

Neutrino Scattering Physics at Superbeams and Neutrino Factories

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**5th International Workshop on Neutrino Factories & Superbeams
Columbia University, New York, June 5-11, 2003**

- **Introduction**
- **High-energy spin physics**
- **Nuclear structure functions**
- **Low/medium-energy scattering** (long baseline)

June 5, 2003

Related talks in WG2

Refs. **C. Albright et al.**, hep-ex/0008064,
M. L. Mangano et al., hep-ph/0105155,
Y. Kuno et al., NuFact-J studies, version 1.0.

Monday, June 9

Strangeness

- W. Albrecio** Neutrino-nucleon scattering and strange form factors
R. Tayloe Measuring the Strange Spin of the Nucleon with Neutrinos
Y. Miyachi Neutrino Scattering on the Nucleon and Parton Distribution Functions

Deep Inelastic Scattering

- U. Yang** Unified approach for modelling neutrino and electron scattering cross section from very high Q^2 to $Q^2=0$
F. Sergiampietri Near liquid argon detector for near future
B. Bernstein NuTeV Structure Functions: Preliminary Results and Future Work

$\sin^2\theta_W$: Recent Results and Future Measurements

- I. Younus** First Results from SLAC E-158; Measuring Parity Violation in Moller Scattering
P. Reimer DIS-Parity: Measuring $\sin^2\theta_W$ with Parity Violating Deep Inelastic Scattering
J. Yu Precision Measurement of $\sin^2\theta_W$ at a Neutrino Factory

Tuesday, June 10

Neutrino Cross-Sections (with WG1)

- G. Zeller** How well do we understand neutrino cross-sections?
C. Walter Low energy neutrino-nucleus cross-sections
K. McFarland Cross-section measurements at MINerVA/FINeSE/JHF

Why nucleonic & nuclear structure at ν factory?

(1) **Basic interest to understand hadron structure, determination of fundamental constants**

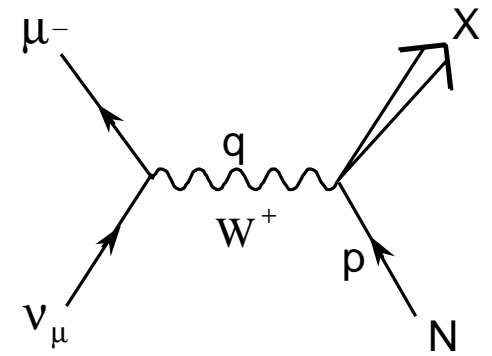
- **perturbative & non-perturbative QCD**
- **fundamental constants: α_s , $\sin^2\theta_W$**

(2) **Practical purpose: to describe hadron cross sections precisely. For hadron reactions with $Q^2 > 1 \text{ GeV}^2$, accurate PDFs (parton distribution functions) are needed.**

For example,

- **heavy-ion reactions: quark-gluon plasma signature**
- **exotic events at large Q^2 :
physics of “beyond current framework”**
- **neutrino oscillation: nuclear effects in $\nu + {}^{16}\text{O}$**

Neutrino deep inelastic scattering (CC)



$$d\sigma = \frac{1}{4k \cdot p} \frac{1}{2} \sum_{spins} \sum_X (2\pi)^4 \delta^4(k + p - k' - p_X) |M|^2 \frac{d^3k'}{(2\pi)^3 2E'}$$

$$M = \frac{1}{1 + Q^2/M_W^2} \frac{G_F}{\sqrt{2}} \bar{u}(k', \lambda') \gamma^\mu (1 - \gamma_5) u(k, \lambda) \langle X | J_\mu^{CC} | p, \lambda_p \rangle$$

$$\frac{d\sigma}{dE' d\Omega} = \frac{G_F^2}{(1 + Q^2/M_W^2)^2} \frac{k'}{32\pi^2 E} L^{\mu\nu} W_{\mu\nu}$$

$$L^{\mu\nu} = 8 \left[k^\mu k'^\nu + k^\nu k'^\mu - g^{\mu\nu} k \cdot k' + \underline{i\epsilon^{\mu\nu\rho\sigma} k_\rho k'_\sigma} \right] \quad \text{where } \epsilon_{0123} = +1$$

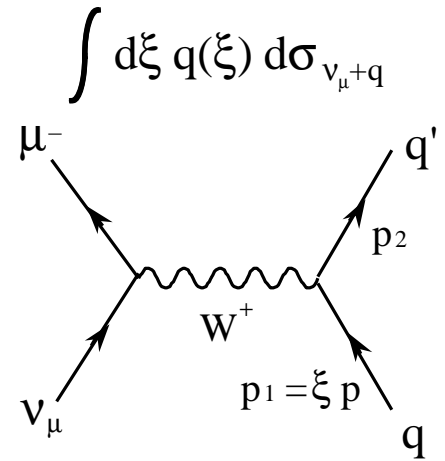
$$W_{\mu\nu} = -W_1 \left(g_{\mu\nu} - \frac{q_\mu q_\nu}{q^2} \right) + W_2 \frac{1}{M^2} \left(p_\mu - \frac{p \cdot q}{q^2} q_\mu \right) \left(p_\nu - \frac{p \cdot q}{q^2} q_\nu \right) + \frac{i}{2M^2} W_3 \epsilon_{\mu\nu\rho\sigma} p^\rho q^\sigma$$

$$MW_1 = F_1, \quad \nu W_2 = F_2, \quad \nu W_3 = F_3, \quad x = \frac{Q^2}{2p \cdot q}, \quad y = \frac{p \cdot q}{p \cdot k}$$

$$\frac{d\sigma_{\nu, \bar{\nu}}^{CC}}{dx dy} = \frac{G_F^2 (s - M^2)}{2\pi(1 + Q^2/M_W^2)^2} \left[xy^2 F_1^{CC} + \left(1 - y - \frac{Mxy}{2E} \right) F_2^{CC} \pm xy \left(1 - \frac{y}{2} \right) F_3^{CC} \right]$$

Neutrino-quark scattering (CC)

$$J_{\mu}^{CC} = \bar{u}(p_2, \lambda_2) \gamma_{\mu} (1 - \gamma_5) [d(p_1, \lambda_1) \cos \theta_c + s(p_1, \lambda_1) \sin \theta_c] \\ + \bar{c}(p_2, \lambda_2) \gamma_{\mu} (1 - \gamma_5) [s(p_1, \lambda_1) \cos \theta_c - d(p_1, \lambda_1) \sin \theta_c]$$



$$F_1^{\nu p(CC)} = F_2^{\nu p(CC)} / 2x$$

$$F_2^{\nu p(CC)} = 2x [d(x) + s(x) + \bar{u}(x) + \bar{c}(x)], \quad F_2^{\nu n(CC)} = 2x [u(x) + s(x) + \bar{d}(x) + \bar{c}(x)]$$

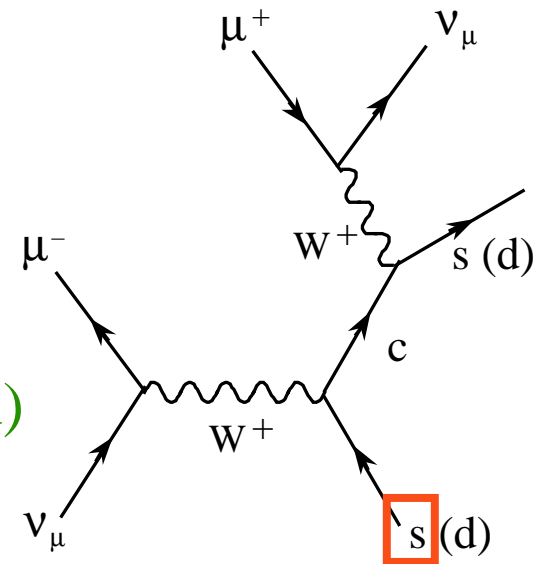
$$xF_3^{\nu p(CC)} = 2x [d(x) + s(x) - \bar{u}(x) - \bar{c}(x)], \quad xF_3^{\nu n(CC)} = 2x [u(x) + s(x) - \bar{d}(x) - \bar{c}(x)]$$

$$\longrightarrow \frac{1}{2} [F_3^{\nu p} + F_3^{\bar{\nu} p}]_{CC} = \underline{u_v + d_v} + s - \bar{s} + c - \bar{c}$$

valence-quark distributions

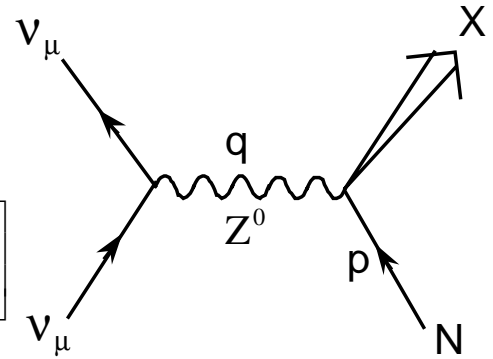
$$\frac{1}{4} [F_3^{\nu(p+n)} - F_3^{\bar{\nu}(p+n)}]_{CC} = s + \bar{s} - (c + \bar{c})$$

also $\nu p \rightarrow \mu^- \mu^+ X$ for finding $2\bar{s} / (\bar{u} + \bar{d})$



Neutrino deep inelastic scattering (NC)

$$\frac{d\sigma^{NC}}{dx dy} = \frac{\rho^2 G_F^2 (s-M^2)}{2\pi(1+Q^2/M_Z^2)^2} \left[xy^2 F_1^{NC} + \left(1-y-\frac{Mxy}{2E}\right) F_2^{NC} + xy \left(1-\frac{y}{2}\right) F_3^{NC} \right]$$



