

Instruments for x- and γ -ray astronomy

Detecting x- and γ -rays

Detectors

Gas-filled detectors

Scintillators

Semiconductors

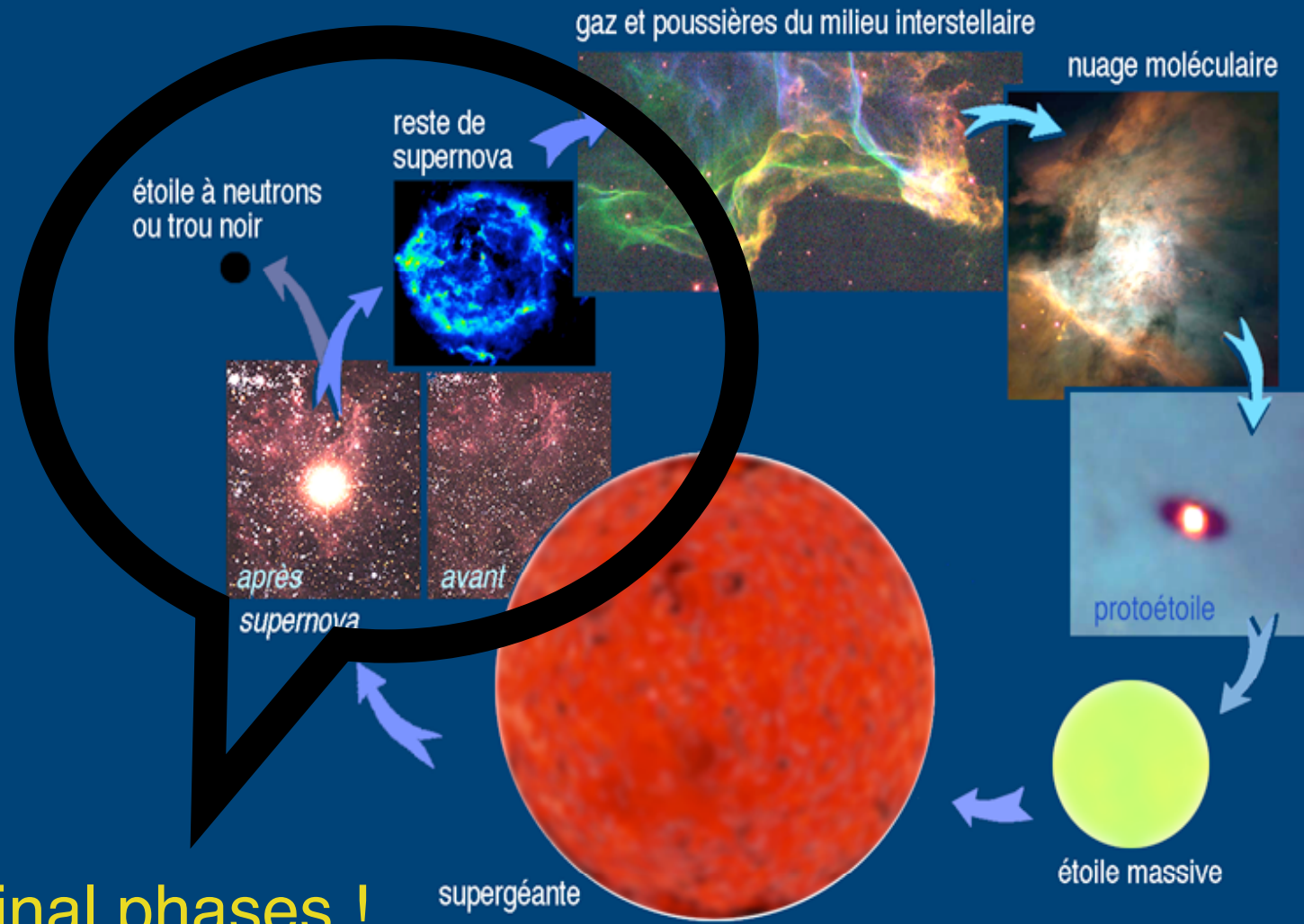
Telescope systems

geometric optics

quantum optics

wave optics

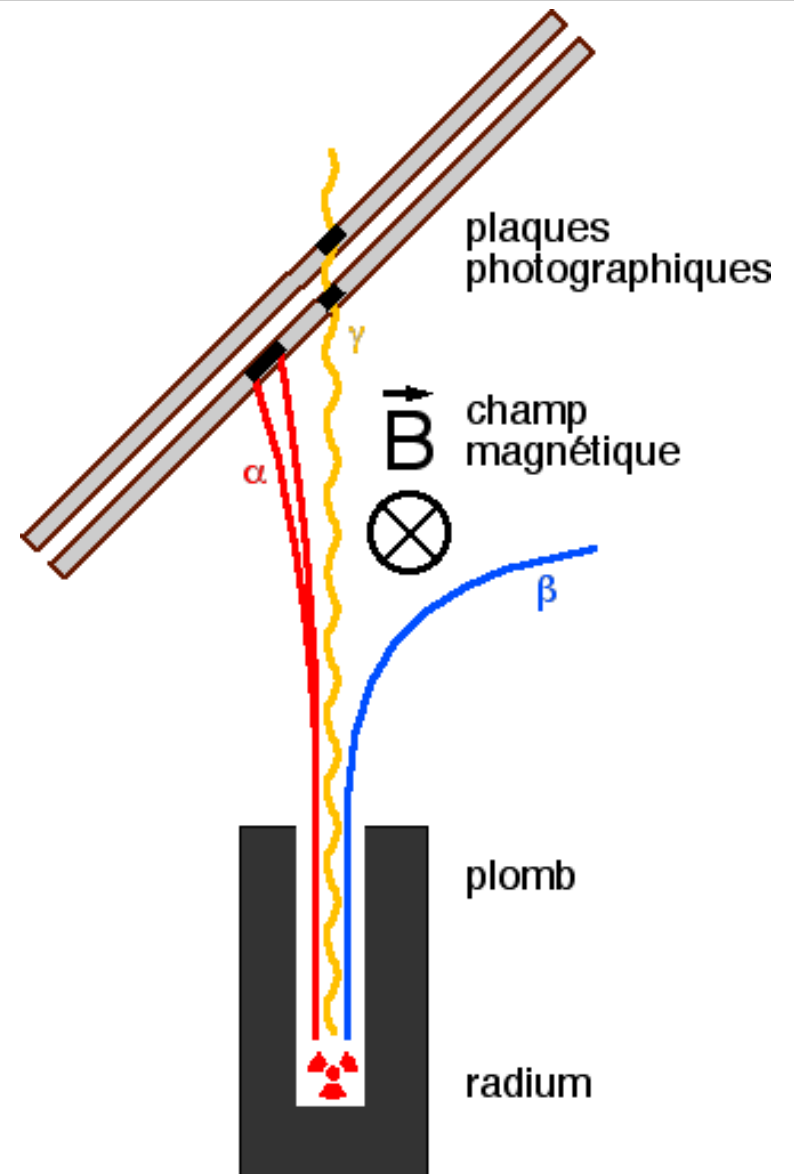
Life cycle of matter



final phases !

Who's missing ?

IR	Herschel	1800
UV	Ritter	1801
radio	Hertz	1886
X	Röntgen	1895
γ	Villard	1900



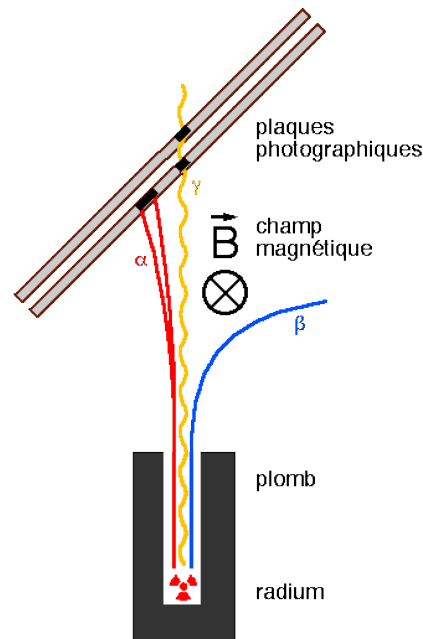
Session de l'Académie des Sciences du 9 avril 1900



PHYSIQUE. — *Sur la réflexion et la réfraction des rayons cathodiques et des rayons déviables du radium* (¹). Note de M. P. VILLARD.

» Les rayons émis par un petit tube de verre rempli de matière active passaient par une ouverture rectangulaire de 6^{mm} de largeur, pratiquée dans une barre de plomb, et traversaient un champ magnétique. Une plaque photographique 13 × 18, disposée sous une incidence presque rasante, enregistrait les trajectoires : dans ces conditions, on observe que les rayons admis dans le champ se divisent en deux groupes distincts, entièrement séparés après un trajet de quelques centimètres.

» L'un de ces groupes est dévié dans le sens prévu; l'autre, formé par les rayons non déviables, se propage rectilignement dans toute la longueur de la plaque. Ce faisceau non dévié est assez pénétrant pour impressionner, à 25^{cm} de distance, une plaque sensible protégée par plusieurs feuilles de papier noir et une lame d'aluminium; on peut même lui faire traverser une lame de plomb de 0^{mm}, 2 d'épaisseur.



» Les résultats complexes que j'avais observés s'expliquent donc sans difficulté : le faisceau qui, dans mes expériences, traversait sans se réfracter la lame d'aluminium inclinée, correspond aux rayons non déviables : l'expérience a en effet montré qu'il est insensible au champ magnétique. Les rayons déviables, au contraire, se comportent comme les rayons cathodiques et émergent normalement à la lame traversée (²).

» Je me propose de reprendre ces expériences avec des rayons déviables purs.

