

Improving the Coupling of Land Surface Temperature Modeling and Remote Sensing

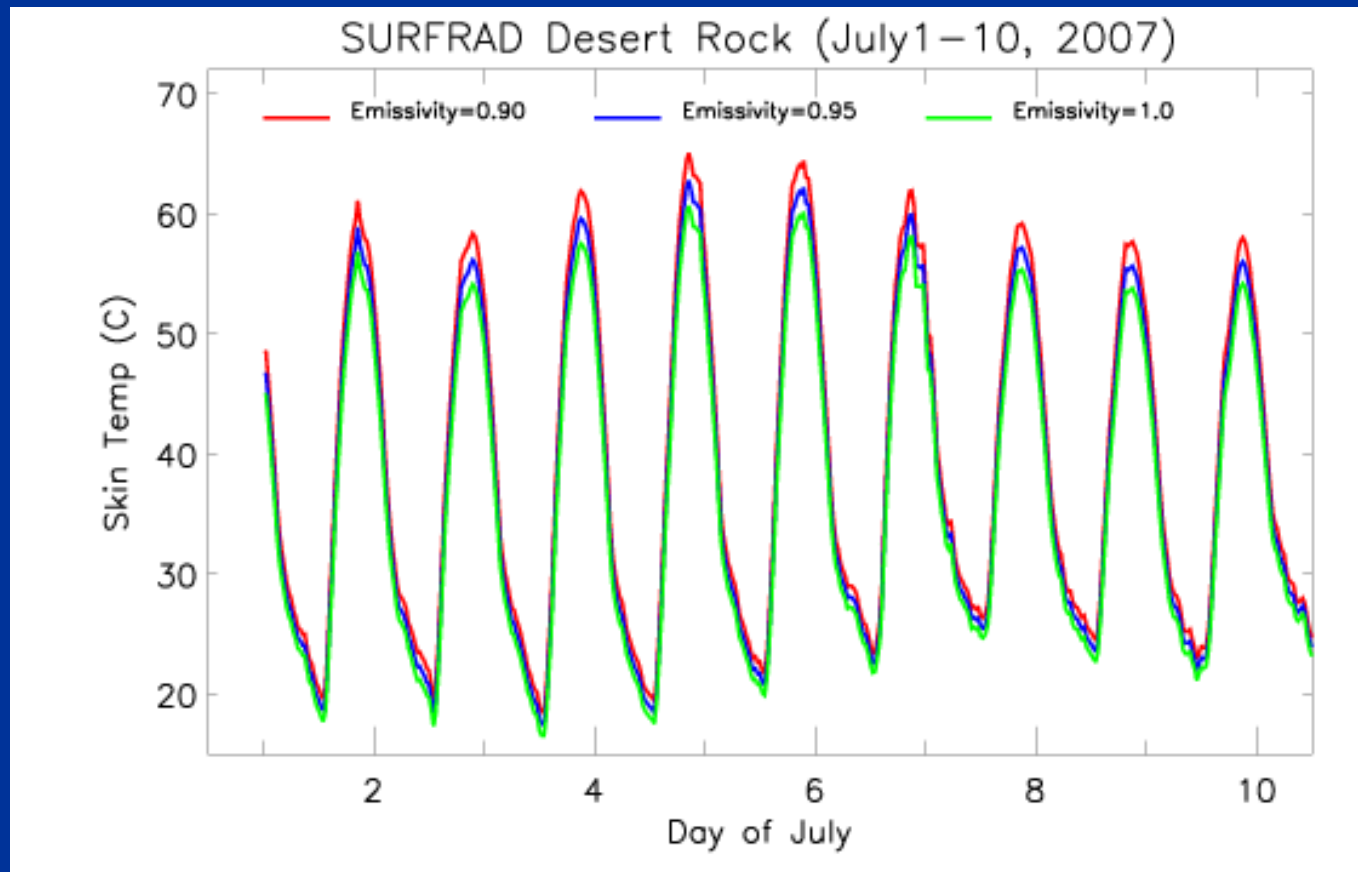
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JCSDA Annual Meeting, June 2008

1. Emissivity and T_s

$$LW_u = \varepsilon\sigma T_s^4 + (1 - \varepsilon) LW_d$$



2. Bare soil: is the T_s problem solved?

$SH \sim (T_a - T_s)/(r_{ah} + r_{ss})$ (Zeng and Dickinson 1998)

$r_{ah} = f(Z_{om}, \text{stability})$

$r_{ss} = \ln(Z_{om}/Z_{ot})/(ku_*)$

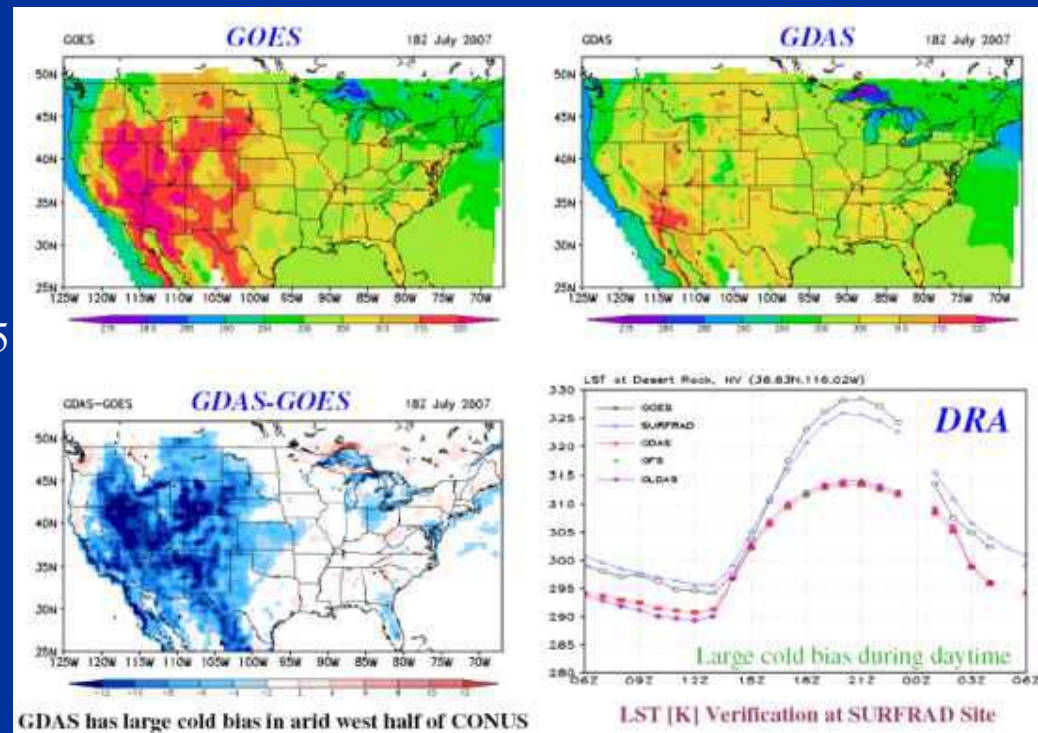
CLM:

$k B^{-1} = \ln(Z_{om}/Z_{ot}) = \alpha Re^{0.45}$

Noah:

