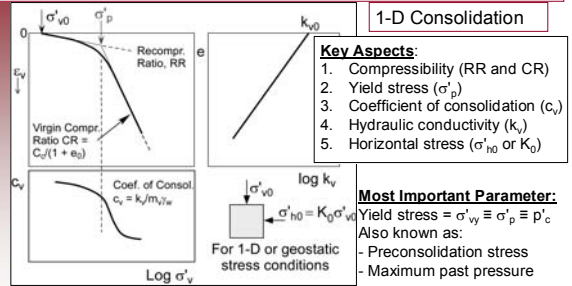


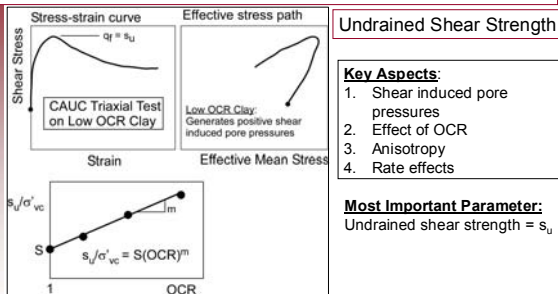
## CPTU Derived Soil Engineering Parameters for CLAY

1. Key Aspects of Clay Soil Behavior
2. Important engineering design parameters
3. Background and application of CPTU correlations for estimation of design parameters
4. Applied to Case Studies in follow-on lecture.

## Basic Soil Behavior - CLAY



## Basic Soil Behavior - CLAY



## General Aspects of CPTU Testing in Clay

1. Penetration is generally undrained and therefore excess pore pressures will be generated.
2. Cone resistance and sleeve friction (if relevant) should be corrected using the measured pore pressures.
3. The measured pore pressures can also be used directly for interpretation in terms of soil design parameters.

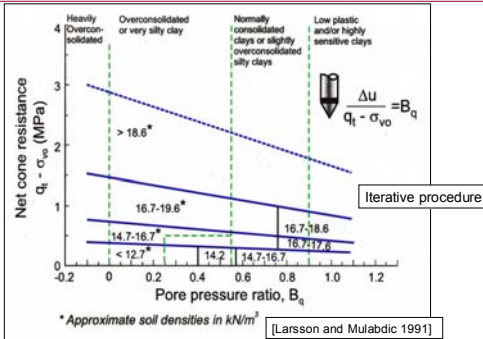
## Interpretation of CPTU data in clay

1. State Parameters = In situ state of stress and stress history
2. Strength parameters
3. Deformation characteristics
4. Flow and consolidation characteristics
5. In situ pore pressure

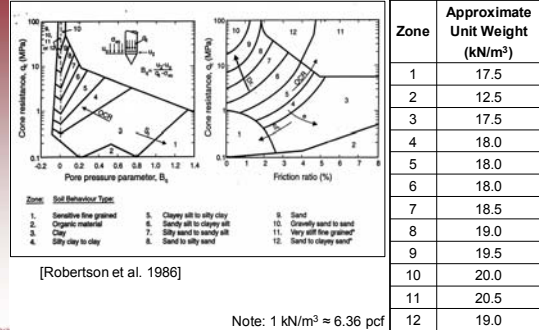
## In Situ State Parameters

1. Soil Unit weight:  $\gamma_w$  for computation of in situ vertical effective stress ( $\sigma'_{v0}$ )
2. Stress history  
 $\sigma'_p$  and OCR =  $\sigma'_p/\sigma'_{v0}$
3. In situ horizontal effective stress  
 $\sigma'_{h0} = K_0 \sigma'_{v0}$

## Estimation of Soil Unit Weight



## Estimation of Soil Unit Weight



## Stress History: OCR = $\sigma'_p / \sigma'_{v0}$

Estimation of Stress History (OCR or  $\sigma'_p$ ) can be based on:

- Direct correlation with CPTU data
- Pore pressure differential via dual element piezocone
- Indirect correlation via undrained shear strength