» Les faits précédents conduisent à admettre que la partie non déviable de l'émission du radium contient des radiations très pénétrantes, capables de traverser des lames métalliques, radiations que la méthode photographique permet de déceler. »

Telescope systems



aperture

antenna
mirror
lens
Compton D1 detector
hodoscope
non / 4π

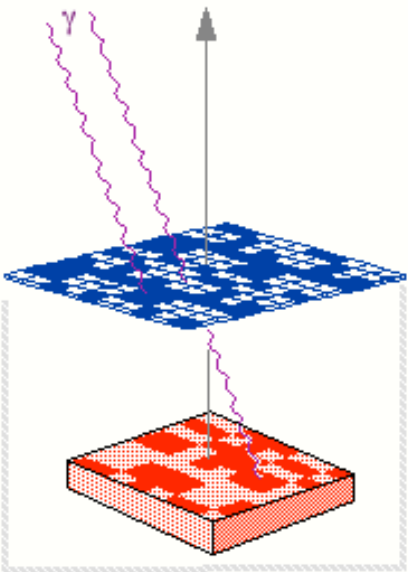
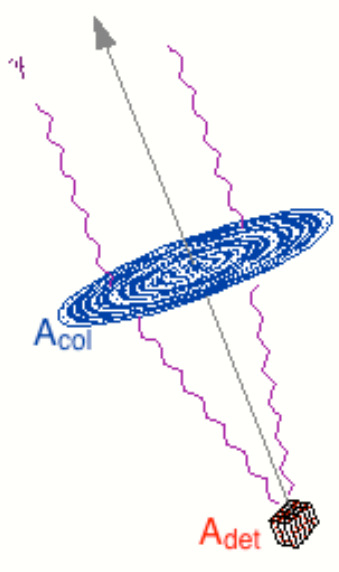
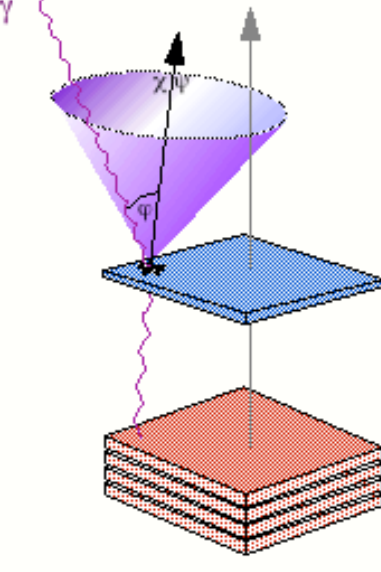
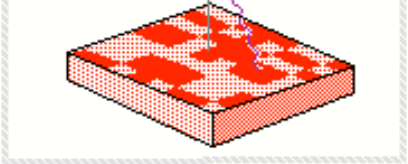

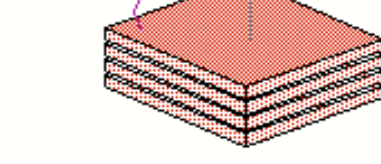


detector

coherent detection
bolometer
photovoltaic
film
photon counter

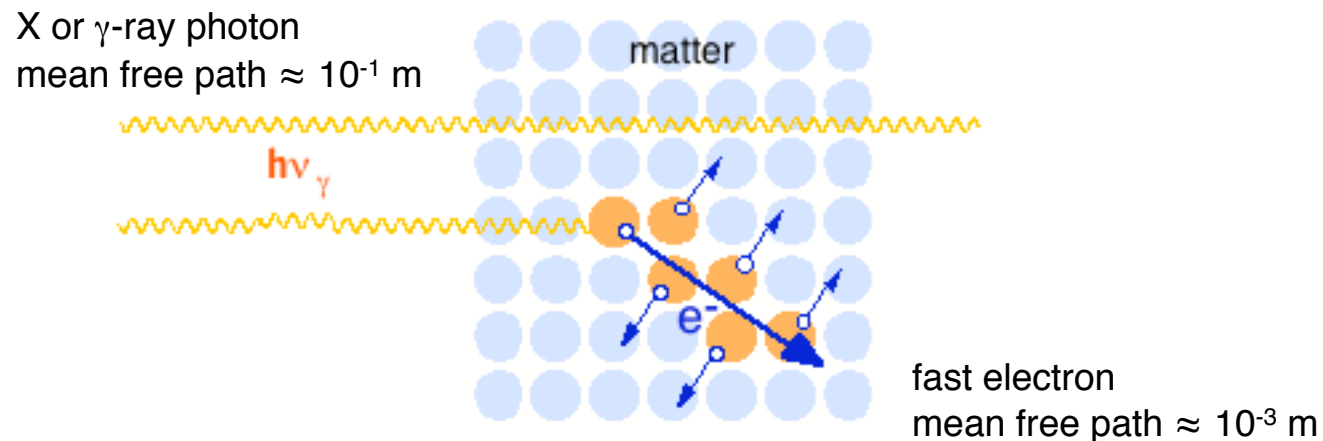
Instrument concepts in nuclear astrophysics

The instrumental categories in nuclear astrophysics reflects our current perception of *light* itself.

	geometric optics absorbtion	wave optics coherent scattering	quantum optics incoherent scattering
aperture			
detector			
	e.g. Coded mask telescopes	e.g. crystal lens telescopes	e.g. Compton telescopes

Detecting x- and γ -rays

I **conversion** : Gamma-rays do not interact with matter unless they undergo a “catastrophic” interaction. In all cases of practical interest, Gamma-rays are detected by their production of secondary electrons.



II **ionization** of detector medium by fast electrons \rightarrow creation of large number of charge carriers

III **collection** (reconversion) of detector signal, current amplification and conversion by an ADC

Detecting x - and γ -rays

Gas-filled detectors

- Ionization chambers
- Proportional counters
- Geiger counters

Scintillators

- Scintillators
- Photomultipliers
- Spectral resolution : scintillators vs semiconductors

Semiconductors

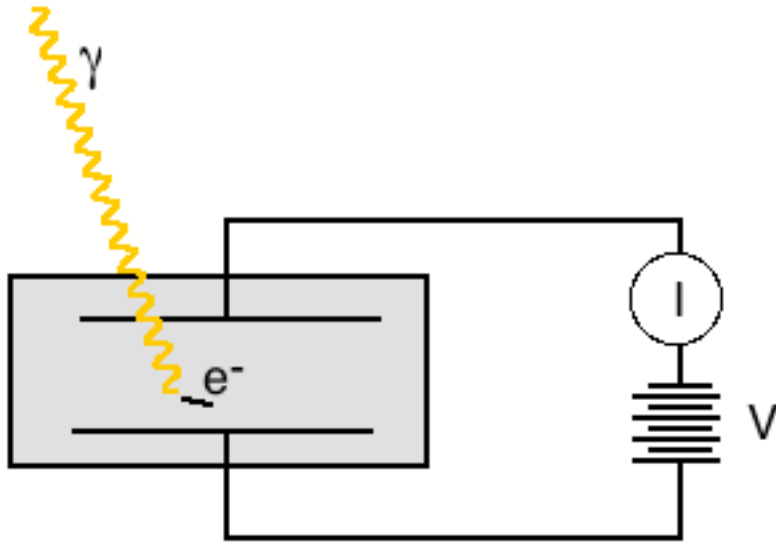
- Narrow gap / low temperature semiconductors
- Wide bandgap / high temperature semiconductors
- Examples

Detectors at ultra-low temperatures

- Bolometers
- Phonon-detectors

Gaz-filled detectors

Ionization chambers, Proportional counters, Geiger counters



creation of n_0 ion pairs (free electron and positive ion)

$$n_0 \approx E_\gamma / W \quad (\text{e.g. } N \approx 30000 \text{ for a 1 MeV gamma-ray})$$

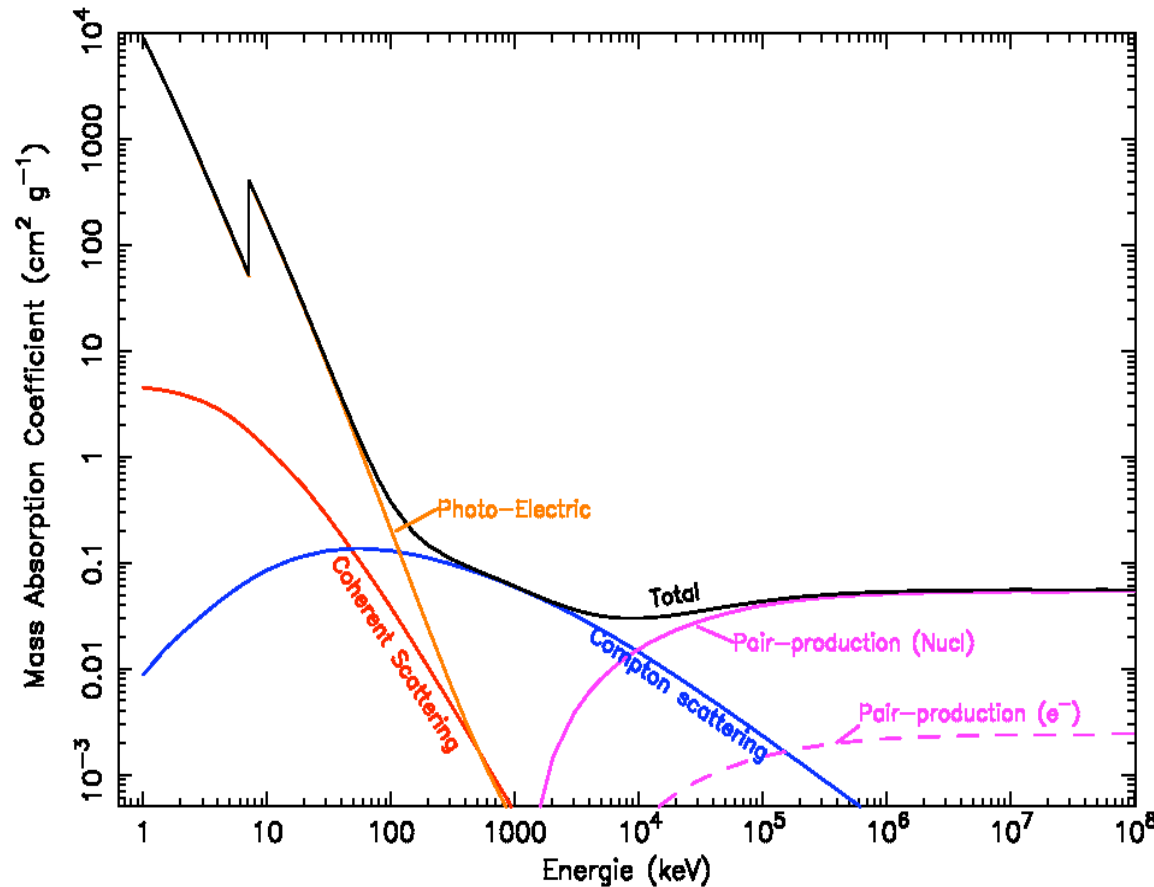
E_i ionization energy (least tightly bound e) $\approx 10 - 20$ eV

W average energy required to produce ion pair $\approx 30-35$ eV

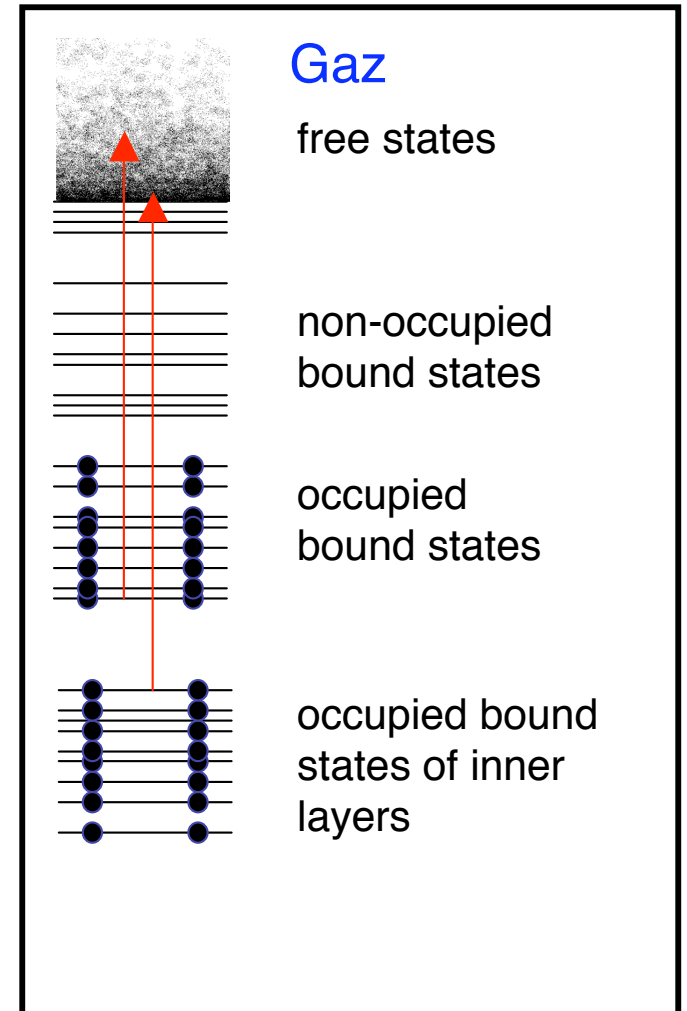
$$E_\gamma \sim n_0 \quad (\text{for } W \text{ independent of } E_\gamma)$$