$\ln(Z_{om}/Z_{ot}) = \underline{0.4C_{zi1}} Re^{0.5}$

$Re = u_* Z_{om}/\nu$

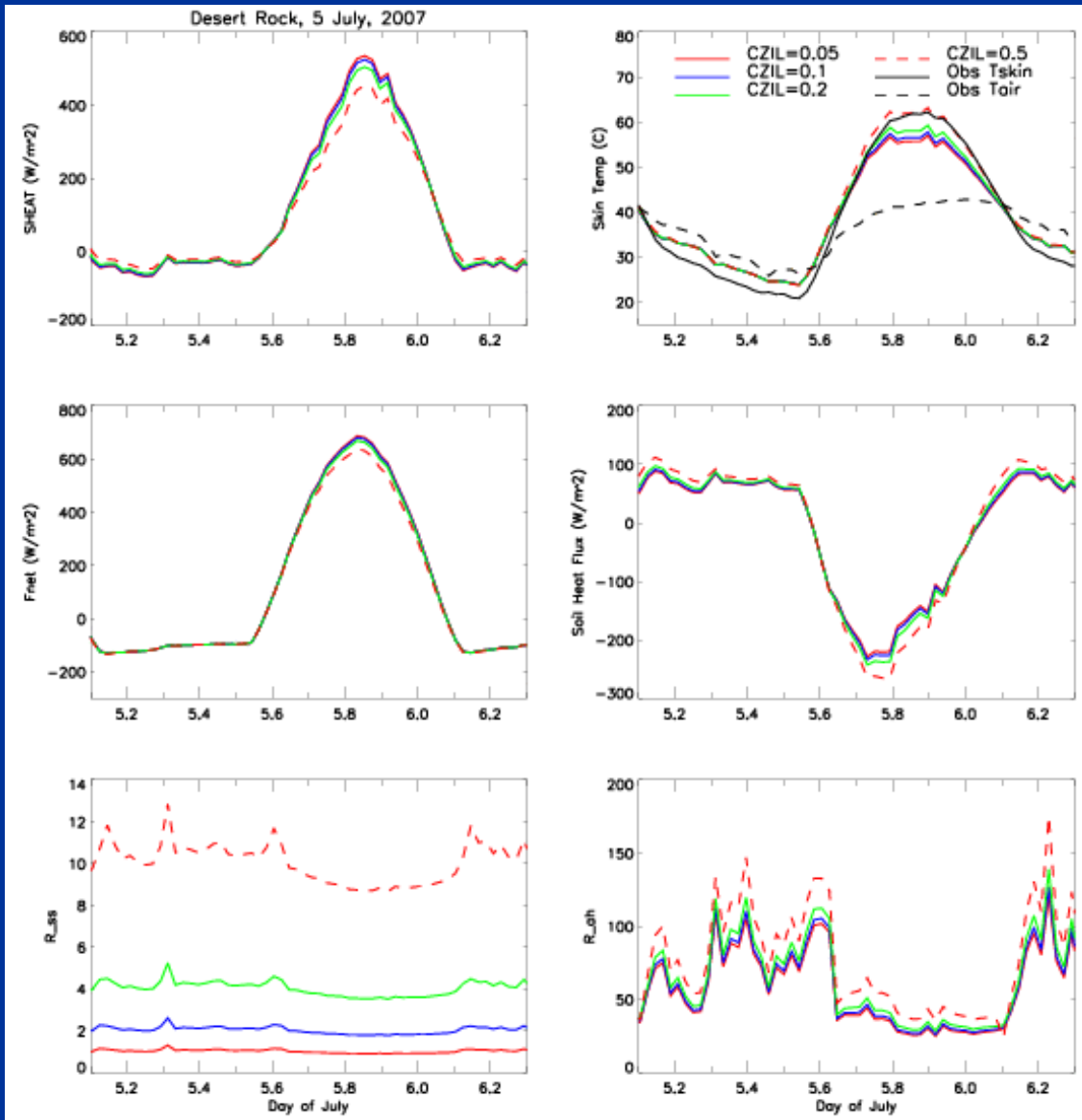


GDAS has large cold bias in arid west half of CONUS

LST [K] Verification at SURFRAD Site

Zheng and Mitchell (2008): July 2007

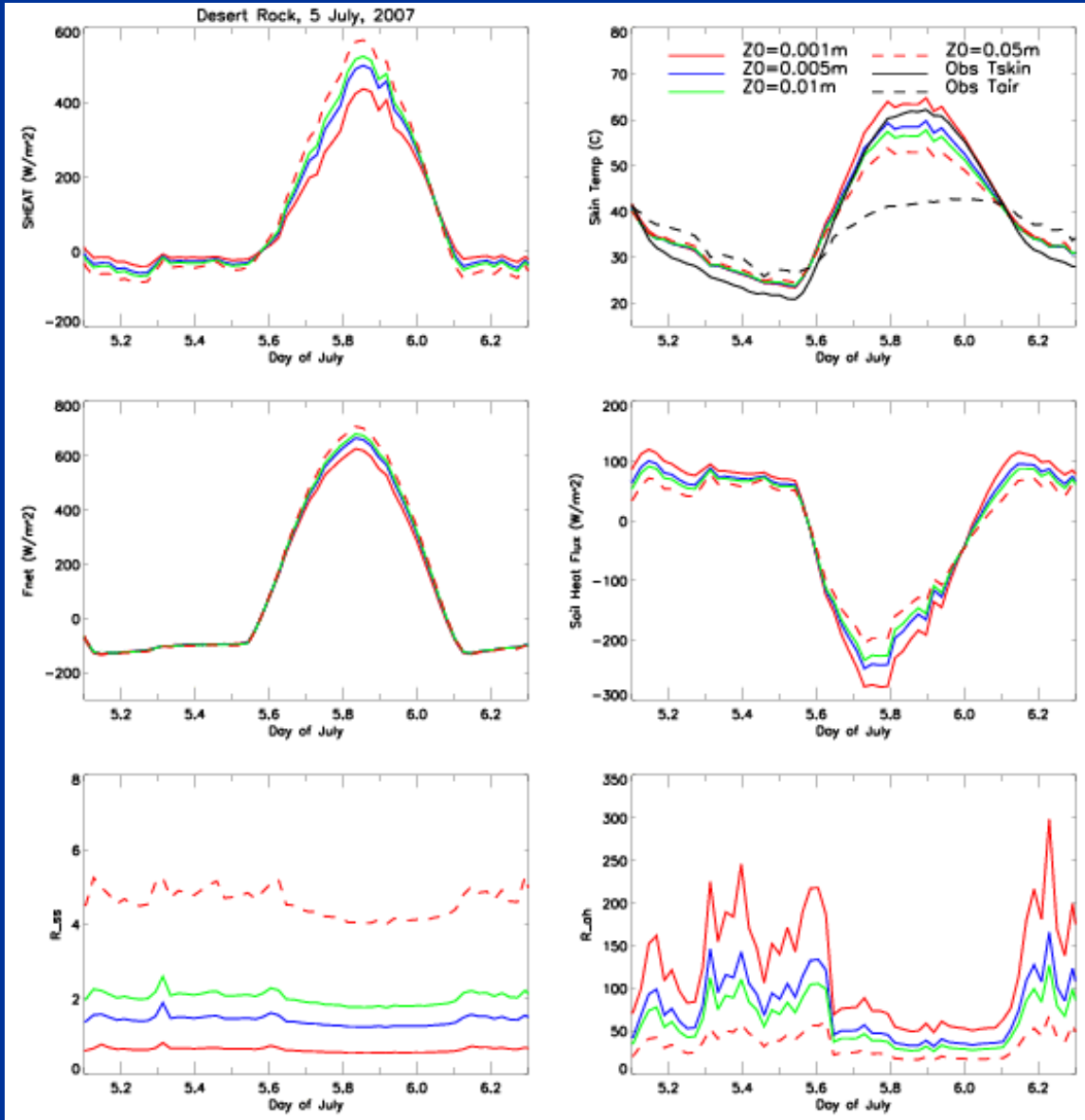
Sensitivity to $k B^{-1}$ formulation



Czil = 0.5 (red dash)
 0.2
 0.1
 0.05

Sensitivity to Z_{om}

$Z_{om} = 0.001$ (red solid)
0.005
0.01
0.05 m



3. Full canopy: do we need to consider $Z_{ot} \neq Z_{om}$?

In CLM (Zeng and Dickinson 1998)

T_{va} , T_v , T_g are considered separately, and SH balance at canopy is explicitly used: $SH = SH_c + SH_g$: $Z_{ot} = Z_{om}$ can be used.

In Noah

T_{va} , T_v , T_g are combined into a single T_s , and $Z_{ot} \neq Z_{om}$ may still be needed.

GFS: $Z_{ot} = Z_{om}$

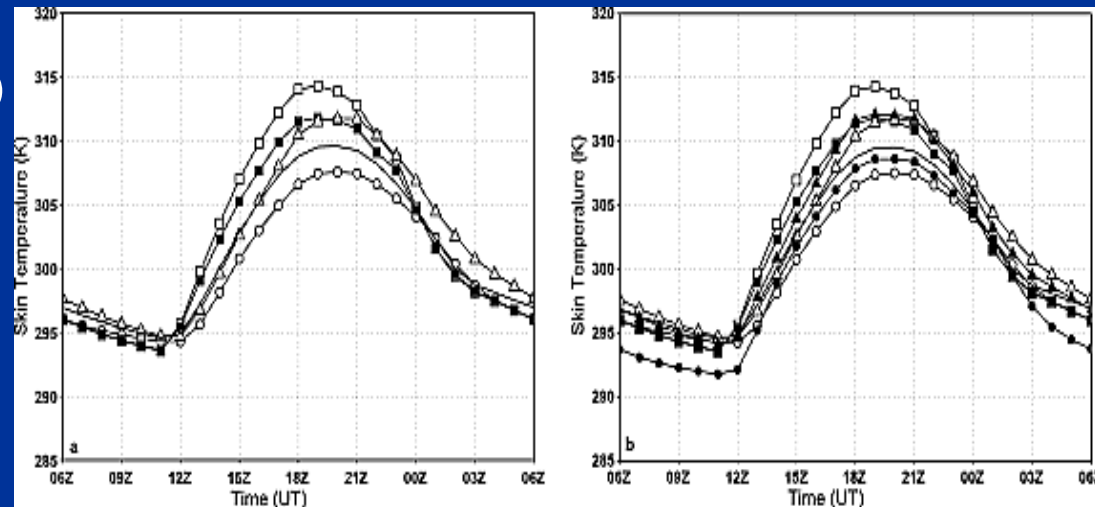
WRF: $Z_{ot} \neq Z_{om}$ ($C_{zil} = 0.1$)