Neutrino-quark scattering (NC)

$$J_\mu^{NC} = \sum_q \bar{q}(p_2, \lambda_2) \gamma_\mu [g_L^q (1-\gamma_5) + g_R^q (1+\gamma_5)] q(p_1, \lambda_1)$$

$$g_L^{u,c} \equiv u_L = +\frac{1}{2} - \frac{2}{3} \sin^2 \theta_W, \quad g_R^{u,c} \equiv u_R = -\frac{2}{3} \sin^2 \theta_W$$

$$g_L^{d,s} \equiv d_L = -\frac{1}{2} + \frac{1}{3} \sin^2 \theta_W, \quad g_R^{d,s} \equiv d_R = +\frac{1}{3} \sin^2 \theta_W$$

$$F_1^{vp(NC)} = F_2^{vp(NC)} / 2x$$

$$F_2^{vp(NC)} = 2x [(u_L^2 + u_R^2) \{u^+(x) + c^+(x)\} + (d_L^2 + d_R^2) \{d^+(x) + s^+(x)\}]$$

$$xF_3^{vp(NC)} = 2x [(u_L^2 - u_R^2) \{u^-(x) + c^-(x)\} + (d_L^2 - d_R^2) \{d^-(x) + s^-(x)\}]$$

$$q^\pm(x) = q(x) \pm \bar{q}(x)$$

Sum rules in νN reactions

Adler $S_A = \int_0^1 \frac{dx}{x} [F_2^{\bar{\nu}p}(x, Q^2) - F_2^{\nu p}(x, Q^2)] = 2$

“unpolarized” Bjorken $S_{Bj} = \int_0^1 dx [F_1^{\nu n}(x, Q^2) - F_1^{\nu p}(x, Q^2)]$
 $= 1 - \frac{2}{3} \frac{\alpha_s(Q^2)}{\pi} + \dots + O\left(\frac{1}{Q^2}\right)$

Gross-Llewellyn Smith

$$S_{GRS} = \frac{1}{2} \int_0^1 dx [F_3^{\bar{\nu}p}(x, Q^2) + F_3^{\nu p}(x, Q^2)] = 3 \left[1 - \frac{\alpha_s(Q^2)}{\pi} + \dots \right] + O\left(\frac{1}{Q^2}\right)$$

→ determination of α_s

→ higher-twist effects

WG3 talks at NuFact02 (Weiss, Kataev, Bodek, Cvetic)

<http://www.hep.ph.ic.ac.uk/NuFact02/Scientific-programme/files/wg3.html>

or hep-ph/0211052

Recent unpolarized distributions

see <http://durpdg.dur.ac.uk/hepdata/pdf.html>

CTEQ6, JHEP 0207 (2002) 012; **GRV98**, Eur. Phys. J. C5 (1998) 461;

MRST02, hep-ph/0211080

suppose $E_\nu = 50 \text{ GeV}$

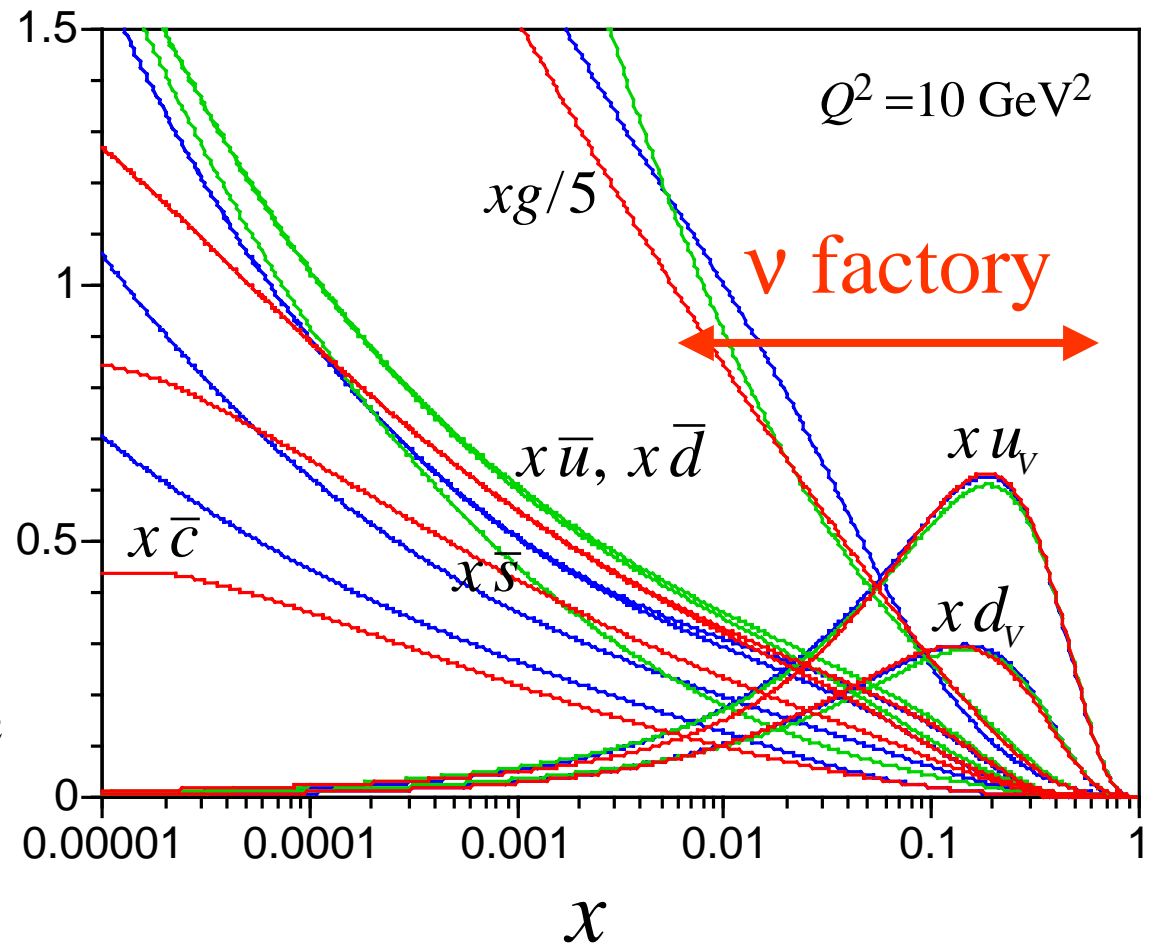
$$x = \frac{Q^2}{2 M q_0}$$

$$x_{\min} = \frac{\min(Q^2)}{2 M \max(q_0)}$$
$$= \frac{1}{2 \cdot 1 \cdot 50}$$

$$= 0.01$$

where $\min(Q^2) \sim 1 \text{ GeV}^2$

$$\max(q_0) = E_\nu$$



A stone monument stands in a park-like setting with lush green trees in the background. The monument is composed of several large, stacked stones, with a prominent, tall, narrow stone on top. The foreground is a grassy area with some scattered rocks.

**High-energy spin physics
in ν scattering**

Polarized PDF analysis

J. Blümlein & H. Böttcher
Nucl. Phys. B636 (2002) 225.

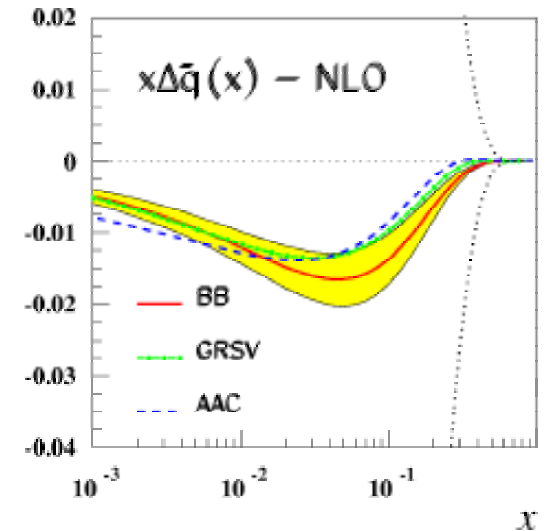
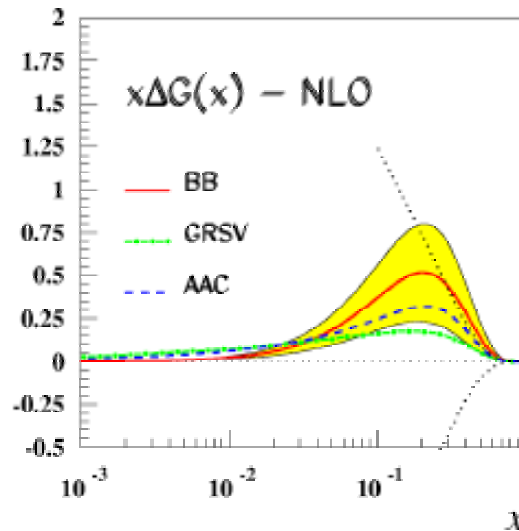
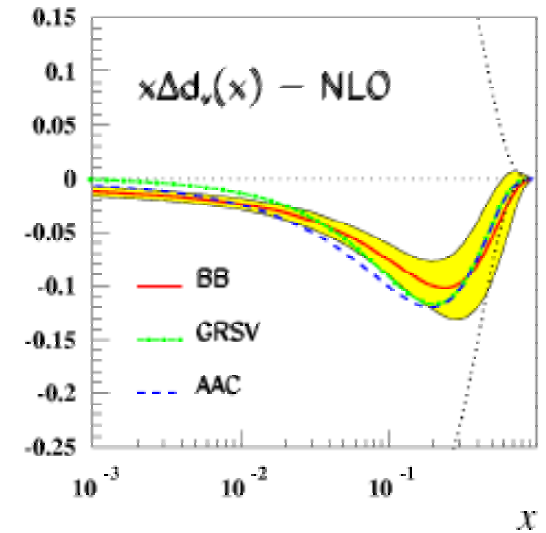
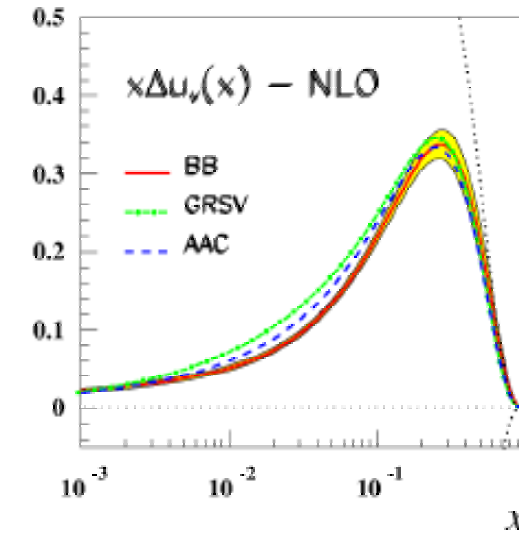
of e/μ scattering data

$$A_1 = \frac{\sigma_{1/2}^T - \sigma_{3/2}^T}{\sigma_{1/2}^T + \sigma_{3/2}^T} \cong g_1 \frac{2x(1+R)}{F_2}$$

