

## Radial Location of the HFT Layers: A study in optimization

The location of the HFT detectors is determined by considerations that are as esoteric as  $\Lambda_c$  reconstruction efficiency and as mundane as staying outside of the beampipe ... and also a bit of wisdom learned from prior experiments. But are the canonical radial locations optimized and can we prove it?

The baseline design for the HFT puts the first layer of pixel detectors at a radius of 2.5 cm and the second layer at a mean radius of 7.0 cm. The outer layer is actually staggered and the ladders are alternately located at two different radii; 6.5 cm and 7.5 cm.

In this note, I will explore the overall pointing accuracy, and efficiency, of the HFT system in two different ways. The first exercise will be to keep HFT-1 at the smallest radius possible (2.5 cm) but to move HFT-2 in and out from its canonical position to see if the pointing accuracy and/or efficiency can be improved. The second exercise will be to keep a constant spacing between the HFT layers but to move the pair outwards.

**Exercise 1:** Keep the inner HFT layer at constant radius but move the outer layer to a different position. Figures 1 and 2 show what happens when the outer layer moves in the range from 5 cm to 10 cm radius.

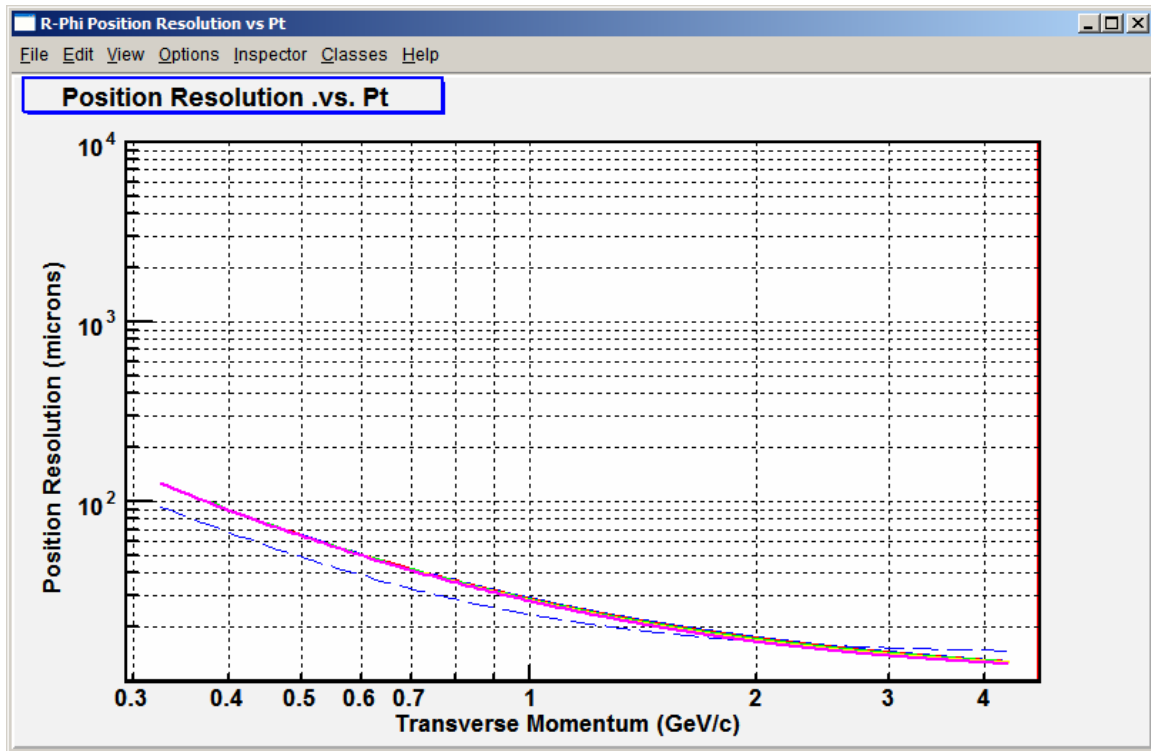


Figure 1: The magenta colored line is a super-position of several identical results. Moving the outer HFT layer outwards in 1 cm steps from 5 to 10 cm does not change the single track pointing resolution. This is because the pointing resolution is dominated by the characteristics of the inner HFT layer ... which did not move.

In contrast to the pointing resolution shown in Fig 1, the efficiency for reconstructing the D0s \*does\* change when the outer layer of the HFT occupies different positions. See Fig 2.