Con: $C_{zil}=0.2$ (open square)

New: $C_{zil}=0.05$ (solid square)

Obs: solid line

(Mitchell et al. 2004)



4. Partial vegetation cover: consistency of T_s

Noah: LAI = constant; GVF = 0-1;

Challenge: at GVF=1, $T_s \sim T_v$, leading to errors in computing ground heat flux (G) $\sim K (T_s - T_{soil})$
under-canopy snow melt

Additional deficiency: Noah overestimates T_s over canopy but underestimates T_s over bare soil

Initial Solution:

$$\ln(Z_{om}/Z_{ot}) = 0.4 (1-GVF)^2 C_{zil} Re^{0.5} \quad \text{and} \quad Re = u_* Z_{om}/\nu$$

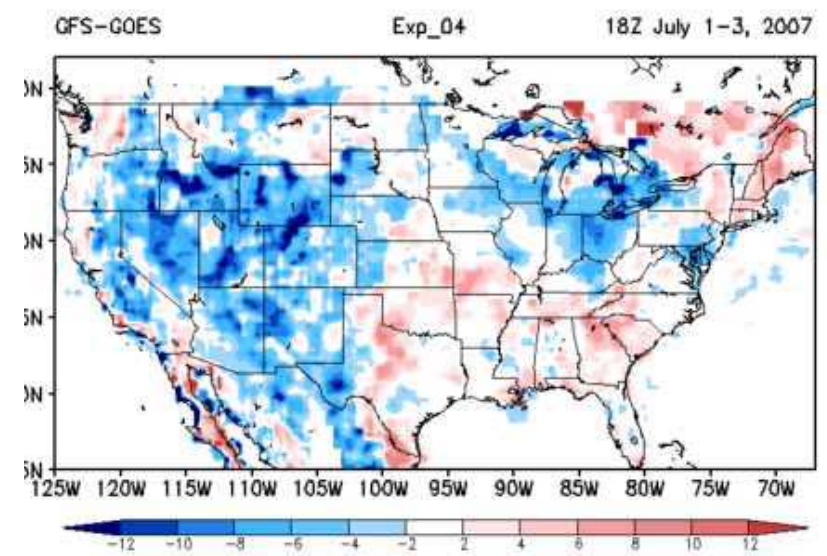
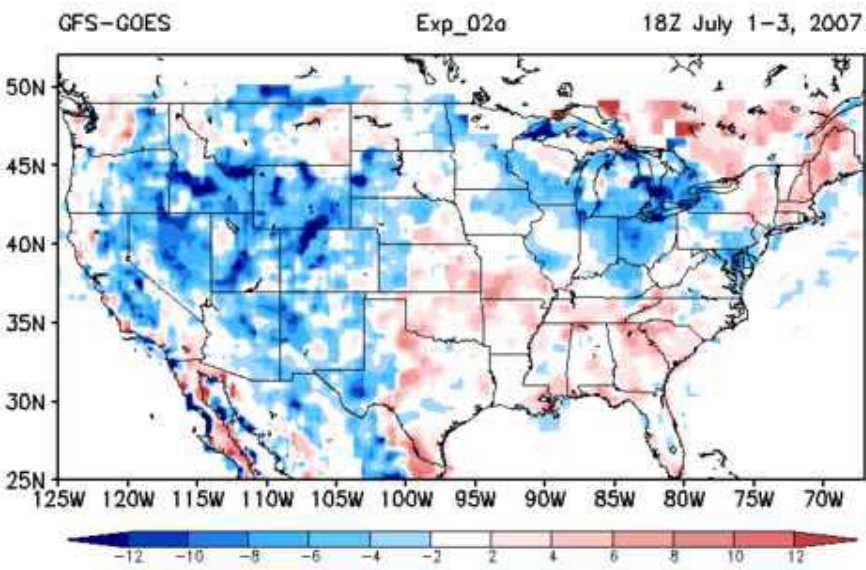
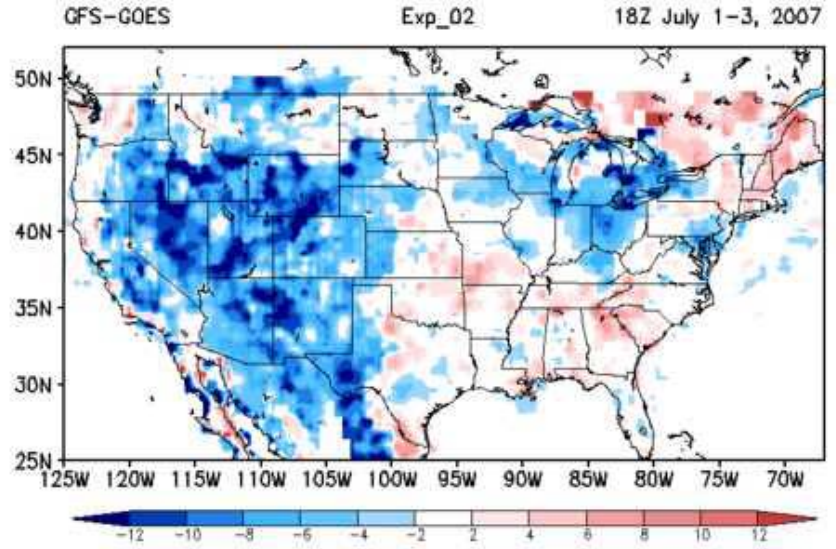
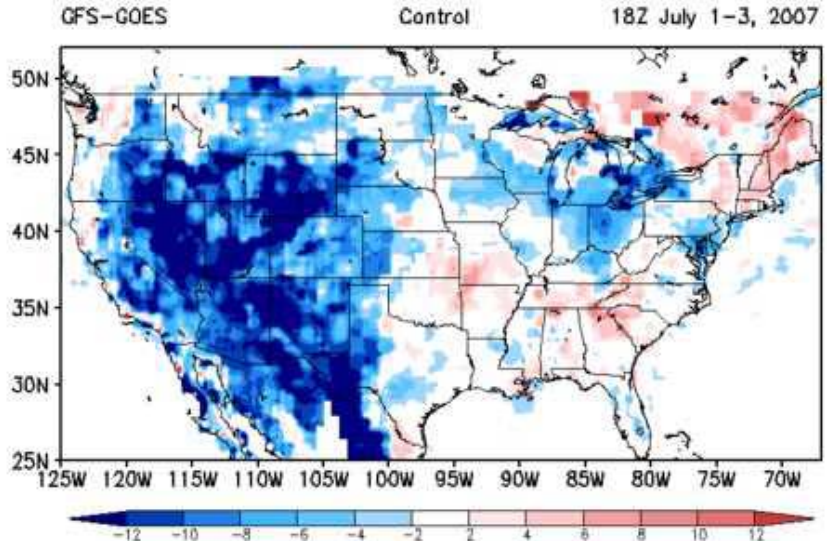
$C_{zil}=0.9$ in GFS (tests done by Mitchell's team) give best results

Our offline test: $C_{zil}=0.5$ best

Why? (due to Z_{om} in Re)

