



23 October 2006, IAN 2006

Neutron Phase Imaging using a Grating Interferometer

Franz Pfeiffer, Oliver Bunk, Ian Johnson, Xavier Donath

Coherent Scattering Group, Swiss Light Source

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Gabriel Frei, Guido Kühne, Peter Vontobel, Eberhard Lehmann

Neutron Imaging Group, Swiss Spallation Neutron Source SINQ



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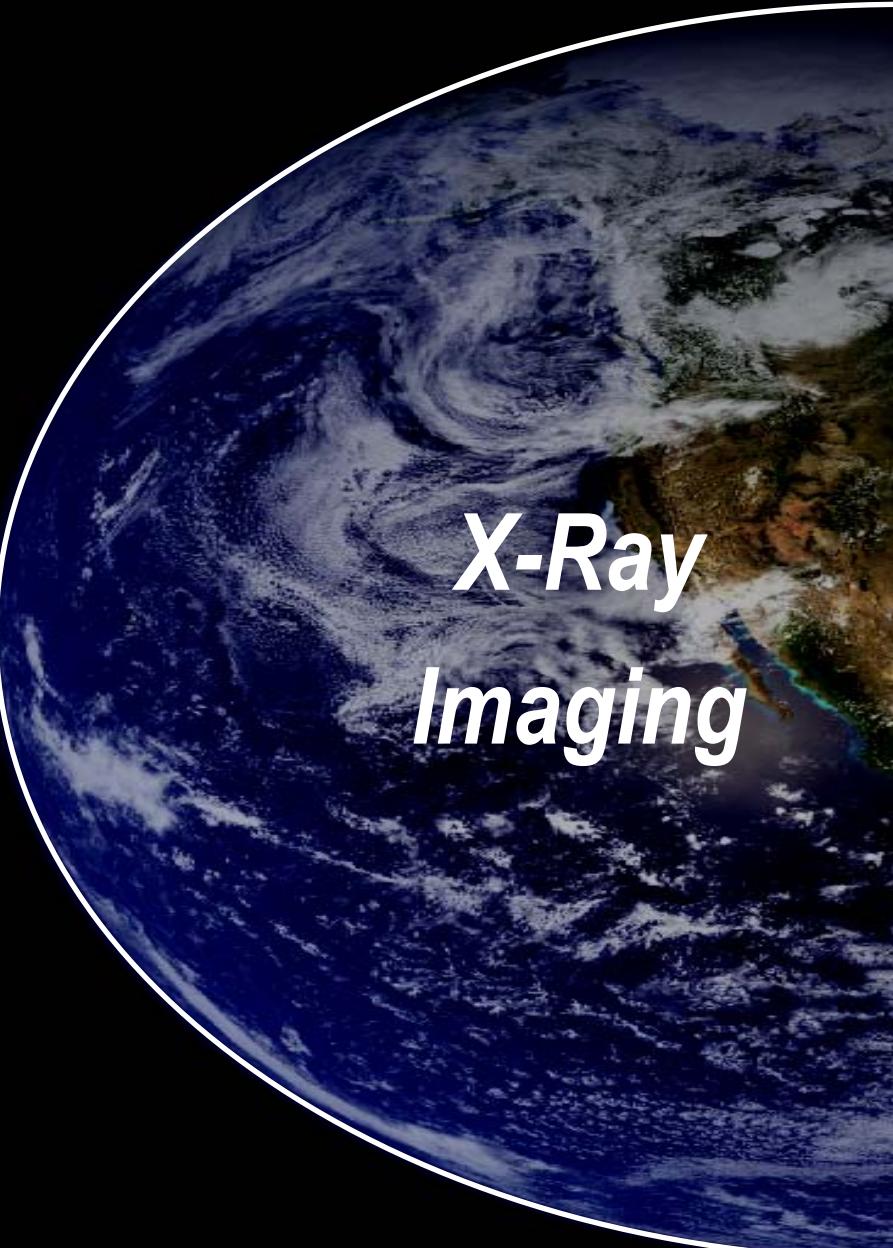
Neutron Imaging Group, Swiss Spallation Neutron Source SINQ