Gaz detectors

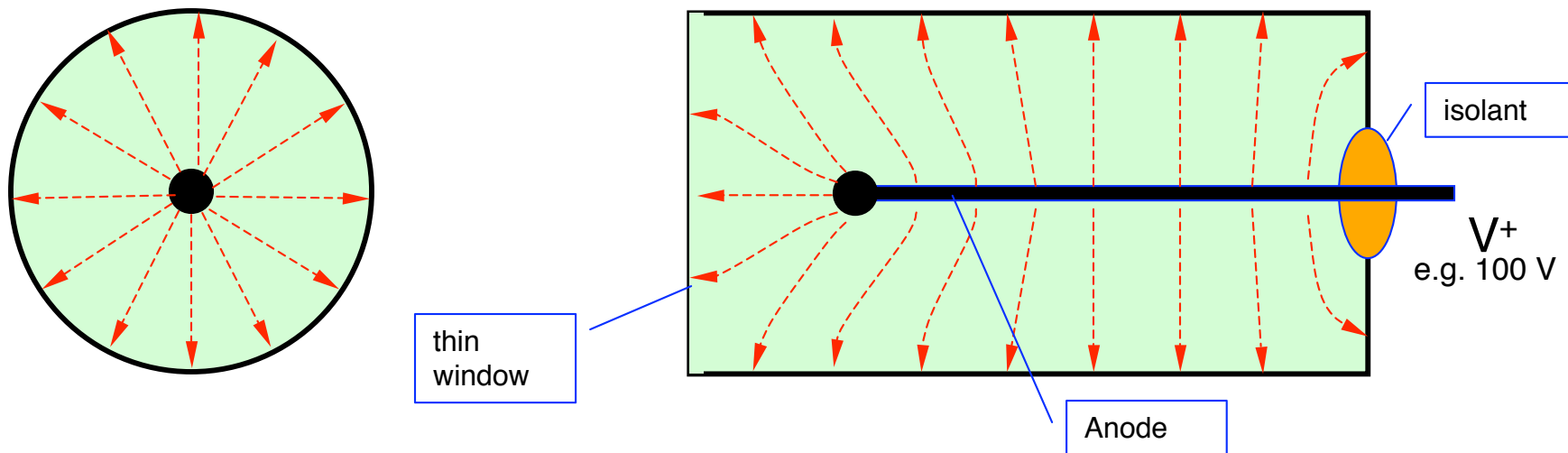
X- et Gamma-ray absorption en Fe



x rays :
photoelectric absorption is most likely



Gaz-filled detectors



with enhancing electric field ... recombination of electrons and ions is overcome :

ionisation chambers

- all charges created by direct ionization are collected
- usually operated in current mode (radiation dose meas.)

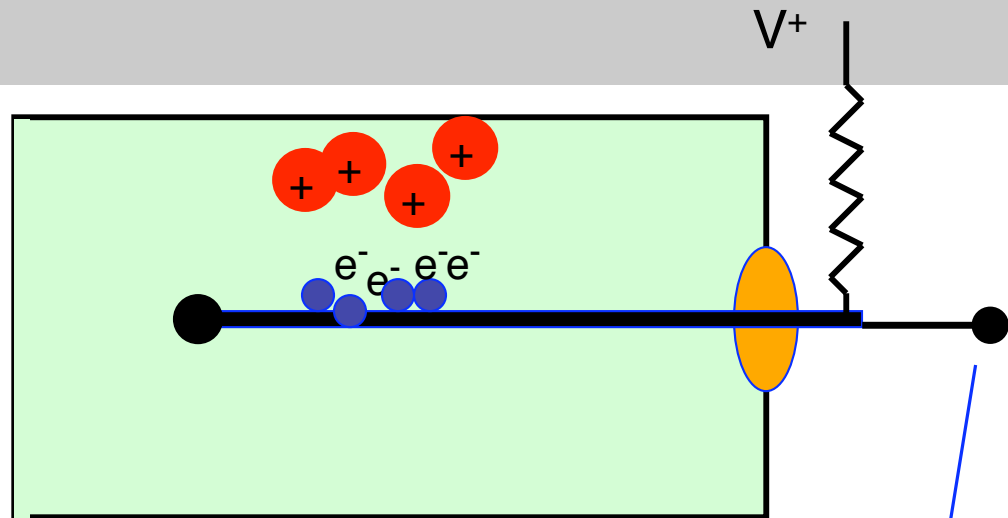
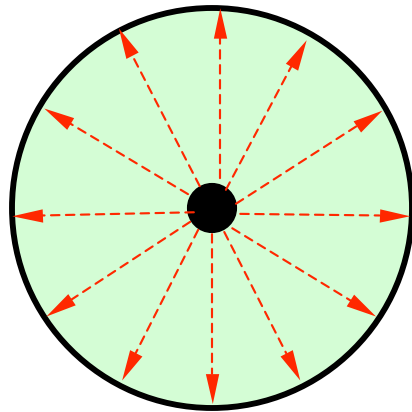
proportional counters

- gas multiplication of directly ionized charge
- amplified charge proportional to incident photon energy

Geiger counters

- gas multiplication by typically 10^6 to 10^8

ionisation chambers

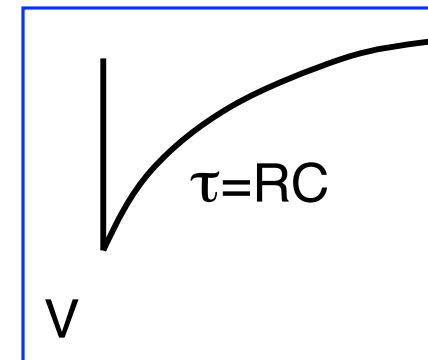


e- drift towards anode (quick)
ions drift towards cathode (less quick)

while large photon fluxes will generate a current,
photons arriving one by one => series of pulses (charge $dq = h\nu/W$)

the capacity of the detector being C , pulses of $dV=dq/C$ will be produced

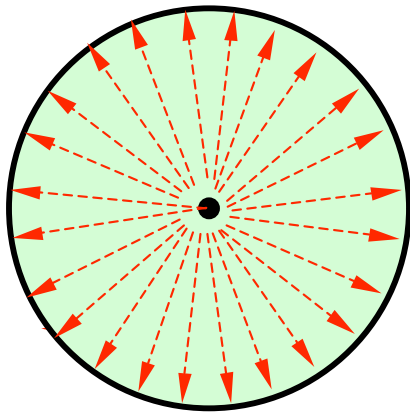
after every pulses there is an exponential recovery with a characteristic time of RC
where RC is the resistance in serie with the HV supply.



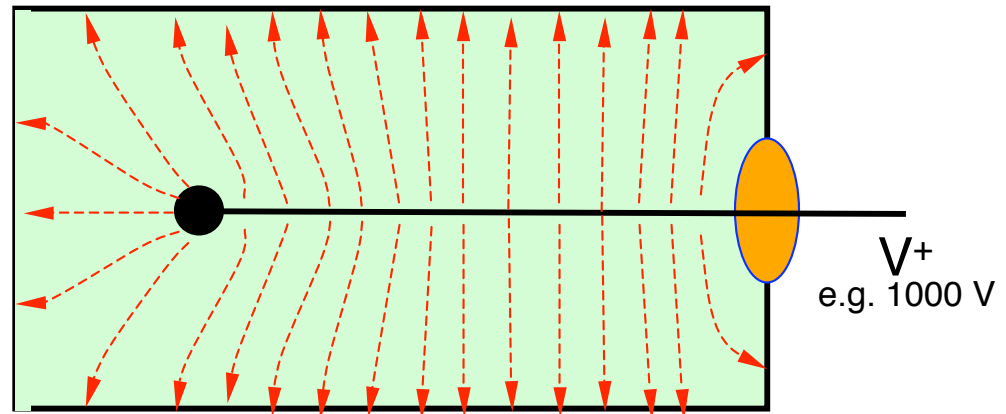
Proportional Counters

ionisation are rarely used as radiation detectors in high energy astronomy

proportional counters have spectroscopic capabilities



very similar, but
- thinner node
- higher voltage



as a consequence
=> high electric field close to the anode
=> e⁻ that are close to the anode,
=> free e⁻ will be accelerated to energies larger than the ionization energies => additional ion pairs avalanche ! (signal amplification by ~10⁴)

Proportional Counters

At higher electric fields, free e^- will be accelerated to energies larger than the ionization energies => additional ion pairs

threshold for gas multiplication $\sim 10^6$ V/m (at 1 atm)