$$\text{where } R = \frac{F_L}{2xF_1} \cong \frac{F_2 - 2xF_1}{2xF_1}$$

$$g_1^{LO} = \frac{1}{2} \sum_i e_i^2 (\Delta q_i + \Delta \bar{q}_i)$$

$$\Delta q \equiv q^\uparrow - q^\downarrow$$



Polarized neutrino-proton scattering (CC)

$$W_{\mu\nu} = (-g_{\mu\nu} + \frac{q_\mu q_\nu}{q^2}) F_1 + \frac{\hat{p}_\mu \hat{p}_\nu}{p \cdot q} F_2 - i \varepsilon_{\mu\nu\lambda\sigma} \frac{q^\lambda p^\sigma}{2p \cdot q} F_3$$

where $\hat{p}_\mu = p_\mu - \frac{p \cdot q}{q^2} q_\mu$

$$+ i \varepsilon_{\mu\nu\lambda\sigma} \frac{q^\lambda s^\sigma}{p \cdot q} g_1 + i \varepsilon_{\mu\nu\lambda\sigma} \frac{q^\lambda (p \cdot q s^\sigma - s \cdot q p^\sigma)}{(p \cdot q)^2} g_2$$

$$+ \left[\frac{\hat{p}_\mu \hat{s}_\nu + \hat{s}_\mu \hat{p}_\nu}{2p \cdot q} - \frac{s \cdot q \hat{p}_\mu \hat{p}_\nu}{(p \cdot q)^2} \right] g_3 + \frac{s \cdot q \hat{p}_\mu \hat{p}_\nu}{(p \cdot q)^2} g_4 + (-g_{\mu\nu} + \frac{q_\mu q_\nu}{q^2}) \frac{s \cdot q}{p \cdot q} g_5$$

new structure functions g_3, g_4, g_5

be careful about “various” definitions of g_3, g_4, g_5 !

$$\frac{d(\sigma_{\lambda_p=-1}^{CC} - \sigma_{\lambda_p=+1}^{CC})}{dx dy} = \frac{G_F^2 Q^2}{\pi(1+Q^2/M_W^2)^2 xy} \left\{ \left[-\lambda_\ell y(2-y)xg_1^{CC} - (1-y)g_4^{CC} - y^2 xg_5^{CC} \right] \right.$$

$$+ 2xy \frac{M^2}{Q^2} \left[\lambda_\ell x^2 y^2 g_1^{CC} + \lambda_\ell 2x^2 y g_2^{CC} + \left(1-y-x^2 y^2 \frac{M^2}{Q^2} \right) x g_3^{CC} \right.$$

$$\left. \left. - x \left(1 - \frac{3}{2}y - x^2 y^2 \frac{M^2}{Q^2} \right) g_4^{CC} - x^2 y^2 g_5^{CC} \right] \right\}$$

0 at $Q^2 \gg M^2$

g_1, g_4, g_5 in parton model (CC)

$$\Delta q \equiv q^\uparrow - q^\downarrow$$

$$g_4 = 2 \times g_5$$

$$g_1^{vp} = +\Delta d + \Delta s + \Delta \bar{u} + \Delta \bar{c} \quad , \quad g_1^{\bar{v}p} = +\Delta u + \Delta c + \Delta \bar{d} + \Delta \bar{s}$$

$$g_5^{vp} = -\Delta d - \Delta s + \Delta \bar{u} + \Delta \bar{c} \quad , \quad g_5^{\bar{v}p} = -\Delta u - \Delta c + \Delta \bar{d} + \Delta \bar{s}$$



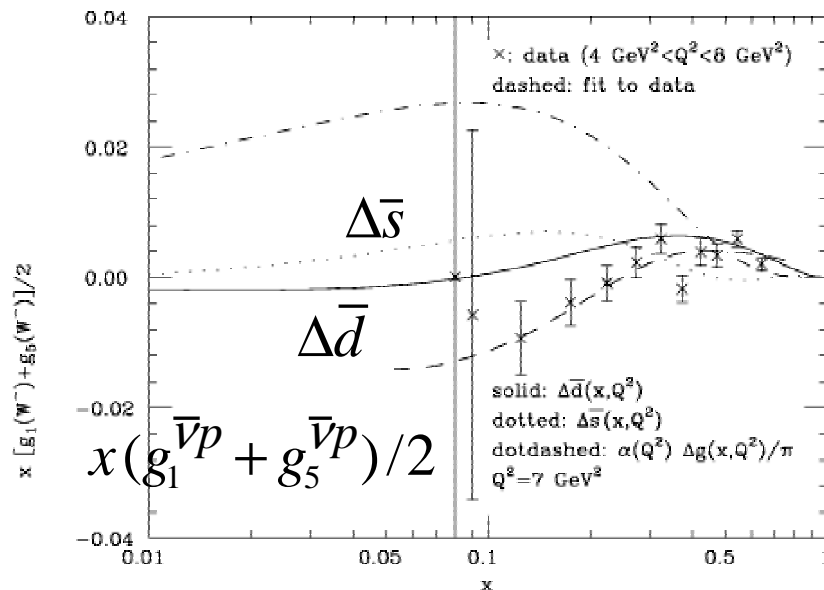
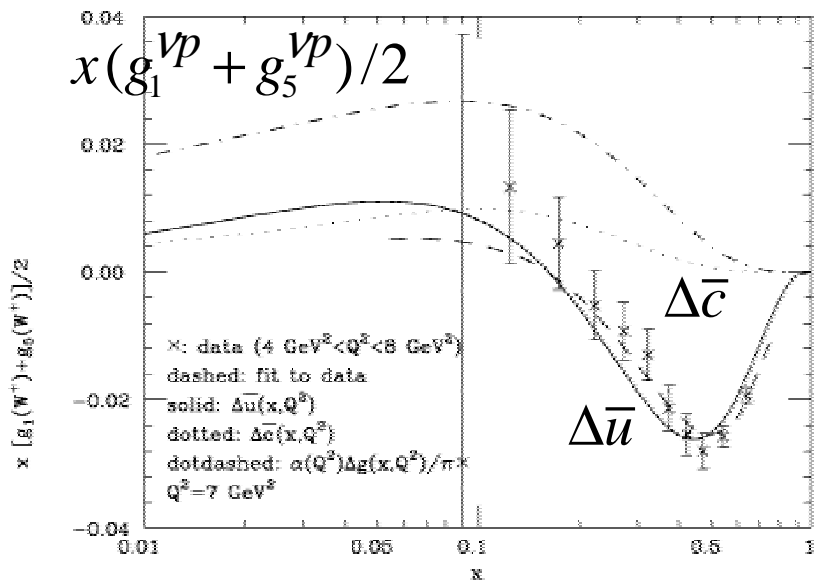
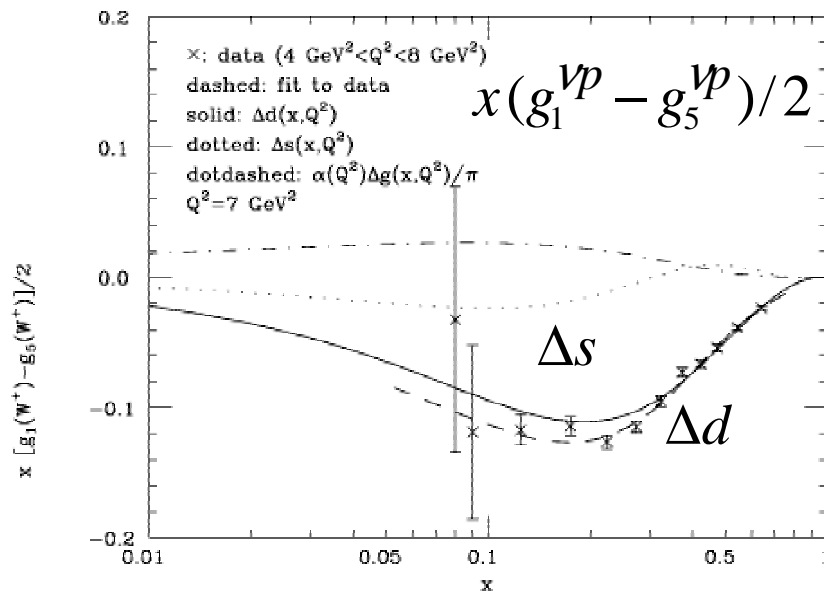
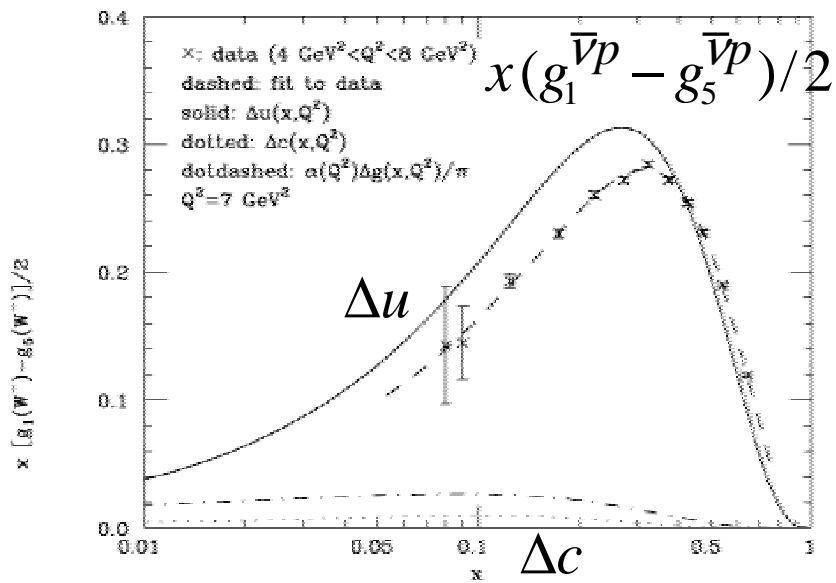
$$g_5^{vp} + g_5^{\bar{v}p} = -(\underline{\Delta u_v + \Delta d_v}) - (\Delta s - \Delta \bar{s}) - (\Delta c - \Delta \bar{c})$$

determination of valence polarization

$$g_5^{v(p+n)/2} - g_5^{\bar{v}(p+n)/2} = -(\underline{\Delta s + \Delta \bar{s}}) + (\Delta c + \Delta \bar{c})$$