Difference of Mean 18Z LST [K] (GFS-GOES), July 1 - 3, **3-Day Mean**

Ave GOES **2007**

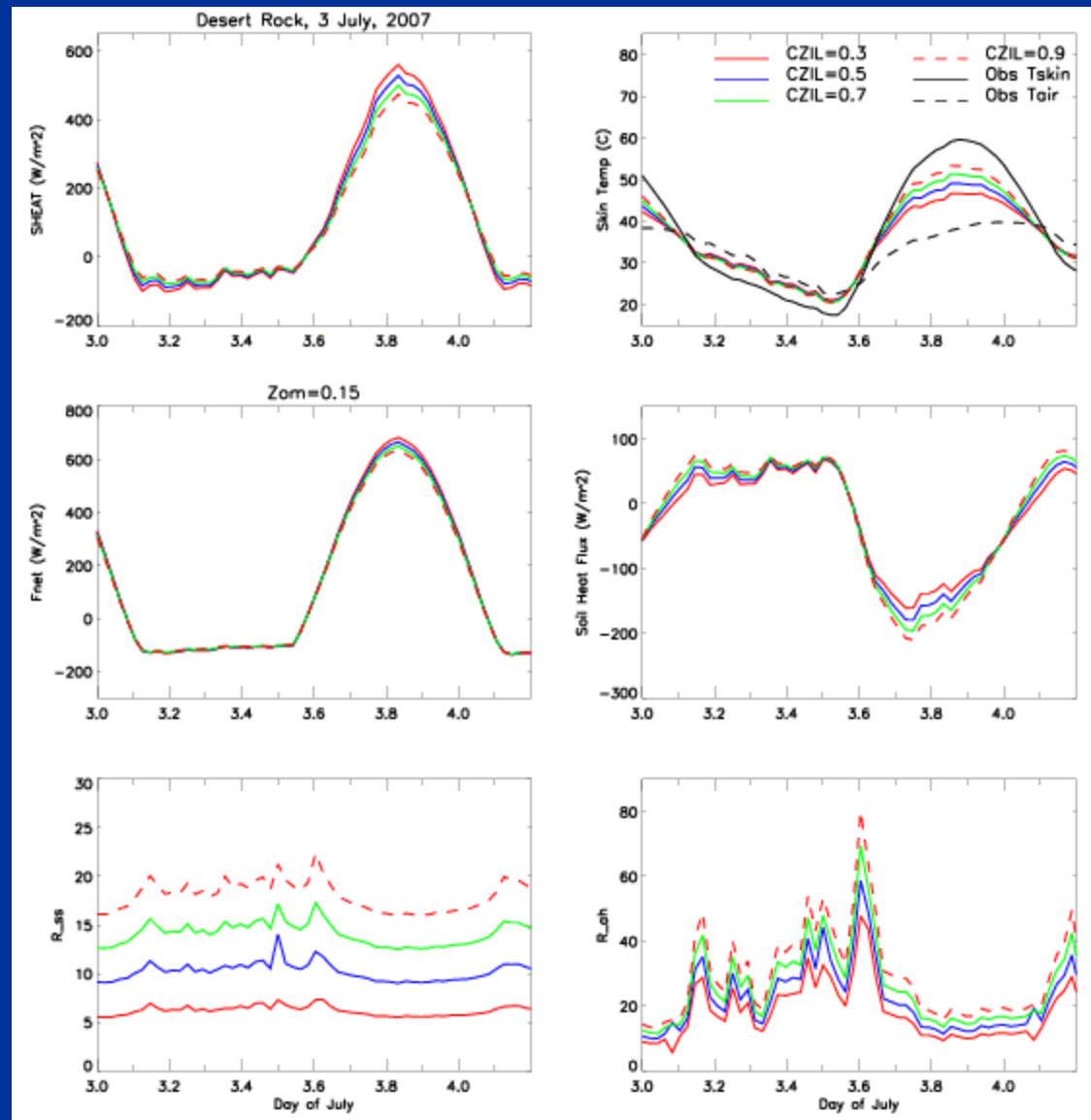


Interpolated value at
Desert Rock in GFS:

$$Z_{om}=0.15\text{m}$$

Then even at $C_{zil} = 0.9$

Still underestimates T_s



Final formulation

$$\ln(Z_{om,e}) = (1-GVF_{max})^2 \ln (Z_{om,g}) + [1 - (1-GVF_{max})^2] \ln(Z_{om})$$

where GVF_{max} is taken as the annual maximum GVF. In this way the effective roughness length $Z_{om,e}(x,y)$ is determined as a function of land cover type (default) and GVF_{max}

$$\ln(Z_{om,e}/Z_{ot}) = 0.4 (1-GVF)^2 C_{zil} (u_* Z_{om,g}/v)^{0.5}$$

$$\text{and } C_{zil} = 0.5, Z_{om,g} = 0.01 \text{ m}$$

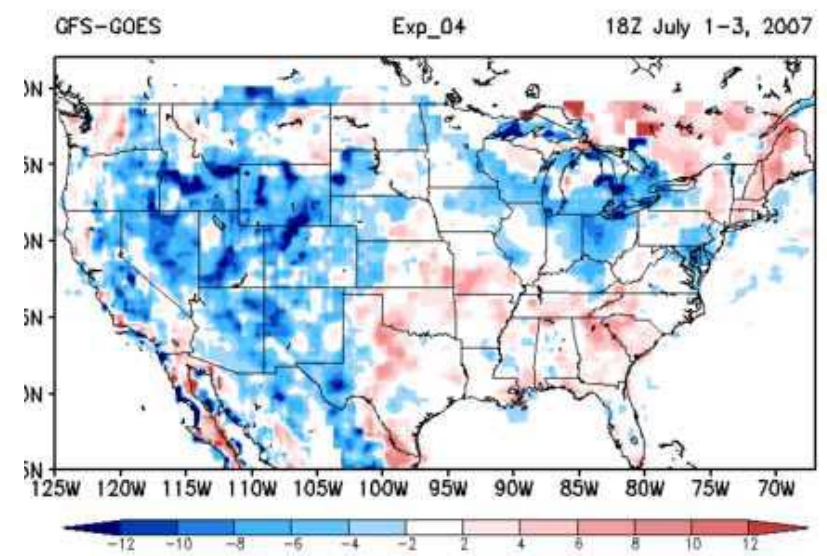
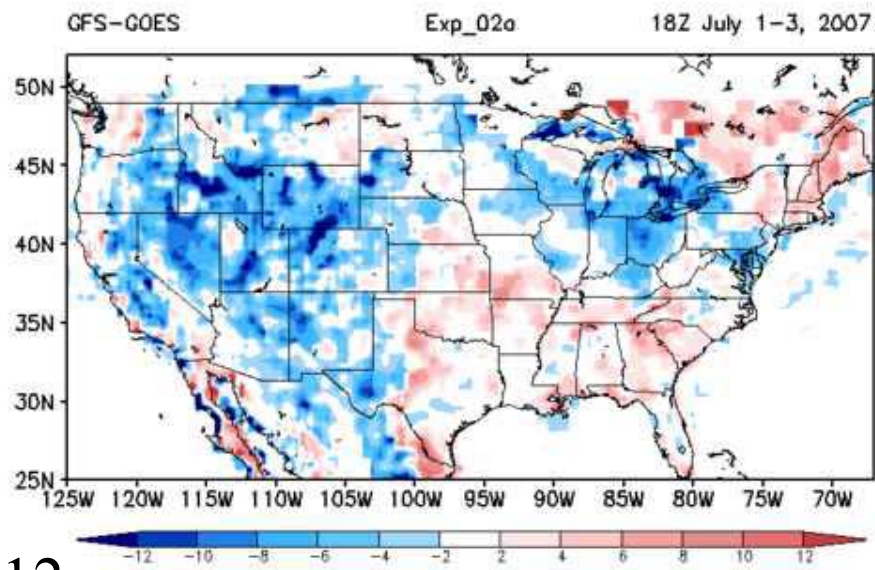
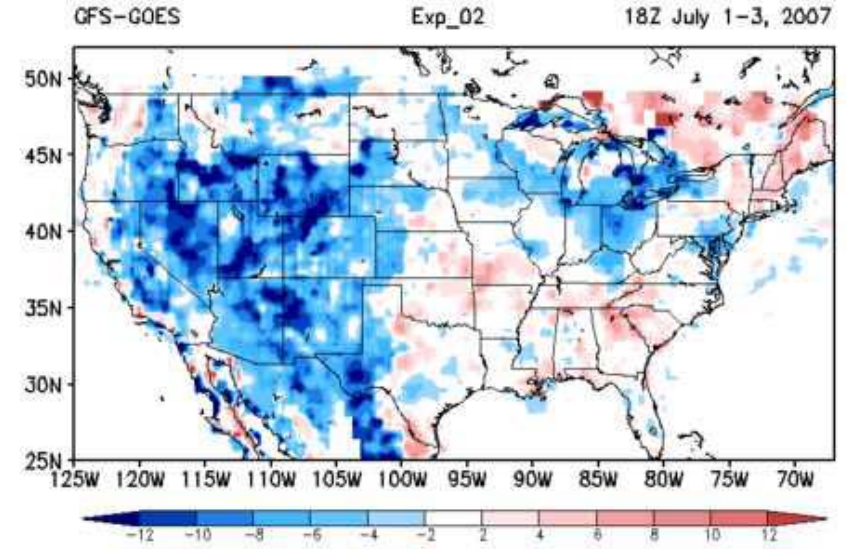
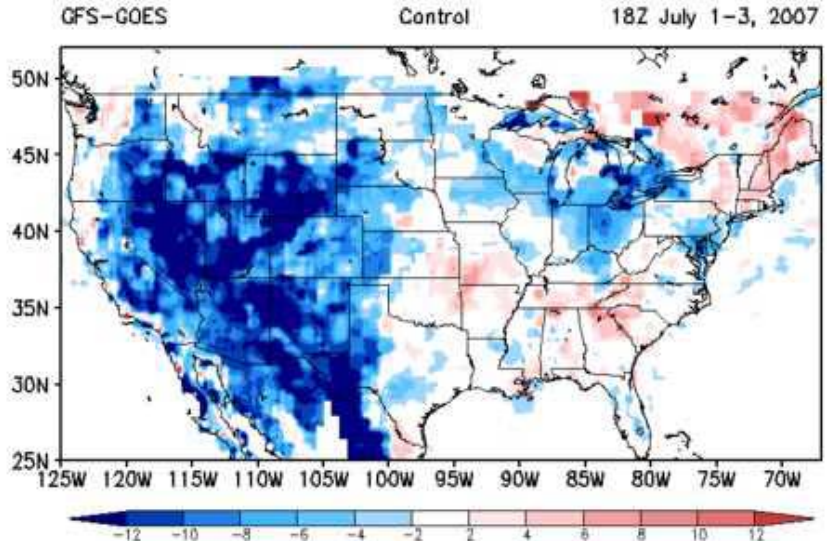
Test of Z0t Scheme (Zeng) with GFS for Summer Case