In all of these figures, the efficiency is quoted in arbitrary units. The solid line is the single track efficiency for the combination of the two HFT layers. The dashed line is the single track efficiency squared times 0.8, to represent the inefficiency of the rest of the tracking system, and the energy scale has been doubled to represent the summed energy of two mean  $p_T$  particles. The dashed line is a simplified estimate of the D0 tracking efficiency and should only be used for relative comparisons.

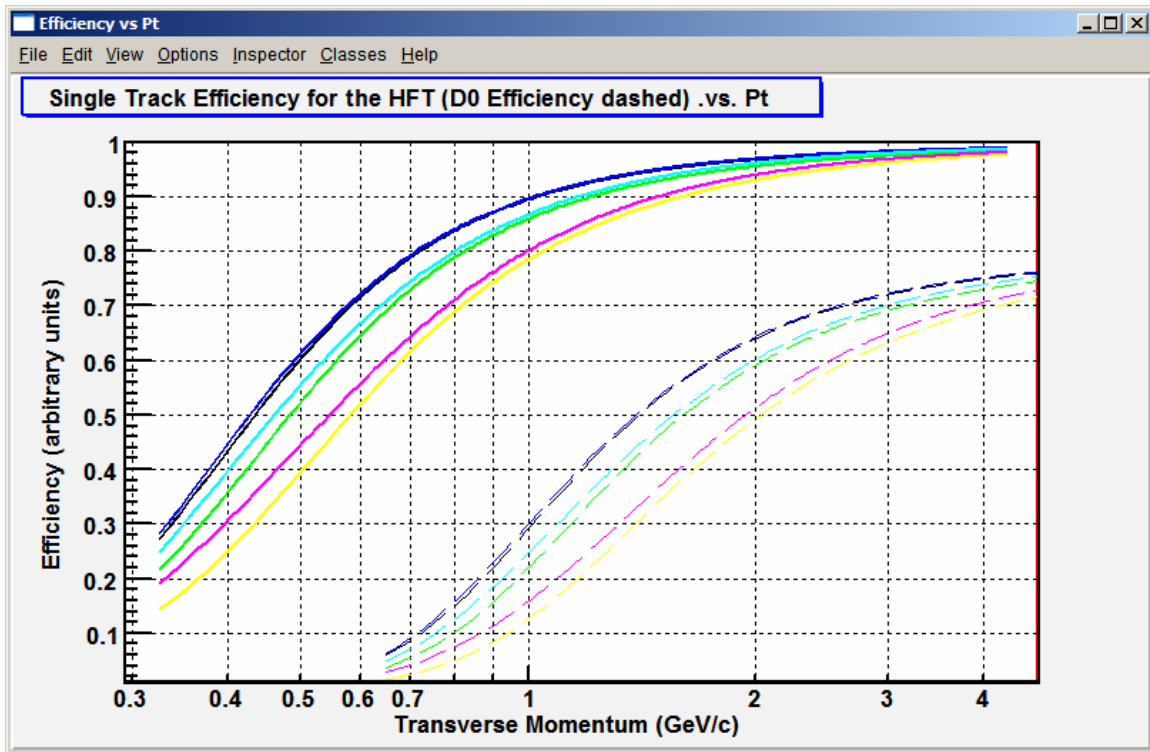


Figure 2: The single track efficiency of the HFT in arbitrary units is shown as a function of transverse momentum. The solid lines represent different locations for the outer HFT layer. The color coding shows HFT-2 at 5.0 cm (Magenta), 6.0 cm (Cyan), 7.0 cm (Blue), 8.0 cm (Black), 9.0 cm (Green), and 10.0 cm (Yellow). There is a maximum efficiency and a plateau between 7 and 8 cm radius which is shown, better, in Fig. 3.

Fig. 3 shows the data points for the single track reconstruction efficiency at 750 MeV as a function of the radial position of HFT-2. The plateau between 6.5 and 8.0 cm is clearly visible.

The efficiency for successfully associating the correct hit with a track depends on two terms; the pointing resolution of the detector telescope and the piled-up hit density on the next layer of the system. So in Fig. 3, HFT-2 does not do a very good job of pointing at HFT-1 when it sits at 10.0 cm radius due to the relatively long distance to HFT-1 and the multiple Coulomb Scattering in HFT-2. However, the pointing resolution of the system

improves as HFT-2 moves to a smaller radius and is closer to HFT-1. At about 7.5 cm radius the efficiency is maximum, and at smaller radii, the hit density on HFT-2 starts to become a problem because the hit density increases as the radius decreases and the efficiency of the IST+SSD tracker starts to suffer as a result of the increased number of false hits falling within the 1 sigma limit of the IST+SSD system pointing at HFT-2. The interference between these two terms causes the plateau.