Possibilities at ν factory

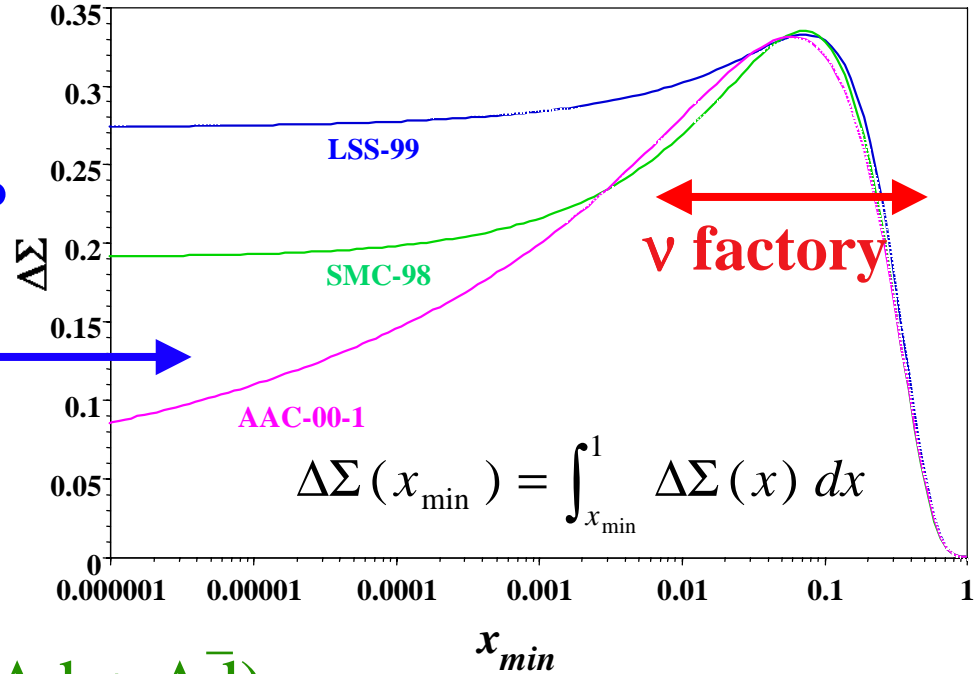
S. Forte, M. L. Mangano, G. Ridolfi
Nucl. Phys. B602 (2001) 585.



Quark spin content

e/μ scattering → ΔΣ = 0 ~30%

It is not uniquely determined.



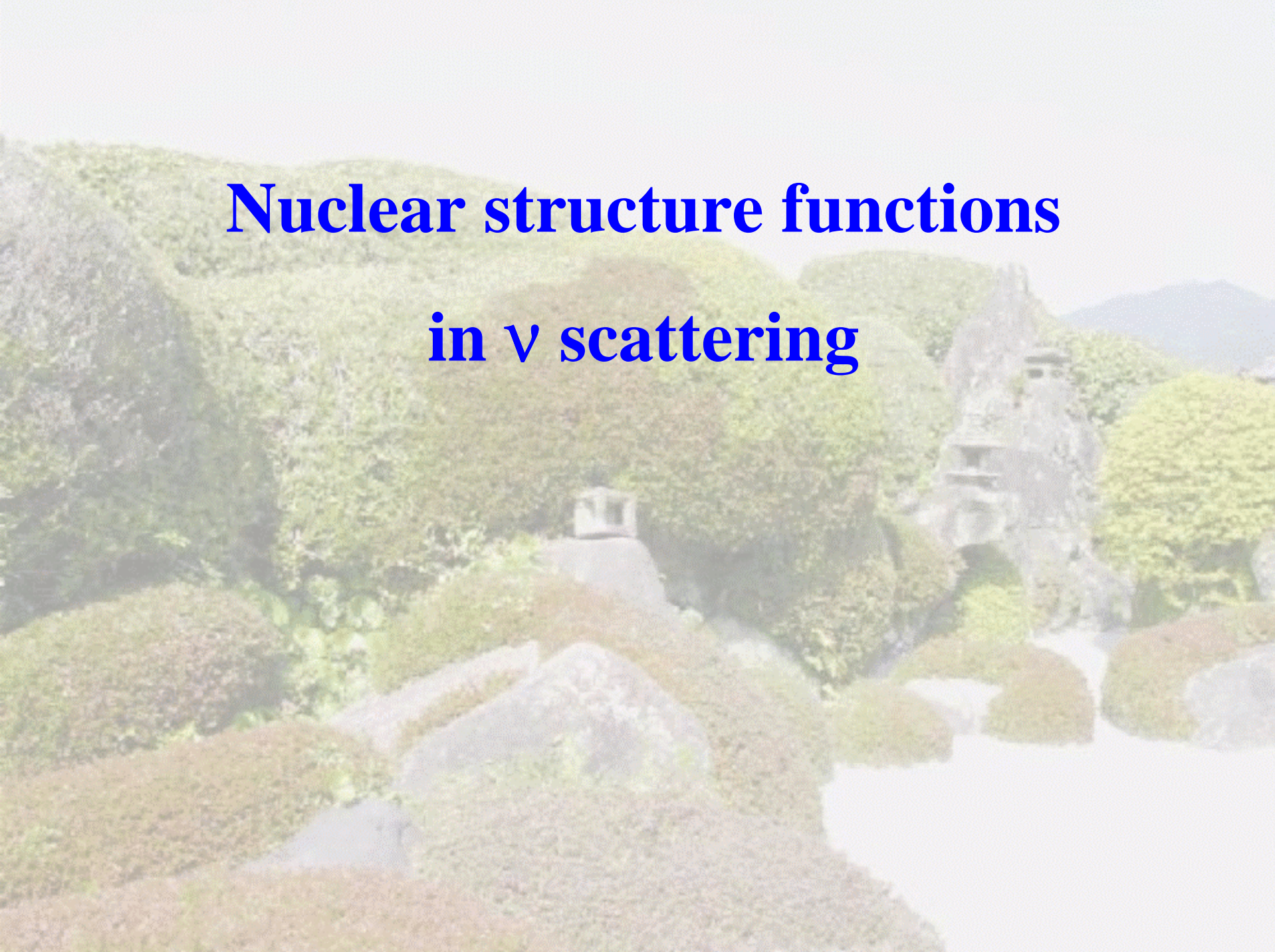
v scattering

$$g_1^{\nu p} + g_1^{\bar{\nu} p} = (\Delta u + \Delta \bar{u}) + (\Delta d + \Delta \bar{d}) \\ + (\Delta s + \Delta \bar{s}) + (\Delta c + \Delta \bar{c})$$

in LO $\int dx (g_1^{\nu p} + g_1^{\bar{\nu} p}) = \Delta\Sigma$

Δs: talks by Albrecio,
Taylor, Miyachi

independent determination of
quark spin content ΔΣ !

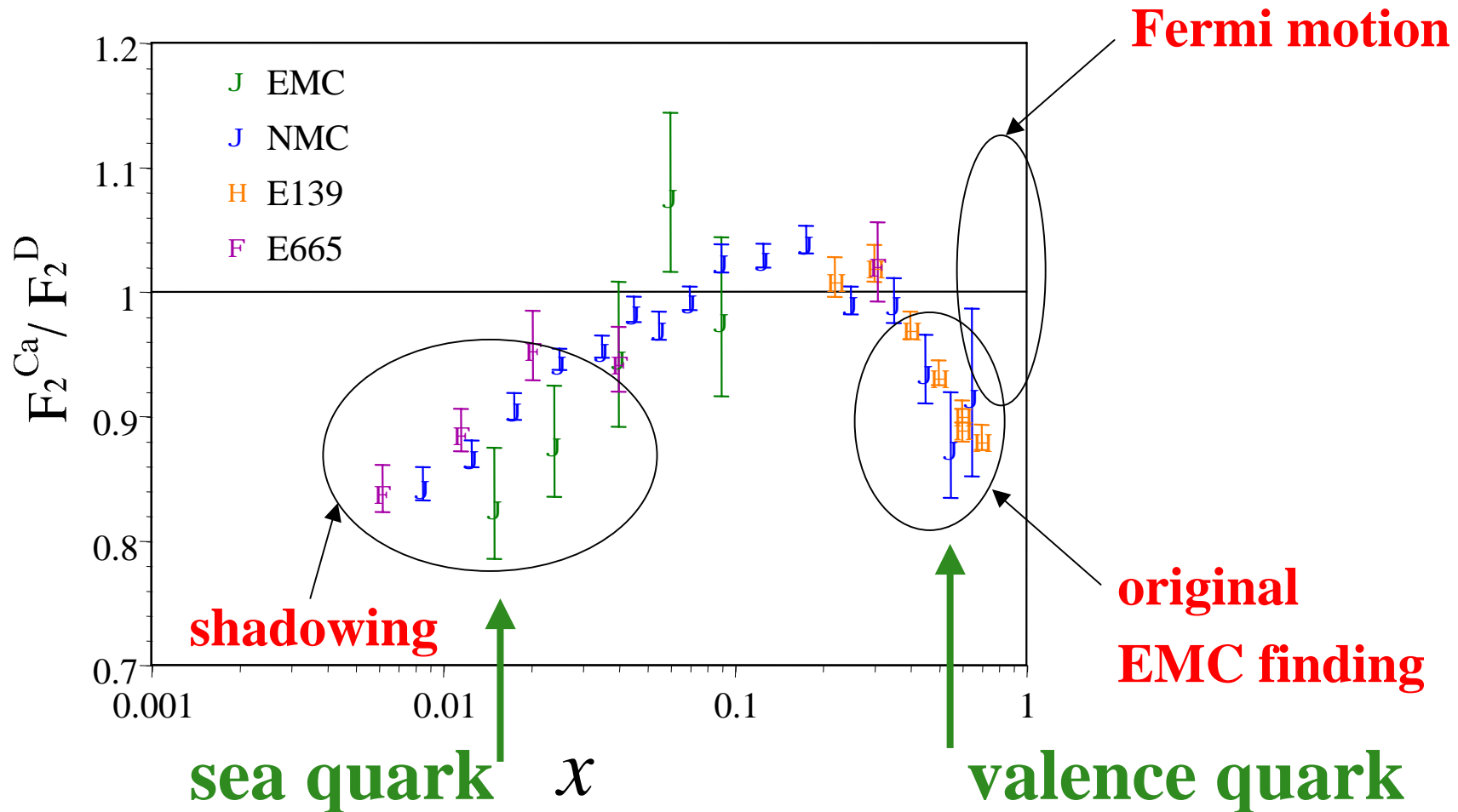
A scenic view of a traditional Japanese garden. The foreground is dominated by large, grey, moss-covered rocks. A stone lantern is visible in the middle ground, partially obscured by the rocks. The background features lush green trees and a misty, hazy atmosphere. The overall scene is peaceful and serene.

