



# Rapporteur II:

# Global & Flow Observables

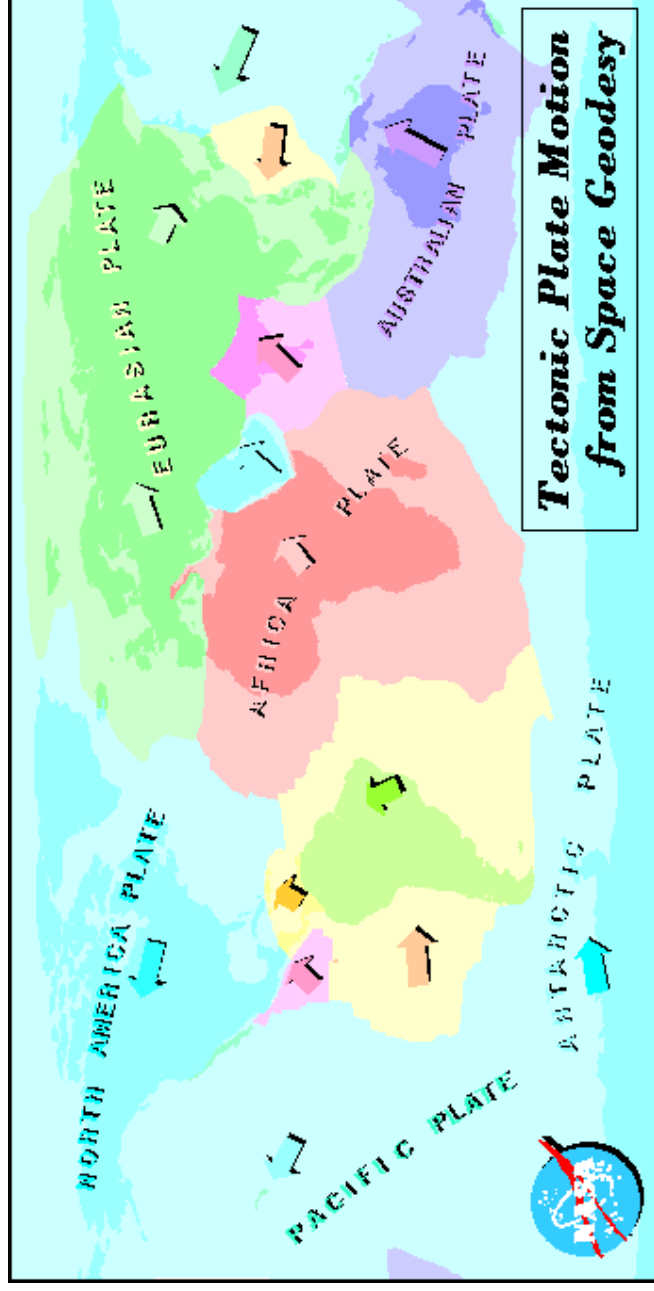
**Peter Steinberg**

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# Global Flow



Peter Steinberg

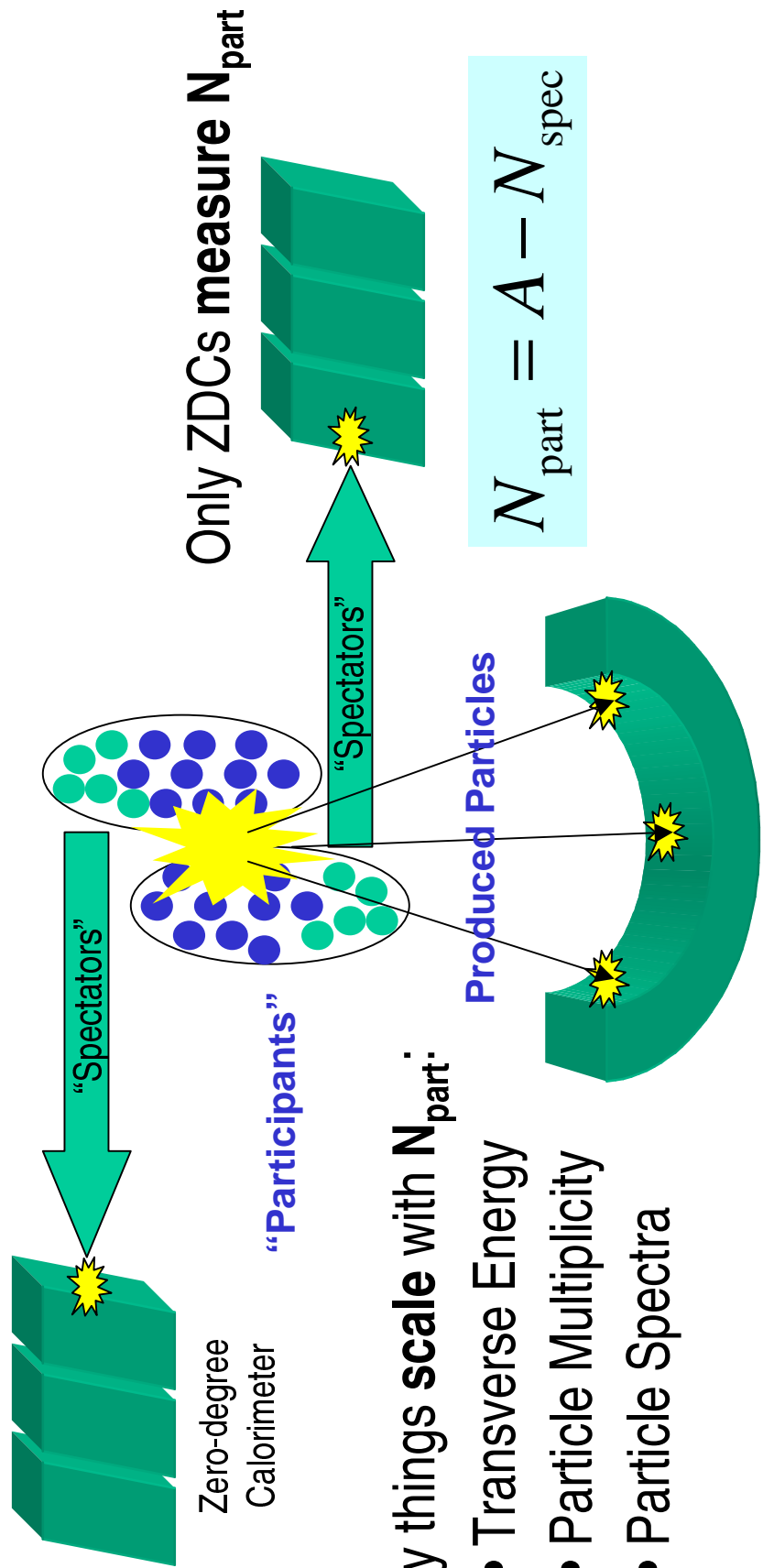
BNL

# Outline

- **Global Variables**
- **“Flow”**
- Event shape
  - $dN/d\eta$
  - $dN/d\phi$
- Centrality dependence
  - Centrality dependence
    - $dN/d\eta$
    - Species
  - $V_1, V_2$
- Initial Energy density
  - Initial Pressure
- In principle, we are looking at two important pieces of the equation of state...

# Centrality: Participants vs. Spectators

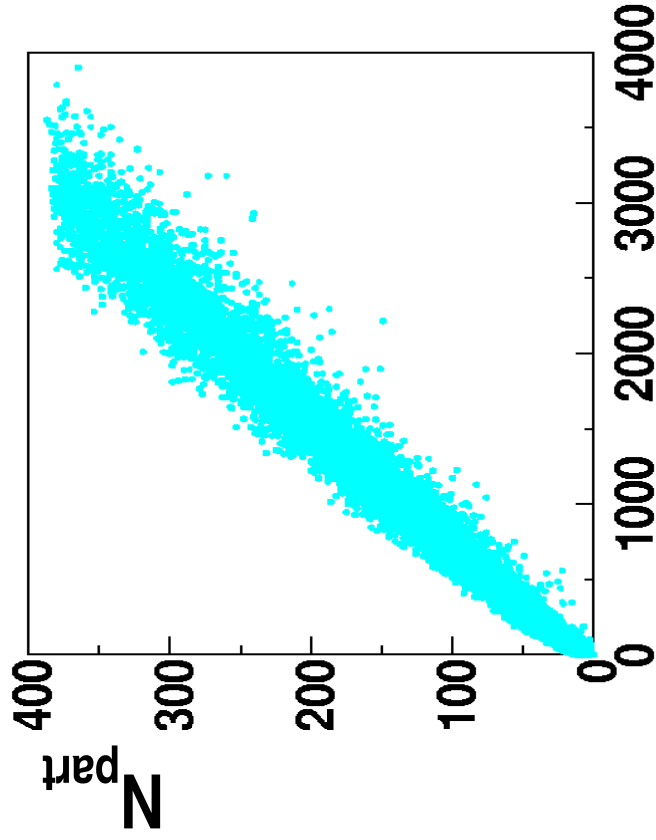
The collision geometry (i.e. the impact parameter) determines the number of nucleons that **participate** in the collision



Many things **scale** with  $N_{part}$ :

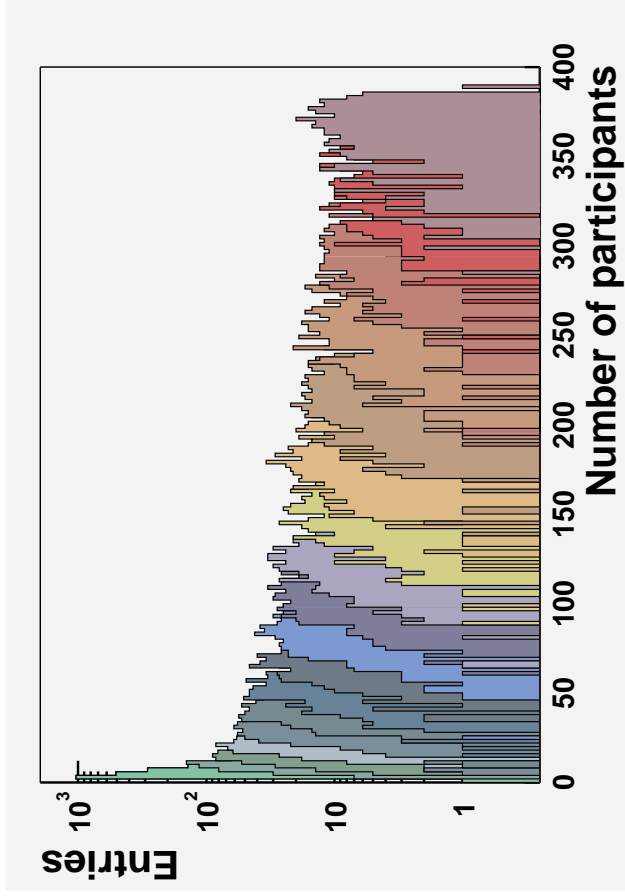
- Transverse Energy
- Particle Multiplicity
- Particle Spectra

# Measuring Centrality



- Clearly, fluctuations affect your centrality estimator

- In principle, we could work with % of cross section



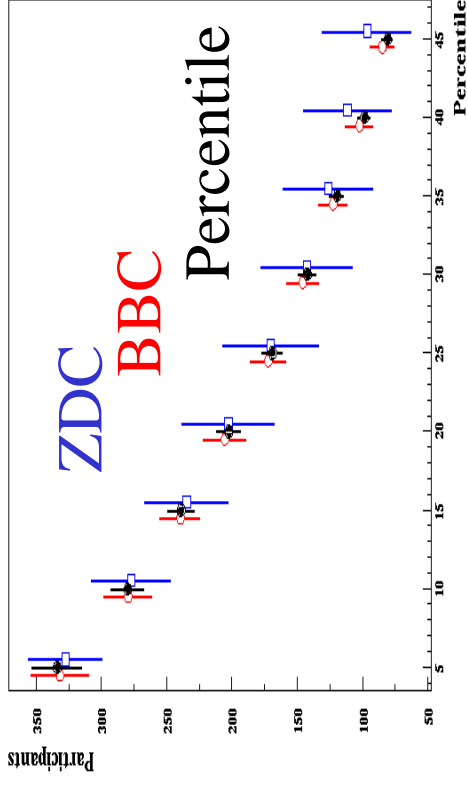
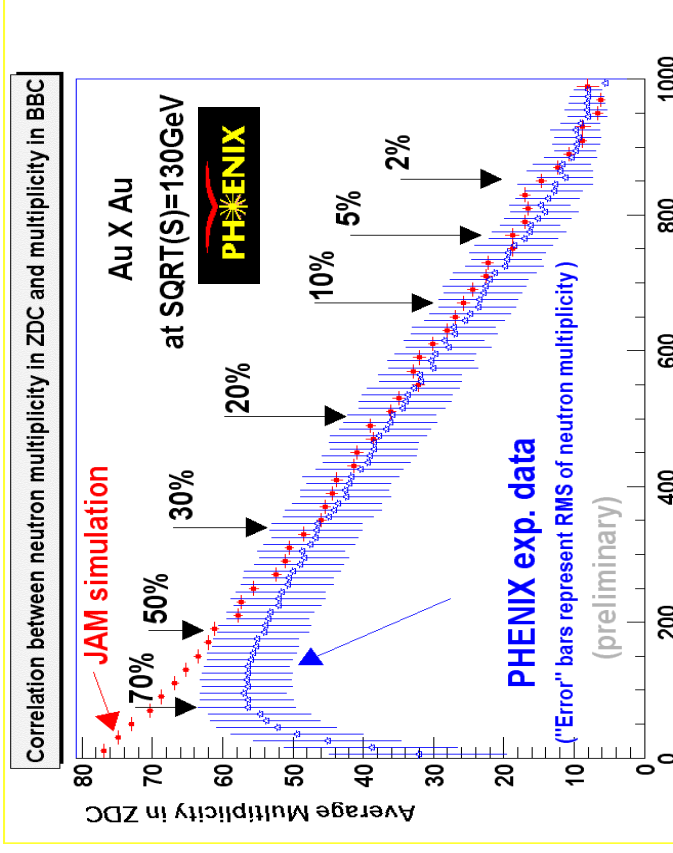
- Final measurement of  $N_{part}$  is best attempt to correct for facts of life