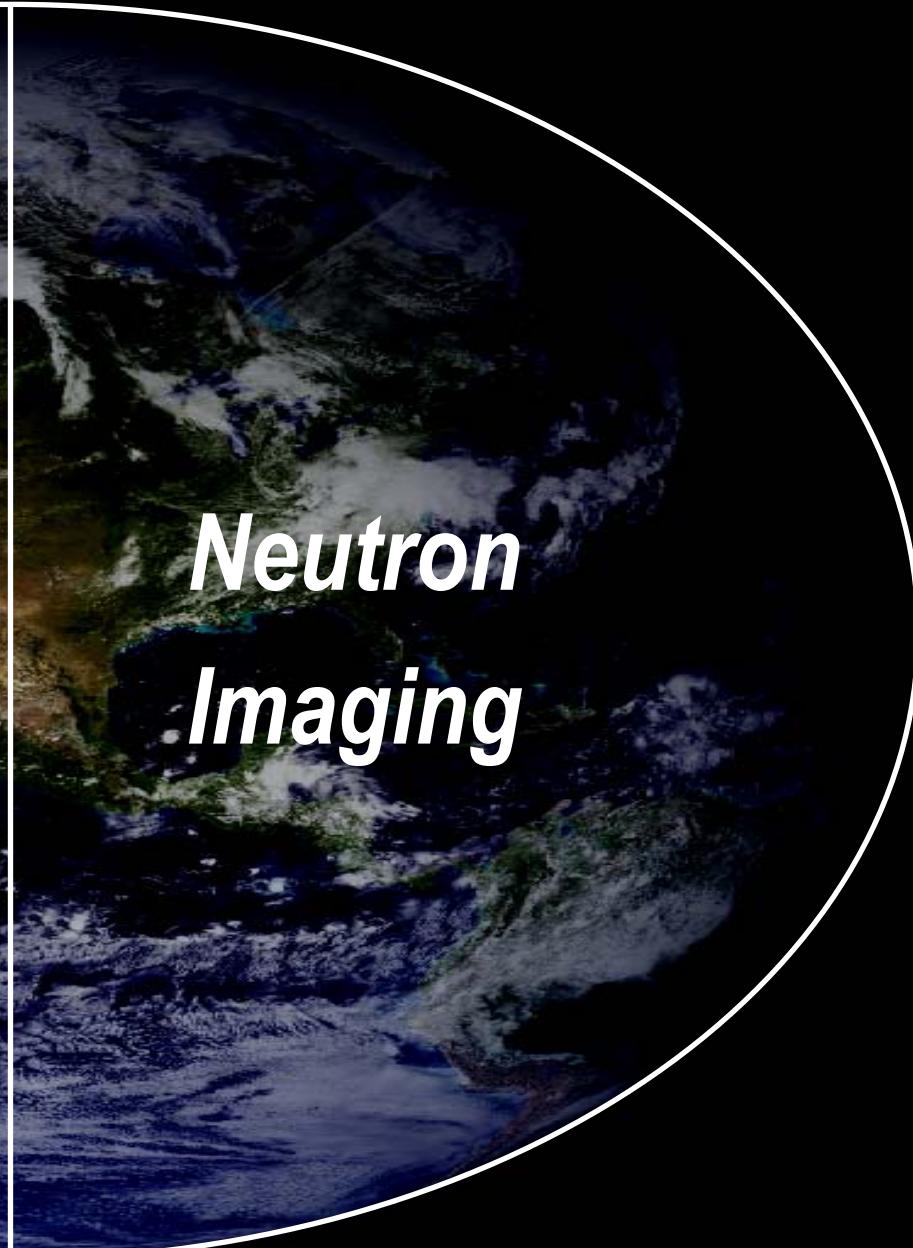


The Imaging World



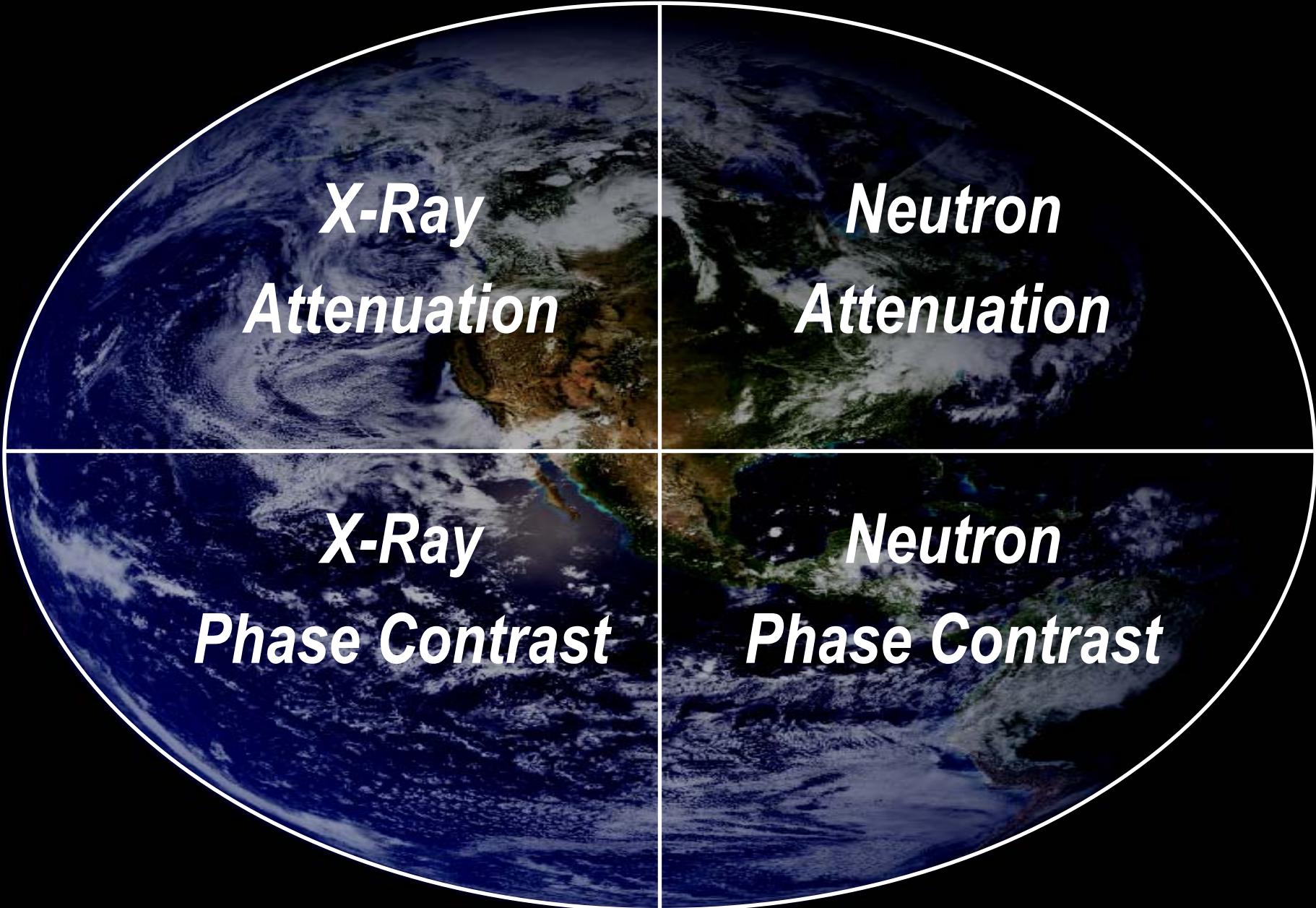


*X-Ray
Imaging*



*Neutron
Imaging*



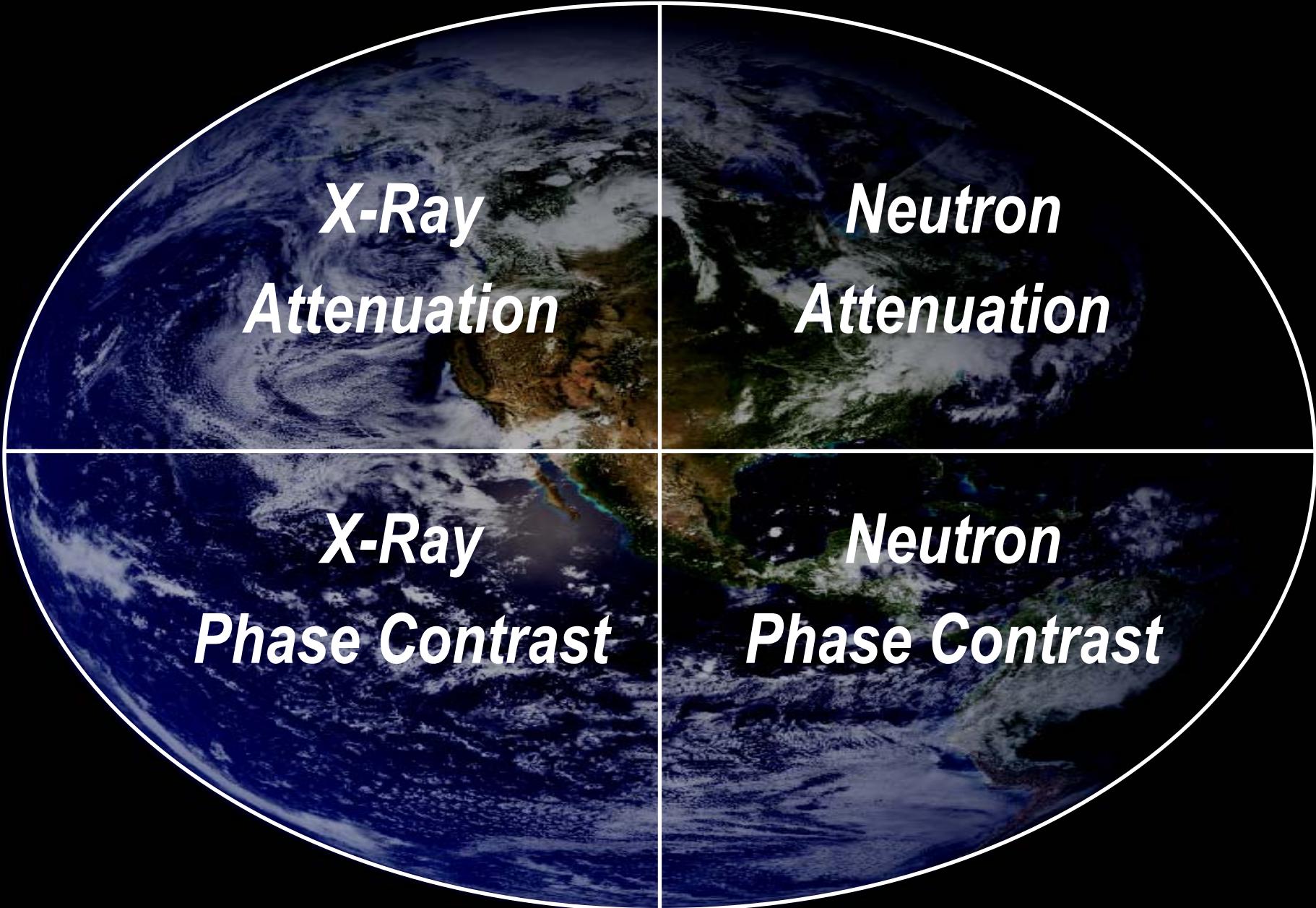




*X-ray
absorption*



*X-ray phase
contrast*



Neutron Interferometry = Quantum Mechanics

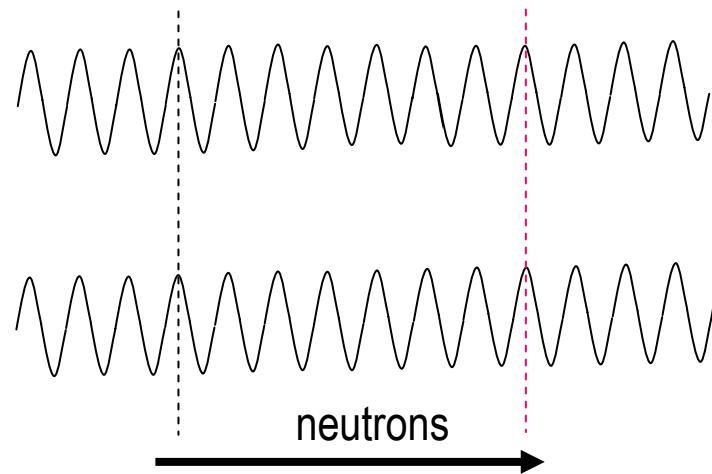
Neutron Interferometry **Lessons in Experimental Quantum Mechanics**

**HELMUT RAUCH
and
SAMUEL A. WERNER**