Nuclear structure functions in ν scattering

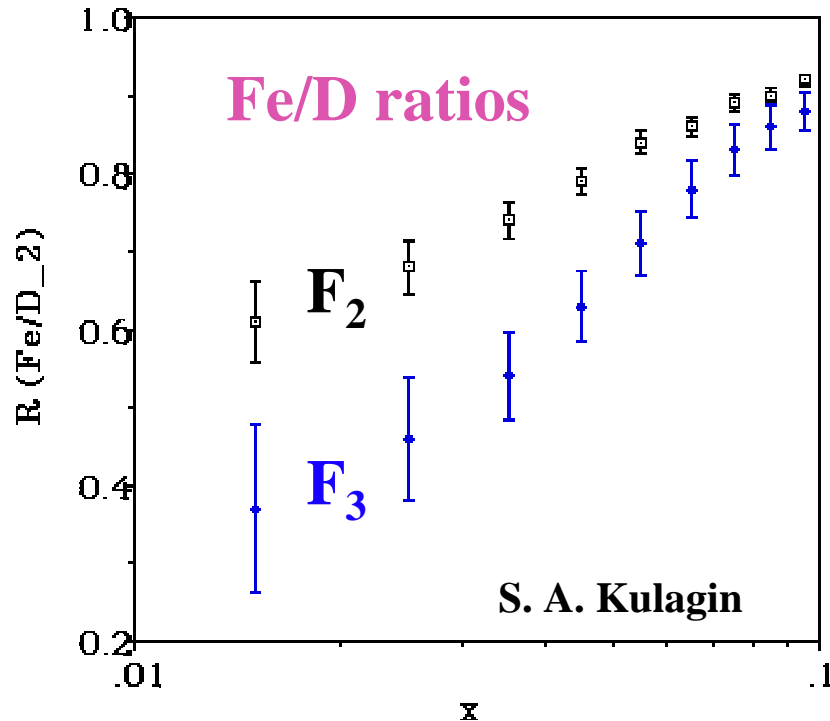
Nuclear modification

$$F_2^A = \sum_i e_i^2 x \left[q_i(x) + \bar{q}_i(x) \right]_A$$

Nuclear modification of F_2^A / F_2^D is well known in electron/muon scattering.

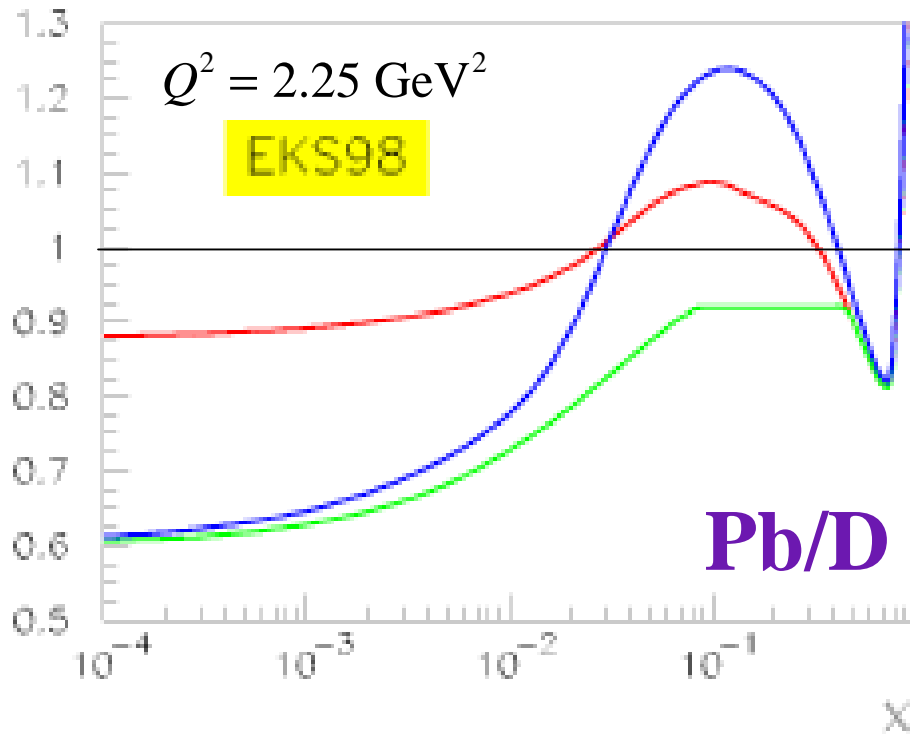


$$\frac{1}{2} [F_3^{vN} + F_3^{\bar{v}N}]_{CC} \cong u_v + d_v$$

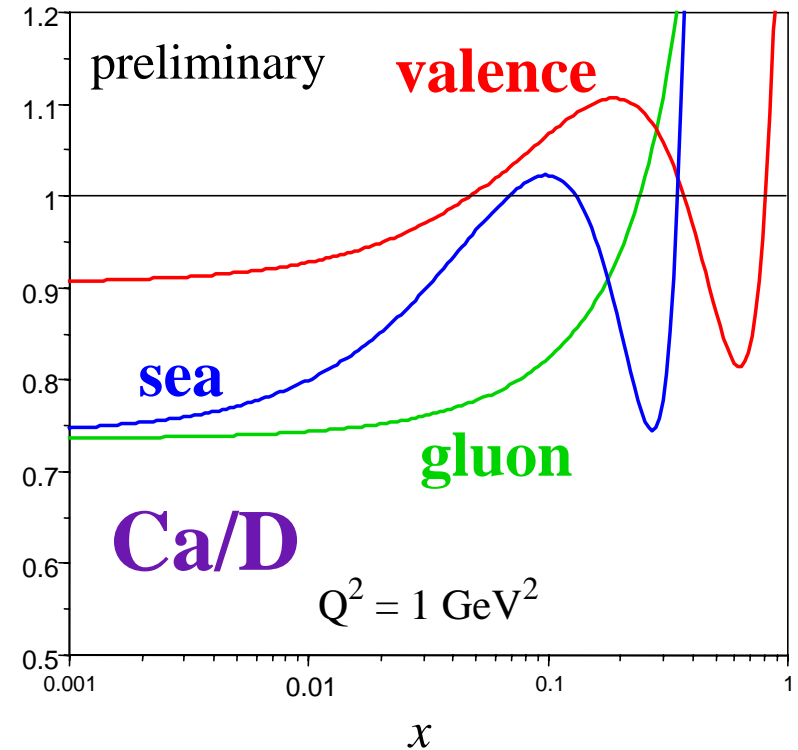


- test of shadowing models **F_3 (valence) shadowing** vs. **F_2 (sea) shadowing**
- accurate determination of nuclear PDFs

Nuclear PDFs



ν factory, NuMI



Eskola, Kolhinen, Ruuskanen, Salgado
 Nucl. Phys. B535 (1998) 351;
 Eur. Phys. J. C9 (1999) 61.

Hirai, SK, Miyama
 PRD, 64 (2001) 034003;
 research in progress.

‘HERMES effect’ (nuclear effect on R=L/T)

HERMES, Ackerstaff et al., PL B 475 (2000) 386;

Erratum, hep-ex/0210067; hep-ex/0210068.

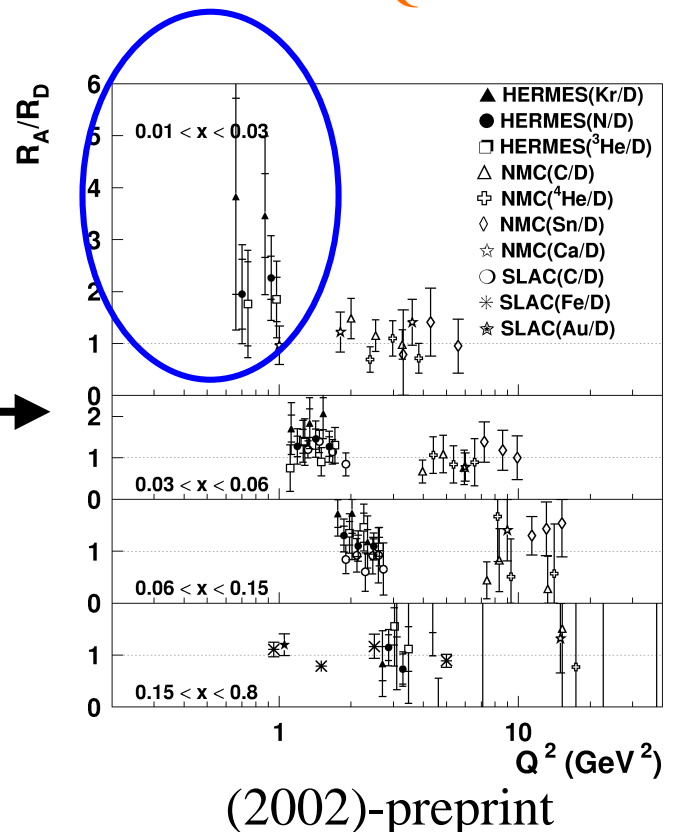
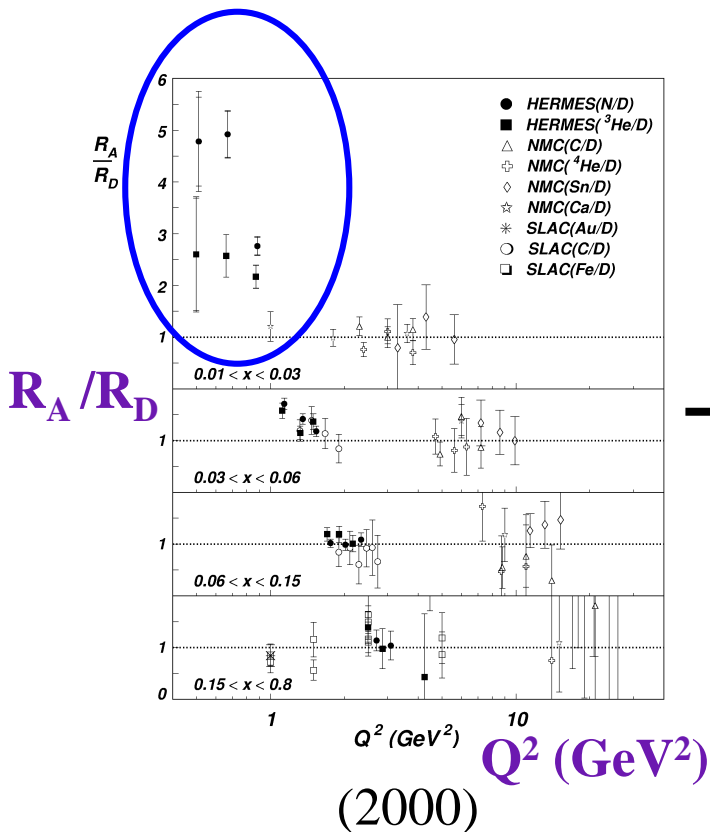
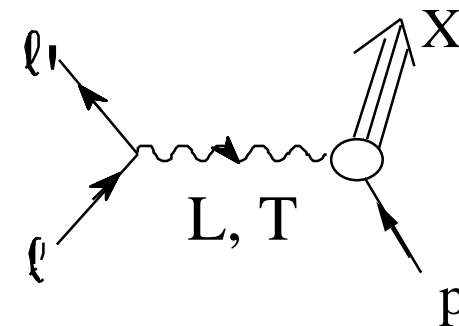
Miller, Brodsky, Karliner,

PL B 481, 245 (2000).