# Why we should use $N_{\text{part}}$

- Very difficult to compare experimental results without serious estimate of  $N_{\text{part}}$
- Must incorporate fluctuations in the measurement of the centrality estimators
- OK, Glauber implementation is a real uncertainty
- **Even if you don't "like" participants, the exercise is critical for inter-experiment comparisons**

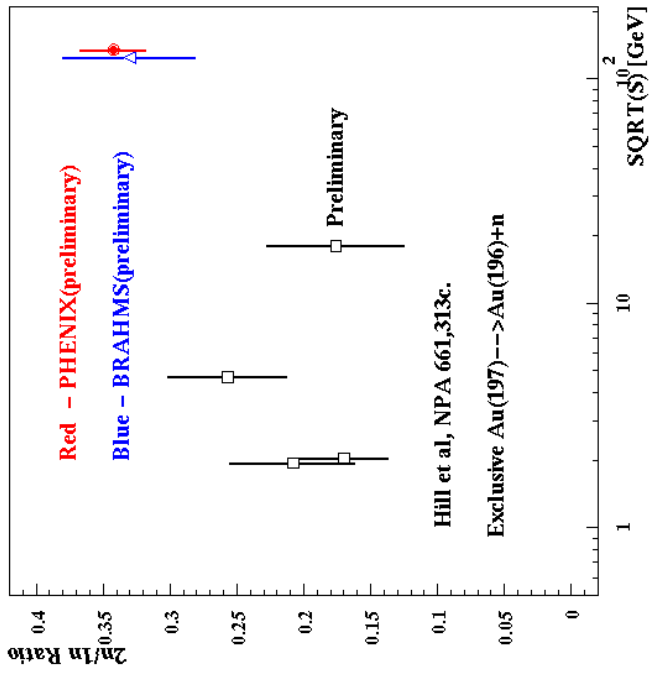
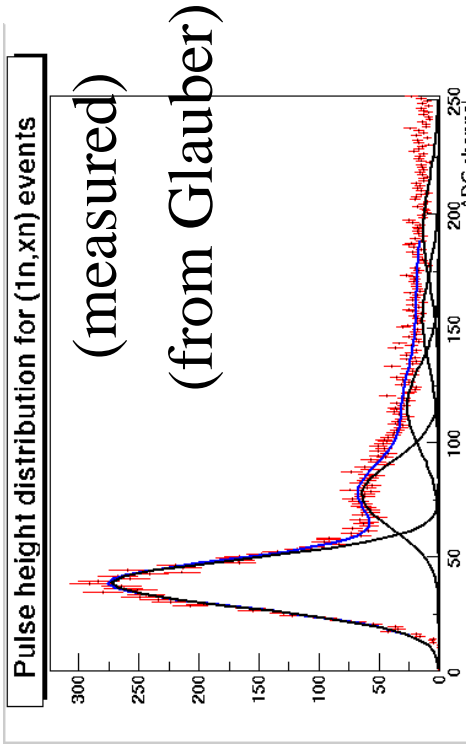
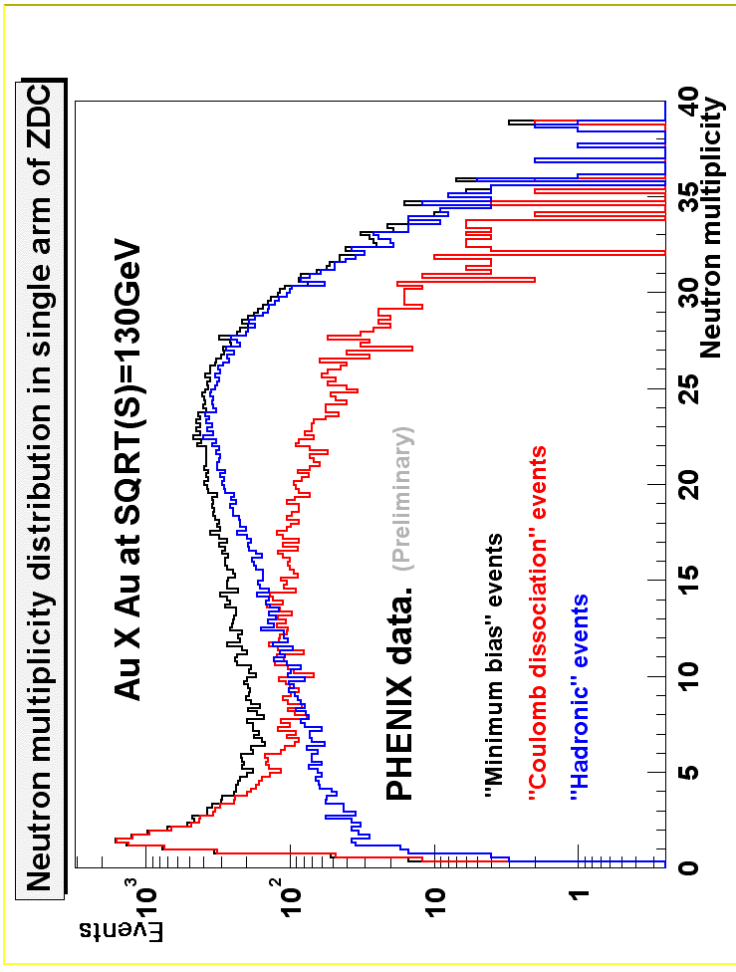
# ZDC as centrality device

- Only shared detector
  - Rates: luminosity via well-known reference process
  - Timing: substantial background rejection
  - Pulse height: measures centrality
- Directly confirms monotonic relationship between participants with multiplicity



# Mutual Coulomb Dissociation

- Reference:  $\sigma_{zdc} = 10.7 \pm 0.5 \text{ b}$
- **Measurement:**  $(\sigma_{geo} / \sigma_{tot})_{exp} = (N_{bbc} / N_{tot})_{exp} / \epsilon_{bbc} = (0.668 \pm 0.022)$   
**Theory:**  $\sigma_{geo} / \sigma_{tot} = (0.673 \pm <0.034)$

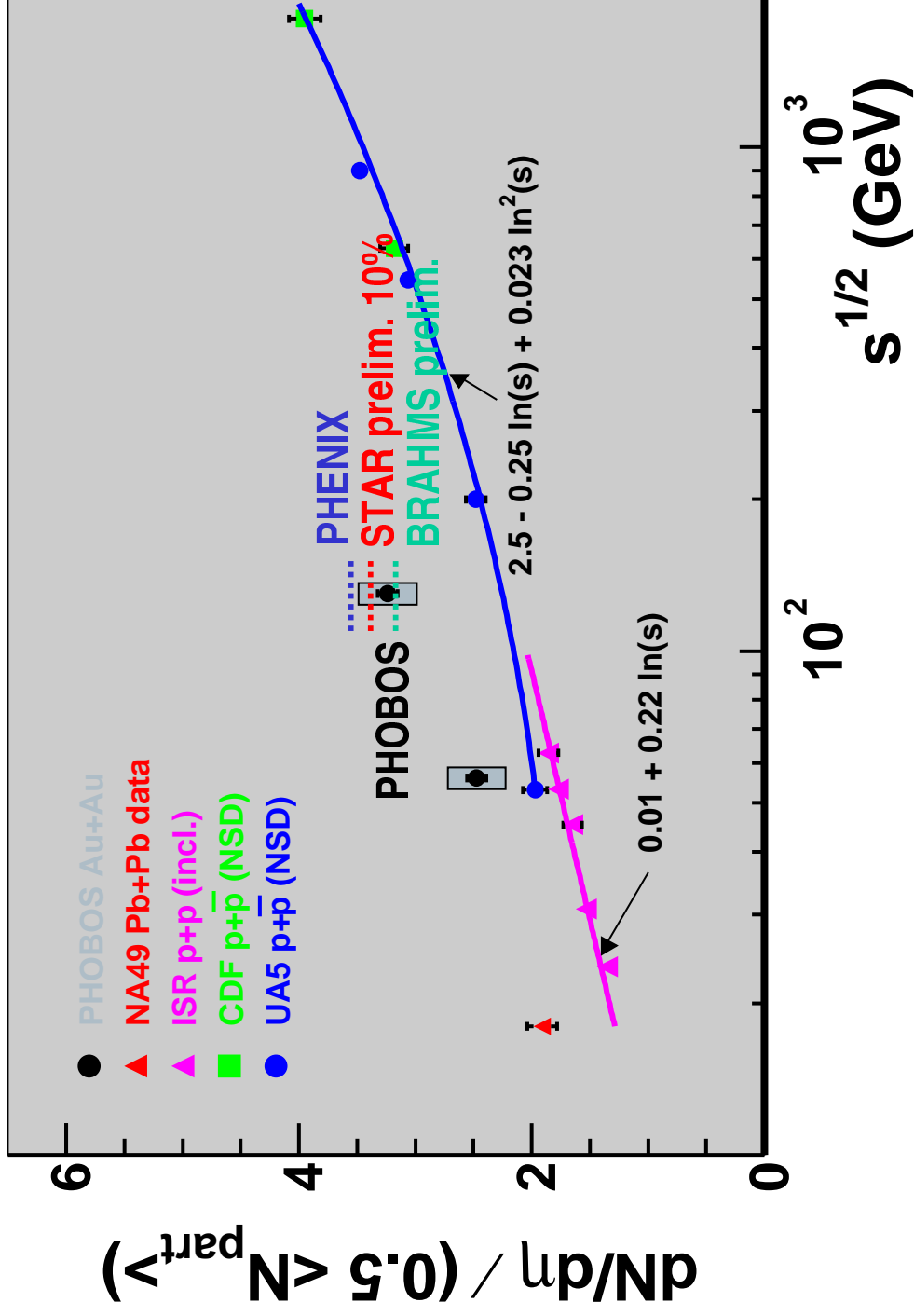




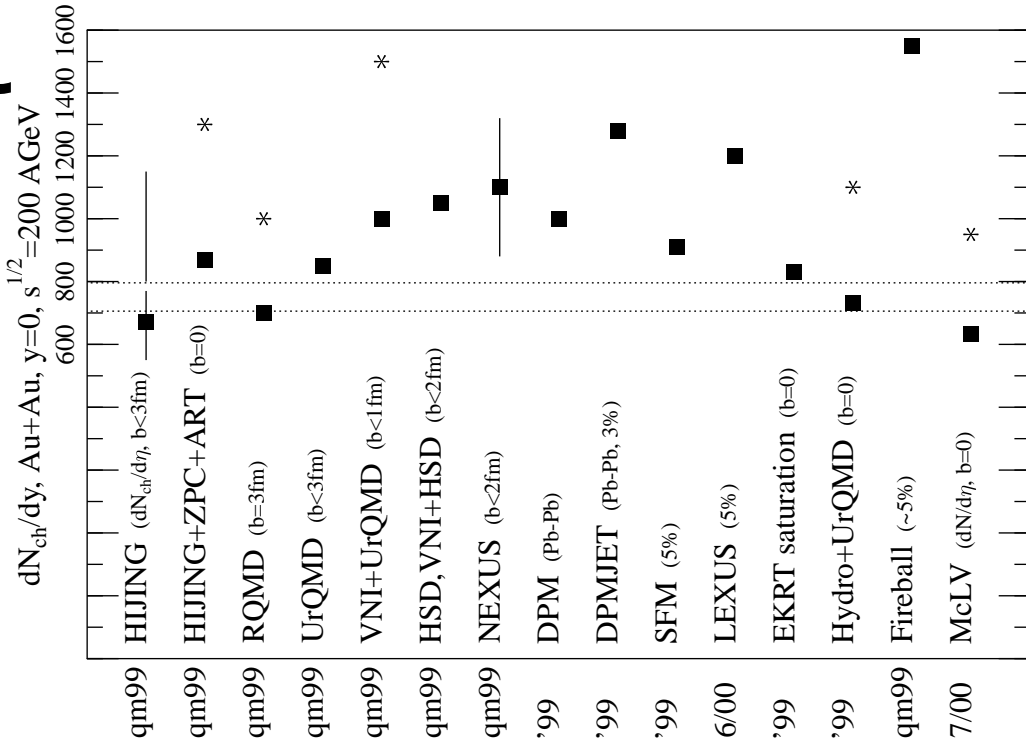
# Multiplicity: what is learned

- Can the models get the “big picture” right?
  - However, let’s not ignore the details...
- Magnitude
  - Integral over energy density, stopping, shadowing, quenching, flow
- Centrality dependence
  - Study effect of system size (onset of interesting effects above critical volume)
- Interplay between  $N_{\text{part}}$  and  $N_{\text{coll}}$
- Shape
  - Stopping, Final state interactions