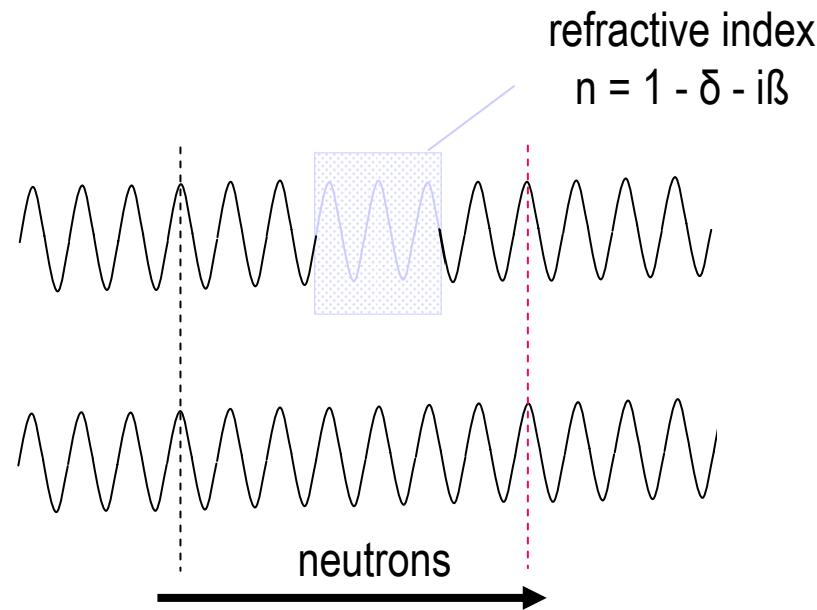


Interaction	Potential	Phase shift
Nuclear	$\frac{2\pi\hbar^2}{m} b_c \delta(\mathbf{r})$	$-Nb_c \lambda D$
Magnetic	$-\boldsymbol{\mu} \cdot \mathbf{B}(\mathbf{r})$	$\pm \frac{\mu B m \lambda D}{2\pi\hbar^2}$
Gravitation	$m\mathbf{g} \cdot \mathbf{r}$	$\frac{m^2 g \lambda A \sin \alpha}{2\pi\hbar^2}$
Coriolis	$-\hbar\omega(\mathbf{r} \times \mathbf{k})$	$\frac{2m}{\hbar} \omega_e \cdot \mathbf{A}$
Aharonov–Casher (Schwinger)	$-\boldsymbol{\mu} \cdot (\mathbf{v} \times \mathbf{E})/c$	$\pm \frac{2\mu}{\hbar c} \mathbf{E} \cdot \mathbf{D}$
Scalar Aharonov–Bohm	$-\boldsymbol{\mu} \cdot \mathbf{B}(t)$	$\pm \frac{\mu B T}{\hbar}$
Magnetic Josephson	$-\boldsymbol{\mu} \cdot \mathbf{B}(t)$	$\pm \omega \cdot t$
Fizeau	—	$-Nb_c \lambda D \left(\frac{w_x}{v_x - w_x} \right)$
Geometry (Berry)	—	$\Omega/2$