Longitudinal and transverse components $W_\lambda = \epsilon_\lambda^\mu * \epsilon_\lambda^\nu W_{\mu,\nu}$

$$W_T = \frac{1}{2} (W_{\lambda=+1} + W_{\lambda=-1}) = W_1$$


$$W_L = W_{\lambda=0} = \left(1 + \frac{v^2}{Q^2}\right) W_2 - W_1$$

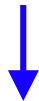


Nuclear effects on $R=L/T$ by CCFR/NuTeV

Yang et al., PRL 87 (2001) 251802.

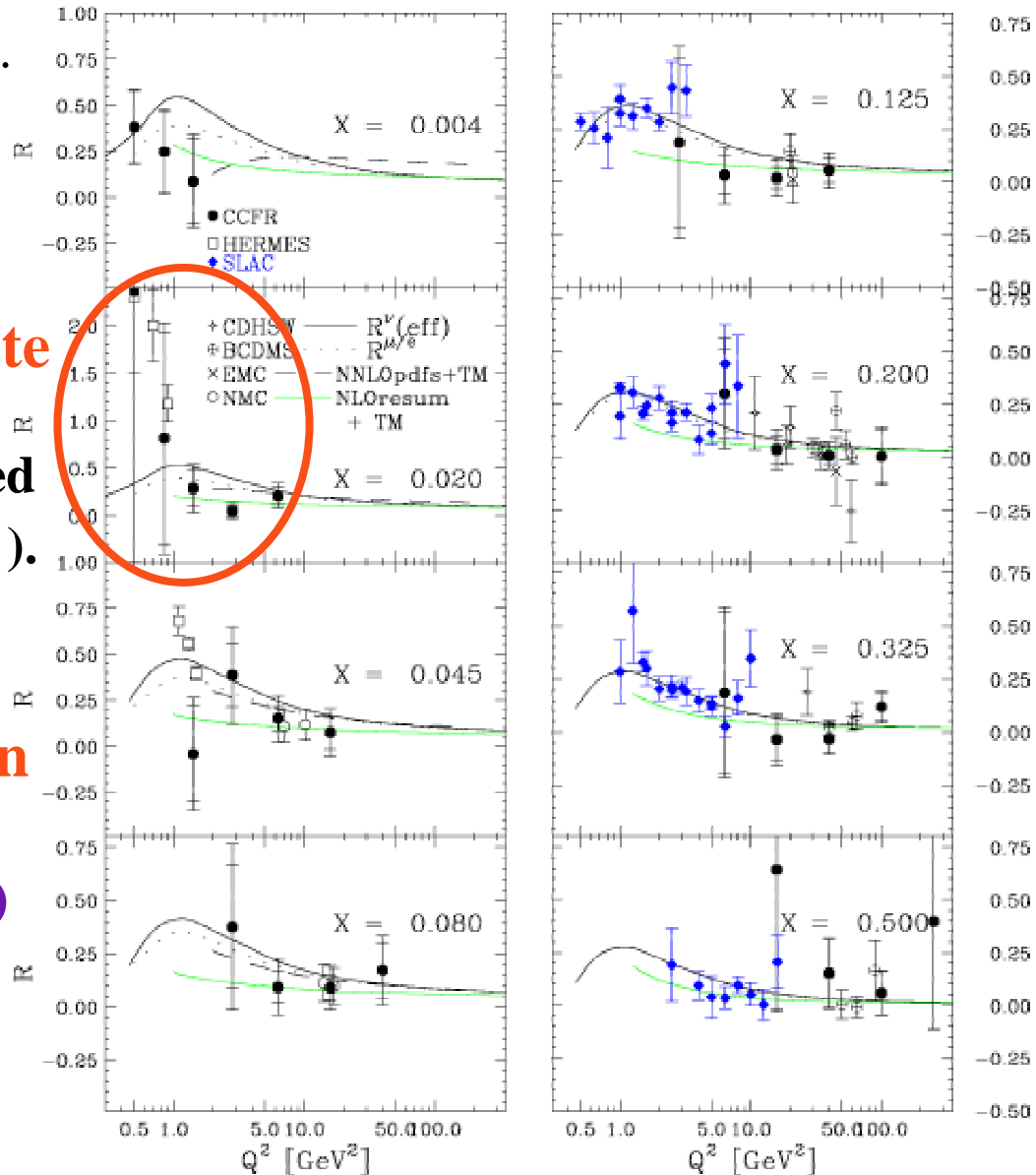
- CCFR
- HERMES
- SLAC

No significant deviation is measured from the nucleon case ().



No large nuclear modification of R is observed in ν +Fe!
(note: CCF/NuTeV target is Fe)

note



Nuclear effects on R=L/T at medium & large x

M. Ericson and SK, Phys. Rev. C67 (2003) 022201

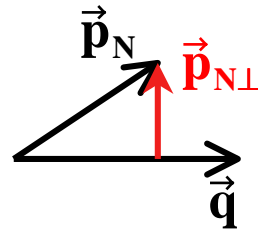
$S(p_N)$ = spectral function

Calculating $W_{1,2}^A = \hat{P}_{1,2}^{\mu\nu} W_{\mu\nu}^A = \hat{P}_{1,2}^{\mu\nu} \int d^4 p_N S(p_N) W_{\mu\nu}^N$,

$$\tilde{p}_\mu = p_\mu - \frac{p \cdot q}{q^2} q_\mu$$

$$2 x_A F_1^A = \int d^4 p_N S(p_N) z \frac{M_N}{\sqrt{p_N^2}} \left[\left(1 + \frac{\vec{p}_{N\perp}^2}{2 \tilde{p}_N^2} \right) 2 x_N F_1^N(x_N, Q^2) + \frac{\vec{p}_{N\perp}^2}{2 \tilde{p}_N^2} F_L^N(x_N, Q^2) \right]$$

$$F_L^A = \int d^4 p_N S(p_N) z \frac{M_N}{\sqrt{p_N^2}} \left[\left(1 + \frac{\vec{p}_{N\perp}^2}{\tilde{p}_N^2} \right) F_L^N(x_N, Q^2) + \frac{\vec{p}_{N\perp}^2}{\tilde{p}_N^2} 2 x_N F_1^N(x_N, Q^2) \right]$$

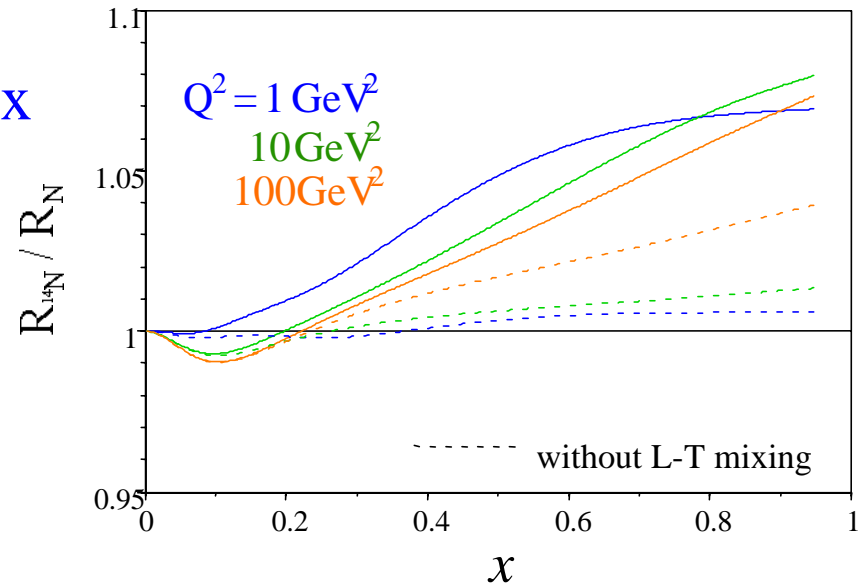


Modification of R does exist at large x

(1) transverse nucleon motion

→ T-L admixture (F_1^N & F_L^N)

(2) binding and Fermi-motion effects in the spectral function



Transverse-longitudinal admixture $\frac{\vec{p}_{N\perp}^2}{\tilde{p}_N^2} \approx \frac{4 x_N^2 \vec{p}_{N\perp}^2}{Q^2}$

NuTeV $\sin^2\theta_W$ anomaly NuTeV, PRL 88 (2002) 091802

talks on $\sin^2\theta_W$ by Younus, Reimer, Yu

Others: $\sin^2\theta_W = 1 - m_W^2/m_Z^2 = 0.2227 \pm 0.0004$

NuTeV: $\sin^2\theta_W = 0.2277 \pm 0.0013$ (stat) ± 0.0009 (syst)

Studies on nuclear effects in iron

McFarland et. al., NP B112 (2002) 226.

nuclear modification of structure functions, deviation from isoscalar nucleus

Miller & Thomas, hep-ex/0204007: shadowing effects (VMD)