# Energy dependence



# dN/dη: Predictions



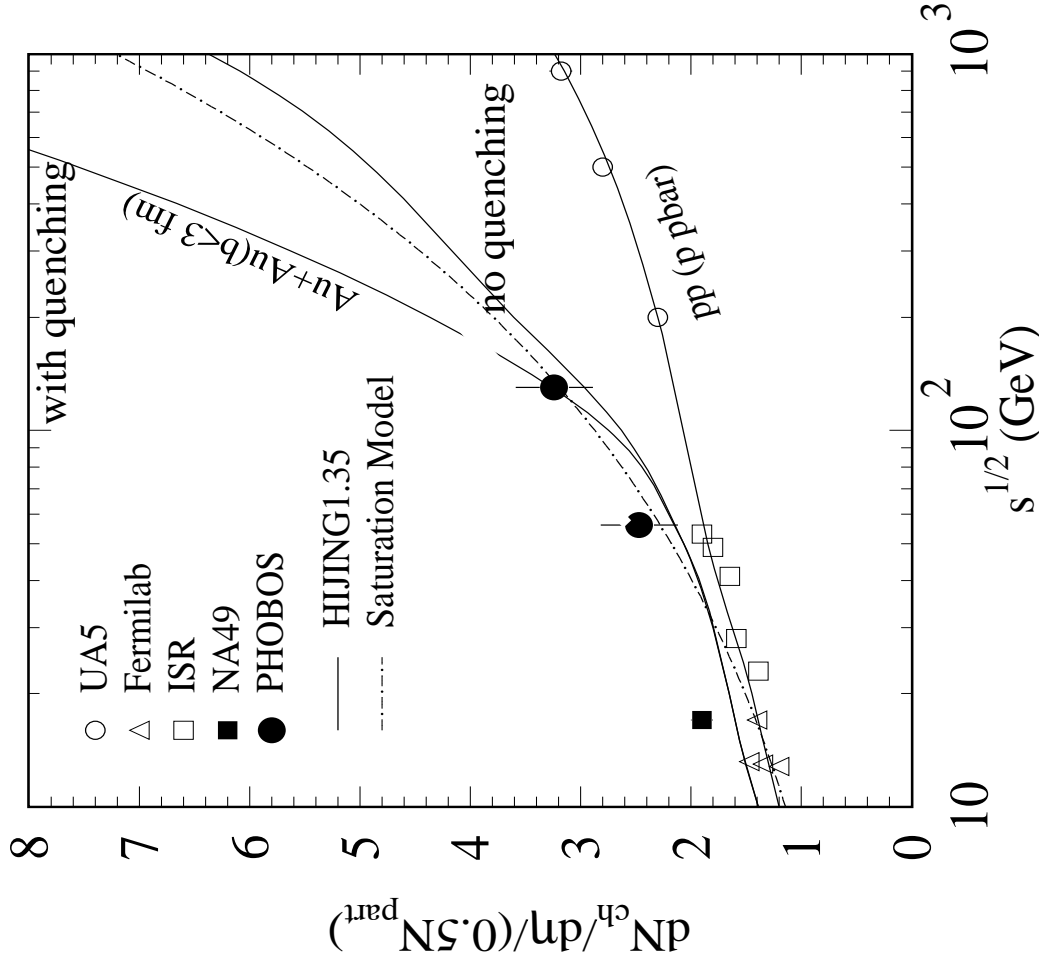
$\sim \frac{2}{3} : N(*) \rightarrow N_{ch}$

$\sim 1.1 : \eta \rightarrow y$

$\sim 0.9 : b = 0 \rightarrow b \lesssim 3 \text{ fm (5\%)}$

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see [Arneodo, Pajares, hep-ph/0002163]



# dN/dη: Post-dictions

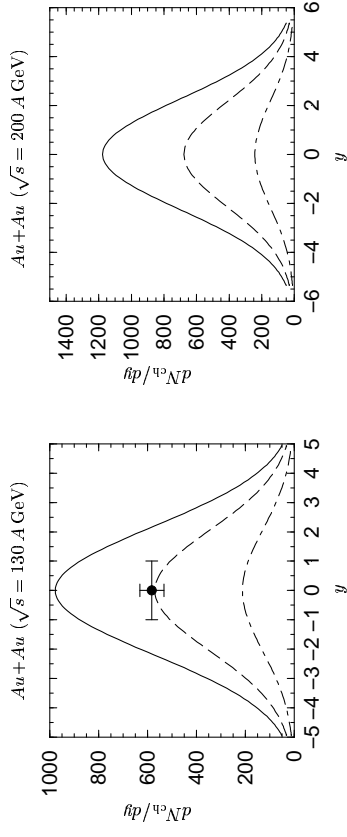
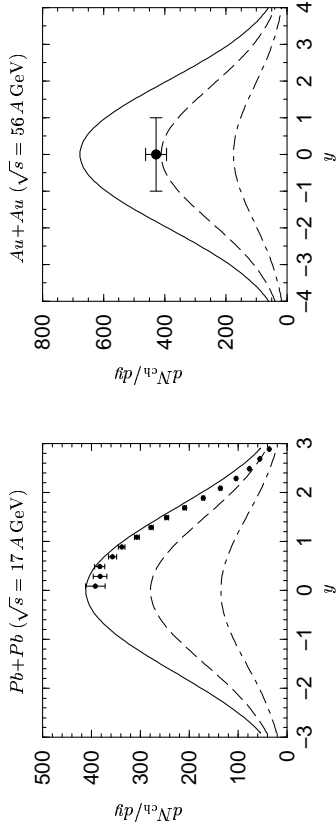
- AMPT, LEXUS, DSM, HIJING, EKRT

• Please be careful about scaling  $y$  to  $\eta$

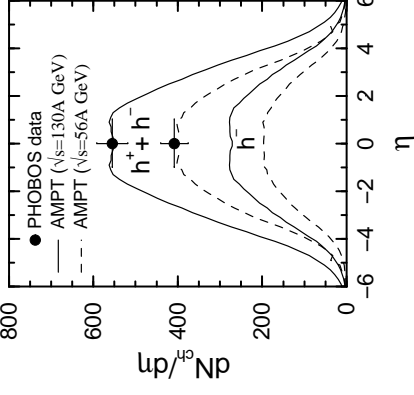
- Not boost invariant!
- Not .9, .95 etc.
- Jacobian depends on velocity:  
 $dy = \beta d\eta$
- Depends on species and mean  $p_T$

- Still not sure who gets the champagne...wait for 200 GeV

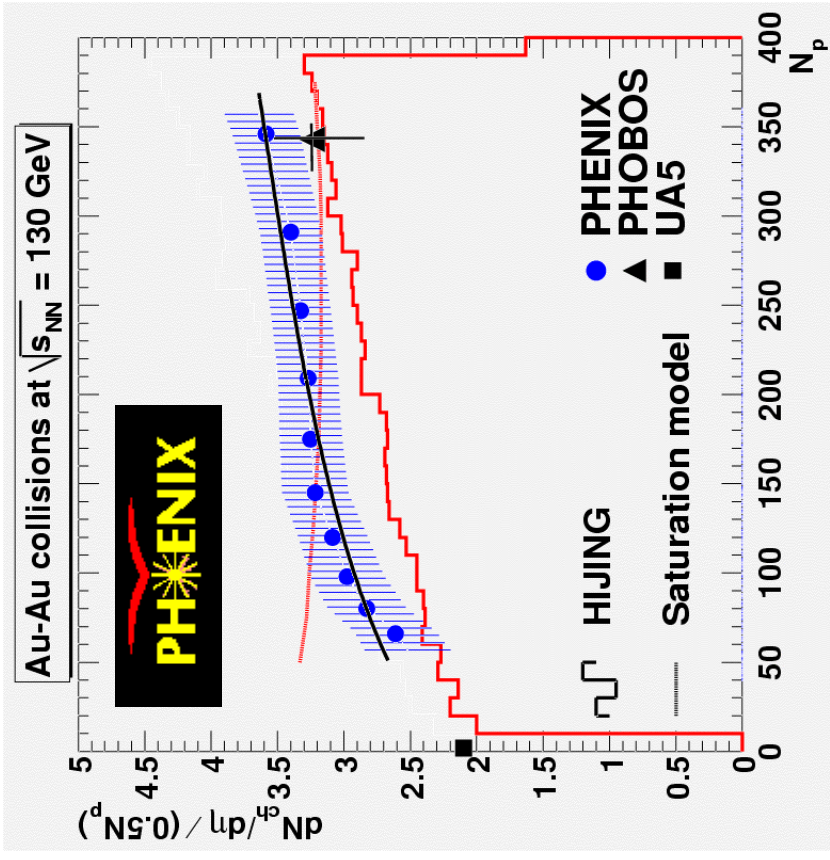
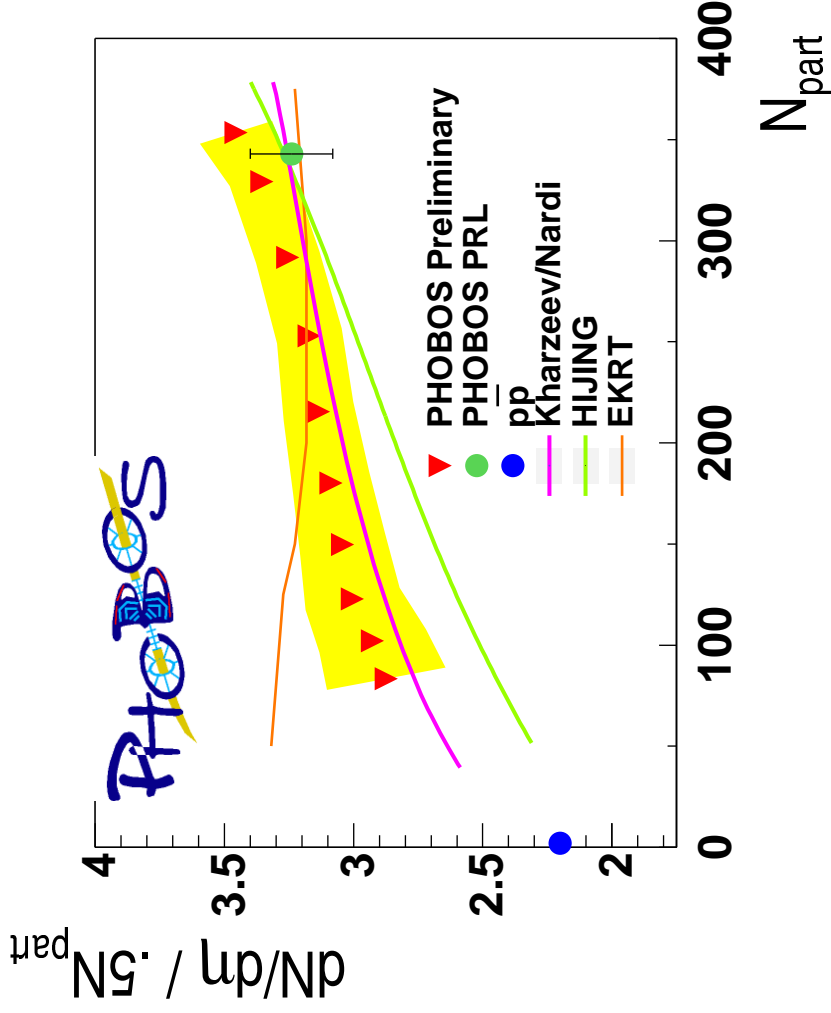
## LEXUS



## AMPT

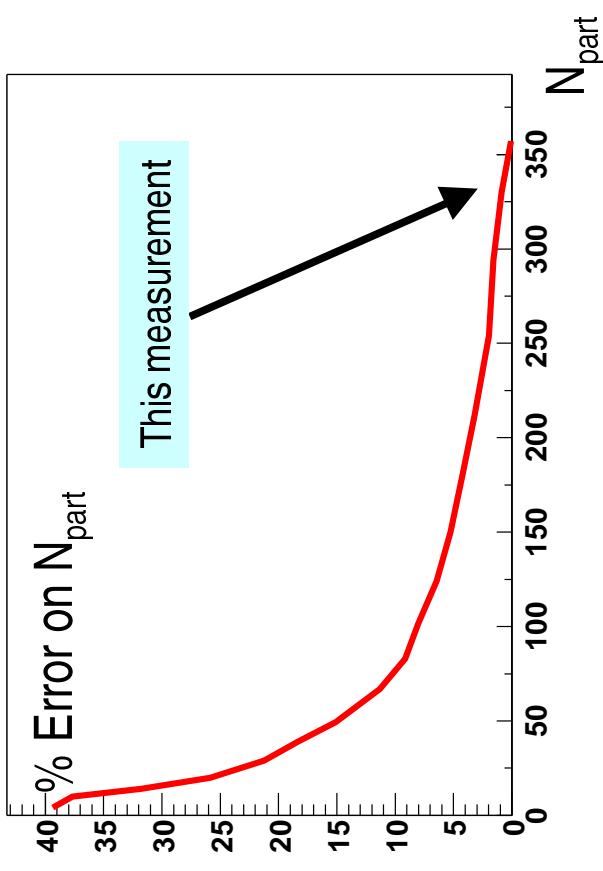
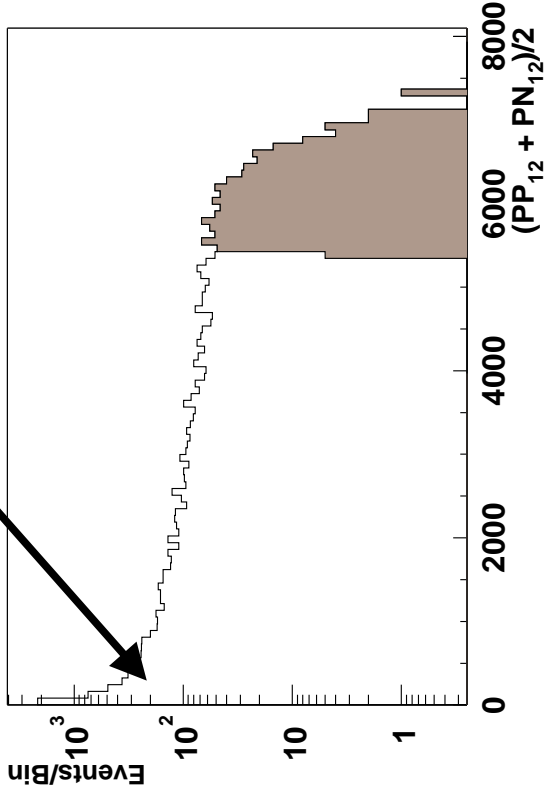