## CPTU Stress History Correlations

Wroth (1984), Mayne(1991) and others proposed theoretical basis (cavity expansion; critical state soil mechanics) for the following potential correlations between CPTU data and  $\sigma'_p$  or OCR:

$$\begin{aligned} \sigma'_p &= f(\Delta u_1 \text{ or } \Delta u_2) \\ \sigma'_p &= f(q_t - \sigma_{v0}) \\ \sigma'_p &= f(q_t - u_2) \end{aligned}$$

$$\begin{aligned} \text{OCR} &= f(B_q = \Delta u_2 / (q_t - \sigma_{v0})) \\ \text{OCR} &= f(Q_t = (q_t - \sigma_{v0}) / \sigma'_{v0}) \\ \text{OCR} &= f((q_t - u_2) / \sigma'_{v0}) \end{aligned}$$

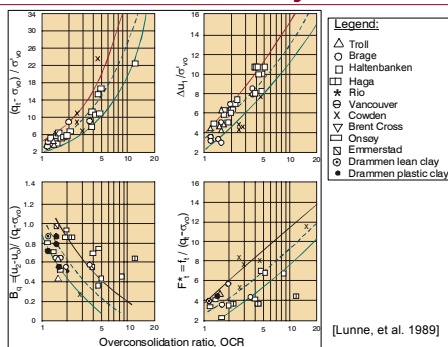
Most Common:

$$\sigma'_p = k(q_t - \sigma_{v0})$$

or

$$\text{OCR} = k[(q_t - \sigma_{v0}) / \sigma'_{v0}]$$

## CPTU Stress History Correlations



## CPTU Stress History Correlations

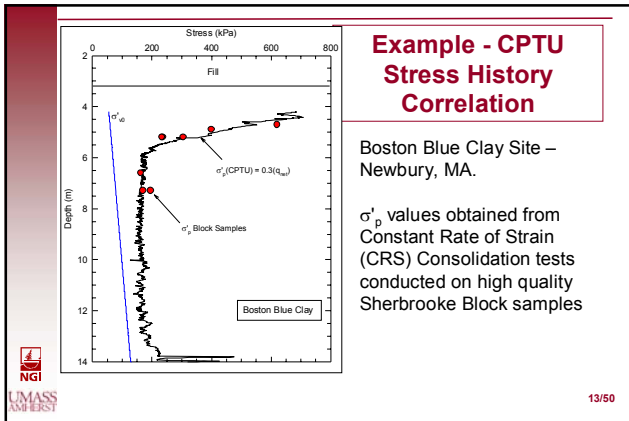
Comprehensive study initially by Chen and Mayne (1996) with later updates (e.g., Mayne 2005):

$$\sigma'_p = 0.47(\Delta u_1) = 0.53(\Delta u_2)$$

$$\sigma'_p = 0.33(q_t - \sigma_{v0}) \leftarrow \text{Most common}$$

$$\sigma'_p = 0.60(q_t - u_2)$$

Note: values listed above are from best fit regressions; there is a sizable range in all values, e.g., k ranges from 0.2 to 0.5 for  $\sigma'_p = k(q_t - \sigma_{v0})$