- **Model:** GFS prediction system.
- **Z0t** : $ZTMAX(I) = Z0MAX(I) * \exp(-((1.-SIGMAF(I))^{**b}) * C21 * CA * \sqrt{USTAR(I) * 0.01 / (1.5E-05)})$
- **Case** : 00Z, July 1, 2007; 72-h integration.
- **Exps:** **Control run (Ctr)** : $ZTMAX(I) = Z0MAX(I)$
- **Sensitivity runs (Sen)** : Test different Z0t
- **Exp_01:** b=4; C21=0.3
- **Exp_02:** b=2; C21=0.5
- **Exp_02a:** same as 02 but the different effective z0
- **Exp_04:** b=2; C21=0.9
- **Exp_05:** b=2; C21=1.1
- **Exp_06:** b=2; C21=1.5
- **Exp_07:** b=4; C21=0.9
- Weizhong Zheng and Helin Wei

Difference of Mean 18Z LST [K] (GFS-GOES), July 1 - 3, **3-Day Mean**

Ave GOES

2007



Mean LST Difference [K], July 1 - 3, 2007

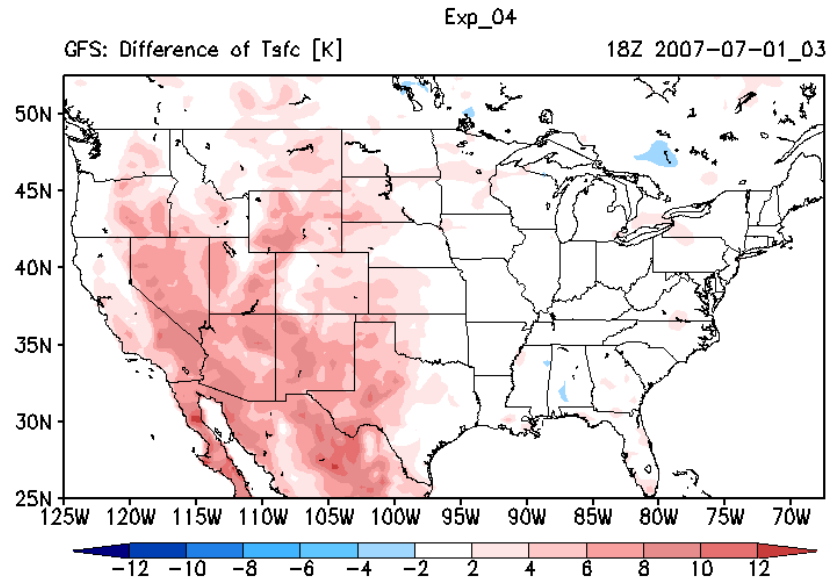
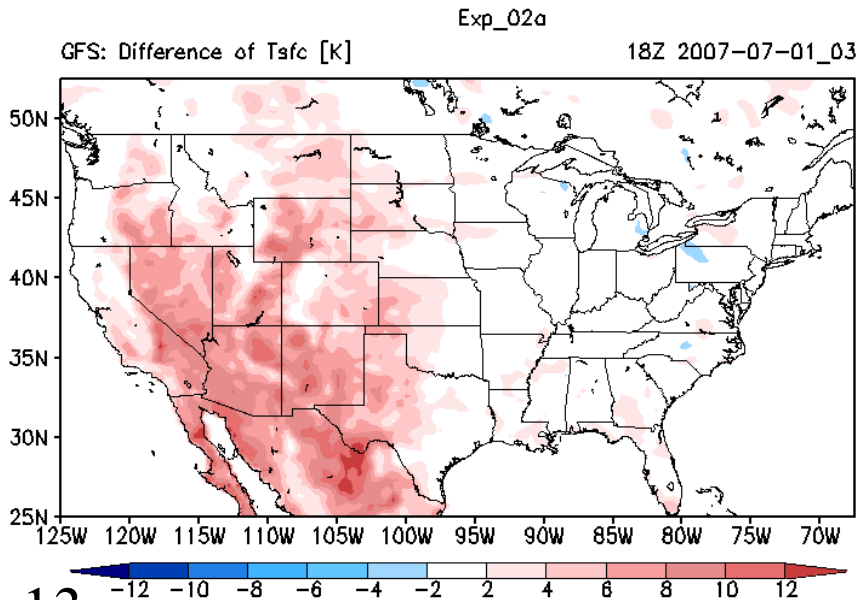
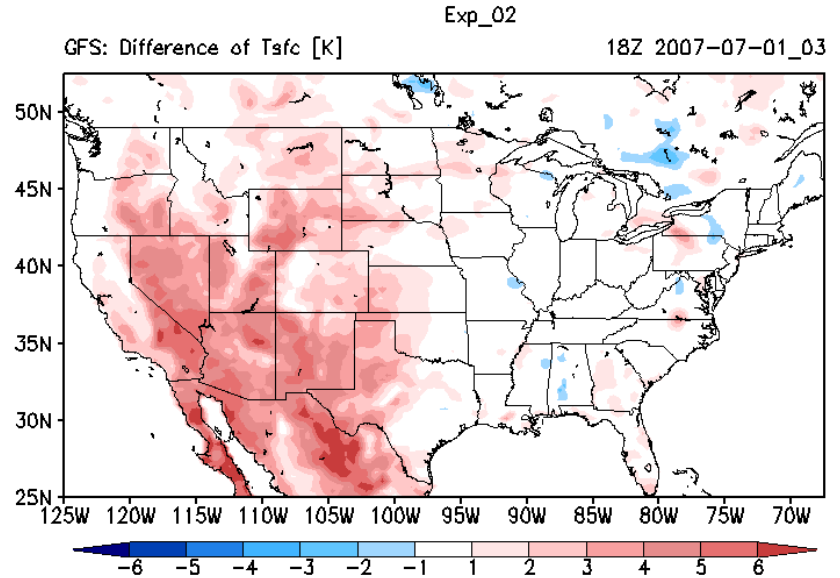
**3-Day
Mean**