# $dN/d\eta$ vs Centrality at $\eta=0$



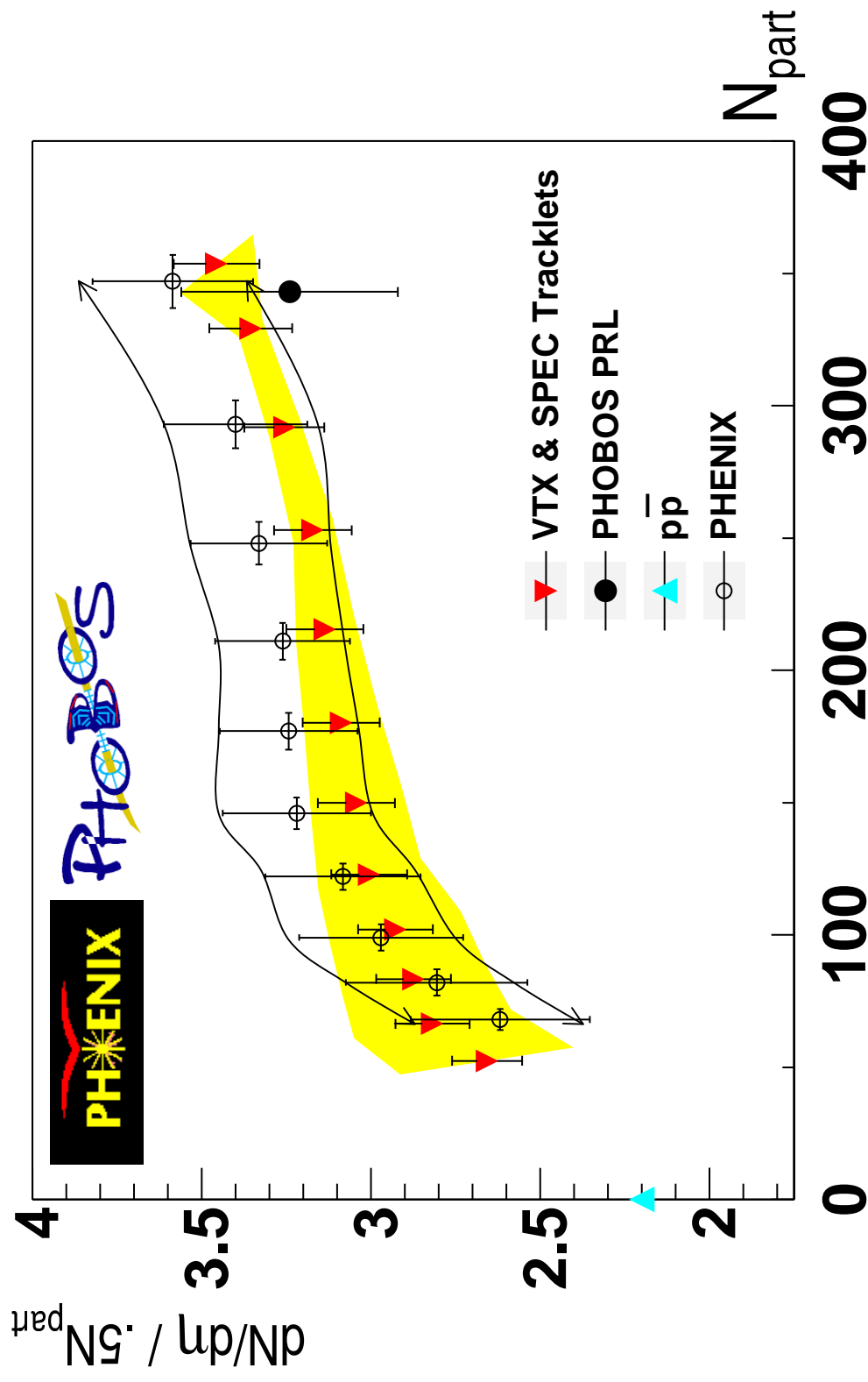
# Uncertainty on $N_{\text{part}}$

- Measurement sensitive to trigger bias
  - “Minimum-bias” still has bias
  - Affects most peripheral events



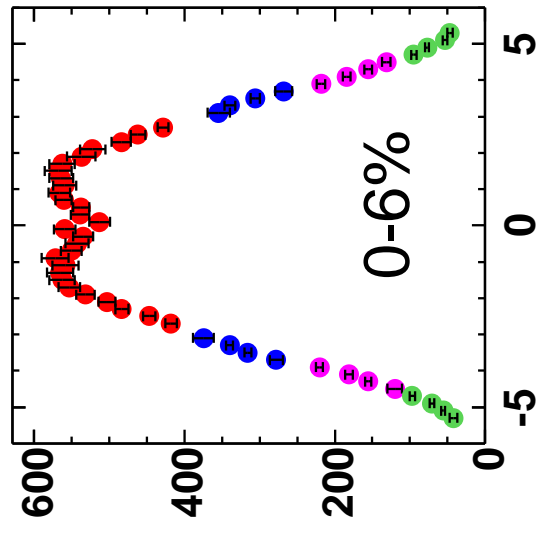
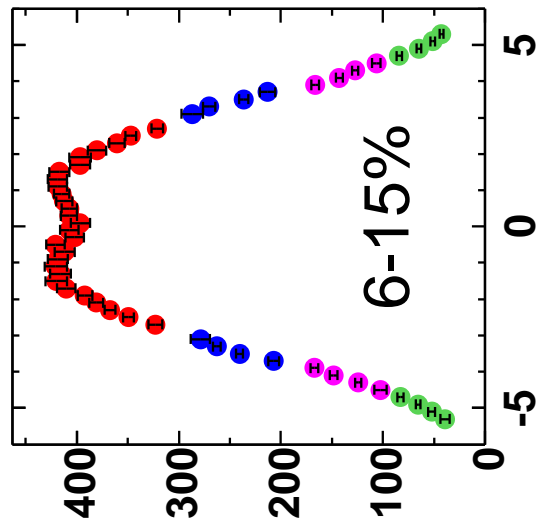
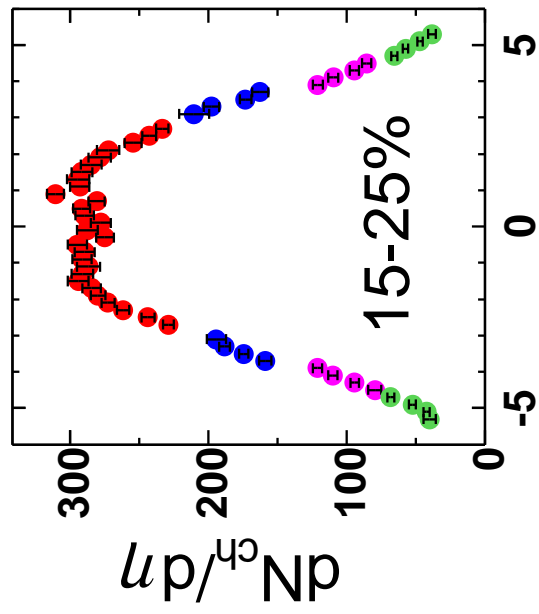
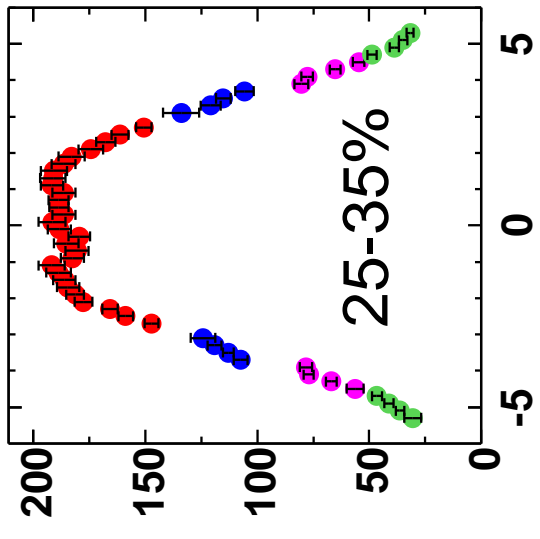
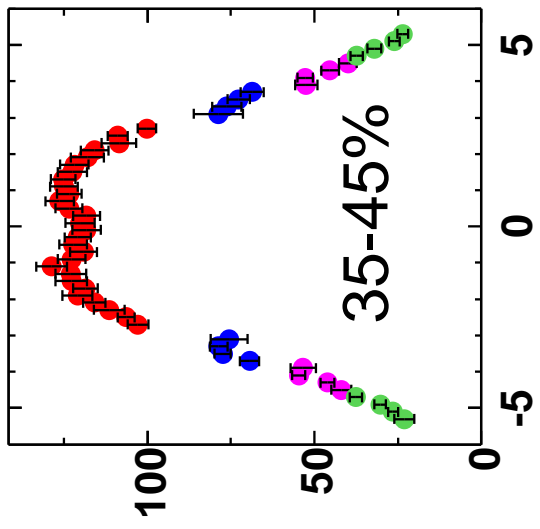
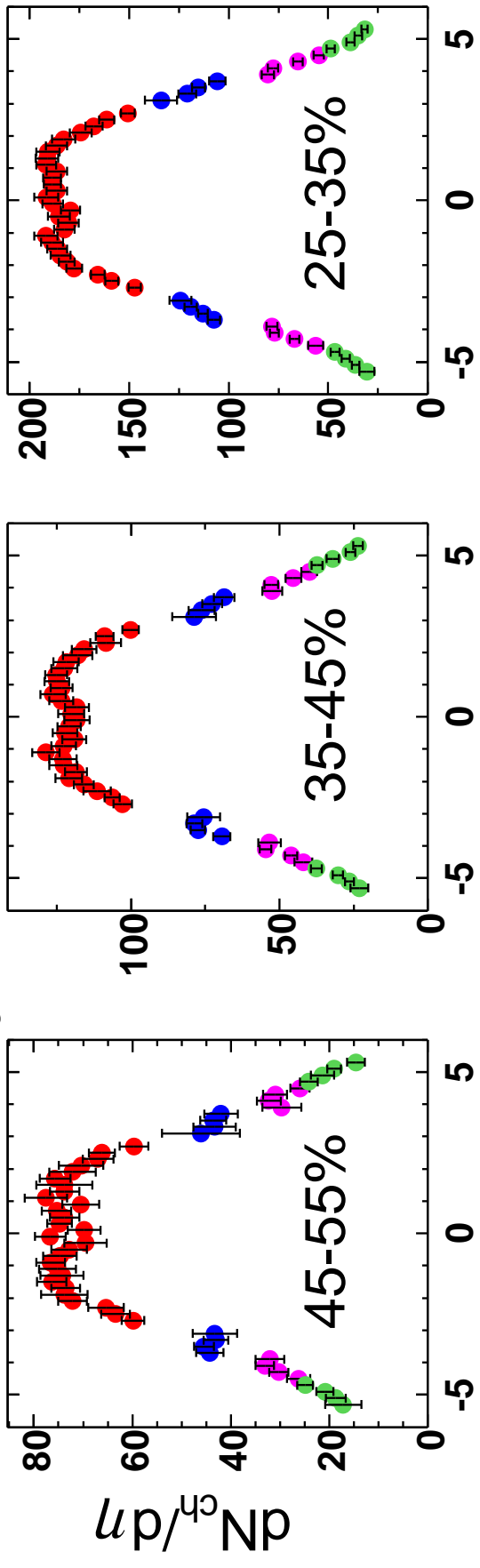
- Estimating 96% when really 90% overestimates  $N_{\text{part}}$
- Creates “pivot point” at central events
- Hard to rule out EKRT...