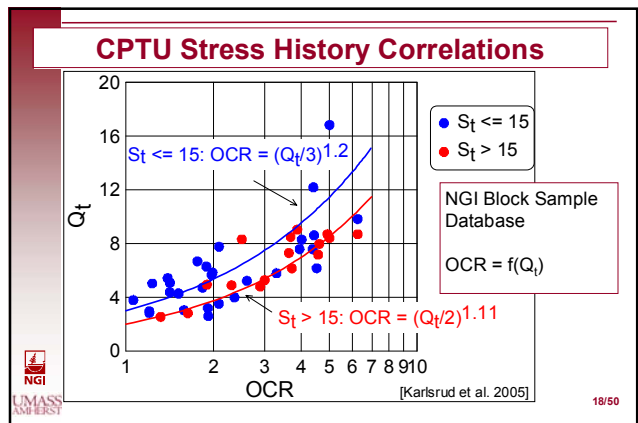
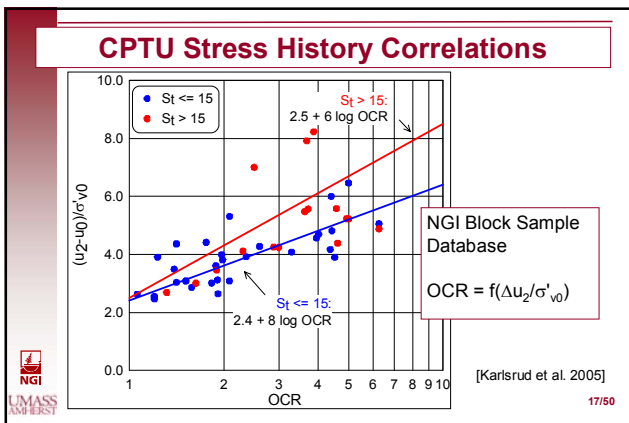
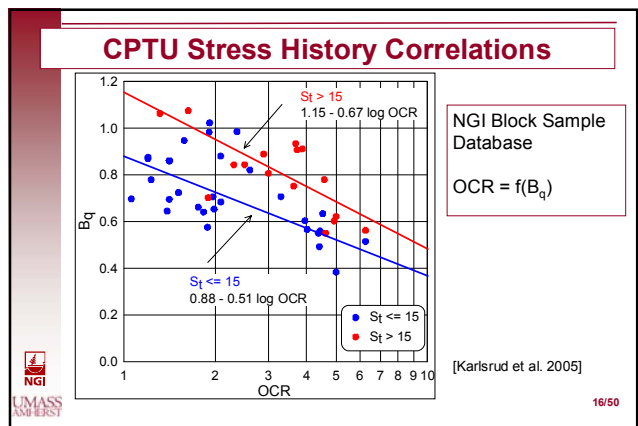
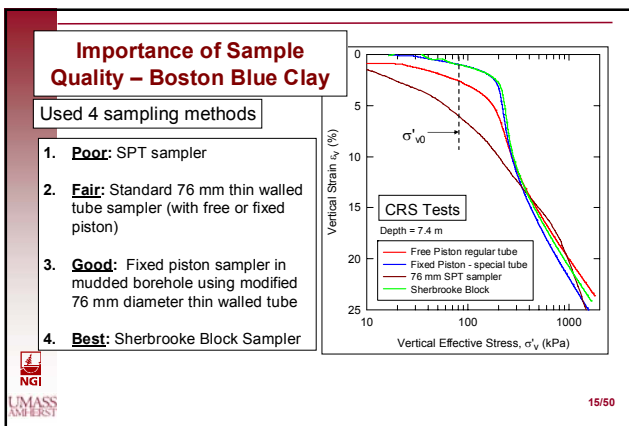


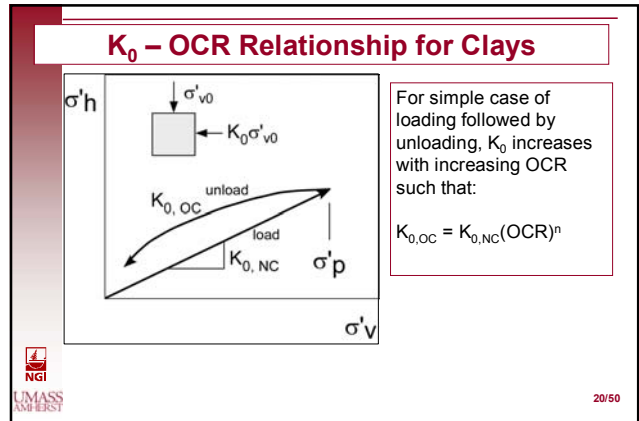
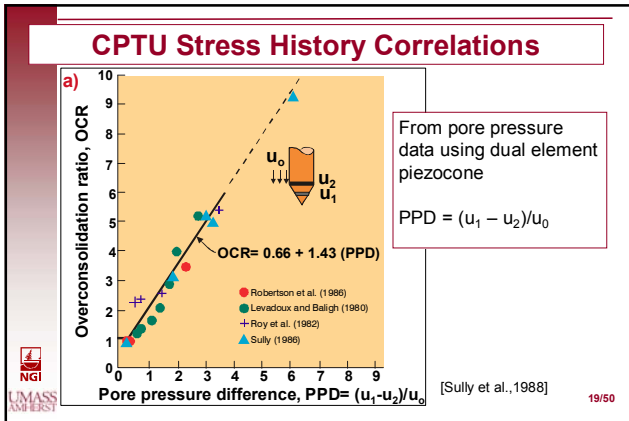
### CPTU Stress History Correlations