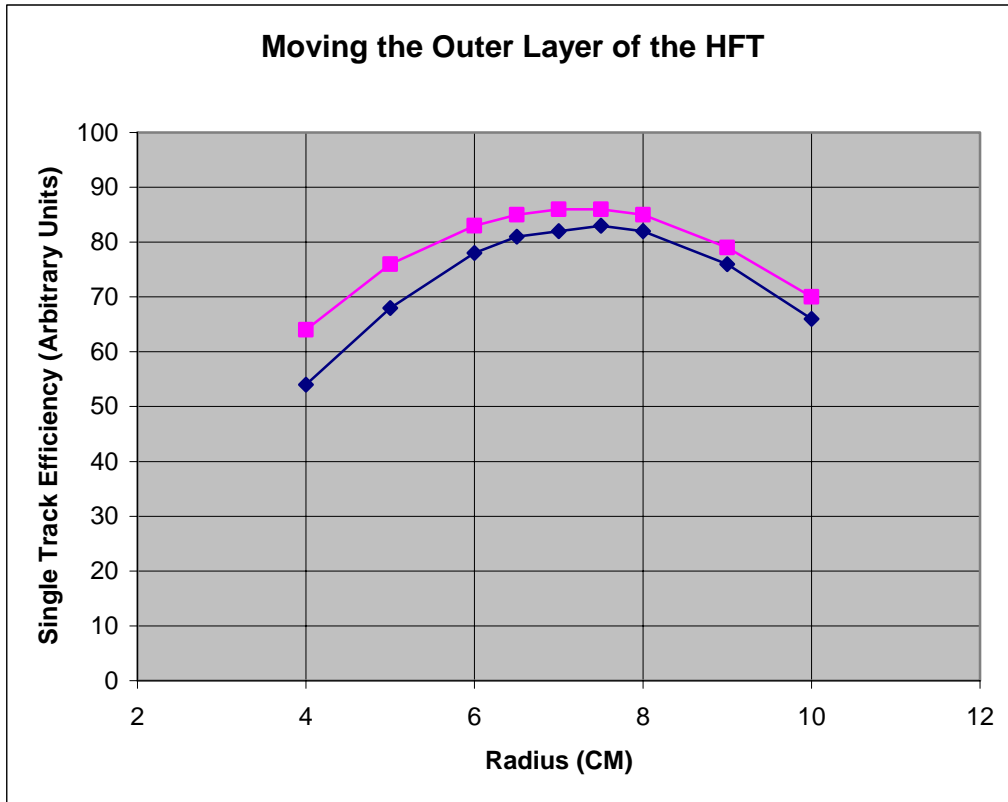


Figure 3: The efficiency for reconstructing a 750 MeV Kaon with the HFT detector telescope. In this study, the position of HFT-2 is changed from 4 cm to 10 cm radius. The position of HFT-1 does not change. The efficiency is maximal between 6.5 and 8.0 cm radius. Since the nominal design of the HFT puts the HFT-2 ladders at staggered radii of 6.5 and 7.5 cm, we can conclude that these locations are very well chosen.

The blue line in Fig. 3 is the efficiency for the nominal HFT/IST design. The pink line is the efficiency for an IST without the usual pad layers. Note that the difference between the two lines is larger at smaller radius ... this is because removing the pad layers on the IST provides a strong improvement in the pointing resolution of the system and this improvement is needed because HFT-2 has a serious pile-up problem at these smaller radii. The difference between the two lines is smaller at large radii because the pile-up and inefficiency in HFT-2 is not so important ... rather the pointing resolution onto HFT-1 by HFT-2 has become the dominant inefficiency and the pointing resolution of the IST layers is, now, not so important.

Thus the current location of the HFT layers is very good. The maximum efficiency is achieved between 6.5 and 8 cm, however, cost considerations drive us toward wanting to stay near the smaller radius. The nominal design of the HFT puts the HFT-2 ladders at staggered radii of 6.5 and 7.5 cm and these are well chosen.

**Exercise 2:** Keep the spacing between the HFT layers constant but move both of them outwards. The canonical distance between HFT-1 and HFT-2 is 4.5 cm. Fig. 4 shows the effect of moving the layers of the HFT outward in 0.5 cm steps. The blue line is the standard configuration with HFT-1 located at 2.5 cm radius. The figure shows that the pointing resolution of the system gets worse as the HFT telescope moves further away from the vertex.