GFS: Sen-Ctr

Exp_02: b=2; C21=0.5

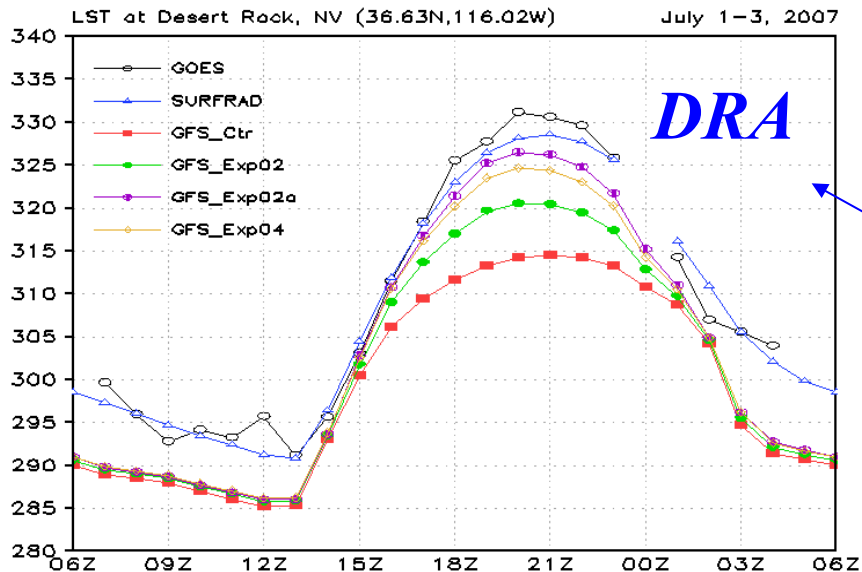
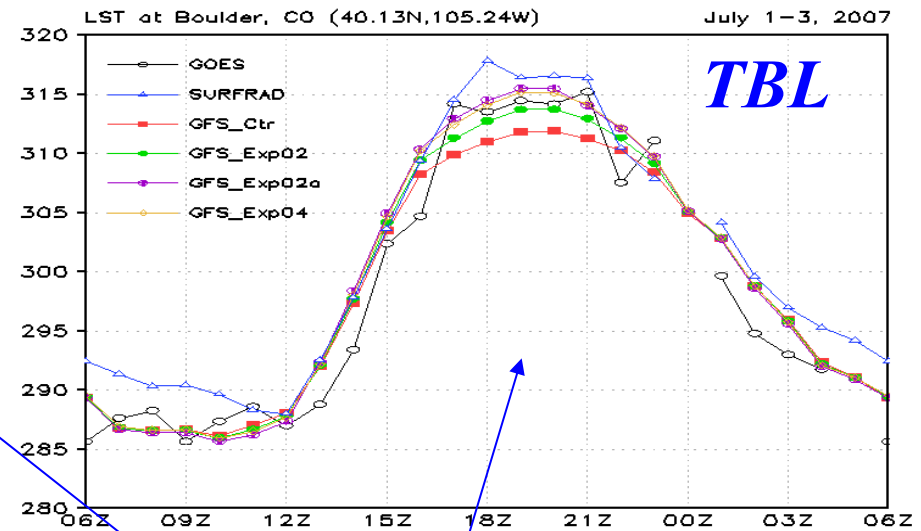
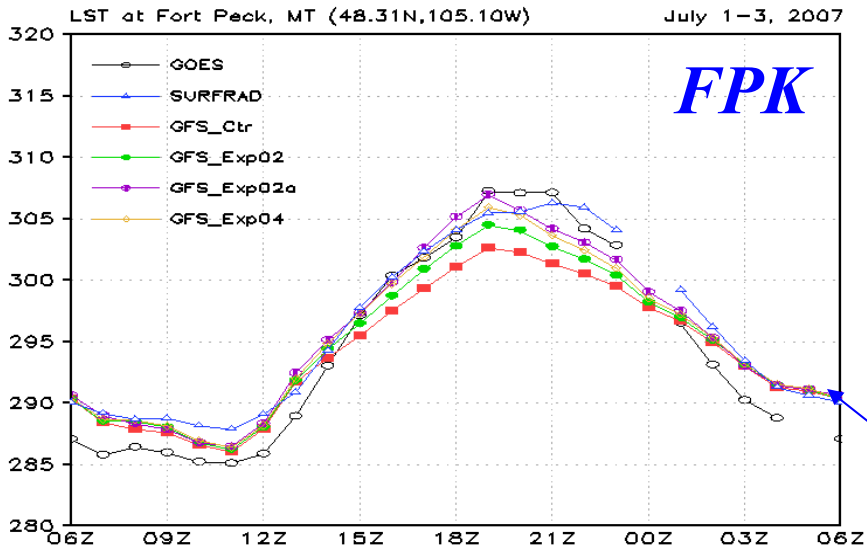
**Exp_02a: same as 02 but the different
z0**

Exp_04: b=2; C21=0.9



LST [K] Verification at SURFRAD Sites

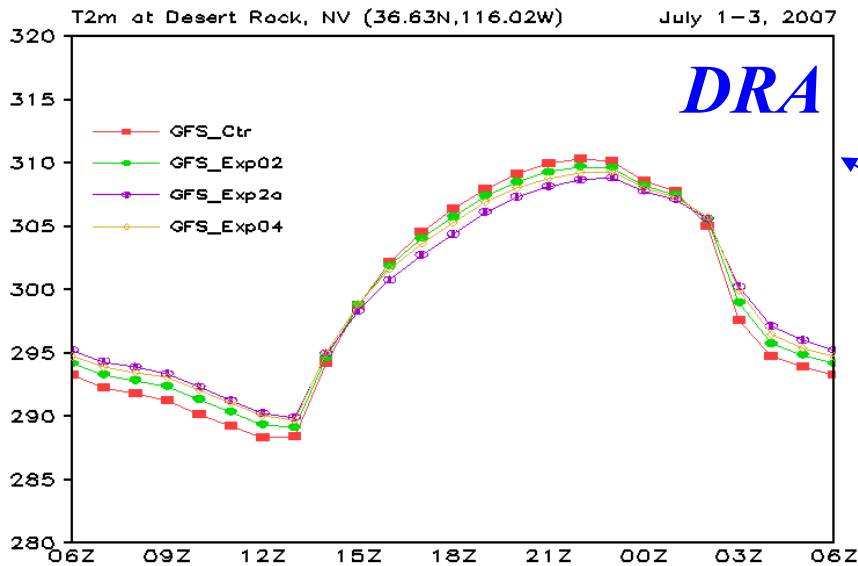
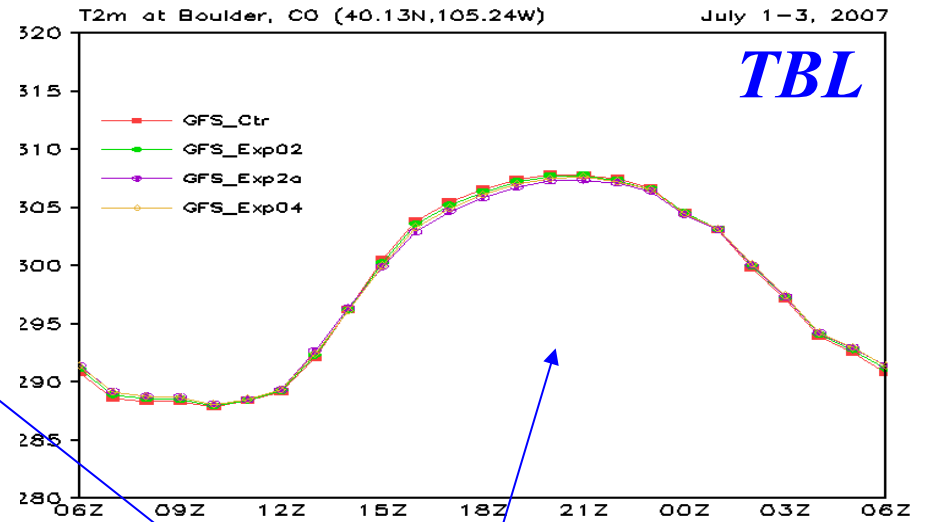
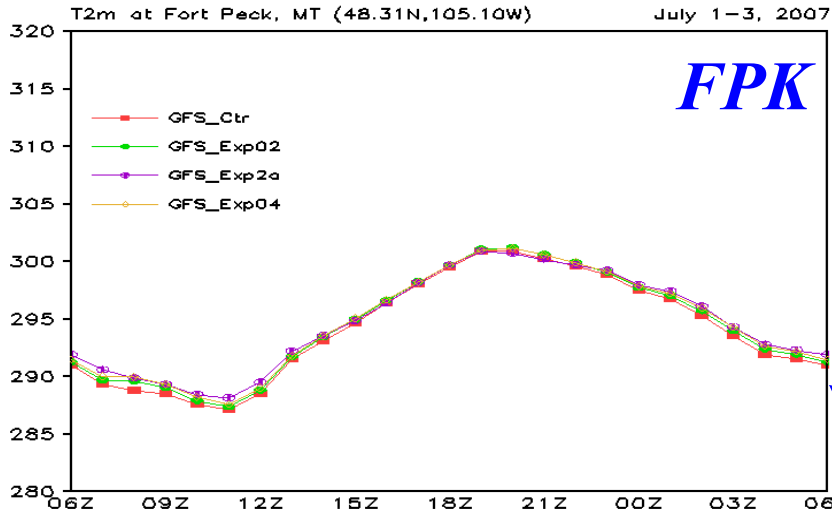
3-Day Mean