Data from NGI Block Sample Database (Karlsrud et al. 2005)

- Laboratory tests conducted on high quality undisturbed block samples (e.g., Sherbrooke Block Sampler) → sample quality can have a significant influence on  $\sigma'_p$
- Soft to medium stiff clays  
 $s_u(\text{CAUC}) = 15 - 150 \text{ kPa}$ ;  $\text{OCR} = 1.2 - 6.3$ ;  
 $I_p = 10 - 50 \%$ ;  $S_t = 3 - 200$

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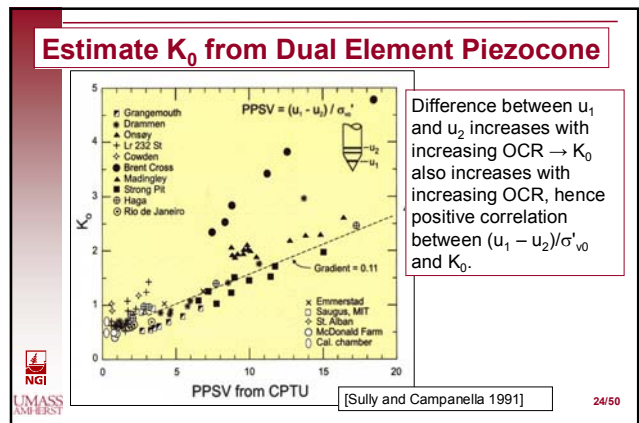
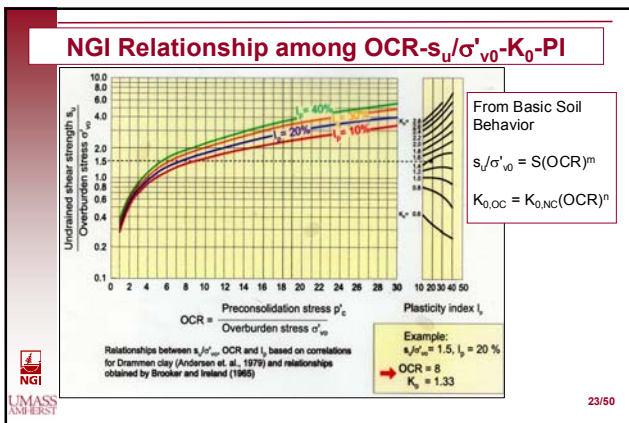
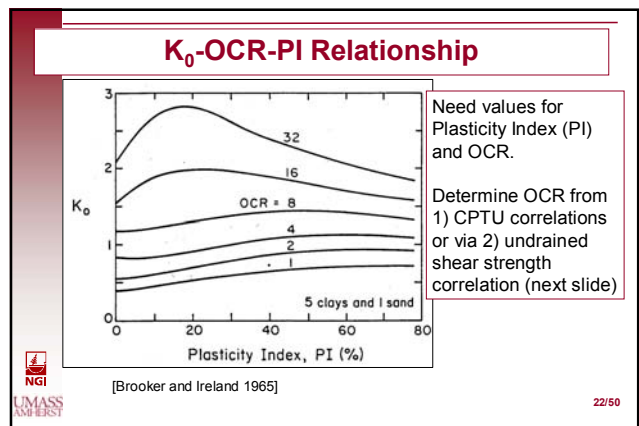


### In Situ Horizontal Effective Stress

There are currently no reliable methods for determining the in situ horizontal effective stress,  $\sigma'_{h0} = K_0(\sigma'_{v0})$  from CPTU data

For approximate (preliminary) estimates consider correlations based on:

- OCR via CPTU correlations for OCR or  $s_u$
- Measured pore pressure difference



## Shear Strength of Clays

For most design problems in clays (especially loading) the critical failure condition is undrained.