# PH: OBOS vs. ENIX





# $dN_{ch}/d\eta$ vs. Centrality



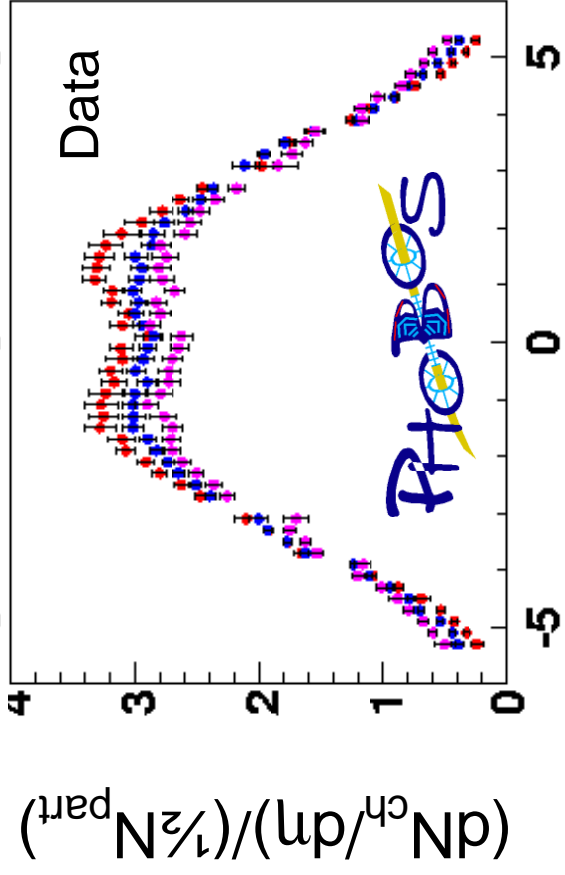
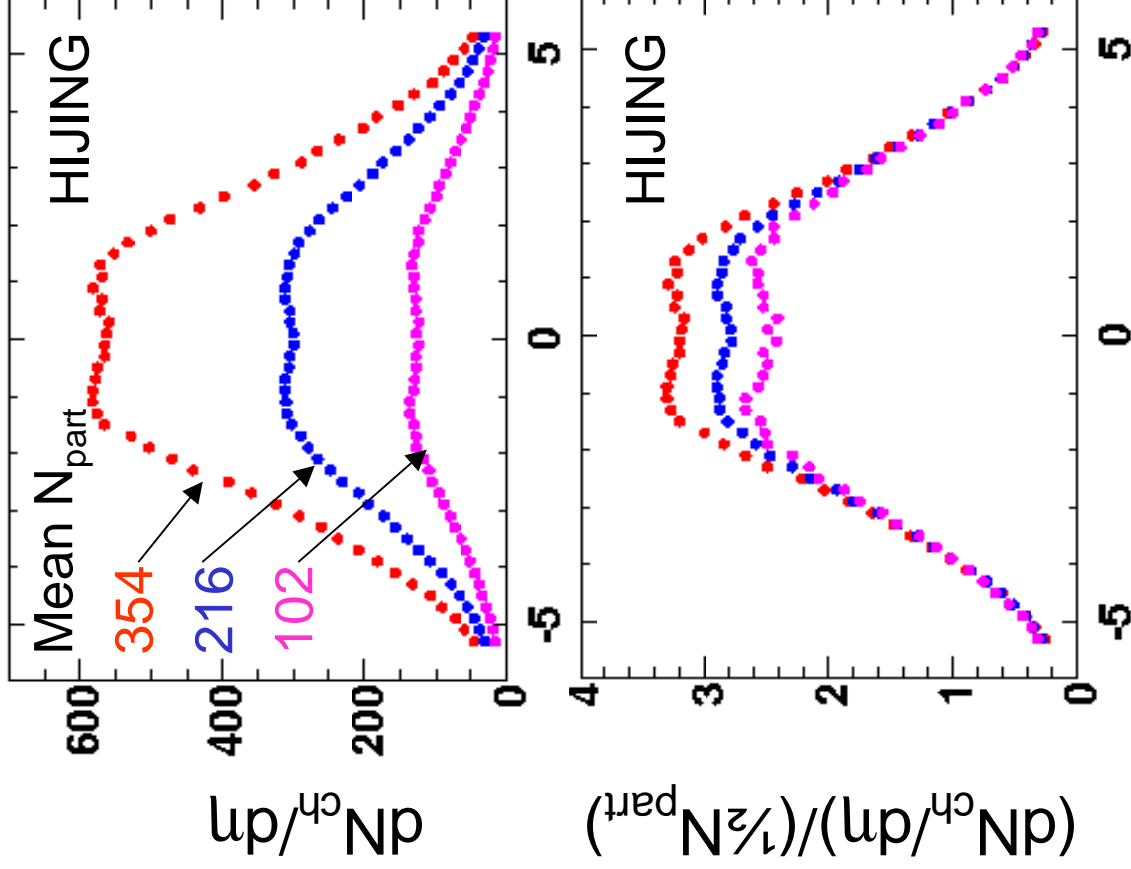
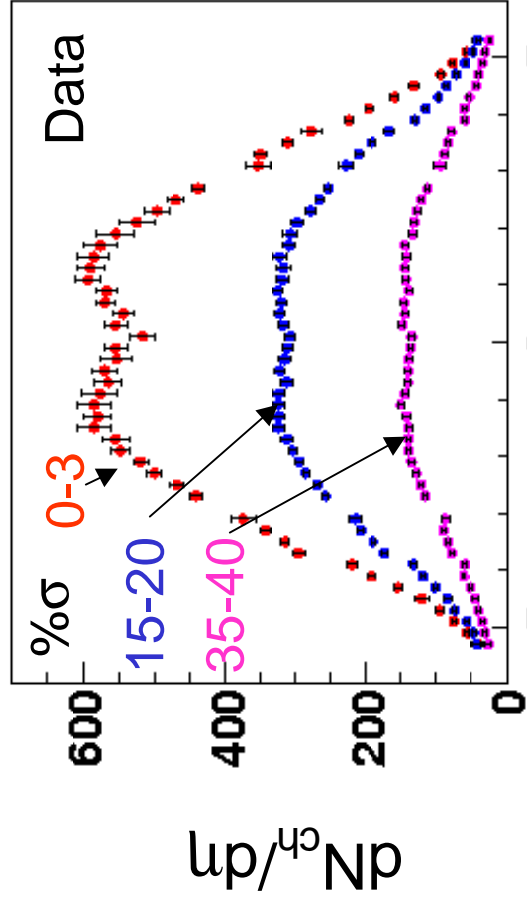
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- Octagon
- Rings
- Rings





# Shapes of $dN_{ch}/d\eta$ for different $N_{part}$

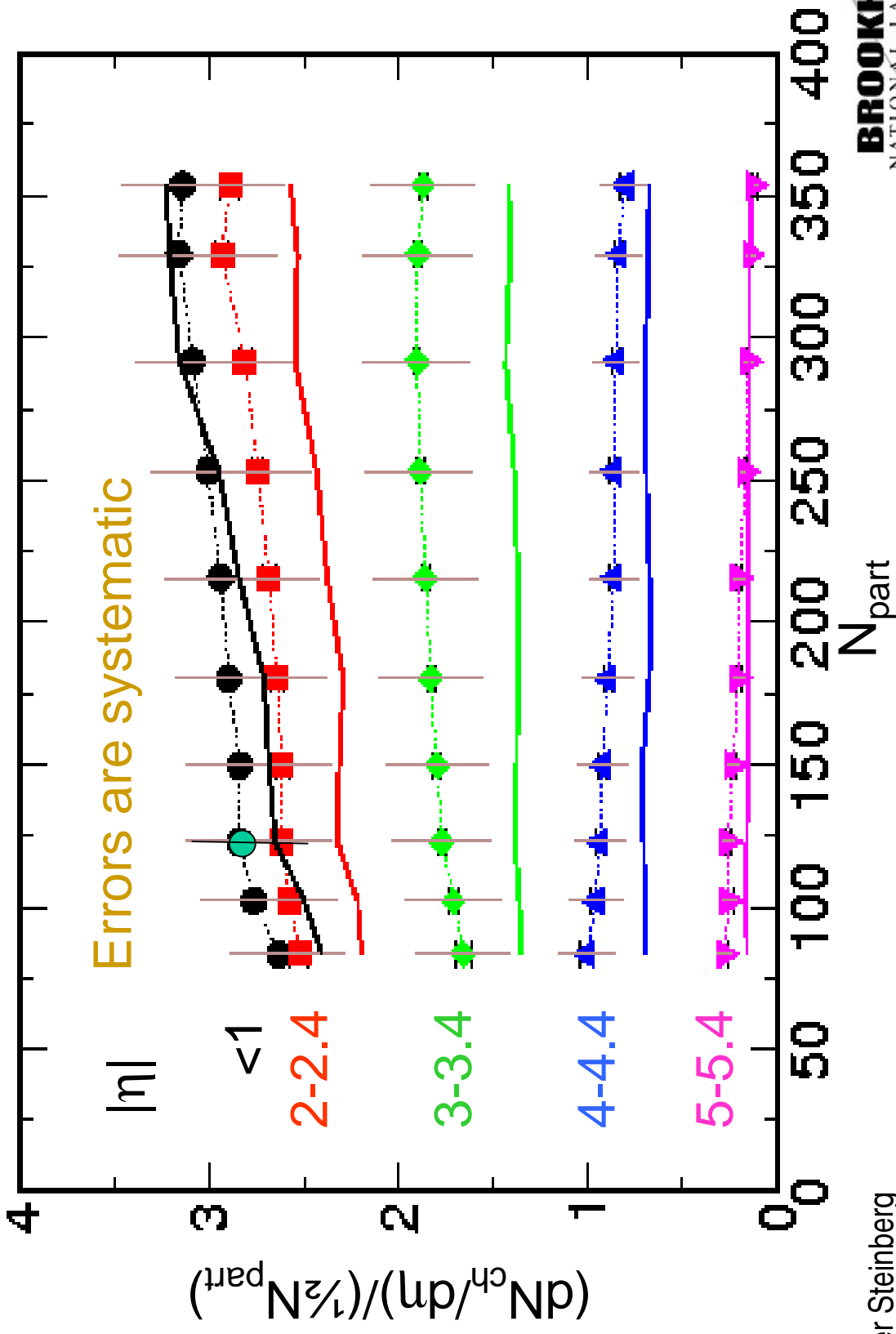


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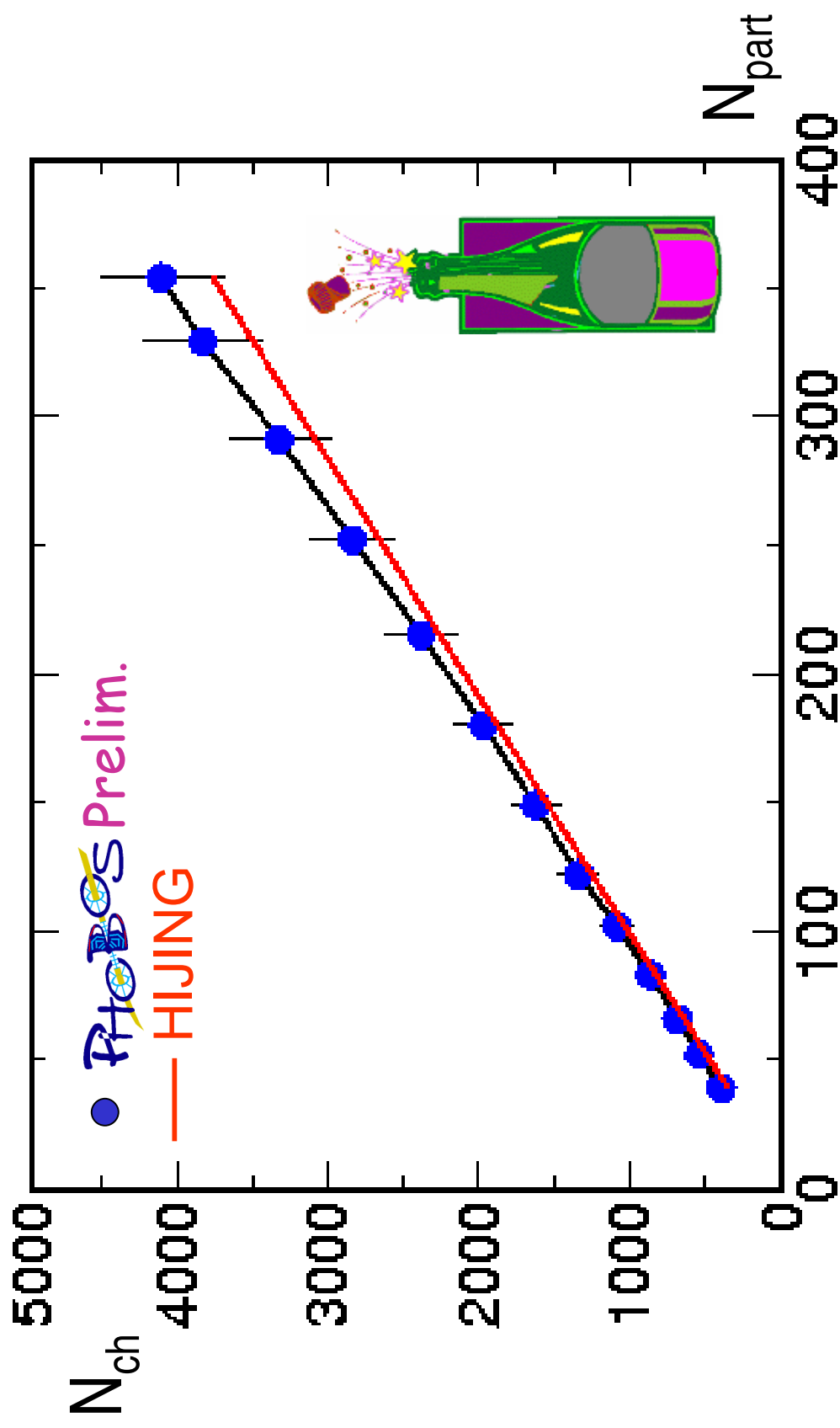
$\eta$  Systematic error  $\pm(10\%-20\%)$