$$dn_e/n_e = \alpha dx$$

increase of number of e^- per unit pathlength

α Townsend coeff. \sim with field strength

$$n(x) = n_e(0)e^{\alpha x}$$

exponential growth : Townsend avalanche

in a proportional counter

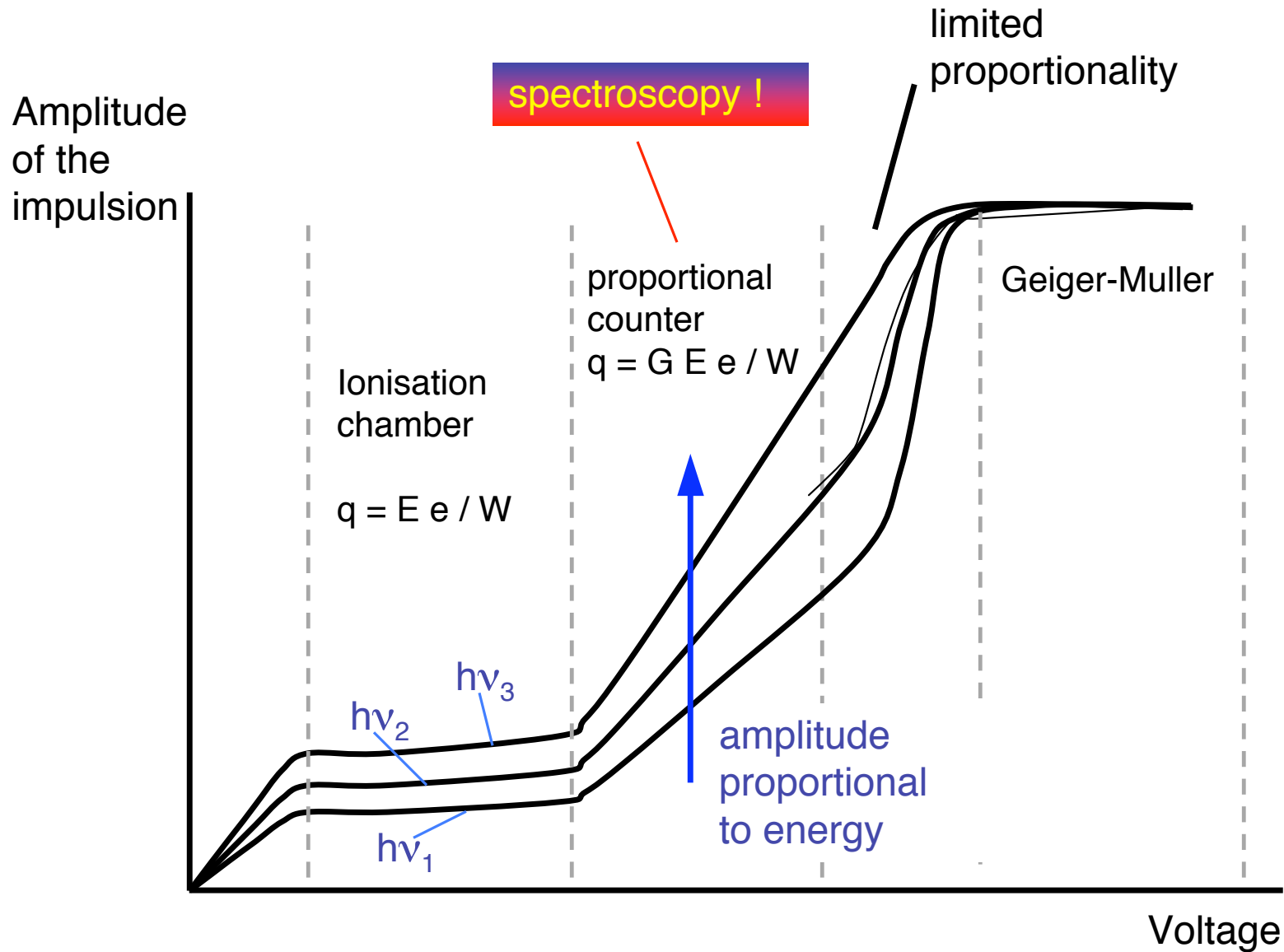
- the avalanche terminates when all e^- collected
- $n_{\text{secondary ion pairs}} \sim n_{\text{primary ion pairs}} \sim E\gamma$
- multiplication by $> 10^3$ (=> external amps.)
- improved S/N with resp. to ion chambers

fill gases : e.g. Ne, Ar, Xe

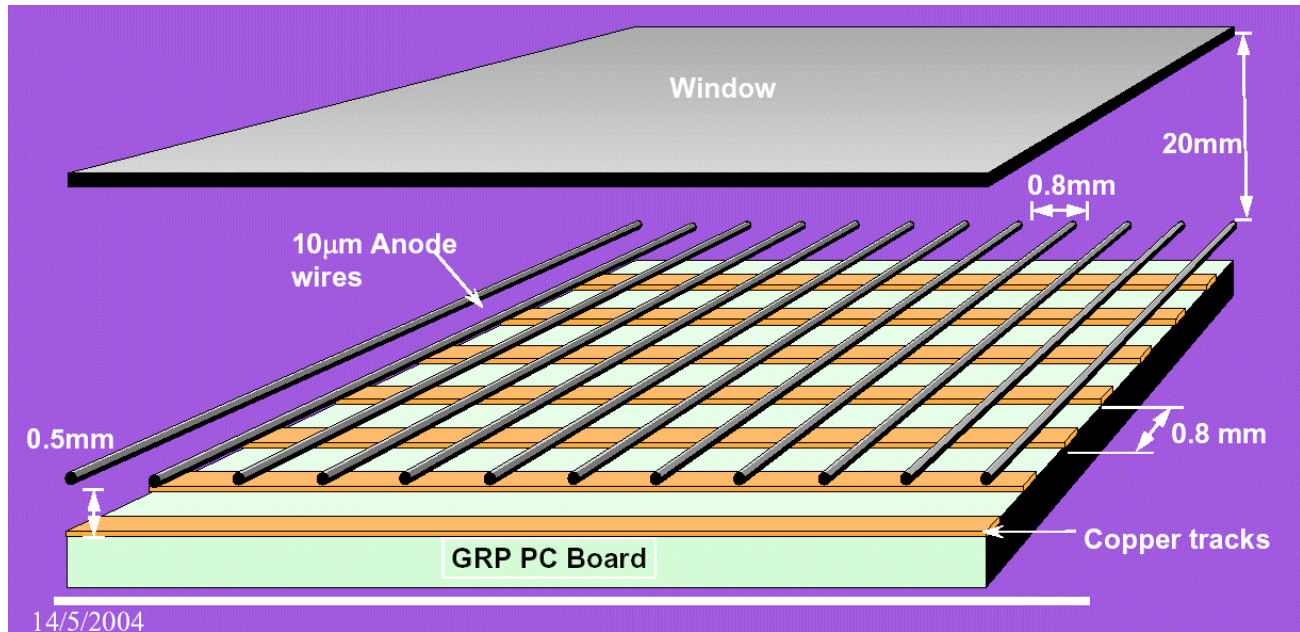
quench gas : absorbs undesired UV photons (e.g. CH_4)

energy resolution : 10% - 13% (12% for Ar + 0.5 % CH_4)

Proportional Counters



MWPCs



MWPC (Multiwire Proportional Counter)

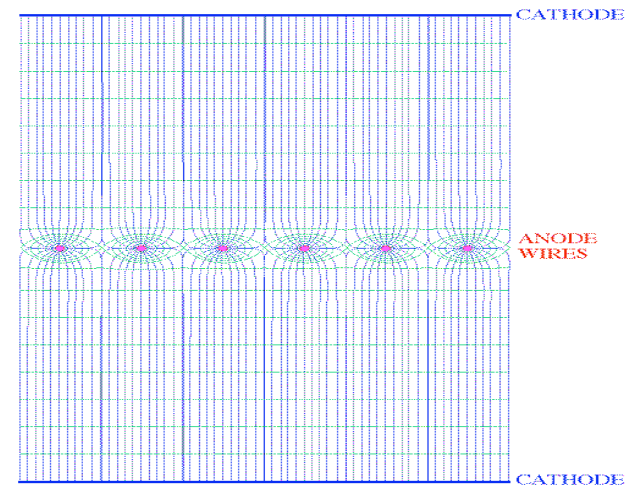


Fig. 1: The multiwire proportional chamber: thin, parallel anode wires are mounted symmetrically between two cathode meshes.

Scintillators

fluorescence

- instantaneous emission of visible light after excitation / ionization
- (>< phosphorescence - retarded fluorescence)

the ideal scintillator :

- converts fast electron energy into scintillation light with high efficiency
- linear conversion
- medium transparent to its own scintillation light
- fast decay time of induced luminescence (fast signals)
- large size at constant quality
- refraction index ≈ 1.5 (close to glass <-> PMT's)

two main scintillator types

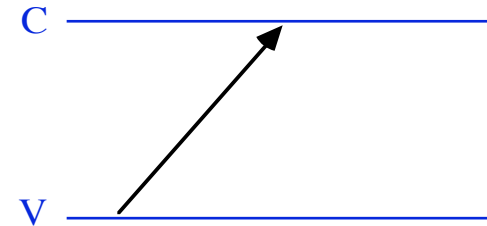
organic scintillators (liquid, plastic) <-> PSD/neutrons

inorganic scintillators : spectroscopy (<-density)

inorganic scintillators

electrons in isolators / semicond. can only occupy two discrete energy bands

- *conduction band* : e⁻ can freely migrate through crystal
- *forbidden band* (band gap) : no e⁻ in pure crystal
- *valence band* : e⁻ bound at lattice sites



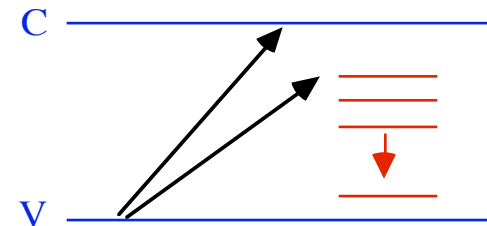
Problem : return of e⁻ to valence band inefficient, at best emission of an UV photon

Solution :

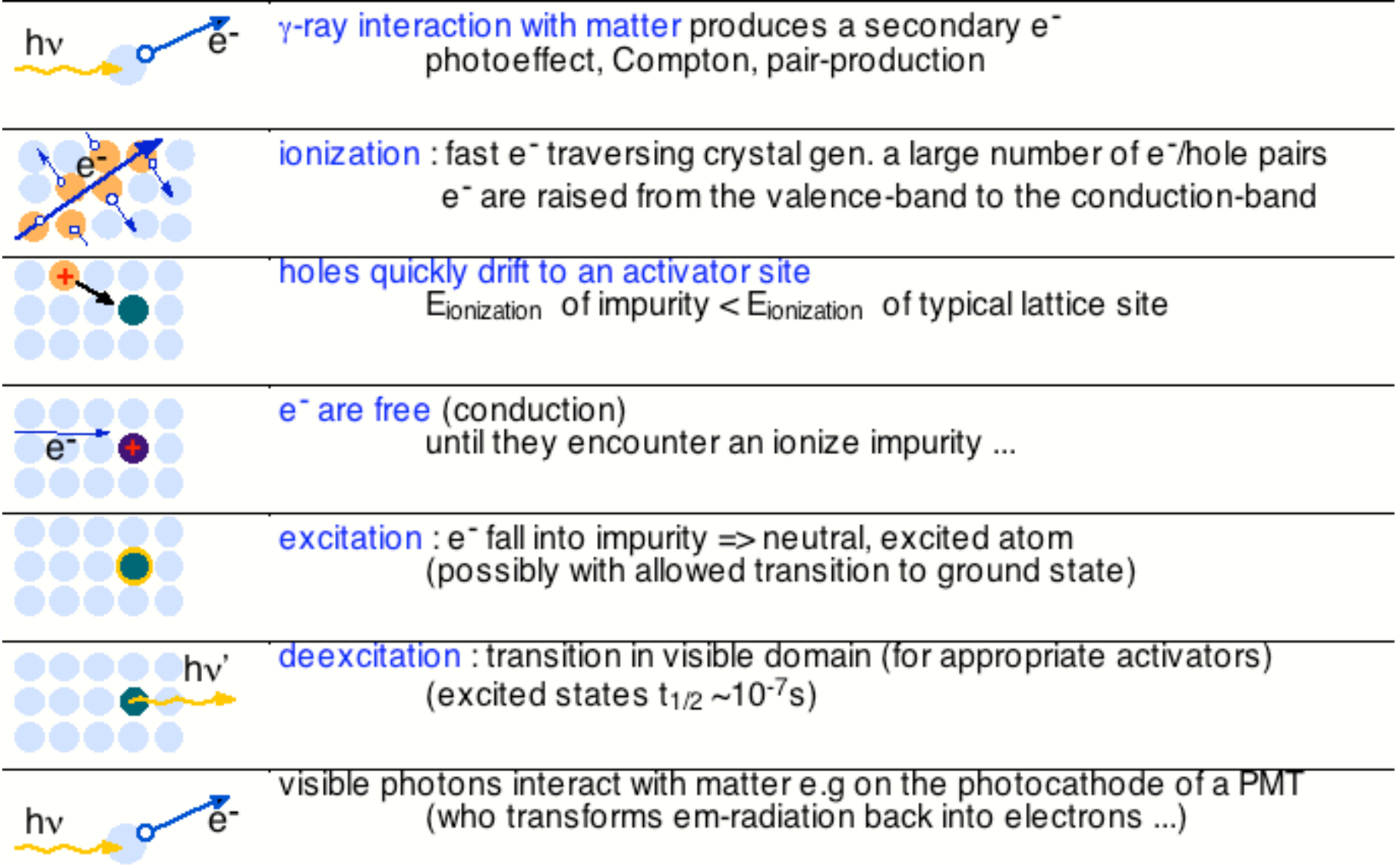
small amounts of activators (impurities) modify band structure