1. Undrained Shear strength  $s_u (= c_u)$
2. Remolded undrained shear strength ( $s_{ur}$ ) or Sensitivity,  $S_t = s_u/s_{ur}$



Note: 1kPa = 20.9 psf



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## Notes Regarding Undrained Shear Strength

1. The undrained shear strength is not unique.
2. The in situ undrained shear strength depends on many factors with the most important being: mode of shear failure, soil anisotropy, strain rate and stress history.
3. Therefore  $s_u$  required for analysis depends on the design problem.
4. Measured CPTU data are also influenced by such factors as anisotropy and rate effects.
5. The CPTU cannot directly measure  $s_u$  and therefore CPTU interpretation of  $s_u$  relies on a combination of theory and empirical correlations



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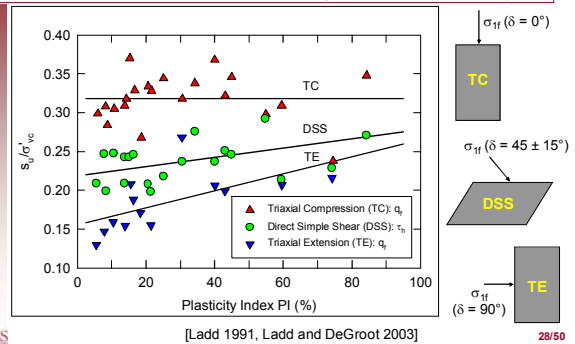
## Theoretical Interpretation CPTU in Clay

1. Existing theories for interpretation of  $s_u$  from CPTU data involve several simplifications and assumptions. Therefore existing theories must be "calibrated" against measured data
2. Most important to use realistic and reliable soil data from high quality tests conducted on high quality samples
3. At NGI – key reference is to use  $s_u$  from Anisotropically consolidated triaxial compression (CAUC) tests conducted on high quality undisturbed samples. A secondary reference is to use the average  $s_u(ave)$  [or mobilized for stability problems] =  $1/3[s_u(CAUC) = s_u(DSS) + s_u(CAUE)]$



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## Undrained Shear Strength Anisotropy



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## Undrained Shear Strength from CPTU Data

Theories for interpretation:

1. Bearing capacity
2. Cavity expansion
3. Strain path methods

All result in a relationship of the form:

$$q_t = N_c s_u + \sigma_0, \text{ where } \sigma_0 \text{ could} = \sigma_{v0}, \sigma_{h0}, \sigma_{m0}$$

In practice most common to use:

$$q_t = N_{kt} s_u + \sigma_{v0}, \text{ for which theoretically } N_{kt} = 9 \text{ to } 18.$$



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## Undrained Shear Strength from CPTU Data

The empirical approaches available for interpretation of  $s_u$  from CPT/CPTU data can be grouped under 3 main categories:

1.  $s_u$  estimation using "total" cone resistance
2.  $s_u$  estimation using "effective" cone resistance
3.  $s_u$  estimation using excess pore pressure



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### Undrained Shear Strength from CPTU Data

$$s_u = q_{net}/N_{kt} = (q_t - \sigma_{v0})/N_{kt} \quad \text{Most Common}$$

$$s_u = \Delta u/N_{\Delta u} = (u_2 - u_0)/N_{\Delta u} \quad \text{Often used}$$

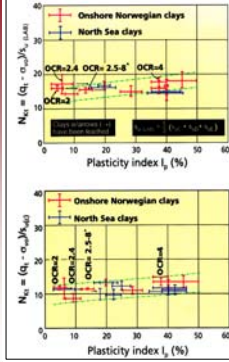
$$s_u = q_e/N_{ke} = (q_t - u_2)/N_{ke} \quad \text{Seldom used}$$

Need empirical correlation factors  $N_{kt}$ ,  $N_{\Delta u}$ , or  $N_{ke}$  factors as correlated to a specific measure of undrained shear strength, e.g.,  $s_u(\text{CAUC})$  or  $s_u(\text{ave})$



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### CPTU $s_u$ Cone Factors



$$s_u(\text{Lab}) = s_u(\text{ave}) = 1/3[s_u(\text{CAUC}) + s_u(\text{DSS}) + s_u(\text{CAUE})]$$

$s_u(\text{CAUC})$

Note:  $N_{kt}$  for  $s_u(\text{CAUC}) < N_{kt}$  for  $s_u(\text{ave})$

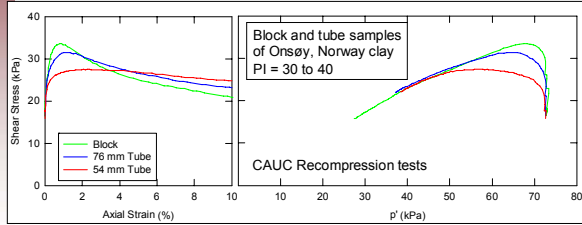
[Aas et al. 1986]