# Centrality dependence of $dN_{ch}/d\eta|_{\eta}$

Symbols: **PHOBOS** Prelim. Solid lines: HIJING



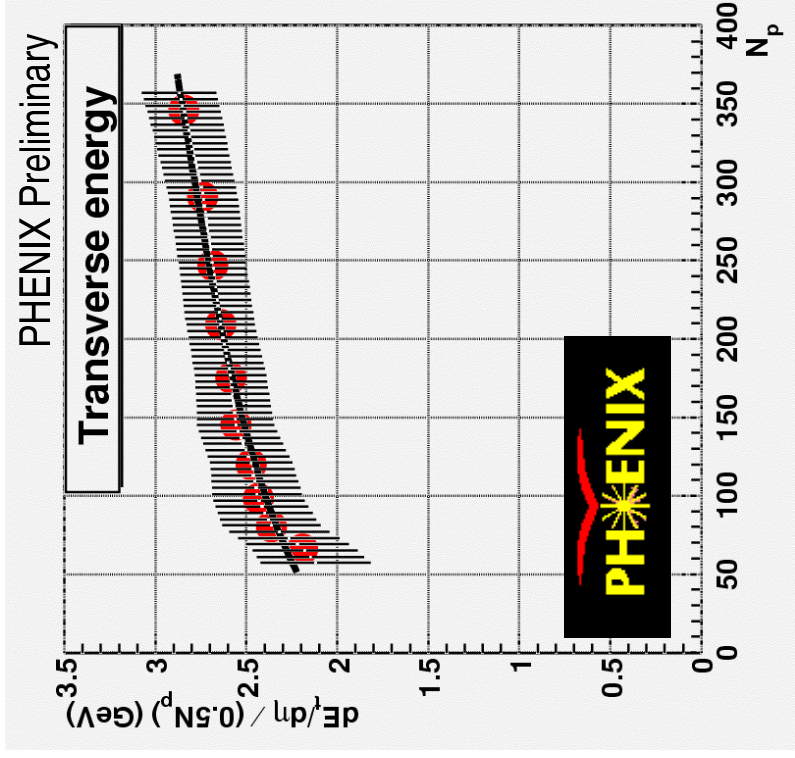
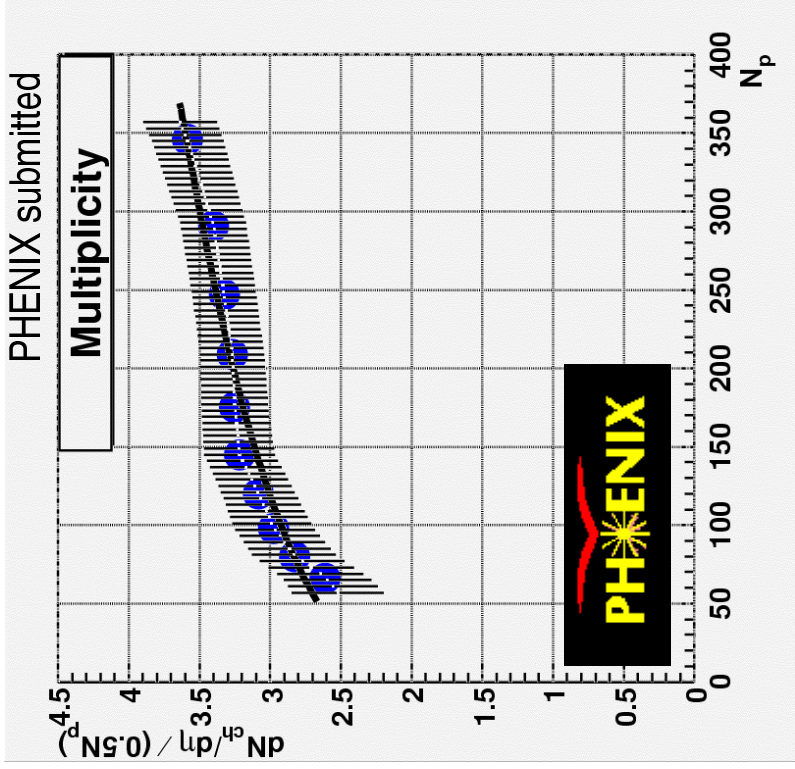
# Total Multiplicity ( $|\eta| < 5.4$ )



# Multiplicity Results

- EKRT, HIJING disfavored by both PHENIX & PHOBOS
- Initial state saturation looks like modified Glauber
  - No way to resolve using  $N_{ch}$  alone
- What about  $E_T$ ?
  - Hydro does  $p$   $dV$  work during longitudinal expansion, decreases  $dE_T/d\eta$
  - Eskola: “ $E_T$  will be more efficient model killer” ...
- So far, few papers predicting  $E_T$ , but surely on the way
  - PHOBOS got 9 in two months after the first paper...

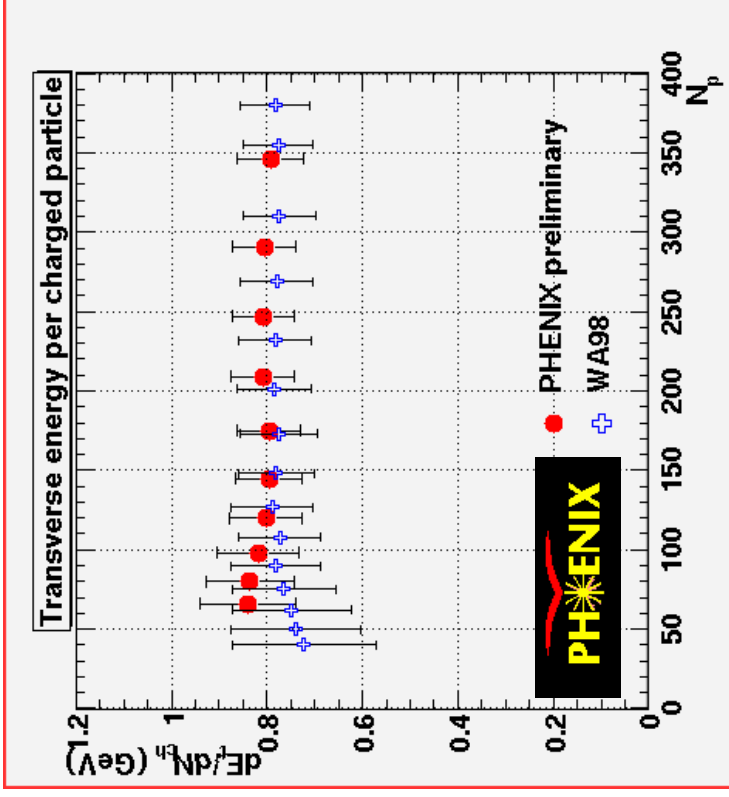
# Centrality dependence of $E_T$



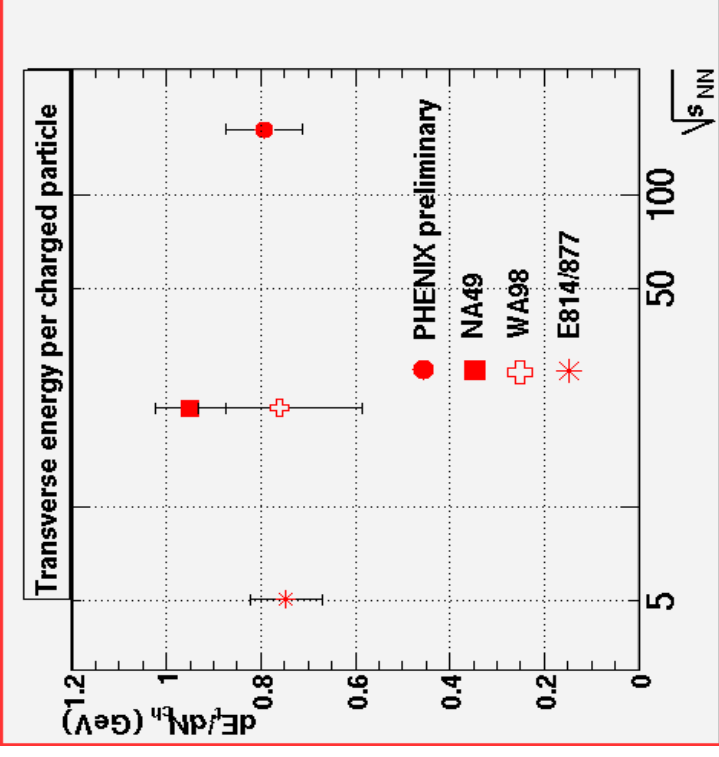
- $E_T$  and charged particles appear to vary in lockstep
- Fits are a modified WNM, possibly allow extraction of fraction of hard production (NB. ambiguities persist...)

# $E_T$ per charged particle

PHENIX Preliminary



PHENIX Preliminary



- Independent of centrality
- Appears to be same as WA98 (@SPS)

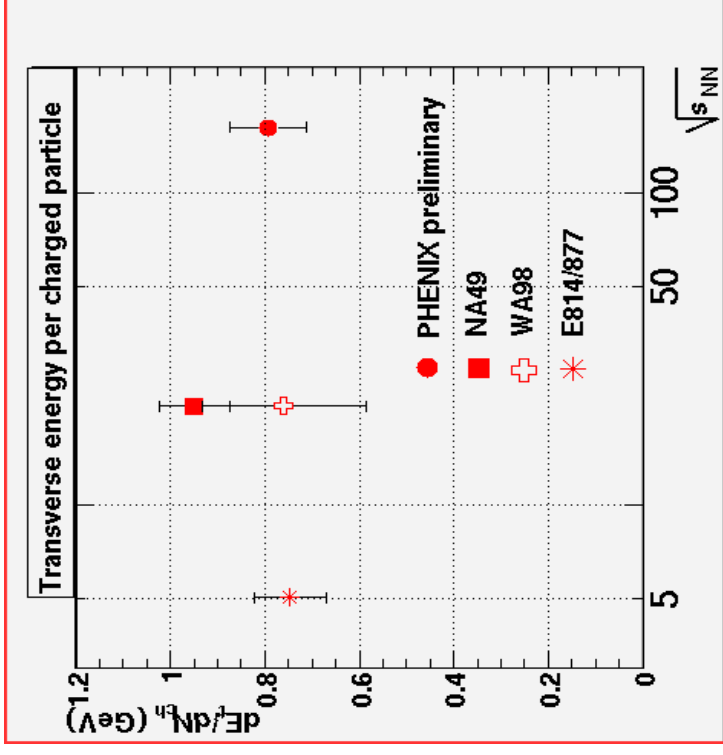
- Energy dependence
- Possible 20% discrepancy betw. NA49/WA98
- Where is the increased  $\langle p_T \rangle$  seen by STAR/PHENIX?

# “So what’s the Energy Density?”

- Sorry, I won’t tell you...
- Implication of PHENIX
  - Constant  $E_T$ /charged particle
  - Energy density (via Bj formula) simply scales with multiplicity!

$$\mathcal{E} = \frac{dE_T}{d\eta} = \frac{dN_{ch}}{\pi R^2 \tau} \frac{E_T}{N_{ch}}$$

- (Even PHOBOS can do it!)
- ~50% higher than SPS...

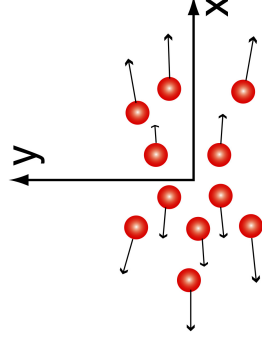
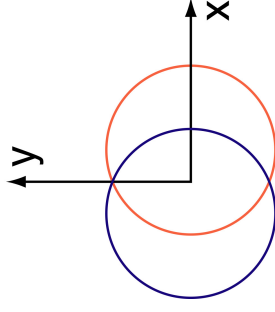


- Ambiguities persist
  - Formation time might be substantially less

# “Flow”

- Radial flow
  - Not seen in angular distributions
  - Use HBT, spectra  
( $T = T_o + m\langle\beta^2\rangle - Nu Xu$ )
- Directed flow
  - Forward rapidities
  - Not measured yet
    - Sensitivity estimated at PHOBOS/STAR
  - Interesting predictions for phase transition...