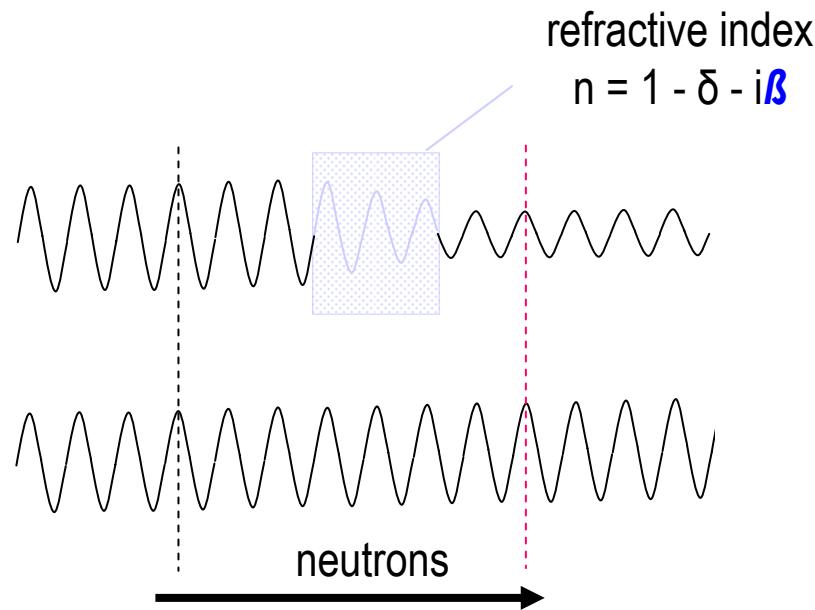
Phase sensitive imaging



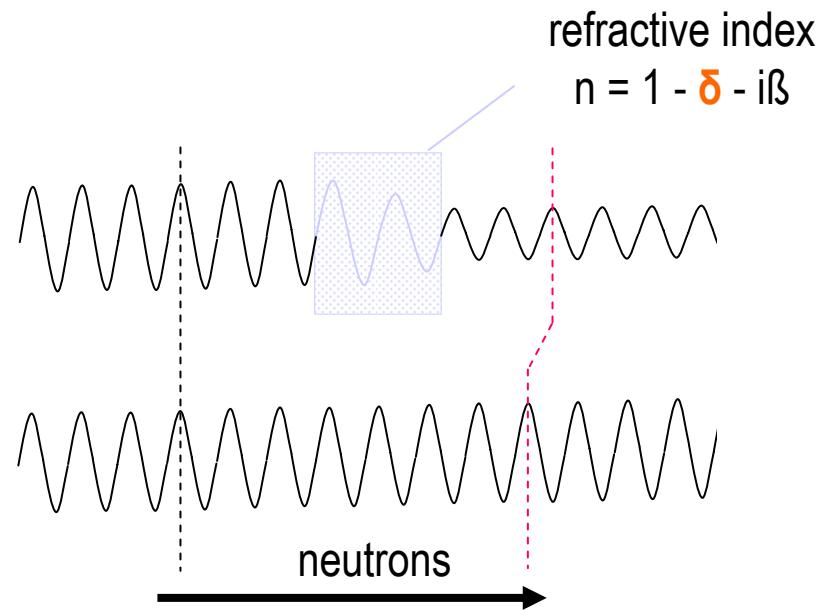
Phase sensitive imaging



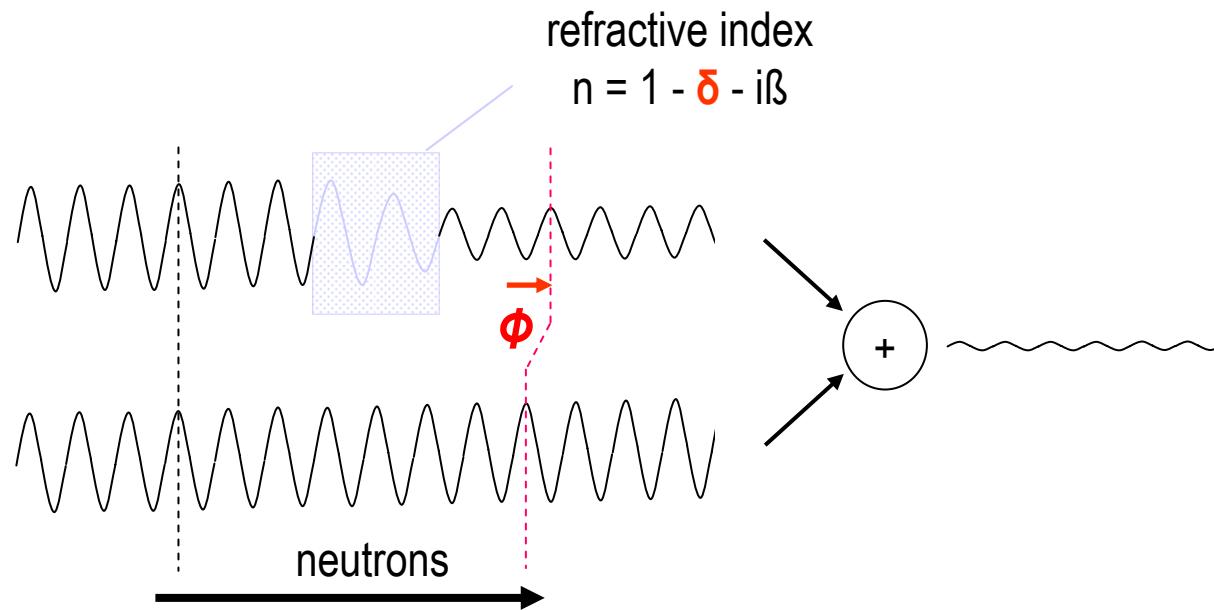
Phase sensitive imaging



Phase sensitive imaging



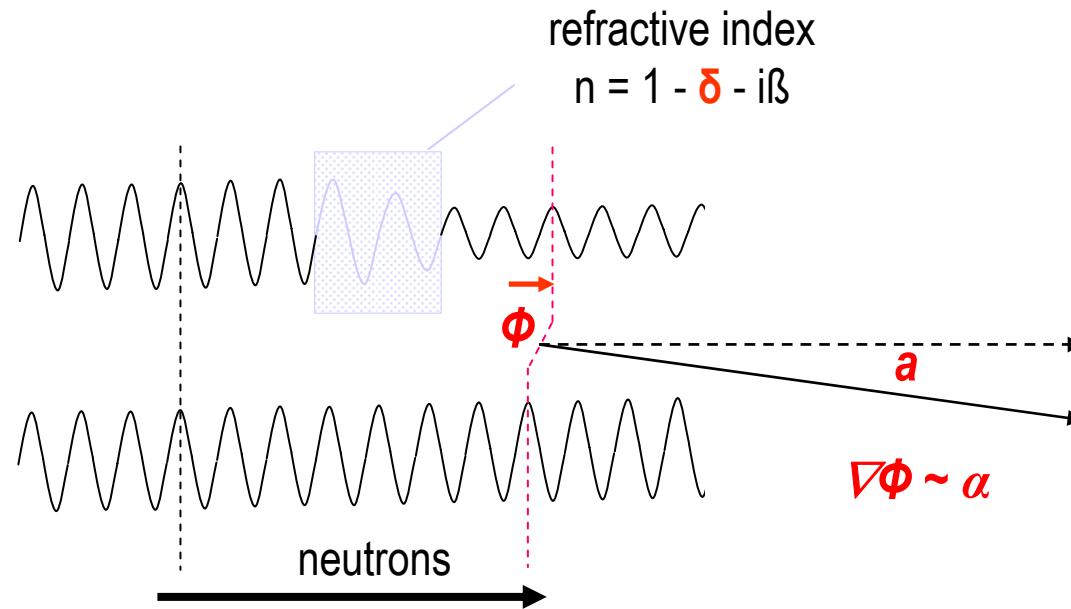
