Hybrid and Kinetic Simulations of Particle Dynamics in Coaxial Plasma Jet Accelerators*

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Topics

- 1. Motivation: Application of plasma jets to Magnetized Target Fusion
- 2. EMHD and Collisional PIC Algorithms for Plasma Jet Simulations
- 3. Multi-species acceleration in 1D
- 4. 2D coaxial simulations
- 5. Conclusions and Future Work

Coaxial plasma jets: Drivers for Magnetized Target Fusion (MTF)





Coax length ~ 1 m

Deuterium plasma "slug" (~10¹⁷/cm⁻³) accelerated to velocities ~200 km/s in a few μs.



MTF: Plasma jets merge to form an imploding liner. *

*Y.C.F. Thio et al, Journal of Fusion Energy 20 1 (2002)

EMHD and Kinetic PIC Algorithms in LSP

EMHD:

Drop electron inertia: Do not have to resolve fast electron time-scales

Ion species treated kinetically (including ion-ion collisions);

Electric field obtained from generalized Ohm's law.

EMHD algorithm uses constant σ calculated from initial values of T_e and n_e

$$\sigma = \frac{n_e e^2}{m_e v_{ei}} \propto T_e^{3/2}$$

Implicit Kinetic PIC:

At somewhat lower densities can run fully kinetic simulations using Direct Implicit model in LSP*.

Spitzer collision model for electrons and ions

* D.R. Welch, D.V. Rose, M.E. Cuneo, R.B. Campbell, and T.A. Mehlhorn, Phys. Plasmas 11, 751 (2004)

EMHD simulation of plasma jet acceleration in 1.2µs

 $n_i = 3 \times 10^{17} \text{ cm}^{-3} \ (\rho = 10^{-6} \text{g/cm}^{-3})$ Deuterium



Kinetic diffusion layer thinner than EMHD layer due to large electron heating



Diffusion layer gets thinner for EMHD simulation with increased conductivity $\sigma \propto T_e^{3/2}$



Electron phase-space

For large fields ions accelerated ballistically in thin diffusion layer



Accelerated ions have much increased mean-free-path Ion-ion collisions "fill-in" the phase-space

Different ion dynamics at lower field values

$$B_z = 0.5$$
 Tesla
 $n_i = 10^{16}$ cm⁻³ Deuterium
 $T_i = 5$ eV = T_e



Thicker diffusion layer



Acceleration of mixed-species jet

HyperV jet is composed of 2 parts Hydrogen to 1 part Carbon

Simulations show mixture remains relatively homogeneous

e : $n = 3.5 \times 10^{16} \text{ cm}^{-3}$ D⁺ : $n = 2 \times 10^{16} \text{ cm}^{-3}$ C⁺ : $n = 0.5 \times 10^{16} \text{ cm}^{-3}$ C²⁺ : $n = 0.5 \times 10^{16} \text{ cm}^{-3}$



2D cylindrical coax simulations undertaken to investigate modifications to 1-D predictions



Modified version of "Direct-Implicit" algorithm in Lsp run with large time-step $\omega_{pe}\,\Delta t\sim 40$

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Work in progress with PCS to access opacity, EOS tables

CH₂ plasma, 10¹⁶ cm⁻³, 5 eV

Radiation output



Multi-group radiation diffusion model ported to LSP and parallelized

Summary of Results

Compared EMHD to kinetic-collisional PIC simulation in 1-D for plasma density of 3×10^{16} cm⁻³.

Obtain similar ion dynamics from both algorithms.

Kinetic simulations show strong electron heating at vacuum interface

Significantly increases Hall parameter at interface

Multi-species jet simulations show mixture remains homogeneous

2D EM coaxial plasma jet simulations feasible but may require mitigation of plasma erosion at electrode surfaces.

In progress with PCS: EOS model to obtain ion charge-states from n_i , T_e

1-D plasma jet geometry



Ideal equation of motion:

$$\rho \Delta A x_{th} \frac{dv_x}{dt} = \frac{B_z^2}{2\mu_o} \Delta A$$

Slug acceleration:

$$a = \frac{B_z^2}{2\mu_o \rho x_{th}}$$

Final velocity:

$$v_f = \sqrt{2aL}$$

The time to reach the end of the accelerator:

$$t_f = 2L / v_f$$

Different q/m ions accelerated to same velocity

Estimate of impulse for plasma with (total) mass density ρ

$$\Delta v/c = 9.4 \times 10^{-12} \left[\Delta B/G \right] \left[\frac{\rho}{g/cm^3} \right]^{-1/2}$$

$$\Delta B \sim 4 \times 10^4 \text{ G}$$

$$\rho \sim \left[2 \cdot 2 \times 10^{16} + 12 \cdot 2 \cdot 0.5 \times 10^{16} \right] m_p \cdot \text{cm}^{-3} = 2.7 \times 10^{-7} \text{ g/cm}^3$$

$$\Delta v/c \sim 0.00073$$

More massive ions penetrate deeper into the diffusion layer, and experience a larger total force which compensates for their greater inertia.