Zeller et. al., hep-ex/0207052: VMD issues: Paschos-Wolfenstein, NC/CC ratio

Kovalenko, Schmidt, Yang, PL B546 (2002) 68: modifications of nuclear PDFs

SK, PRD 66 (2002) 111301: difference between nuclear modifications of u_v and d_v

Kulagin, PRD 67 (2003) 091301: neutron excess correction

$\sin^2\theta_w$ anomaly from a nuclear physicist's point of view

Paschos-Wolfenstein relation

$$R^- = \frac{\sigma_{NC}^{vN} - \sigma_{NC}^{\bar{v}N}}{\sigma_{CC}^{vN} - \sigma_{CC}^{\bar{v}N}} = \frac{1}{2} - \sin^2\theta_w$$

$N =$ **isoscalar** nucleon

NuTeV target: ^{56}Fe ($Z = 26, N = 30$), **not isoscalar** nucleus

→ nuclear effects should be carefully taken into account

$$R_A^- = \frac{\sigma_{NC}^{vA} - \sigma_{NC}^{\bar{v}A}}{\sigma_{CC}^{vA} - \sigma_{CC}^{\bar{v}A}} = \frac{\{1 - (1 - y)^2\} [(u_L^2 - u_R^2)\{u_v^A(x) + c_v^A(x)\} + (d_L^2 - d_R^2)\{d_v^A(x) + s_v^A(x)\}]}{d_v^A(x) + s_v^A(x) - (1 - y)^2\{u_v^A(x) + c_v^A(x)\}}$$

Neutron excess and a related function: $\hat{\epsilon}_n = \frac{N - Z}{A}$, $\epsilon_n(x) = \hat{\epsilon}_n \frac{u_v(x) - d_v(x)}{u_v(x) + d_v(x)}$

Nuclear effects are in the **weight functions**: w_{u_v} and w_{d_v}

$$u_v^A(x) = w_{u_v}(x) \frac{Z u_v(x) + N d_v(x)}{A}, \quad d_v^A(x) = w_{d_v}(x) \frac{Z d_v(x) + N u_v(x)}{A}$$

Difference between nuclear modifications of u_v and d_v : $\epsilon_v(x) = \frac{w_{d_v}(x) - w_{u_v}(x)}{w_{d_v}(x) + w_{u_v}(x)}$

$$R_A^- = \frac{\left(\frac{1}{2} - \sin^2\theta_w\right) \{1 + \epsilon_v(x) \epsilon_n(x)\} + \frac{1}{3} \sin^2\theta_w \{\epsilon_v(x) + \epsilon_n(x)\} + \left(\frac{1}{2} - \frac{2}{3} \sin^2\theta_w\right) \epsilon_s(x) + \left(\frac{1}{2} - \frac{4}{3} \sin^2\theta_w\right) \epsilon_c(x)}{1 + \epsilon_v(x) \epsilon_n(x) + \frac{1 + (1-y)^2}{1 - (1-y)^2} \{\epsilon_v(x) + \epsilon_n(x)\} + \frac{2\{\epsilon_s(x) - (1-y)^2 \epsilon_c(x)\}}{1 - (1-y)^2}}$$

Expand in $\epsilon_v, \epsilon_n, \epsilon_s, \epsilon_c \ll 1$

small effect which increases the deviation

Zeller et al., PRD 65 (2002) 111103

$$R_A^- = \frac{1}{2} - \sin^2\theta_w + \mathbf{O}(\epsilon_v) + \mathbf{O}(\epsilon_n) + \mathbf{O}(\epsilon_s) + \mathbf{O}(\epsilon_c)$$

taken into account in the NuTeV analysis

SK (2002): rather small

but not so obvious

Kulagin (2003): deviation becomes small

$$\sin^2\theta_w = 0.2277 \rightarrow 0.2251$$

(other data: 0.2227)

(This may need confirmation by including NuTeV kinematical effects.)

Low/medium-energy ν scattering

(Current long baseline neutrino reactions)

Nuclear effects are becoming important!

The details are found in

(1) NuInt01, <http://neutrino.kek.jp/nuint01/>

(2) NuInt02, <http://nuint.ps.uci.edu/>

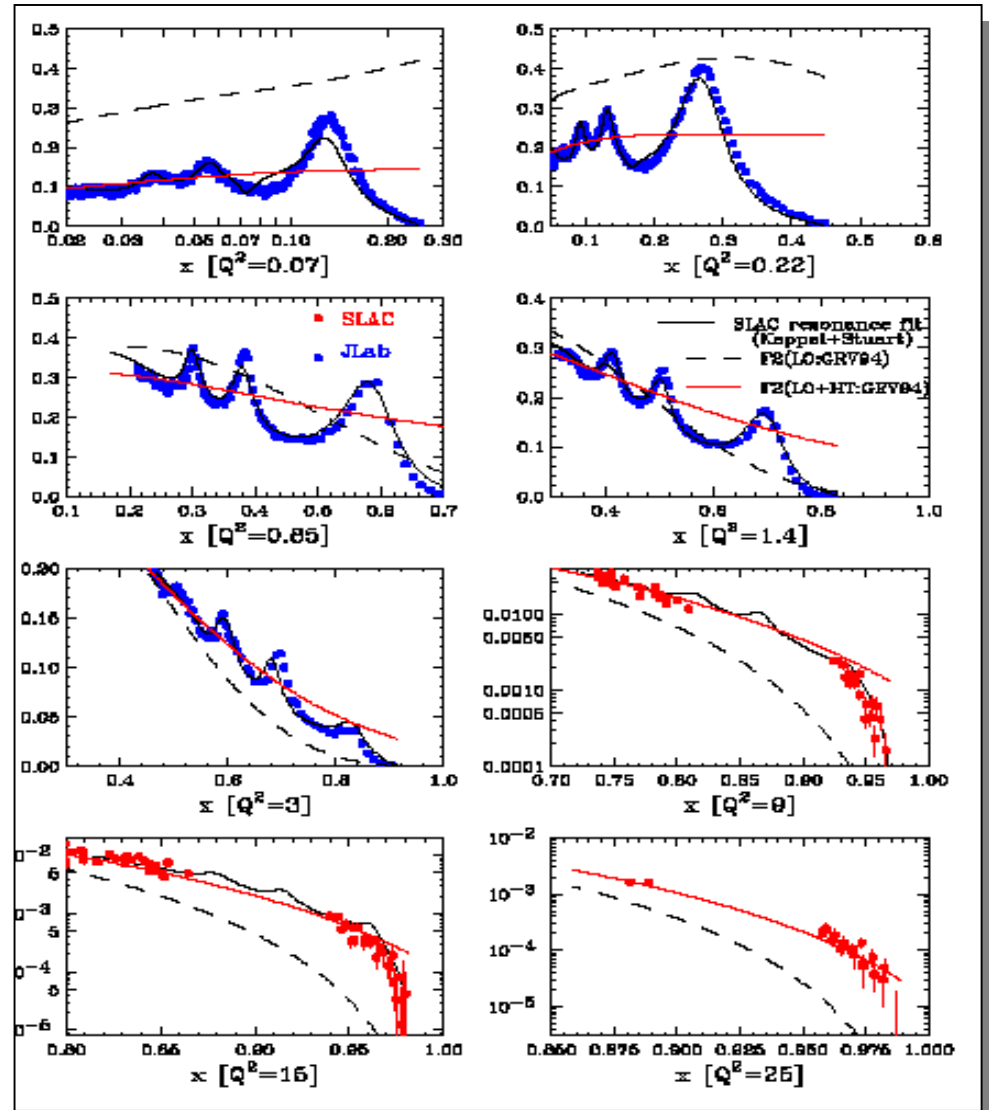
Attempt to describe DIS & resonance region

Empirical formula

$$F_2(x) = \frac{Q^2}{Q^2 + 0.188} F_2(x_w)$$

$$\text{where } x_w = x \frac{Q^2 + 0.624}{Q^2 + 1.735x}$$

- - - - - **GRV94**
 ——— **Bodek-Yang**
 NP B 112 (2002) 70



Neutrino-Nucleus Interactions in the Few-GeV Region

M. Sakuda at NuInt02

talks by Zeller, Walter, McFarland

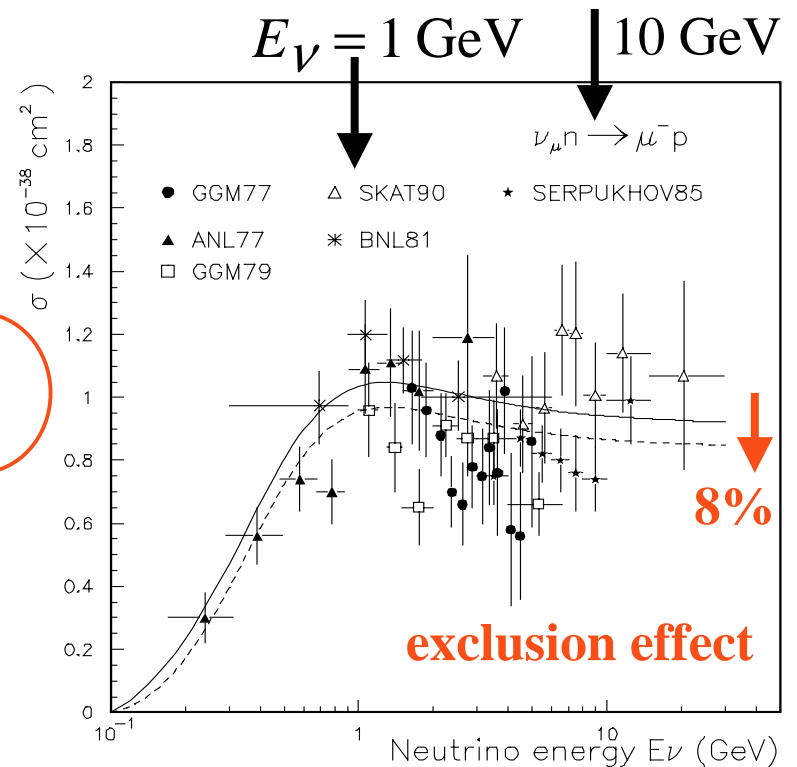
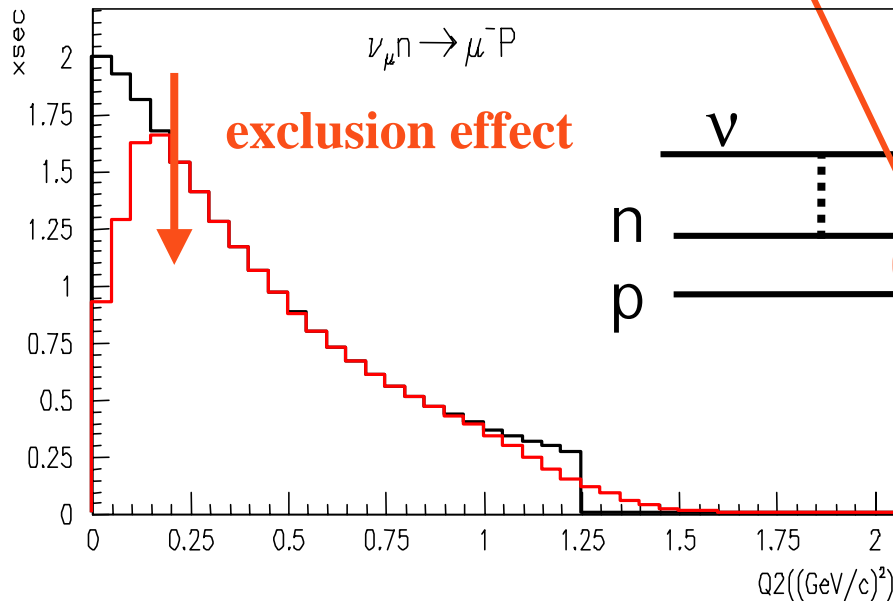
ν -nucleus cross sections are not well known at $E_\nu=0.5-20$ GeV. (20% accuracy)