Phase sensitive imaging



To obtain phase sensitive images, measure:

Φ *with a crystal interferometer (Bonse & Hart 1965)*

Phase sensitive imaging

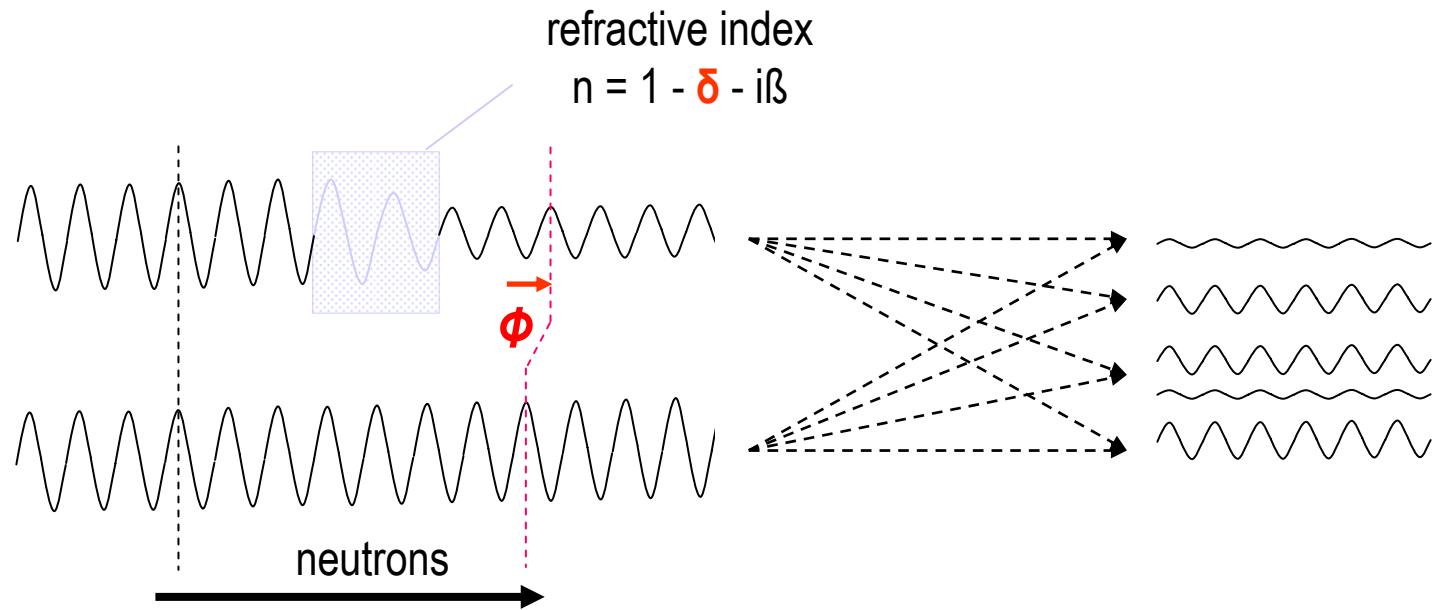


To obtain phase sensitive images, measure:

Φ with a crystal interferometer ([Bonse & Hart 1965](#))

$\nabla\Phi$ with differential phase contrast ([Ingal 1995, Treimer 2003](#))

Phase sensitive imaging



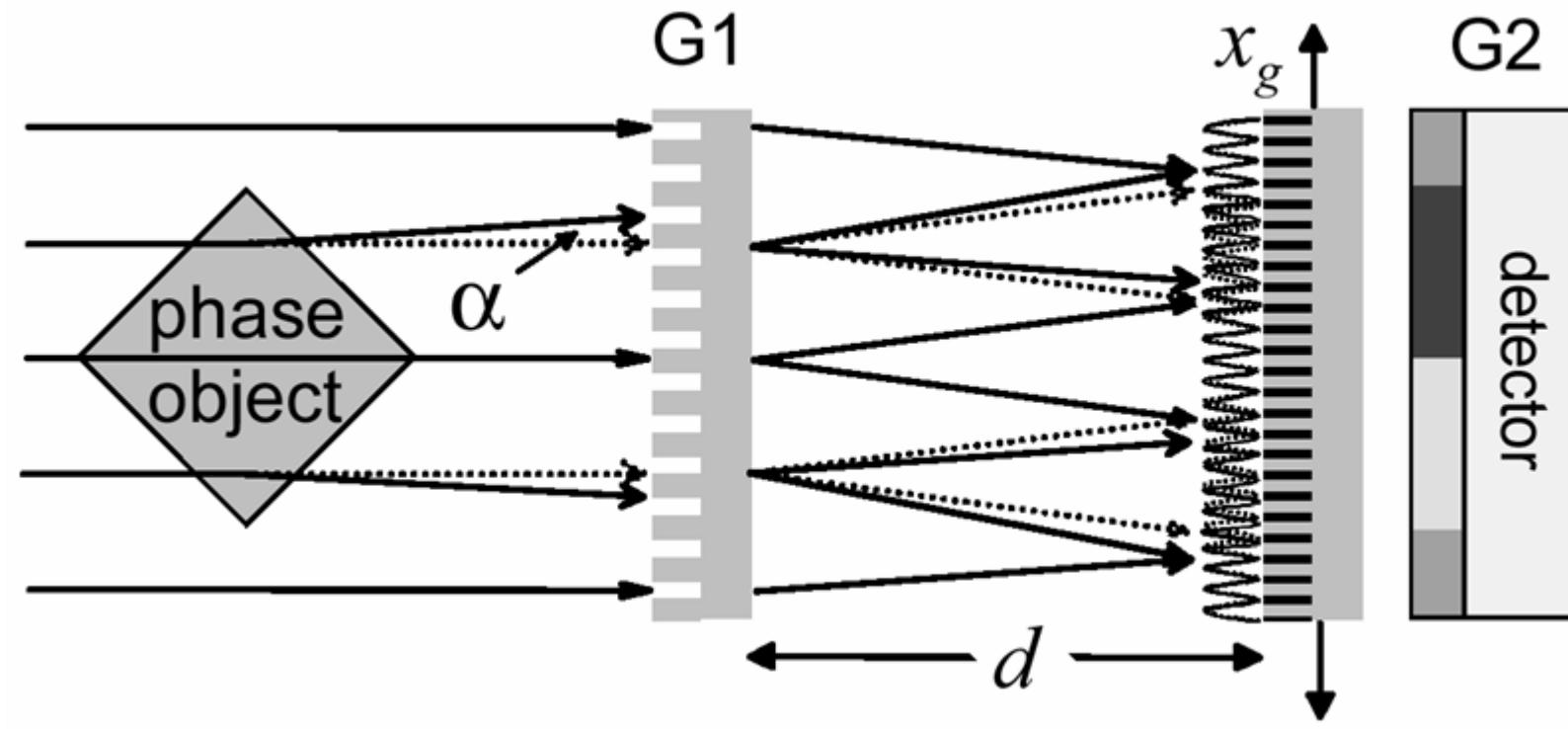
To obtain phase sensitive images, measure:

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$\nabla\Phi$ *with differential phase contrast (Ingal 1995, Treimer 2003)*