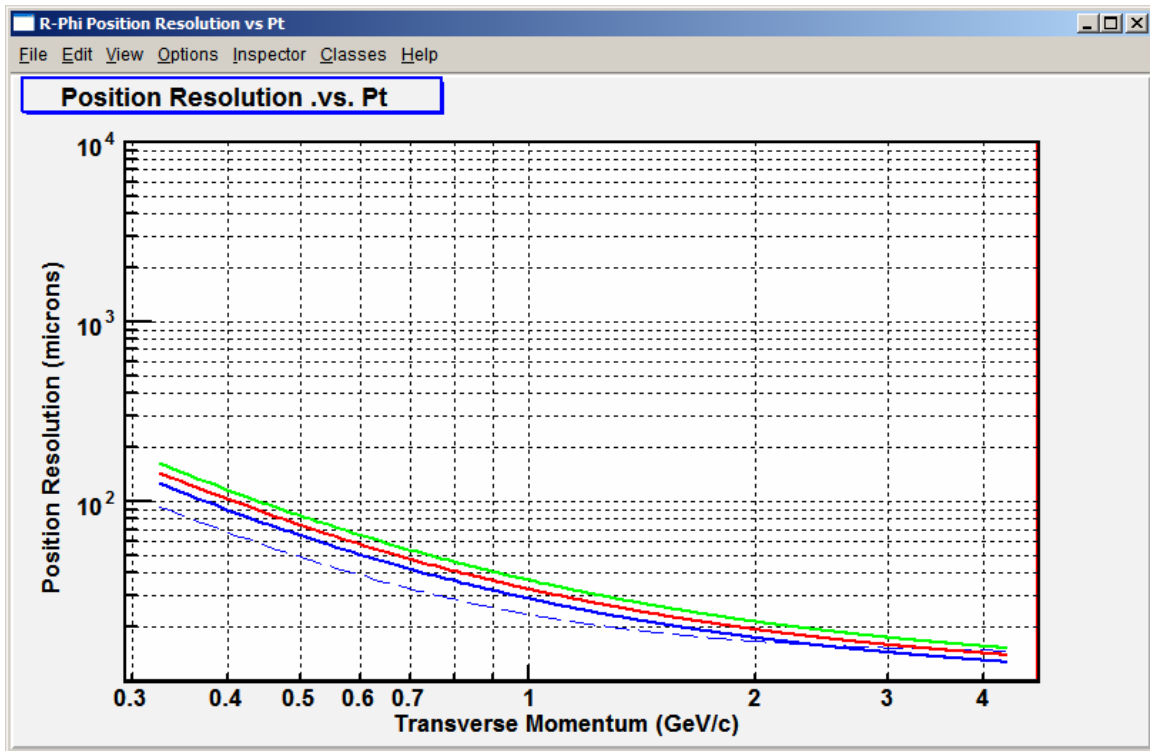


Figure 4: Stepping out both HFT-1 and HFT-2 by 0.5 cm steps. The distance between the layers is kept constant. The blue line shows the position resolution of the HFT when the detectors are in their nominal position (i.e. HFT-1 at 2.5 cm and HFT-2 at 7.0 cm radius). The red line shows what happens when HFT-1 moves out to 3.0 cm radius and the green line shows the results for HFT-1 at 3.5 cm radius.