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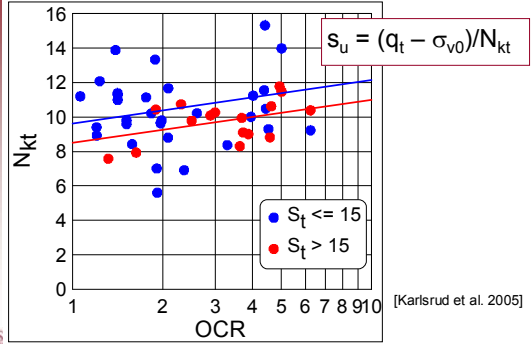
### CPTU $s_u$ Cone Factors – Karlsrud et al. (2005)

Update of CPTU  $s_u$  cone factors using NGI high quality block sample database. Derived cone factors as function: OCR, Sensitivity ( $S_t$ ) and Plasticity Index ( $I_p$ )



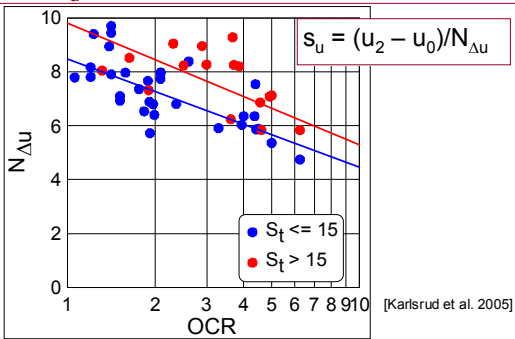
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### CPTU $s_u$ Cone Factors – Karlsrud et al. (2005)



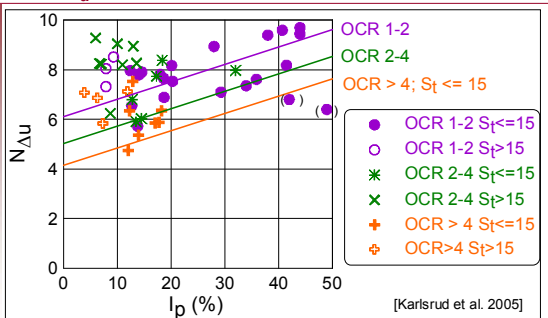
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### CPTU $s_u$ Cone Factors – Karlsrud et al. (2005)



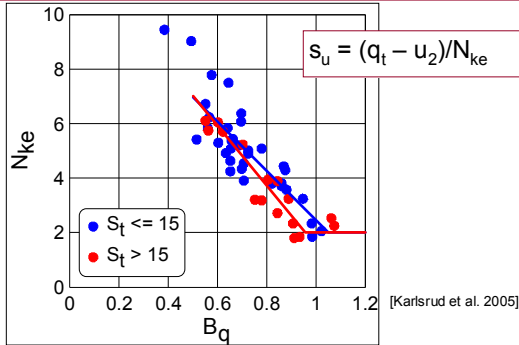
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### CPTU $s_u$ Cone Factors – Karlsrud et al. (2005)



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### CPTU $s_u$ Cone Factors – Karlsrud et al. (2005)



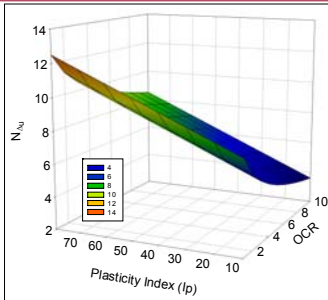
### CPTU $s_u$ Cone Factors – Karlsrud et al. (2005)

Best fit regression lines to plotted data for  $s_u$ (CAUC)

Cone Factor	Sensitivity $S_t$	Regression Equation	Standard Deviation
$N_{kt}$	$\leq 15$	$7.8 + 2.5 \log \text{OCR} + 0.082 I_p$	0.197
	$> 15$	$8.5 + 2.5 \log \text{OCR}$	
$N_{Au}$	$\leq 15$	$6.9 - 4.0 \log \text{OCR} + 0.07 I_p$	0.128
	$> 15$	$9.8 - 4.5 \log \text{OCR}$	
$N_{ke}$	$\leq 15$	$11.5 - 9.05 Bq$	0.172
	$> 15$	$12.5 - 11.0 Bq$	

Best relationship (statistically) =  $N_{Au}$ . Note:  $N_{Au}$  correlation uses direct measurement ( $u_2$ ) and does not require use of  $q_t$  which must be corrected for overburden stress in other correlations.