SURFRAD
Network

T2m [K] Comparison at SURFRAD Sites

3-Day
Mean



5. Snow/vegetation/soil mixture

- Snow fraction is needed primarily for albedo (not Ts).
- Both emissivity and Ts are important for CRTM

Assume:

evergreen needleleaf trees: GVF = 0.6, and LAI = 4.0;

snow depth $D_{sn} = 50, 100, \text{ and } 200 \text{ mm}$

snow density = 100 kg/m^3

no snow remaining on the leaves

Advanced Microwave Sounding Unit-A (AMSU-A):

12 sounding channels (within 50-60 GHz)

3 window channels at 23.8, 31.4, and 89 GHz

New Snow fraction formulation

Snow-free fraction in CRTM

Snow fraction in CRTM

Snow-free soil
 $(1-F_v) * (1-F_{g,sn})$

Snow-covered soil
 $(1-F_v) * F_{g,sn}$

Canopy without or shading snow
 $F_v * (1-F_{g,sn}) * (1-F_{v,sn})$

Vegetation covered by snow
 due to interception and burial
 $F_v * F_{v,sn}$

Snow under vegetation
 that cannot be “seen”
 by satellites

Snow on the ground
 that can be “seen”
 by satellites

If LAI is large

If LAI goes to zero

Vegetation with snow below
 $F_{v,b} = F_v * F_{g,sn} * (1-F_{v,sn})$

$$\beta = \exp(-LAI)$$

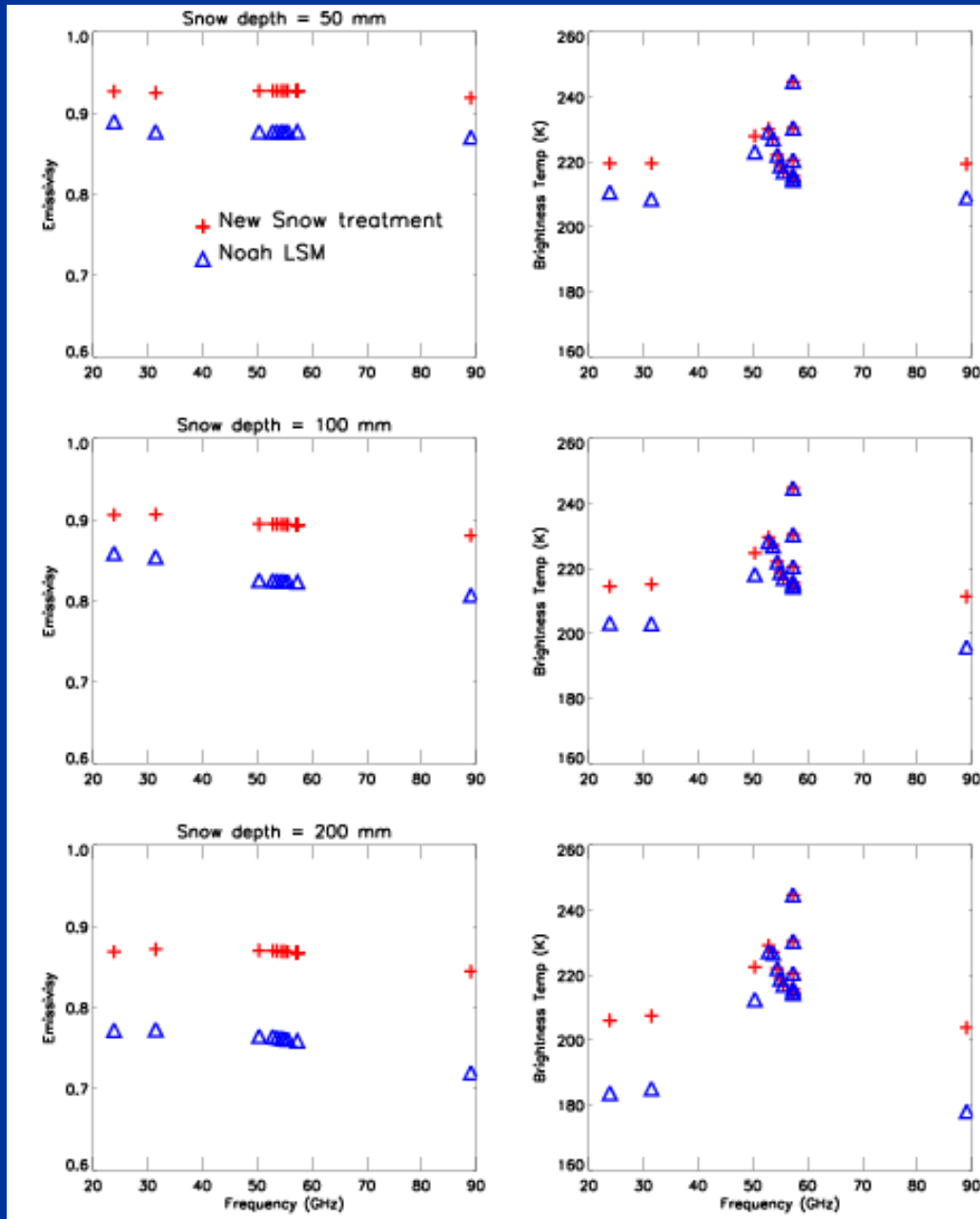
$$F_{v,sn} = \min(F_{int} + F_{bur}, 1)$$

Snow
Fraction
Con: 0.4
New: 0.2

0.65
0.3

Emissivity

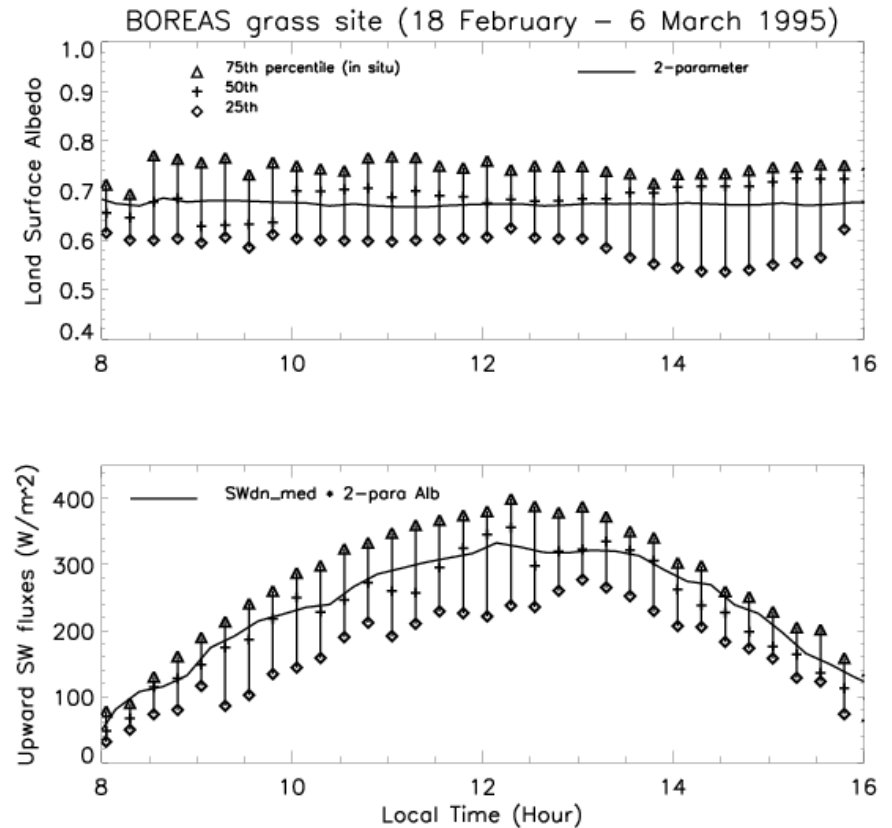
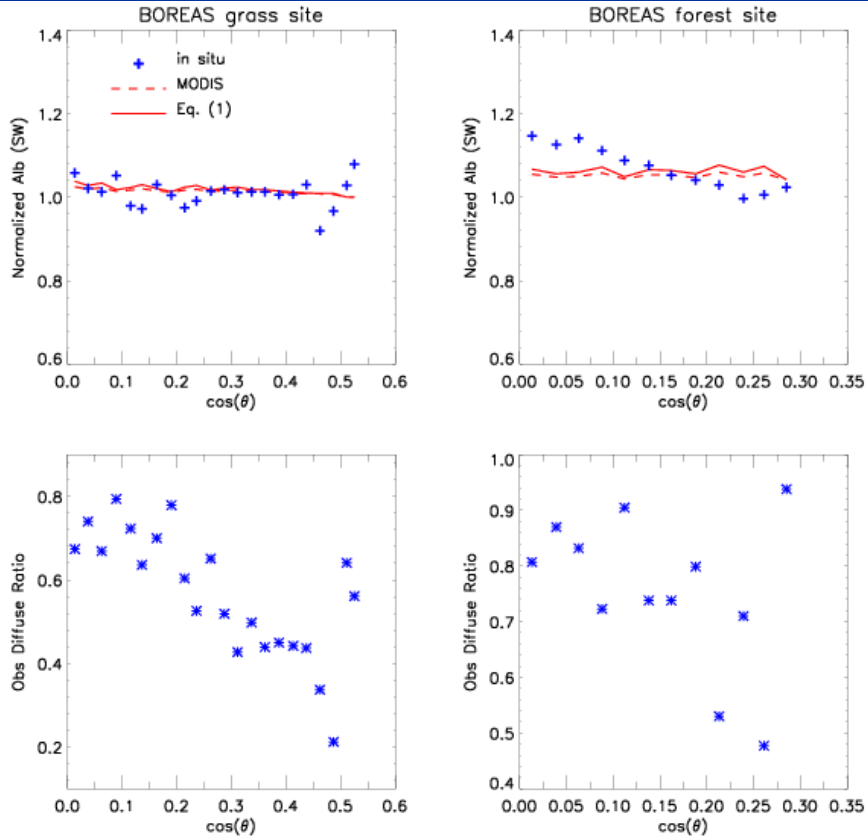
0.85
0.4