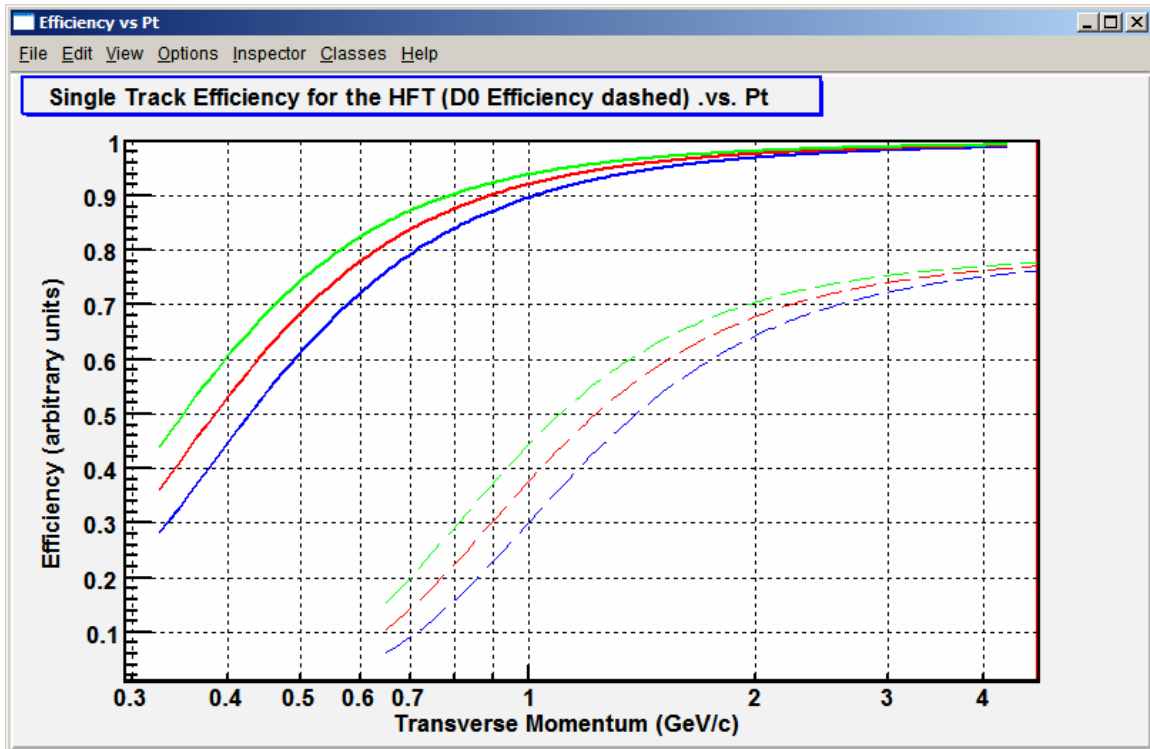


Figure 5: Stepping out both HFT1 and HFT2 by 0.5 cm steps. Blue is the nominal position. The efficiency is quoted in arbitrary units. The solid line is the single track efficiency for the combination of the two HFT layers. The dashed line is the single track efficiency squared times 0.8, to represent the inefficiency of the rest of the tracking system, and the energy scale has been doubled to represent the summed energy of two mean pt particles. The dashed line is a simplified estimate of the D0 tracking efficiency and should only be used for relative comparisons.

Fig. 5 shows the combined single track efficiency for the HFT detector in arbitrary units. If you compare this figure to the results shown in Fig. 4, you will see that the efficiency of the system improves as the pointing resolution of the system gets worse. This curious result is due to the decreasing hit density on HFT-1 (and also HFT-2) as the detectors are moved out in radius. The density on HFT-1 dominates the inefficiency calculation in this configuration and so decreasing the density on HFT-1 improves the efficiency. This result suggests that we may be able to trade pointing resolution for additional efficiency in recovering D0s; however, the gain is probably not large enough to justify moving the detectors out from their canonical positions. My guess is that the closer to the vertex, the better ... but it is a non-linear optimization that should include the effect of pointing resolution on invariant mass reconstruction as well as the hit/track matching efficiency ... and several other effects. What do you think?