For accurate oscillation measurements, a few % accuracy is needed.

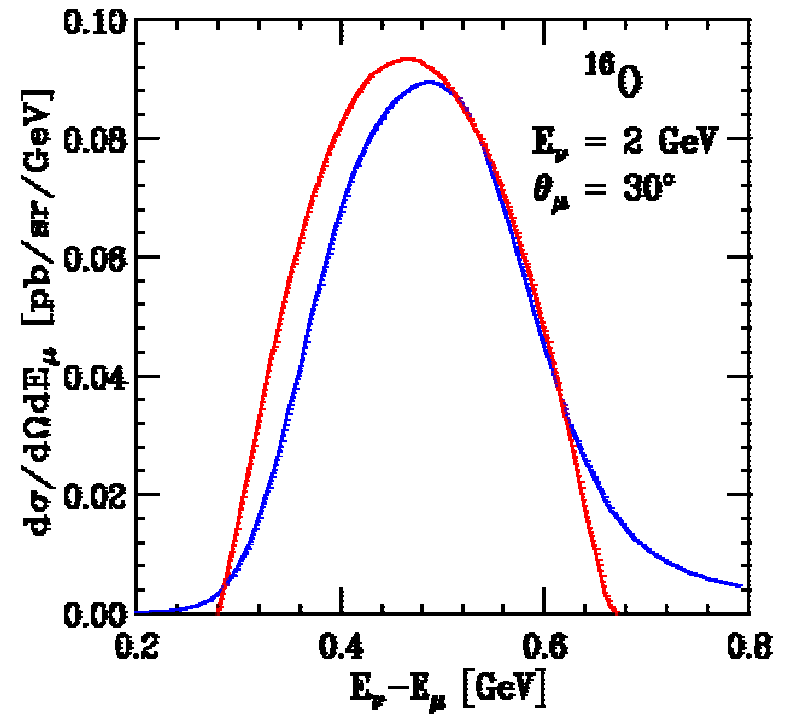
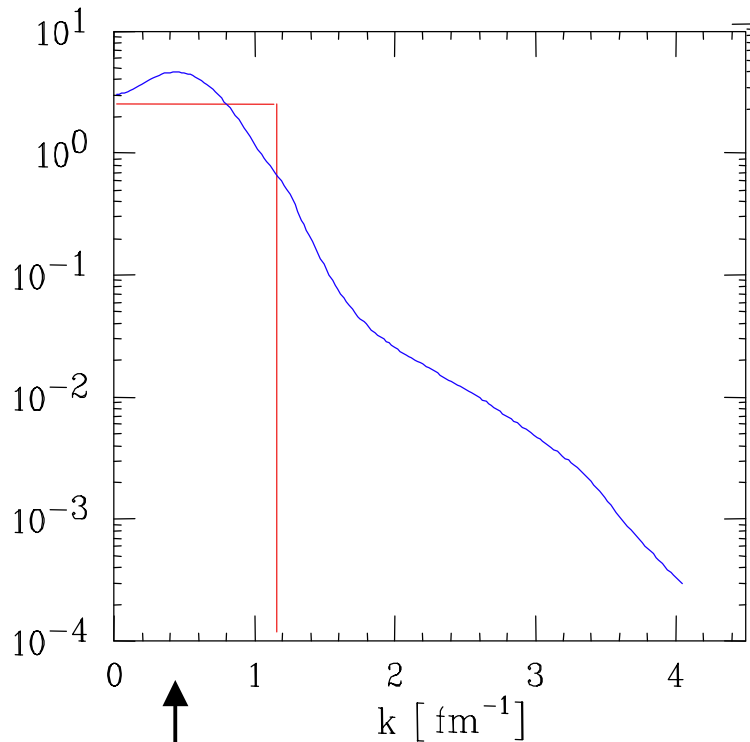
→ **Nuclear corrections in ^{16}O are important!**

Binding, Fermi motion, Pauli exclusion, NN correlation, PDF modification, ...

$d\sigma/dQ^2$



Example of nuclear effects: NN correlation



— Fermi gas
— With NN correlation

Benhar, Gallagher, Nakamura
at NuInt02

Spectral function

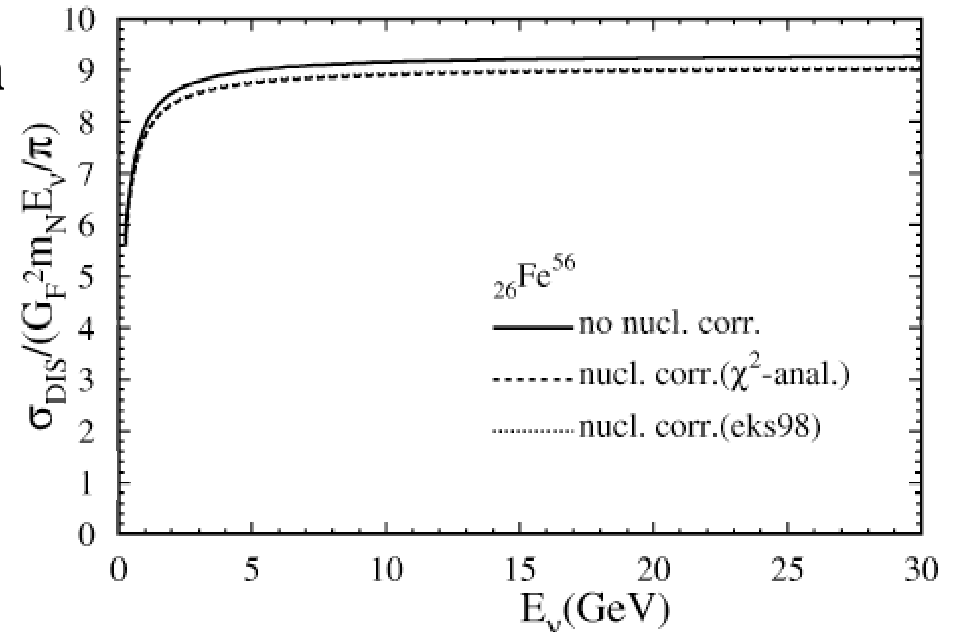
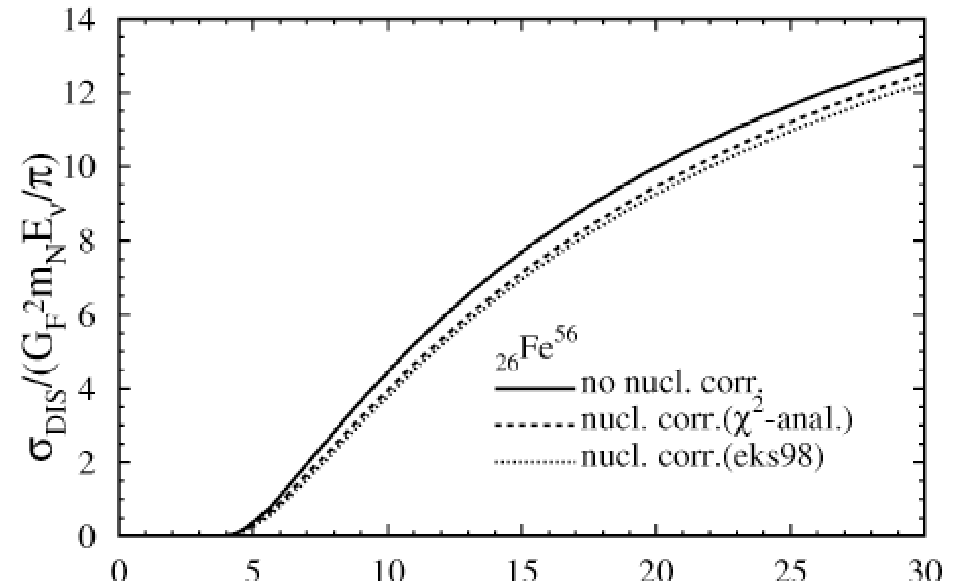
= nucleon momentum distribution in a nucleus

Another example: nuclear PDF corrections

Ref. Paschos & Yu,
PRD 65 (2002) 033002.

Nuclear PDF effects on
 $(\nu+\text{Fe})_{\text{CC}}$, $(\nu+\text{Fe})_{\text{NC}}$

———— no nuclear correction
----- with nuclear PDF
 corrections



Summary on ν scattering physics

- **pQCD, non-pQCD (PDFs), sum rules**
- **fundamental constants: α_s , $\sin^2\theta_W$**
- **nuclear structure functions**
- **quark spin content $\Delta\Sigma$, new spin structure functions**
- **low energy: nuclear effects, form factors, resonances**

These studies have influence on

- **QCD (hadron models)**
- **heavy-ion physics**
- **finding new physics beyond
the current theoretical framework**
- **neutrino properties (long baseline physics)**