=> ∃ excited states within gap

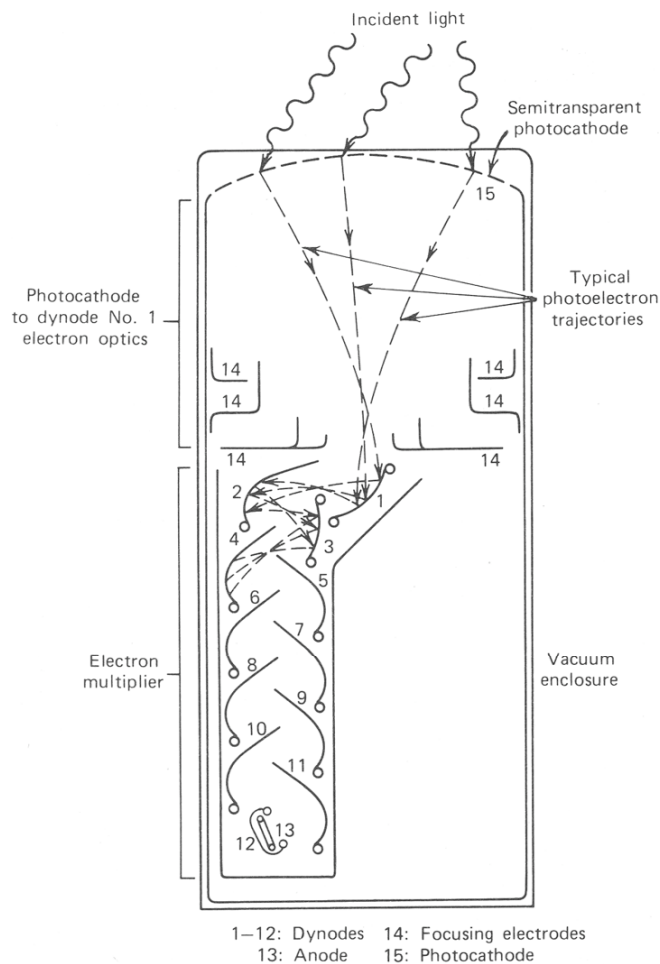
=> deexcitation to valence band results in the emission of **visible photons**



inorganic scintillators *Scenario of an interaction*



Photomultipliers (PMT)



Knoll 1989

photocathode

- conversion of incident photon \rightarrow photoelectron
- photoelectric effect : $h\nu = E_e + W$ (1.5-2eV) \approx 3eV
- quantum efficiency QE \approx 20-30%

electron multiplication

- $E_{\text{photoelectron}} < 1 \text{ eV}$
- electrons are focused by electrodes
- secondary e^- emission on dynodes (bandgap \approx 2-3 eV)
- potential of 1st dynode $U_1 \approx X \cdot 100 \text{ V} \Rightarrow X \cdot 30 e^-$

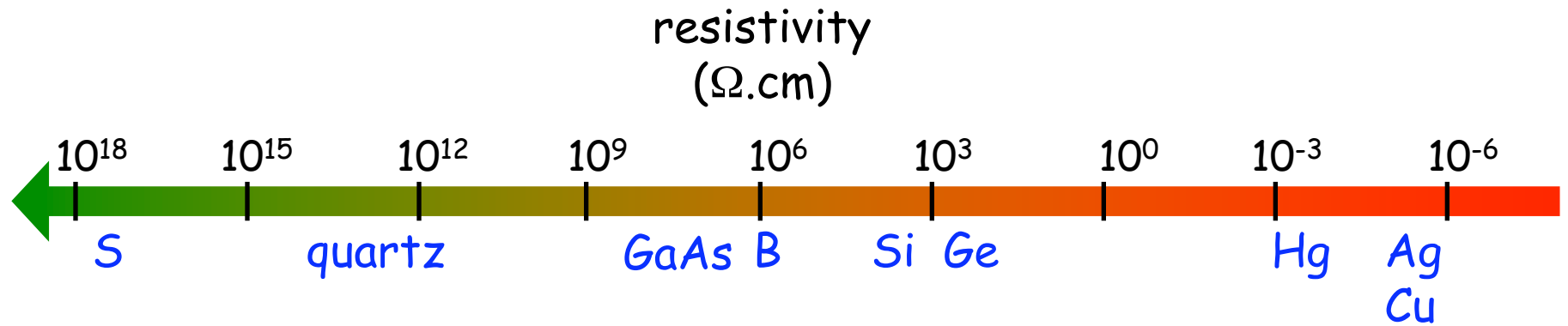
charge collection on anode

amplification factors of $10^7 - 10^9$

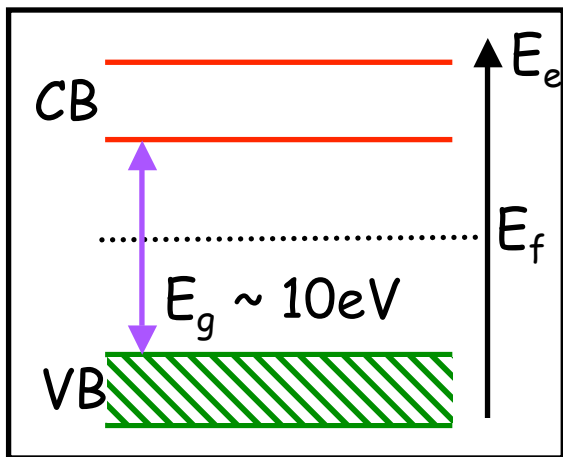
effects on energy resolution :

- electron statistics (PMT)
- gain variation
- information loss (vis. light refl. in crystal etc.)

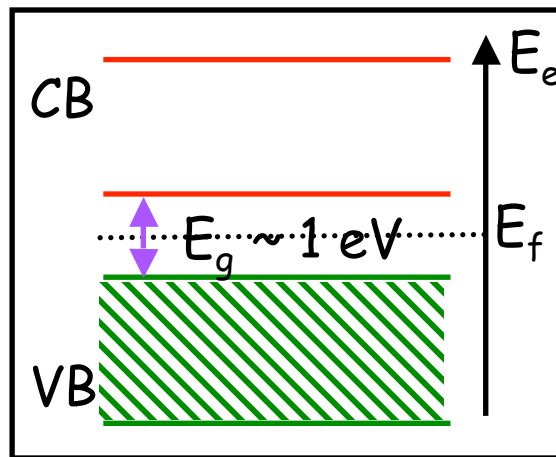
Semiconductor Detectors



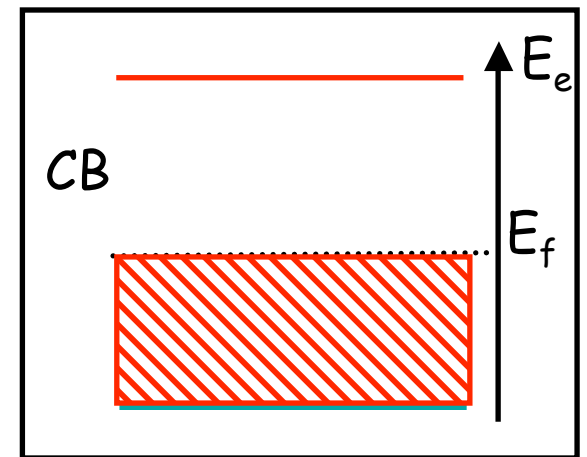
Isolant



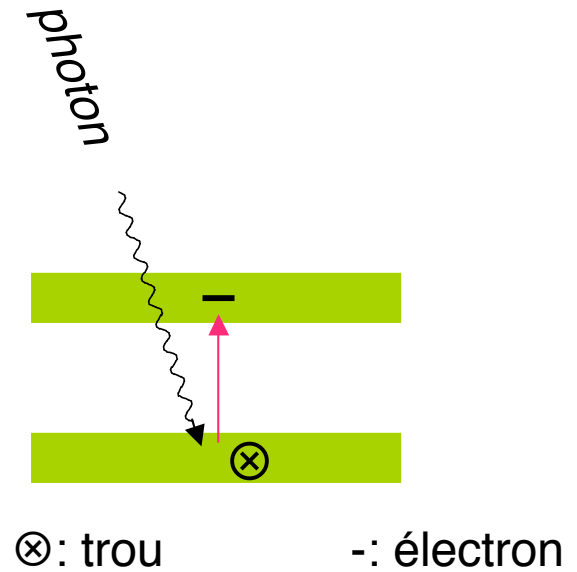
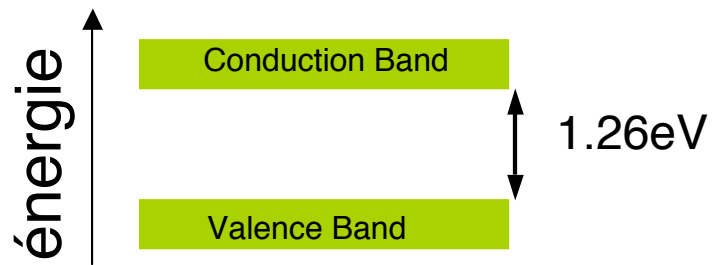
Semi-conductor



