JPEG 2000 Progress Report: Part 2 Support for Optional Filter Banks

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Objective

- Allow user-supplied filter banks other than the 9/7 and 5/3 from Part 1
- Facilitates various extensions:
 - Specific camera or computing hardware characteristics
 - Specialized image content
 - Multicomponent band-decorrelation filters
 - Data-dependent filters (e.g., "principal component filter banks")
- Decision to employ user-supplied filter bank is an *encoder* option; hard to anticipate in advance what encoders will want to do in the future, but syntax and algorithms for decoding need to be supplied in Part 2.
- Two primary categories of "Part 2" filters:
 - "Old favorites" that have been used in the past
 - Can codify specific implementations, including reversible methods
 - Arbitrary user-defined filter banks
 - Need generic algorithms for implementing and signaling filter banks
 - Demand for both odd- and even-length linear phase filter categories

Key Technical Problems

- Implementation of generic odd-length filters is a straightforward generalization of current Part 1 algorithms:
 - Same symmetric extension methods used for the 9/7 filter bank will work for arbitrary odd-length filter banks, either convolutional or lifted.
 - Symmetric extension does not affect reversibility; i.e., symmetric extension techniques enable lossless coding with *any* reversible filter bank.
 - Lifting implementation necessary for reversible transforms and SSOWT.
- Signaling generic lifting implementations requires validating a generic lifting architecture:
 - VM currently accepts multiple, high-order lifting steps.
 - Part 2 Annex F (CD Pre-release) has been structured to formalize the VM's approach to signaled filter banks, using the same lifting step structure for both odd- and even-length linear phase filters.
- Implementation of generic even-length filters requires new transform algorithms to enable resolution scalability and geometric image manipulations within the compressed codestream.

Resolution Scalability

- Resolution scalability: expressed by the convention of alternating lowpass & highpass samples, incl. across tile boundaries, regardless of tile sizes or number of levels of wavelet decomposition.
 - Equivalent to having DWT algorithms for both "lowpass-first" and "highpass-first" transforms on both even-length and odd-length tiles:
 - For even-length tiles (N=2K), need algorithms that produce K lowpass and K highpass outputs.
 - For odd-length tiles (N=2K+1), need algorithm that produces K+1 lowpass and K highpass outputs ("lowpass-first"), and another that produces K+1 highpass and K lowpass outputs ("highpass-first")
 - This is already enabled for arbitrary odd-length filter banks using symmetric extension algorithms in Part 2 Annex F.
- We have defined transform methods for even-length filter banks that satisfy these conditions, as well as enabling geometric image transformations via compressed codestream manipulation.
- Four transform cases: even-length input w/ lowpass-first (EL) or highpass-first (EH) offset; odd-length input w/ lowpass-first (OL) or highpass-first (OH) offset.

Geometric Image Manipulation

• Transforms intertwined by an image manipulation on the canvas



•Transforms T' intertwined with T: these intertwinings *must* be satisfied by any proposed transform def's so as to abide by the odd/even offset conventions of the canvas (necessary cond's)

| Т | flip | shift & flip | crop 1 left | crop 1 right |
|----|------|-----------------|----------------|-----------------|
| EL | EH | EL | OH | OL |
| EH | EL | EH | OL | OH |
| OL | OL | OH | EH | EL |
| OH | OH | OL | EL | EH |

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Intertwining Example: Left Cropping

• OH and EL transforms need to be chosen so that the codestream manipulation only needs to crop a highpass coef. and recompute the next couple of samples of Y'.



Transform Definitions for Odd-Length Filter Banks

- All input vectors extended by (1,1)-symmetric extension.
- One analysis filter has impulse response center at 0, the other analysis filter has impulse response center at -1.
- The transforms for odd-length filter banks are defined as follows:

| Trans form | Lowpass, Highpass Centers |
|------------|---------------------------|
| EL | 0, -1 |
| EH | -1, 0 |
| OL | 0, -1 |
| OH | -1, 0 |

- These choices satisfy resolution scalability.
- Codestream manipulations exist for flip, crop transformations.

Transform Definitions for Even-Length Filter Banks

- All input vectors extended by (2,2)-symmetric extension.
- Analysis filters have both impulse response centers at -1/2 or +1/2.
- The transforms for even-length filter banks are defined as follows:

| Trans form | Lowpass, | Postprocessing at right | |
|------------|------------------|-------------------------|--|
| | Highpass Centers | boundary | |
| EL | +1/2, +1/2 | (L,L) -> (L,H) | |
| EH | -1/2, -1/2 | | |
| OL | +1/2, +1/2 | | |
| OH | -1/2, -1/2 | (L,L) -> (L,H) | |

- These choices satisfy resolution scalability.
- Codestream manipulations exist for shift & flip, crop transformations.
- Previous proposal involving (2,2)-antisymmetric extension:
 - Did not support all transform-domain geometric manipulations
 - Exhibited undesirable sensitivity to tiling parameters

Postprocessing Concept

- Example of postprocessing at right end of the EL transform.
- E.g., 2-point Haar: {L, L'} -> {(L+L')/2, (L-L')/2}
- Other options exist



Quantitative Results

• Rate-distortion comparisons for "goldhill" image with 128 x 128 tiles, 5 levels of decomposition (extreme case exaggerating boundary effects)



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Summary

- LANL has implemented the convolutional algorithms for even-length linear phase filter banks in VM 7.2.
 - Allows decomposition using even-length filter banks on arbitrarysize images with arbitrary tilings, subband decompositions, or reference grid offsets.
 - Handles all cases successfully based on testing done to date (testing has been limited to even-length filter banks with 2-tap lowpass analysis filters).
 - Shown to be compatible with transform domain geometric manipulations.
 - Fine-tuning details of postprocessing at right boundary to be resolved.

Recommendations

- Include even-length algorithms in Part 2 Annex F using the generic lifting framework already defined there.
- Add examples of even-length filter banks to Part 2 Annex F.
- Add LANL convolutional software to VM.
- Continue the core experiment for New Orleans:
 - Fine-tune choice of 2-point postprocessing transform, incl. subjective analysis of distortion & tiling artifacts.
 - Develop software lifting implementation of generic transforms for both even- and odd-length optional filter banks.
 - Work with Part 2 Annex G and H authors to verify compatibility of generic filter bank specifications and software with the SSOWT methods in Annex G and the generalized subband decompositions in Annex H.