### Updated NGI $N_{Au, CAUC}$ Cone Factor for $S_t \leq 15$



Plotted for Range OCR = 1 to 10 and  $I_p = 10$  to 80

High = 12.5 @ OCR = 1 and  $I_p = 80$

Low = 3.6 @ OCR = 10 and  $I_p = 10$

### $s_u$ from CPTU via CPTU- $\sigma'_p$ correlations

For a given element of soil, the preconsolidation stress  $\sigma'_p$  is essentially unique whereas  $s_u$  which is strongly dependent on method of measurement and is therefore not unique.

Alternative procedure to estimate  $s_u$  is first determine  $\sigma'_p$  (and hence OCR) from the CPTU data, then use established laboratory (e.g., CAUC, DSS) or in situ (e.g., FVT) relationships between  $s_u$  and  $\sigma'_p$  (or OCR) for a particular mode of  $s_u$  shear.

Examples:

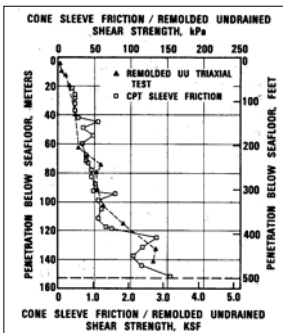
SHANSEP Equation (Ladd 1991)

$s_u / \sigma'_{v0} = S(\text{OCR})^m$ , with  $S = s_u / \sigma'_{v0}$  at OCR = 1

e.g.,  $s_u(\text{DSS}) / \sigma'_{v0} = 0.23(\text{OCR})^{0.8}$

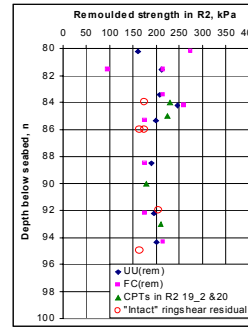
$s_u(\text{mob}) = 0.22 \sigma'_p$  Mesri (1975)

### Remoulded Undrained Shear Strength $s_{ur}$



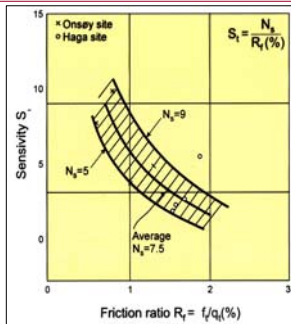
Comparison between UUC triaxial test data on remoulded samples with CPTU friction sleeve data for Offshore California site

### Remoulded Undrained Shear Strength $s_{ur}$



Comparison of laboratory measurements of remoulded undrained shear strength with sleeve friction from CPTU tests for Ormen Lange area offshore Norway.

## Undrained Shear Strength Sensitivity, $S_t$



Relationship between Sensitivity and CPTU  $R_f$  for two sites in Norway

[Rad and Lunne 1986]

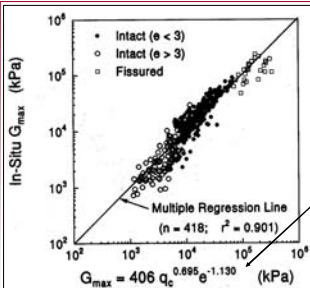
## Deformation Parameters

1. Constrained Modulus – for 1-D compression,  $M$
2. Undrained Young's Modulus,  $E_u$
3. Small strain shear modulus,  $G_{max}$

Two approaches for use of CPT/CPTU data to estimate deformation parameters:

1. Indirect methods that require an estimate of another parameter such as undrained shear strength  $s_u$ .
2. Direct methods that relate cone resistance directly to modulus.

## Example of Direct Correlation between CPTU and $G_{max}$



Mayne and Rix (1993)

Estimation of small strain shear modulus  $G_{max}$  for clays from CPT  $q_c$  data + estimate  $e$ .