same T_g in
sensitivity
tests

T_B

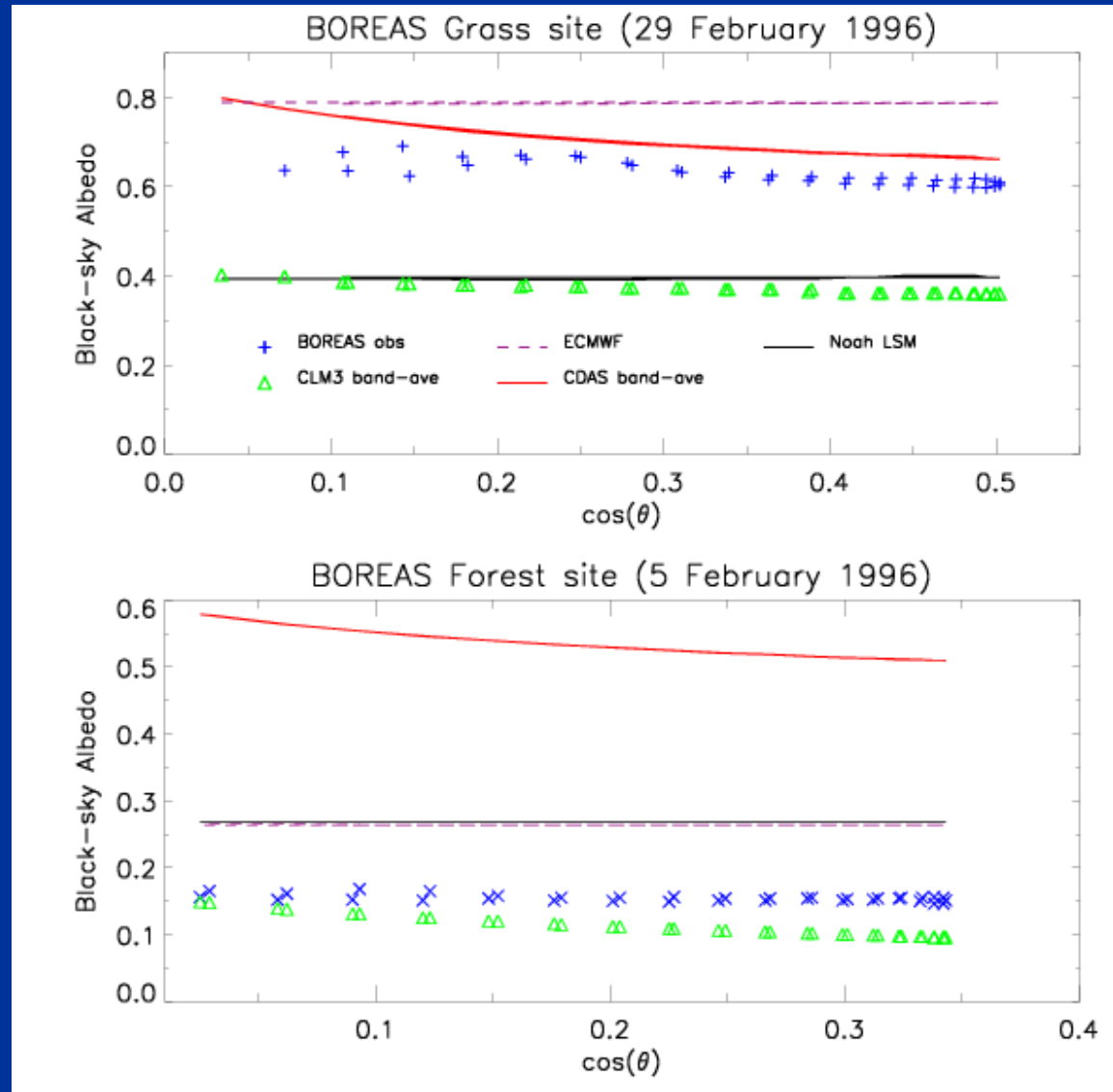
Snow albedo's dependence on SZA from in situ and MODIS data



6. Intercomparison of snow albedo parameterization in climate models

Hsn = 72mm
Fsn = 40%
Max_alb
= 0.71 (MODIS)
0.64 (WRF)

Hsn = 440mm
Fsn = 81%
Max_alb
= 0.31 (MODIS)
0.52 (WRF)



7. Soil moisture (SM) Richards equation

Solution: revised form of the Richards equation

In the atmosphere: Vertical velocity equation:

$$\frac{dw}{dt} = \frac{1}{\rho} \frac{\partial p}{\partial z} - g$$

hydrostatic approximation:

$$\frac{1}{\rho} \frac{\partial p}{\partial z} - g = 0$$

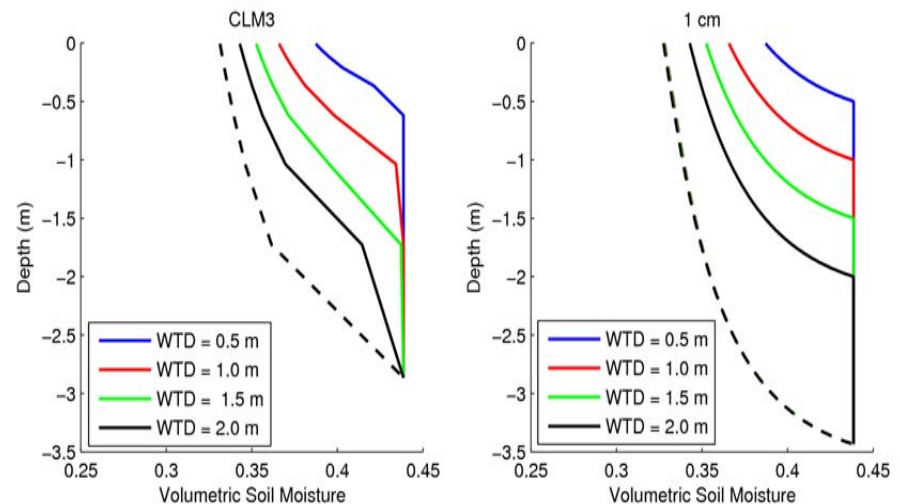
In the soil: soil moisture-based Richards

equation:

$$\frac{\partial \theta}{\partial t} = \frac{\partial}{\partial z} \left[K \frac{\partial(\psi + z)}{\partial z} \right] - S$$

with a steady-state solution:

$$\psi(\theta) + z = \psi_{sat} + z_w$$



Deficiency: Numerical solution in CLM3.5 and other land models cannot maintain this steady state solution of the differential equation even for zero flux (top and bottom) boundary conditions

Summary

- From desert to full vegetation cover: New formulations for effective Z_{om} and Z_{ot} are proposed for Noah that significantly improves the GFS T_s forecasts in summer
- Over snow/vegetation/soil mixture: A new formulation for effective snow fraction is proposed for testing in CRTM/Noah coupling; it significantly affects emissivity and T_s
- Snow albedo formulations in Noah, CLM, ECMWF, CDAS are evaluated
- Revised Richards equation is developed for all land models with a shallow or deep water table