The parameters used in these calculations are listed below:

```
#define      RIDICULOUS          99999.99    // A ridiculously large resolutio
#define      Mass                0.540      // Mass of the test particle in G
#define      BFIELD              0.5        // Tesla (test data taken at 0.2
#define      AvgRapidity         0.5        // Avg rapidity, MCS calc is a fu
#define      Luminosity          1.e28     // Luminosity of the beam (RHIC I
#define      Sigma               15.0      // Size of the interaction diamon
#define      dNdEta              170       // Multiplicity per unit Eta (Au
#define      CrossSection        10        // Cross section for event under
#define      IntegrationTime     0.2       // Integration time for HFT chips
#define      BackgroundMultiplier 1.0      // Increase multiplicity in detec
#define      SiScaleFactor       0.288     // For scaling Si pad sizes. (eg
#define      EfficiencySearchFlag 1        // Define search method. ChiSquar

// Most likely Detector parameters you may want to tune are in the block starting her

#define      VtxResolution       0.3000    // cm Test data wants 3 mm verte
#define      VtxResolutionZ     0.3000    // cm Test data wants 3 mm verte

#define      BeamPipe1Resolution RIDICULOUS // Beampipe is not active as a de

#define      Hft1Resolution      0.0030    // cm 30 x 30 micron pixels
#define      Hft1ResolutionZ    0.0030    // cm 30 x 30 micron pixels

#define      Hft2Resolution      0.0030    // cm 30 x 30 micron pixels
#define      Hft2ResolutionZ    0.0030    // cm 30 x 30 micron pixels

#define      BeamPipe2Resolution RIDICULOUS // Beampipe is not active as a de

#define      Ist1Resolution      0.0060    // cm 60 x 4.0 micron and cm (
#define      Ist1ResolutionZ    4.0000    // cm 60 x 4.0 microns and cm (

#define      Ist1PrimeResolution 0.1920    // cm 1.92 mm x 1.20 mm pads (60
#define      Ist1PrimeResolutionZ 0.1200  // cm 1.92 mm x 1.20 mm pads (60

#define      Ist2Resolution      4.0000    // cm 60 x 4.0
#define      Ist2ResolutionZ    0.0060    // cm 60 x 4.0

#define      Ist2PrimeResolution 0.1200    // cm 1.92 mm x 1.20 mm pads (60
#define      Ist2PrimeResolutionZ 0.1920  // cm 1.92 mm x 1.20 mm pads (60

#define      SsdResolution       0.0095    // cm 95 x 4200 microns double
#define      SsdResolutionZ     0.2700    // cm 95 x 4200 microns double

#define      IFCResolution       RIDICULOUS // IFC is not active as a detecto

#define      TpcResolution       0.0575    // cm 600 x 1500 microns ...Test
#define      TpcResolutionZ     0.1500    // cm 600 x 1500 microns ...Test

// End of 'most likely' block, but there are more parameters, below.

#define      VtxIndex            0
#define      BeamPipe1Index      1
#define      Hft1Index           2
#define      Hft2Index           3
#define      BeamPipe2Index      4
#define      Ist1Index           5
#define      Ist1PrimeIndex      6
#define      Ist2Index           7
#define      Ist2PrimeIndex      8
#define      SsdIndex            9
#define      IFCIndex            10
#define      TpcIndex            11
#define      VtxThickness        0.0000    // % Radiation Lengths
#define      BeamPipe1Thickness  0.0018    // % Radiation Lengths (as in 0.01 ==
#define      Hft1Thickness       0.0028    // % Radiation Lengths (0.0028 new 0.
#define      Hft2Thickness       0.0028    // % Radiation Lengths (0.0028 new 0.
#define      BeamPipe2Thickness  0.0018    // % Radiation Lengths
#define      Ist1Thickness        0.0075    // % Radiation Lengths
#define      Ist1PrimeThickness  0.0075    // % Radiation Lengths
```

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#define Ist2Thickness 0.0075 // % Radiation Lengths
#define Ist2PrimeThickness 0.0075 // % Radiation Lengths
#define SsdThickness 0.0100 // % Radiation Lengths
#define IFCThickness 0.0052 // % Radiation Lengths
#define TpcAvgThickness 0.00026 // % Radiation Lengths ... Average pe
#define VtxRadius 0.0 // cm
#define BeamPipe1Radius 2.05 // cm (2.05 new 1.50 old)
#define Hft1Radius 2.5 // cm (2.5 new 1.55 old)
#define Hft2Radius 7.0 // cm (7.0 new 5.00 old)
#define BeamPipe2Radius 8.55 // cm (8.55 new 6.05 old)
#define Ist1Radius 12.0 // cm (12.0 IST,10.0 SVT, option 9.5)
#define Ist1PrimeRadius 12.1 // cm (12.1 IST1Prime)
#define Ist2Radius 17.0 // cm (17.0 IST,14.0 SVT)
#define Ist2PrimeRadius 17.1 // cm (17.1 IST2Prime,14.0 SVT)
#define SsdRadius 23.0 // cm
#define IFCRadius 47.25 // cm Middle-Radius of the IFC ... i
#define TpcInnerRadialPitch1 4.8 // cm
#define TpcInnerRadialPitch8 5.2 // cm
#define TpcOuterRadialPitch 2.0 // cm
#define TpcInnerPadWidth 0.285 // cm
#define TpcOuterPadWidth 0.620 // cm
#define InnerRows1 8
#define InnerRows8 5
#define InnerRows (InnerRows1+InnerRows8)
#define OuterRows 32
#define TpcRows (InnerRows1 + InnerRows8 + OuterRows)
#define RowOneRadius 60.0 // cm
#define RowEightRadius 93.6 // cm
#define RowFourteenRadius 127.195 // cm

```