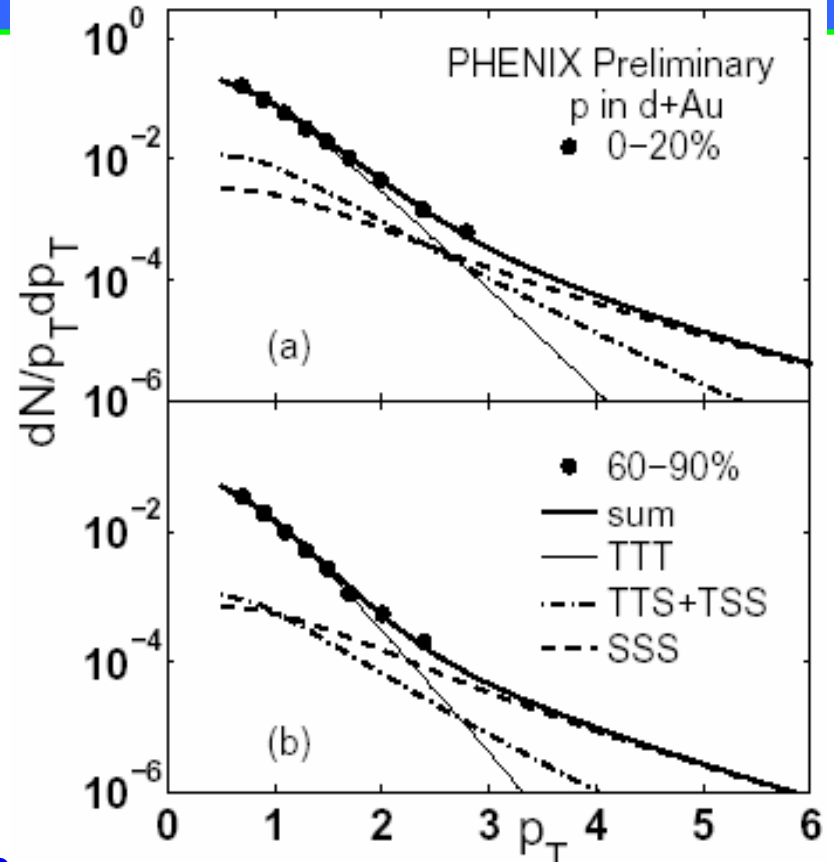
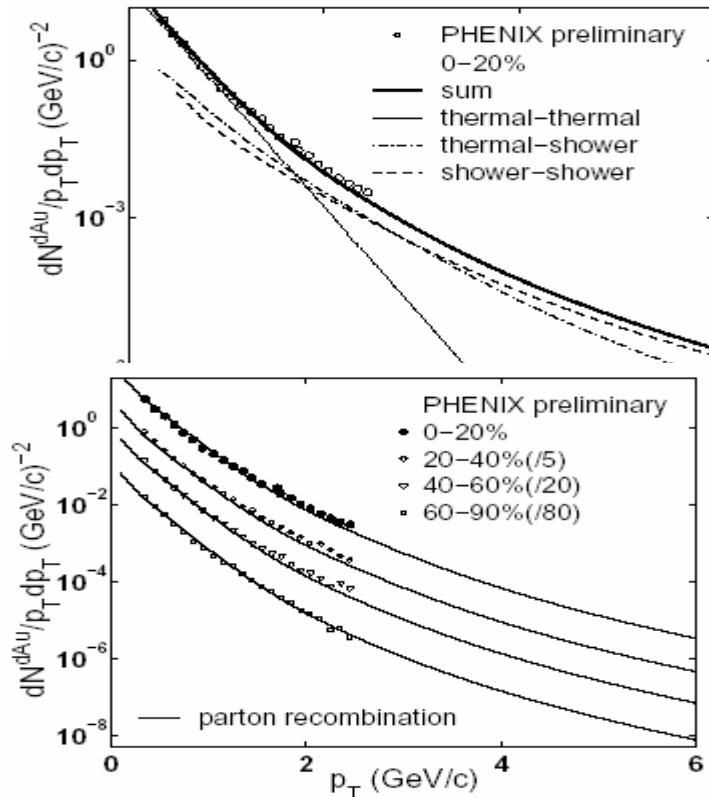


$$R_B(p_1, p_2, p_3, p)$$

$$+ S3 + TSS + SS2 + SSS$$



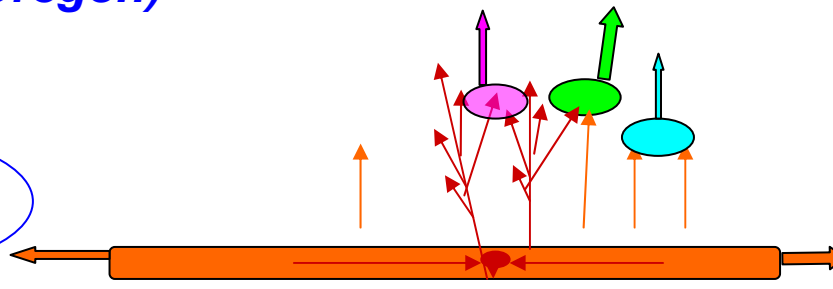
# To explain...



• Hwa, Yang nucl-th/0404066 **Recombination mode.**

→ **Mesons ( $qq$ )**

$$p \frac{dN_M}{dp} = \int \frac{dp_1}{p_1} \frac{dp_2}{p_2} F_{q\bar{q}}(p_1, p_2) R_M(p_1, p_2, p)$$



Quark-antiQuark distribution  
camelia mironov

$$F_{qq}(p_1, p_2) = TT + TS + S2 + SS$$