Note:  $G_{max}$  is anisotropic + in the context of CPT/CPTU testing, better to measure directly down hole with seismic cone (=  $G_{vh}$ )

## Consolidation and Hydraulic Conductivity

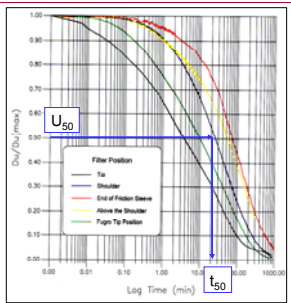
Measurement: dissipation of penetration pore pressures during pause in penetration. Can be  $u_1$  or  $u_2$ . Ideally measure until  $\Delta u = 0$  but time depends on  $c_h$  and  $k_h$ .

Derived Soil Properties:

1. Coefficient of Consolidation,  $c_h$
2. Hydraulic Conductivity (= permeability),  $k_h$

Since the dissipation is radial,  $c_h$  and  $k_h$  are derived. Some clays can have highly anisotropic consolidation and flow parameters (e.g., varved clays) – need to use published anisotropy ratios to estimate  $k_v$  and  $c_v$ .

## CPTU Normalized Dissipation Curves



Bothkennar, UK (= soft clay) Dissipation Tests at 15 m depth

Typically plot:  $U = \Delta u / \Delta u_i$  as function  $t$  which for the  $u_2$  position =  $(u_2 - u_0) / (u_i - u_0)$  where  $u_0$  = in situ pore pressure before penetration, and  $u_i = u_2$  at  $t = 0$

## Theory for CPTU derived $c_h$ and $k_h$

$c_h$  Terzaghi Theory:  $c_v = (TH)^2/t$

Torstenson (1975, 1977) suggested use time at 50% dissipation and for CPTU geometry thus,

$$c_h = (T_{50}/t_{50})r^2$$

Hence for 10 cm<sup>2</sup> cone,  $c_h = 0.00153/t_{50}$  [m<sup>2</sup>/s]

$k_h$  Terzaghi Theory:  $k_h = c_h \gamma_w m_h$

Determine  $c_h$  from dissipation test + need estimate  $m_h$  = coefficient of volume change, which can be correlated to  $q_c$  or  $q_t$



**Coefficient of Consolidation**

Houlsby and Teh (1988, 1991): Strain Path Theory and Finite Element Analysis

For  $u_1$  or  $u_2$  and  $10 \text{ cm}^2$  or  $15 \text{ cm}^2$  cones. Uses  $t_{50}$  + requires Rigidity Index,  $I_r = G/s_u$  [ $I_r$  tends to decrease with increasing OCR and  $I_p$ ]

$$c_h = (T_{50}^* r^2 (I_r)^{1/2}) / t_{50}$$

$$T_{50}^* = 0.118 \text{ for } u_1$$

$$= 0.245 \text{ for } u_2$$

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**Example  $c_h$  – Boston Blue Clay (Newbury, MA)**

$10 \text{ cm}^2$ ,  $u_2$  Piezocone

$t_{50} = 1750 \text{ s}$ ,  $a = 1.78 \text{ cm}$

$T_{50}^* = 0.245$ ,  $I_r \approx 100$

$c_h = 0.0044 \text{ cm}^2/\text{s}$

Note: if  $u_0$  unknown and cannot assume hydrostatic then must run full dissipation → can be very time consuming.

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**Recommendations - CPTU Derived Soil Engineering Parameters for CLAY**

1. Do not eliminate sampling and laboratory testing
2. Verify reliability of results and that undrained conditions prevail
3. With increasing experience modify correlations for local conditions

**Good CPTU Interpretation methods exist for:**

- Soil Unit Weight ( $\gamma_w$ )
- Stress History: OCR or  $\sigma'_p$
- Undrained Shear Strength for  $s_u$ (CAUC) and  $s_u$ (ave)
- Small strain shear modulus ( $G_{max}$ )
- Coefficient of Consolidation ( $c_h$ )

**Approximate estimates can be made from CPTU data for:**

1. In Situ horizontal effective stress ( $\sigma'_{10}$  or  $K_0$ )
2. Remolded undrained shear strength ( $s_u$ ) or Sensitivity ( $S_t$ )
3. Hydraulic Conductivity ( $k_h$ )

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