Metal



Semiconductor Detectors



Semiconductor Detectors

thermal agitation =>

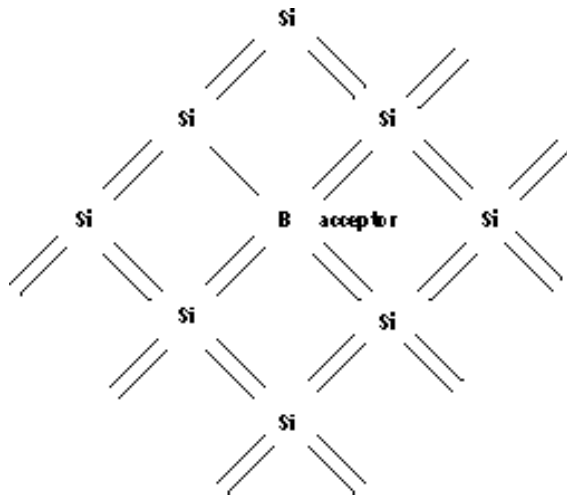
n e^- pass to the CB
leaving vacant p states in the VB : p **holes**

$$n = p$$



electric field : e^- -> CB, H^+ -> VB

Semiconductor Detectors



conduction band

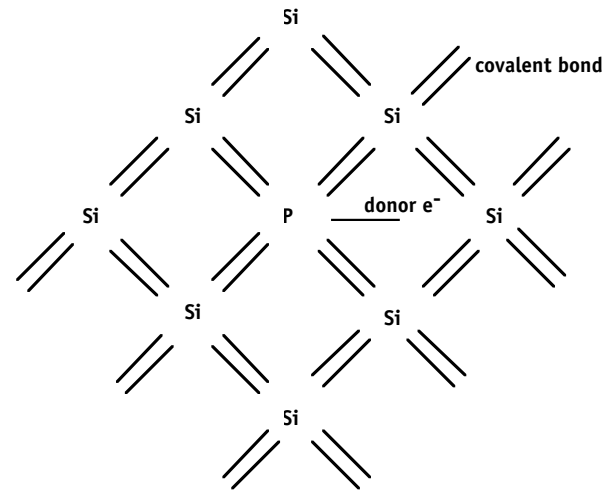
acceptor level

valence band

$$p \approx N_A \quad (\text{p dominated by acceptors})$$

holes are majority carriers

electrons are minority carriers



conduction band

donor level

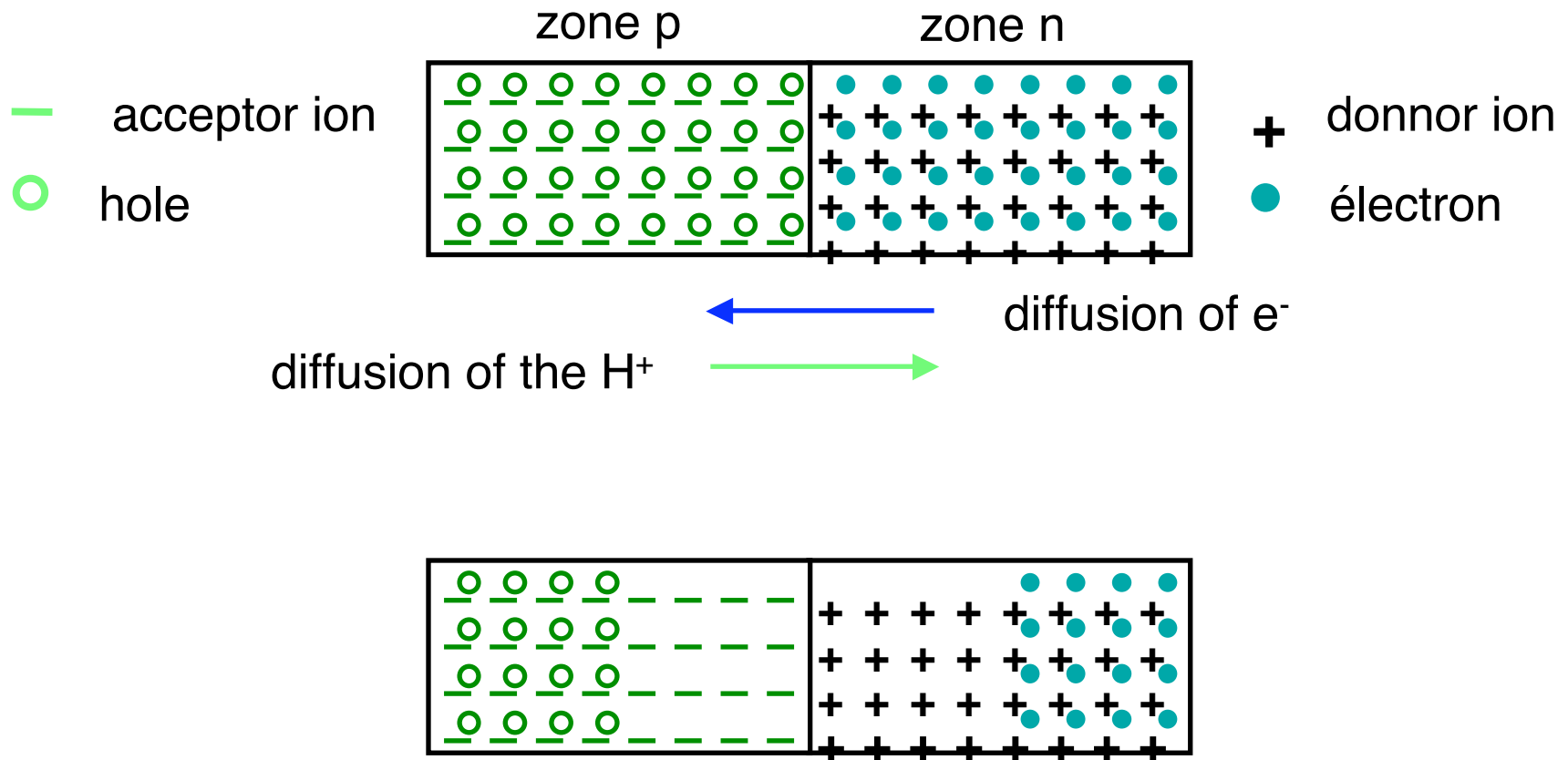
valence band

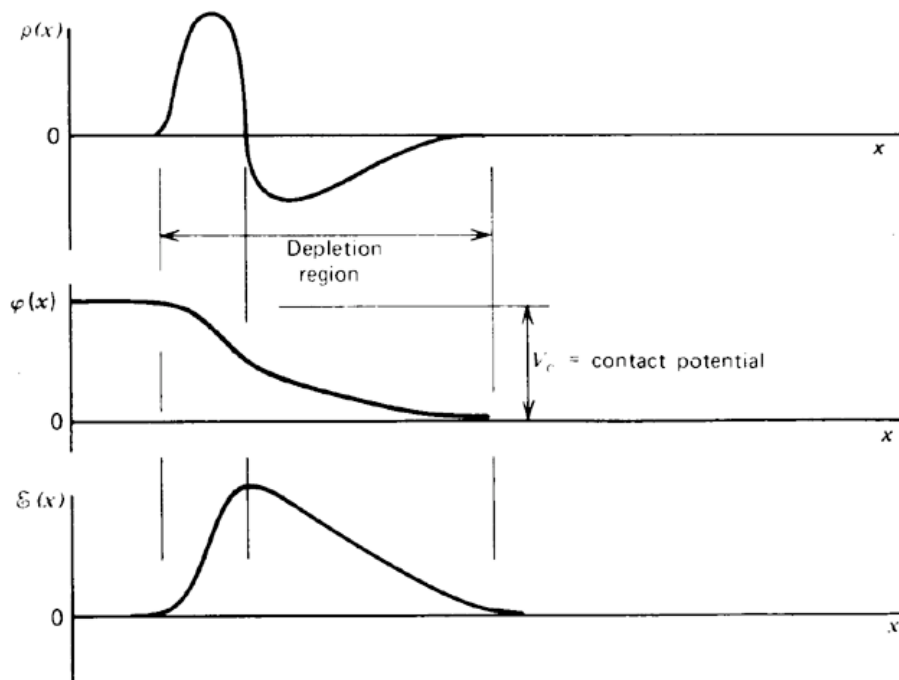
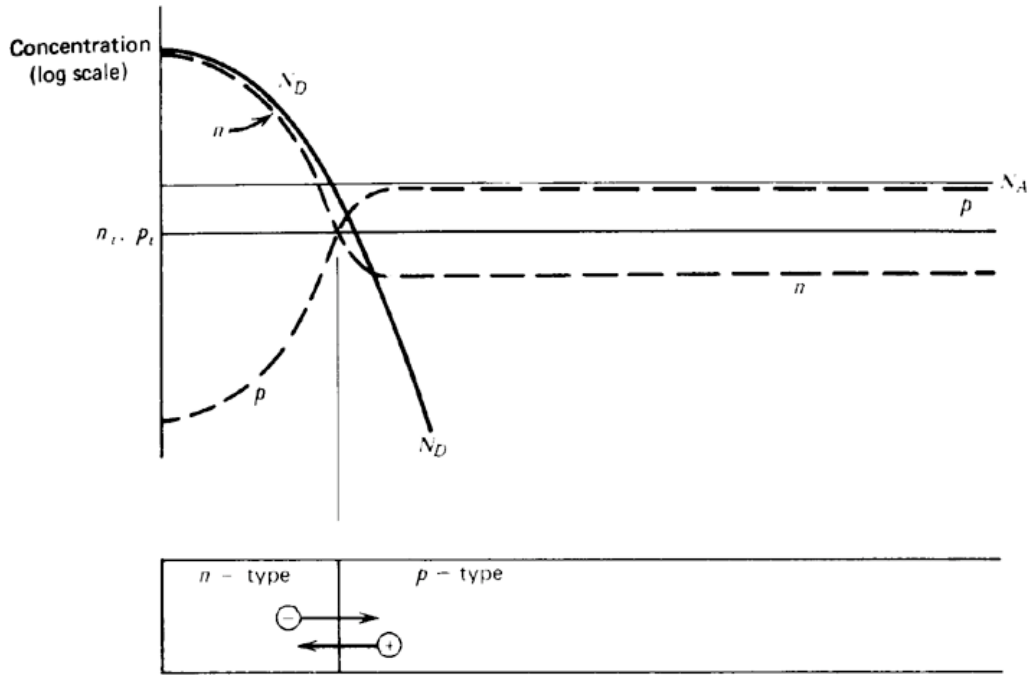
$$n \approx N_D \quad (\text{n dominated by donor e}^-)$$