- Elliptic flow
  - Early time push, hydrodynamic evolution
  - Strongest at midrapidity



$$v_2 = \langle \cos 2\phi \rangle$$

$$\varepsilon = \frac{\langle y^2 - x^2 \rangle}{\langle y^2 + x^2 \rangle}$$

$$\phi = \text{atan} \frac{p_y}{p_x}$$



# $v_2$ from azimuthal correlations

- Method used by PHENIX



0-5%

$$C(\Delta\phi) = \frac{R(\Delta\phi)}{B(\Delta\phi)}$$

- Similar information content as Fourier method

$$C(\Delta\phi) \sim 1 + v_2^2 \cos(2\Delta\phi)$$

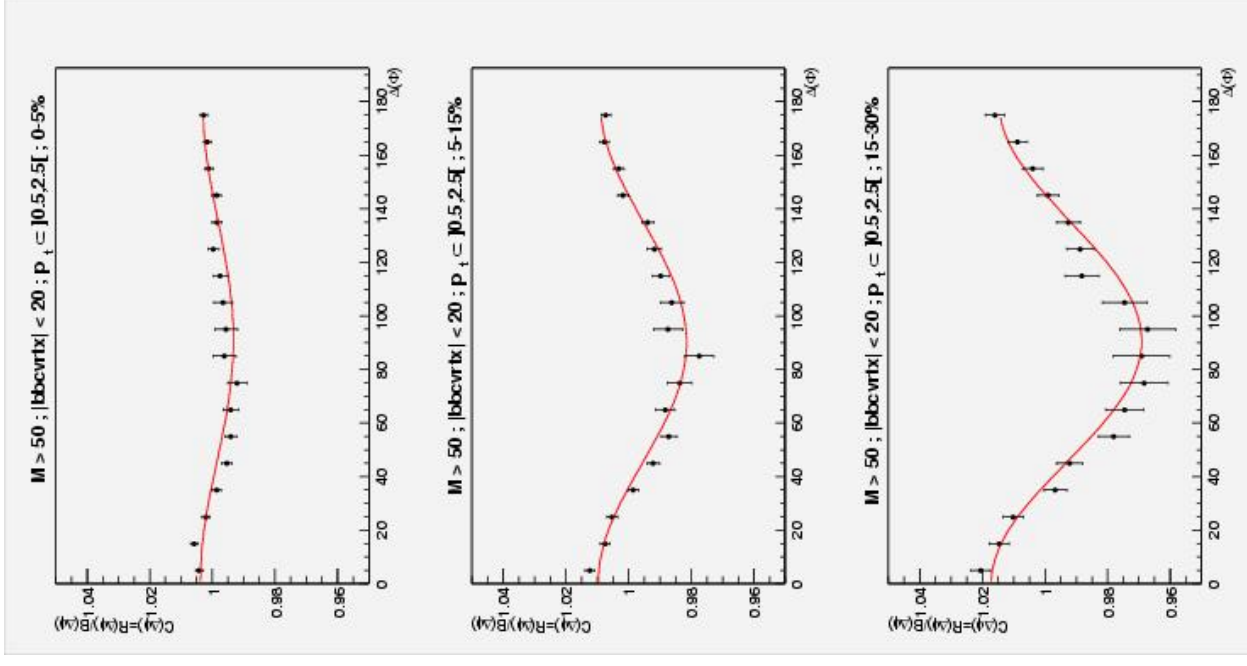
5-15%

- OK for partial acceptance
- Sensitive to other correlations
  - Jets (at  $180^\circ$ ), HBT (at  $0^\circ$ )

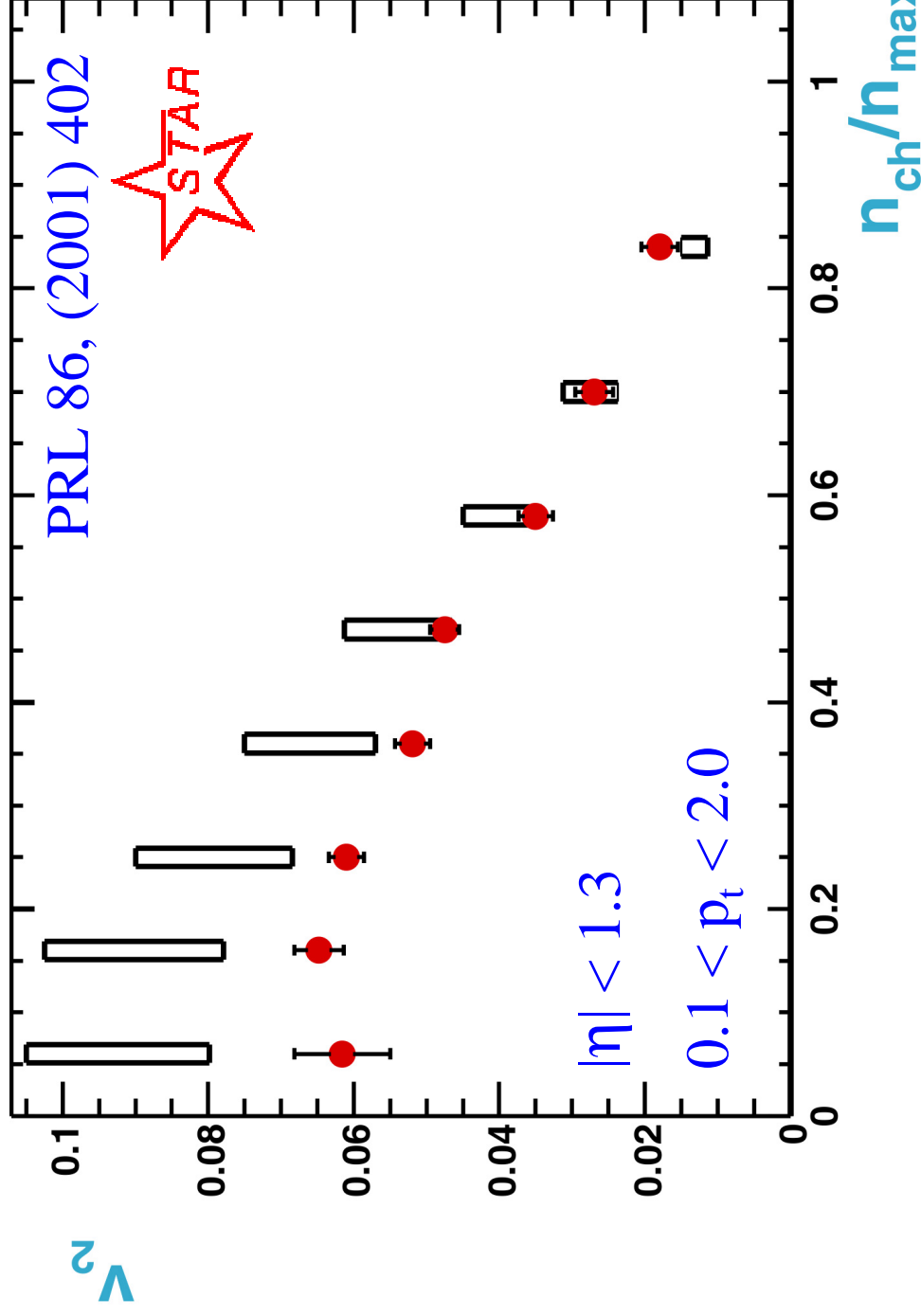
➤ But is that bad?