electrons are majority carriers

holes are minority carriers

Semiconductor Detectors : junction pn



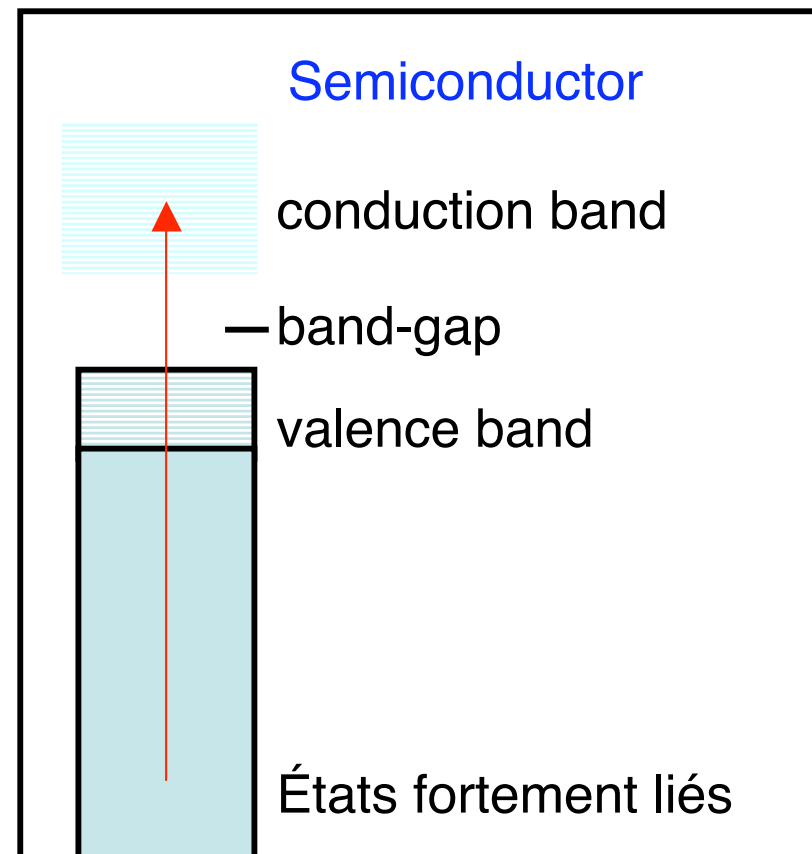
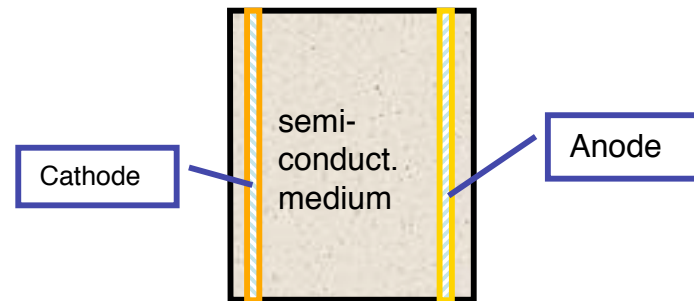
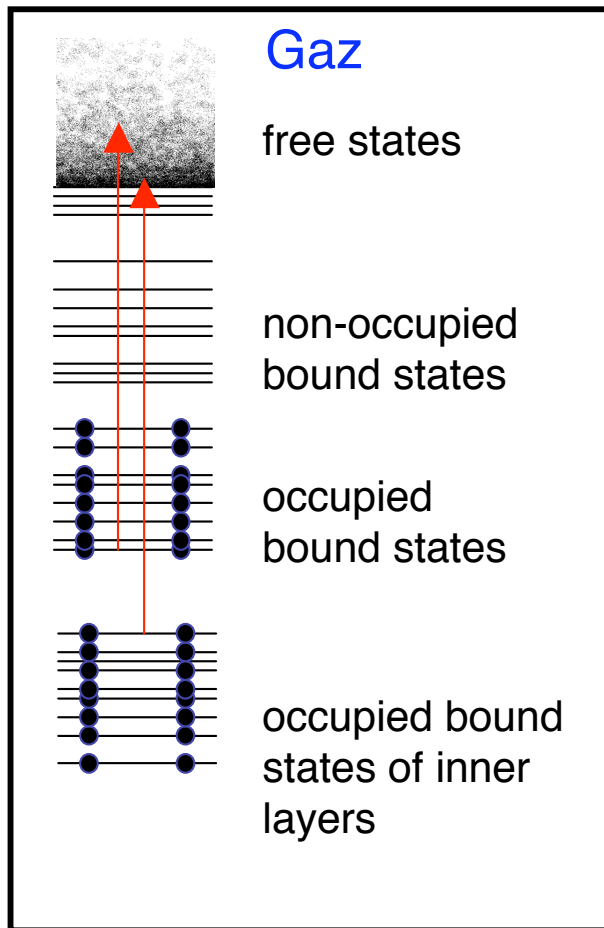


charge density

potential

electric field

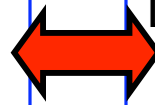
Détecteurs à Gaz - Détecteurs à semi-conducteur



Gaz filled detectors vs. semiconductor detectors

Gaz filled detectors

- Ions,
- free electrons
- Density $\sim 0.01 \text{ g cm}^{-3}$
- window to contain gaz
- W (energy to form electron-ion pair)
tens of eV
- maximum energy $\sim 50 \text{ keV}$
(high pressure Xe detector)



semiconductor detectors

- Holes in valence band,
- free electrons in conduction band
- Density $\sim 1.5 - 5 \text{ g cm}^{-3}$
- window not (always) required
- W (energy to form electron-hole pair)
some eV
- maximum energy $\sim 10 \text{ MeV}$
(large size Ge detectors)

Semiconductor Detectors

probability P that electron-hole pair is thermally generated

$$P(T) \sim T^{3/2} e^{(-E_g/2kT)}$$

T temperature
 E_g bandgap energy
 k Boltzmann const

Intrinsic semiconductors (pure material) : $n_i = p_i \approx 2.4 \cdot 10^{13} \text{ cm}^{-3}$ in Ge
 n : concentration of e⁻ in conduction band $\approx 1.5 \cdot 10^{10} \text{ cm}^{-3}$ in Si
 p : concentration of holes in valence band

Impurities / doping

eg. in Si $n_i \approx 10^{10} \text{ cm}^{-3}$, with 2 ppm of impurities, this is $10^{17} \text{ atoms cm}^{-3}$

$$np = n_i p_i$$

$$\Rightarrow n \approx 10^{17} \text{ cm}^{-3}, p \approx 10^3 \text{ cm}^{-3}$$

Ionization energy : energy to form a e⁻/hole pair $e \sim 3 \text{ eV}$ (Ge) , 30 eV (NaI)

Narrow bandgap semiconductor detector materials

Composition	Density [g/cm ³]	Mean Z	Bandgap [eV]	E e-hole pair[eV]
Si (300 K)	2.33	14	1.12	3.61
Ge (77 K)	5.32	32	0.74	2.98

Wide bandgap semiconductor detector materials

room temperature : wider bandgap (> 1.5 eV) reduces thermal leakage current

$p(T) \sim T^{3/2} e^{-E_g/2kT}$ probability that e⁻/hole pair is thermally generated per unit time

compound semiconductor materials with one or more high Z elements
=> excellent efficiencies

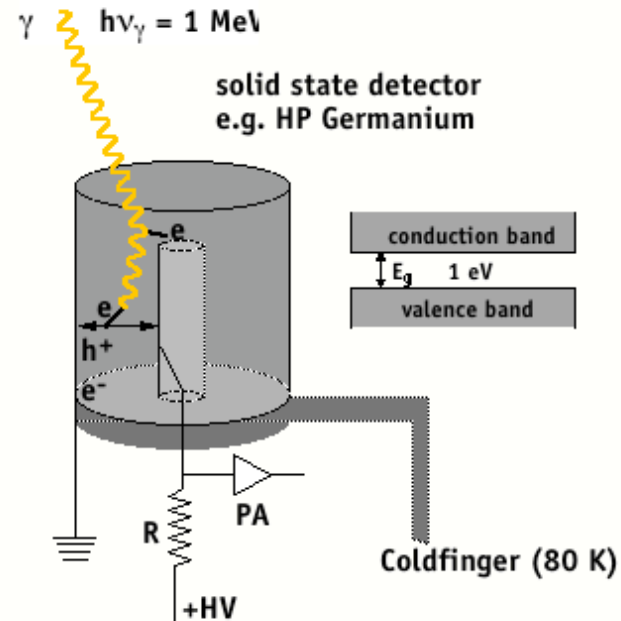
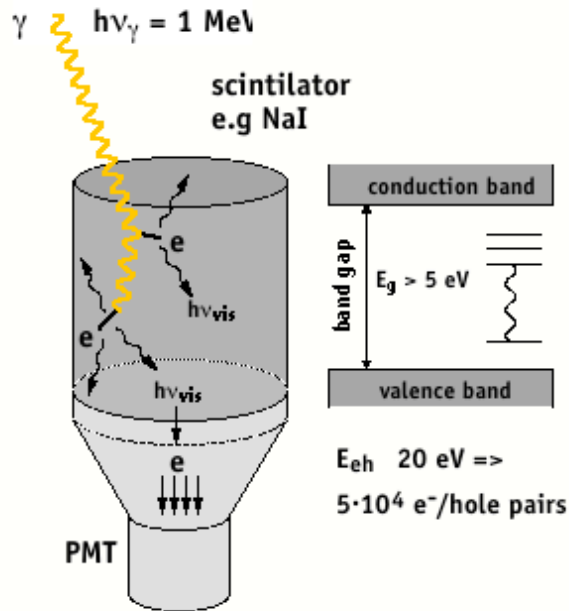
practical limitations : small size of sufficiently pure detectors
 low drift velocities (holes)
 => recombination, trapping enhanced

Composition	Density [g/cm ³]	Mean Z	Bandgap [eV]	energy per e ⁻ -hole pair [eV]
CdTe	6.2	50	1.6	4.43
Hgl ₂	6.36	62	2.15	4.22

scintillator

vs.

semiconductor



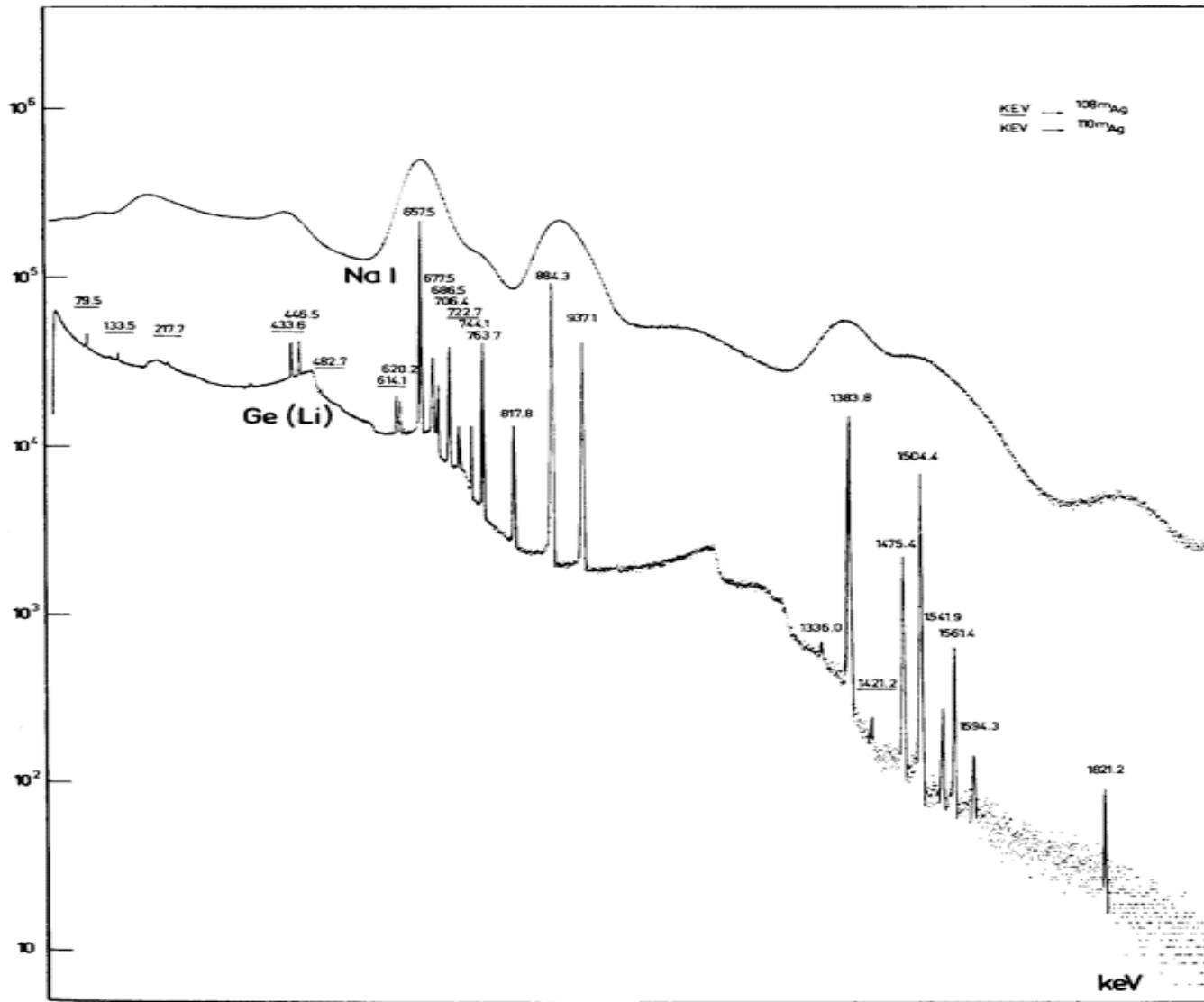
Scintillation eff. $\sim 12\% \Rightarrow 120 \text{ keV (V/UV)}$
 Vis. photon energy $\sim 3\text{eV} \Rightarrow 40'000 \text{ V/UV ph}$
 on photocathode $\Rightarrow 20'000 \text{ photons}$
 quantum eff. $QE \approx 20\% \Rightarrow 4'000 \text{ photo-e}^- (N_{\text{sci}})$

$$R = 0.42 (N_{\text{sc}}/F_{\text{sci}})^{1/2} \approx 25$$

Energy to form e-/hole pair : $E_{\text{eh}} \approx 3 \text{ eV}$
 $N_{\text{sem}} \approx 10^6/3\text{eV} \approx 300'000 \text{ charge carriers}$
 $F_{\text{sem}} \approx 0.06-0.14 \text{ (Fano factor)}$

$$R = 0.42 (N_{\text{sem}}/F_{\text{sem}})^{1/2} \approx 500$$

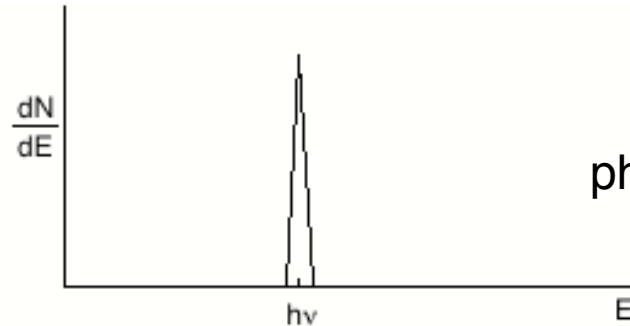
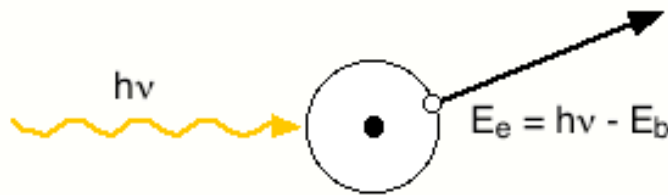
Comparison : scintillator / semiconductor spectra



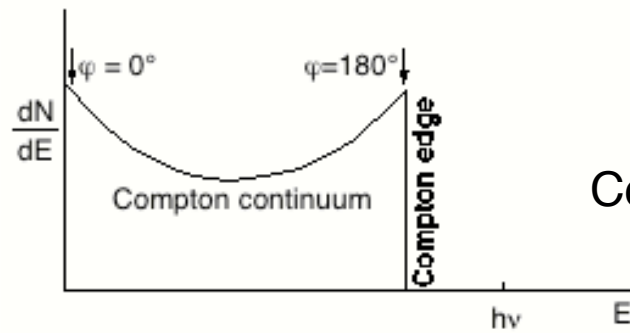
Knoll, 1989

γ -ray interaction and spectra

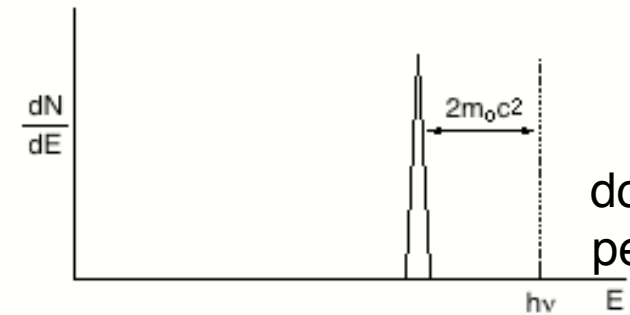
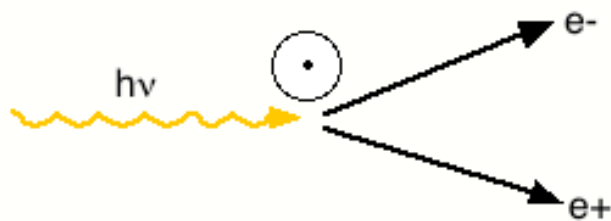
photoelectric effect



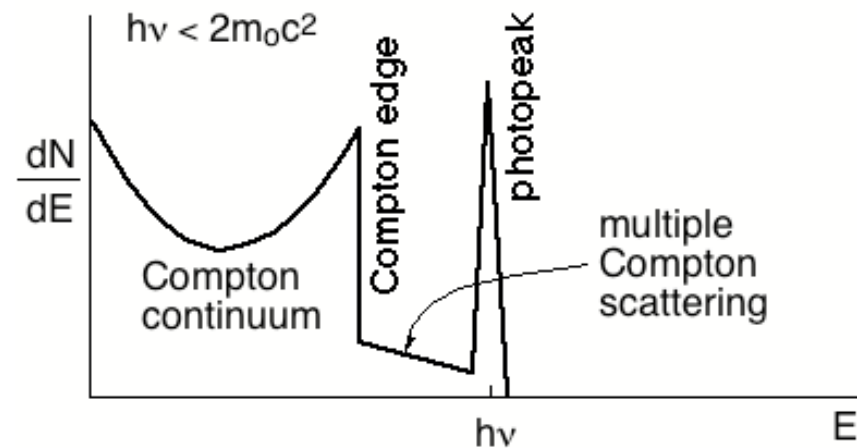
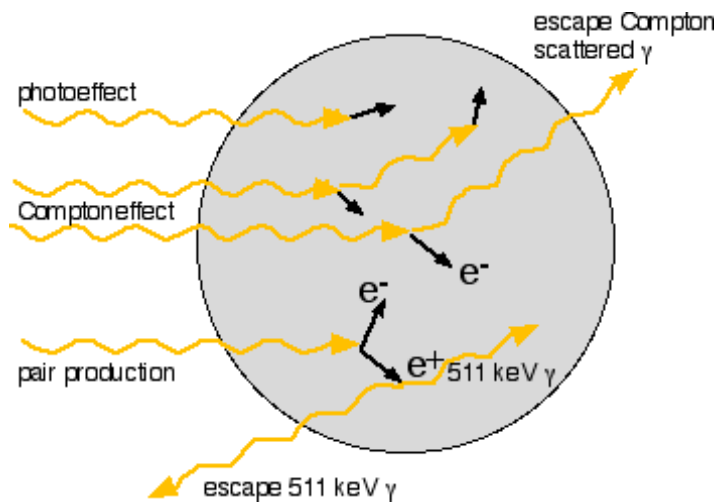
Compton effect



pair-production



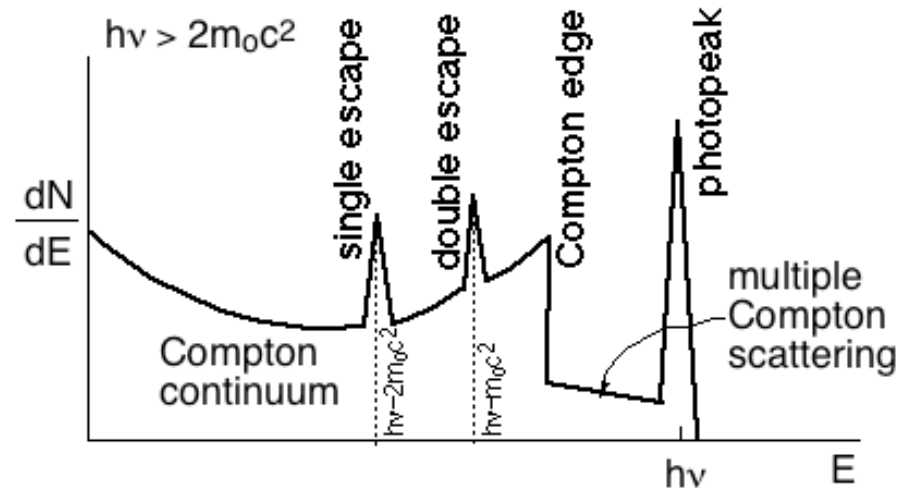
Gamma-Ray Spectra



Compton edge

$$h\nu_c = h\nu - h\nu_b$$

$$h\nu_b = \frac{h\nu}{1 + (2 h\nu/m_0c^2)}$$



coherent vs incoherent spectroscopy systems

coherent spectroscopy

spatial decomposition (“dispersive systems”) or temporal modulation of incoming wave

uses periodic quality of light

spectrometer	domain	R
gratings	visible, UV	10^3 - 10^6
	soft X rays	10^2 - 10^3
Bragg-crystal	soft X rays	10^3
Fabry-Perot	visible, IR	10^4 - 10^6
heterodyne	radio	$> 10^6$
	mm, sub-mm	$> 10^5$
atomic resonance	visible, UV	10^7

resolution

eg. grating $R \leq 2N_a/\lambda$
 N_a : grating width

incoherent spectroscopy

non-dispersive systems : measurement of photon energy deposit in detector

uses quantum quality of light

spectrometer	domain	R
semiconductors	soft X	< 50
tunneling junction	soft X	10^2 -($6 \cdot 10^2$)
NaI	hard X	< 10
CdTe	hard X	10 - 10^2
Ge	hard X, γ	10^2 - 10^3

resolution

eg. semiconductor $R \sim N^{1/2} \sim \varepsilon^{-1/2}$

N number of charge carriers produced

ε energy required to create e⁻/hole pair

($\varepsilon > E_g$ bandgap energy)