- CERES data

15-30%

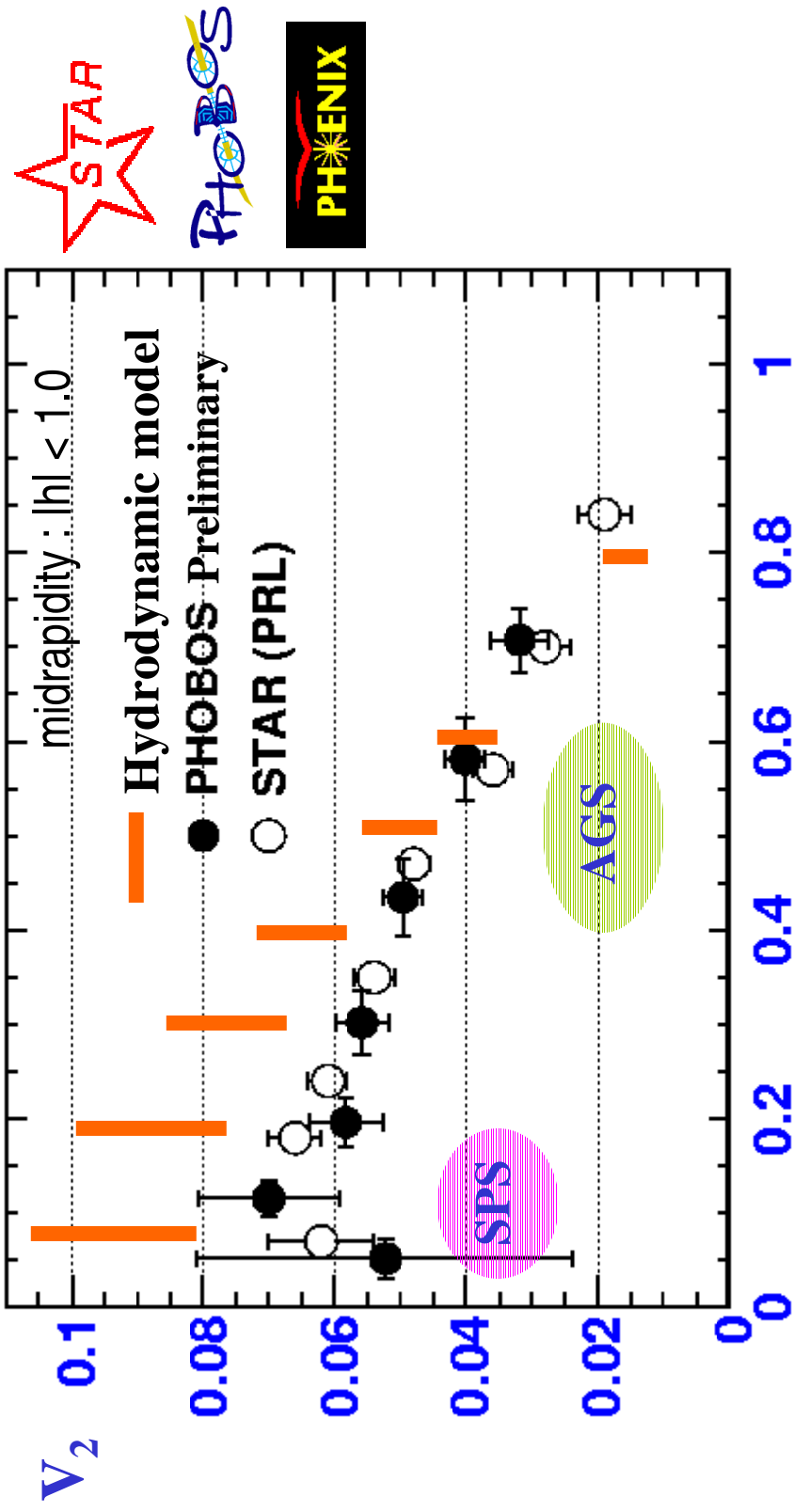


# $v_2$ versus centrality

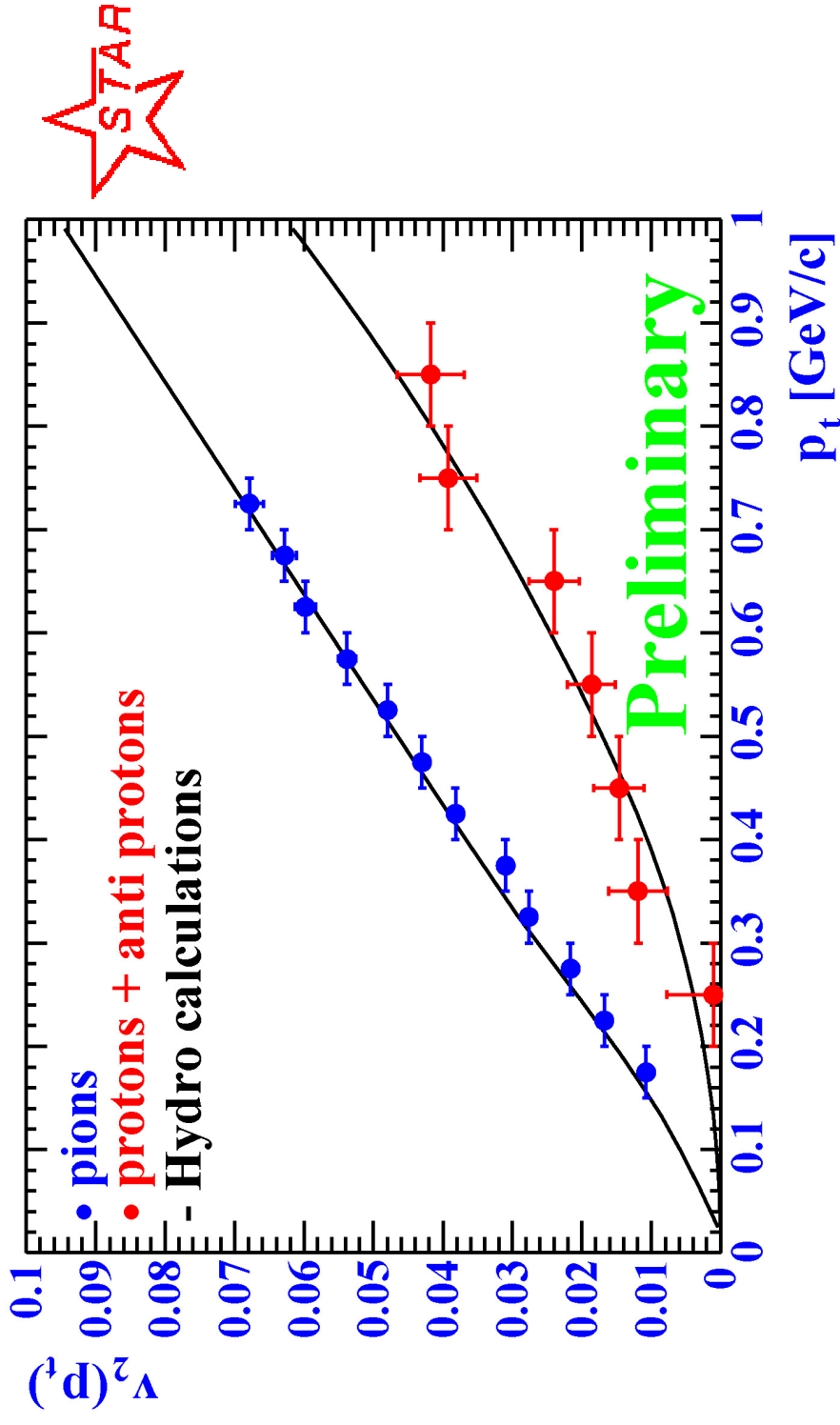


- Boxes show “initial spatial anisotropy”  $\epsilon$  scaled by 0.19-0.25

# Centrality Dependence

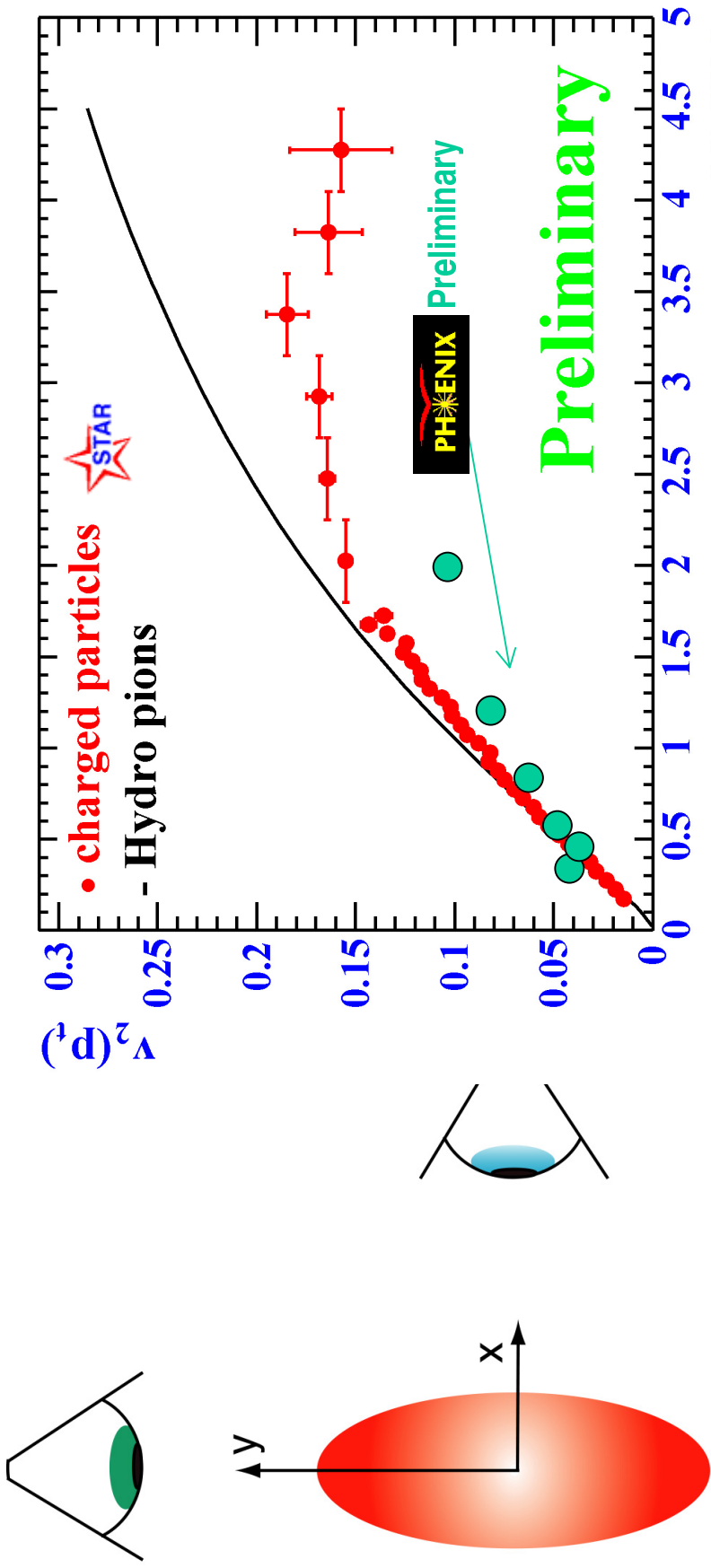


# $p_T$ dependence for $\pi, p$



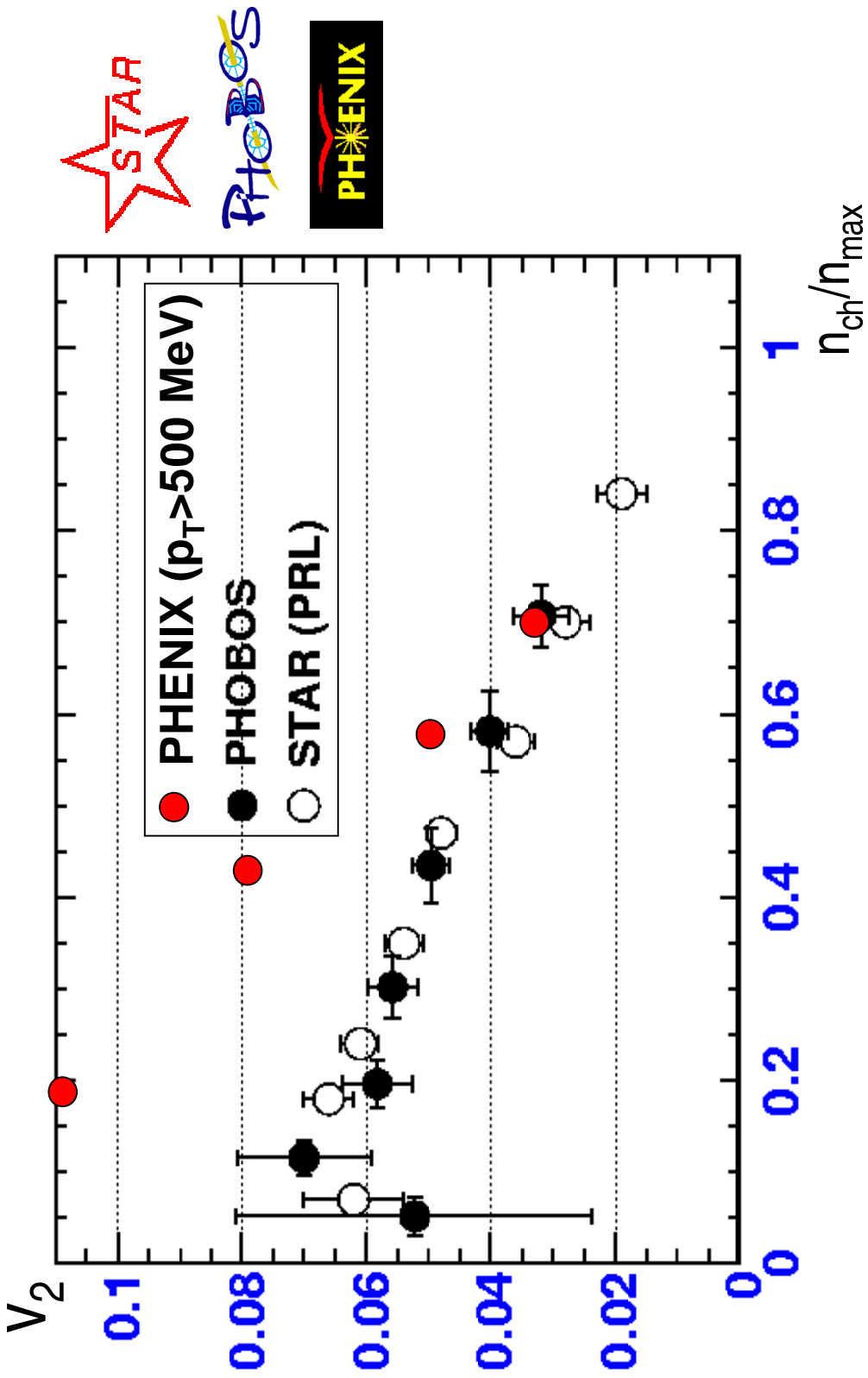
- Hydro calculations: P. Huovinen, P. Kolb and U. Heinz

# $v_2$ at high $p_T$

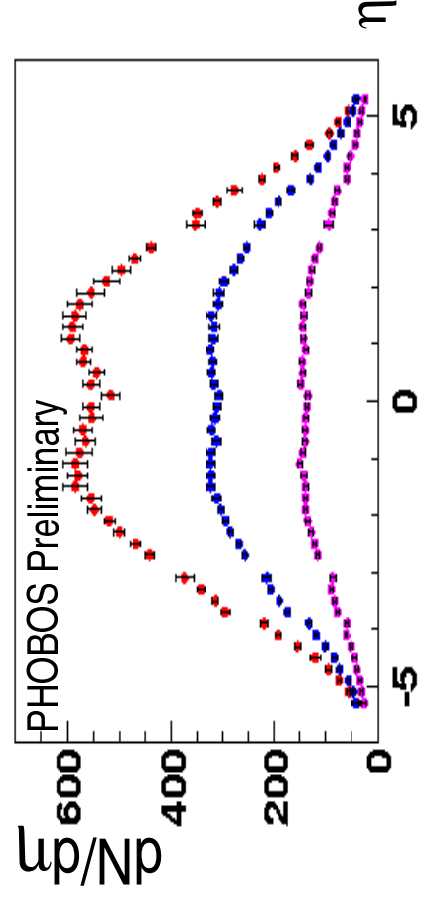
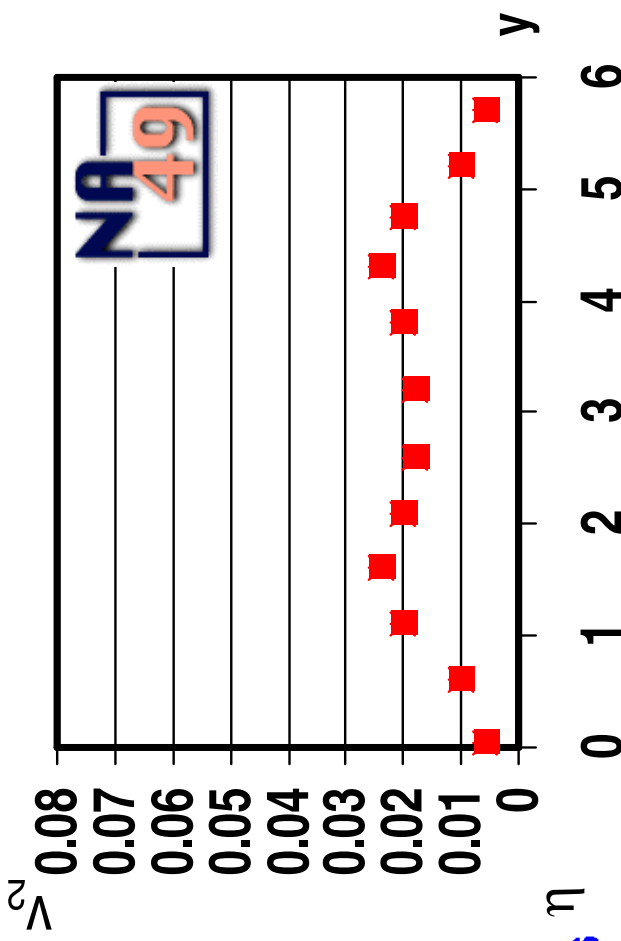
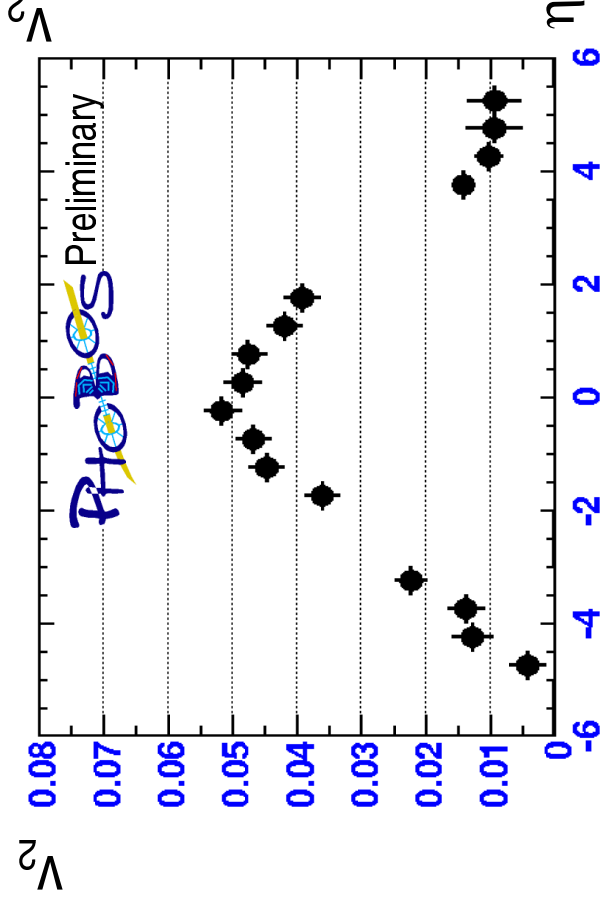


- Hydro fails at large transverse momentum
- Possible interpretations suggested by jet quenching (wait for A. Drees talk)
- However, perhaps composition is a critical part of this effect....

# Comparison of all $v_2$ results



# $v_2$ vs. (pseudo)rapidity



- NA49 ( $y$ ), PHOBOS( $\eta$ ) (mainly pions)
- Different shape at midrapidity
- PHOBOS shape similar to  $dN/d\eta$ !
  - Low-density limit??  $v_2 \sim \epsilon \frac{dN}{dy}$
- However,  $v_2$  appears to fall faster than multiplicity

# Conclusions