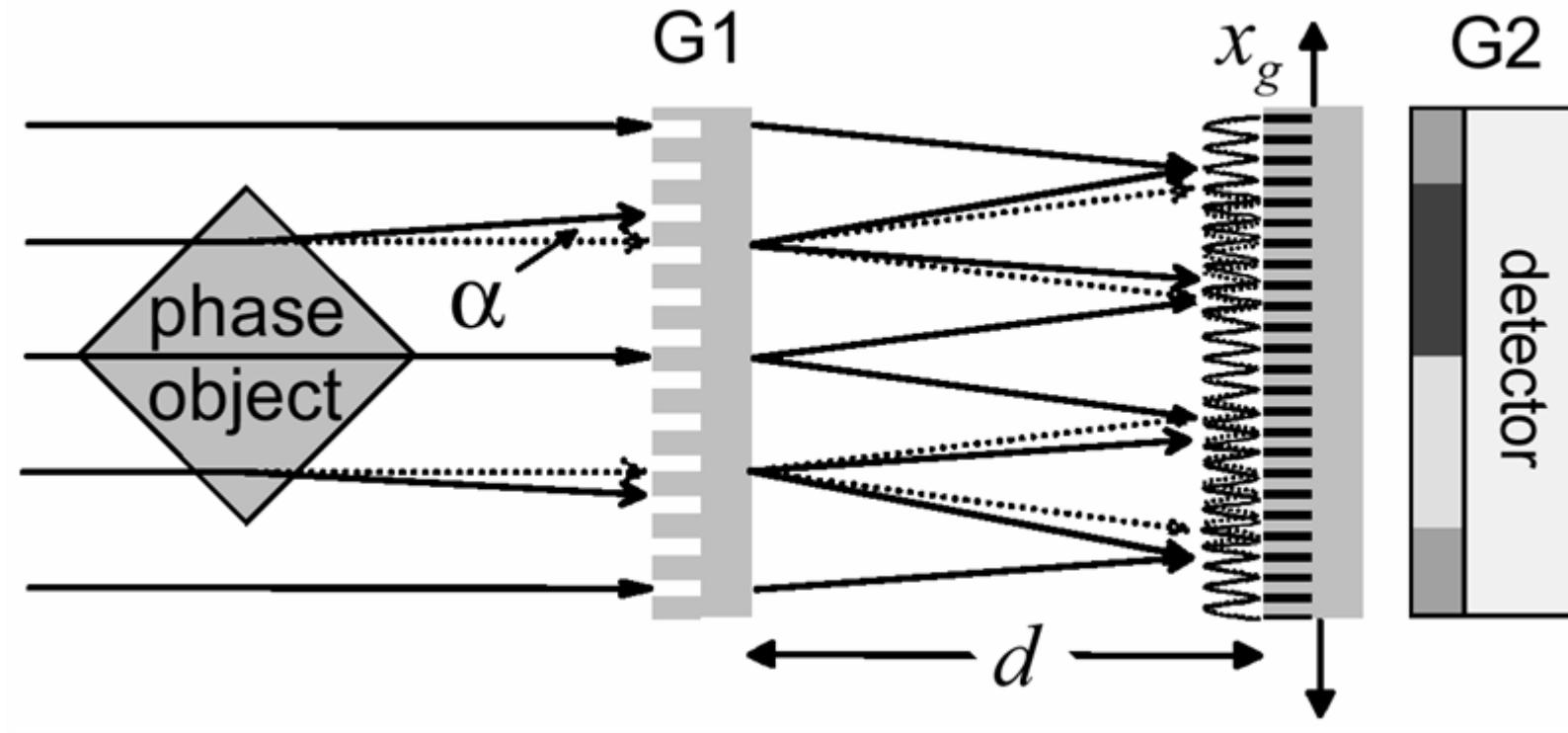
$\Delta\Phi$ *with in-line holography (Cloetens 1999, Allman 2000)*

Neutron Grating Interferometer



Idea: polychromatic detection of angles !

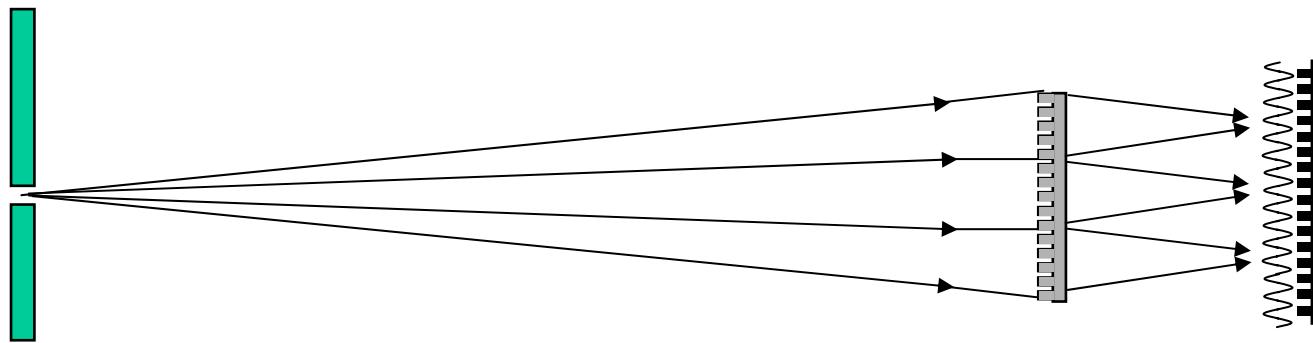
Neutron Grating Interferometer



This setup works well with highly brilliant sources, but is not very efficient with spallation or reactor neutron sources or an x-ray tube !

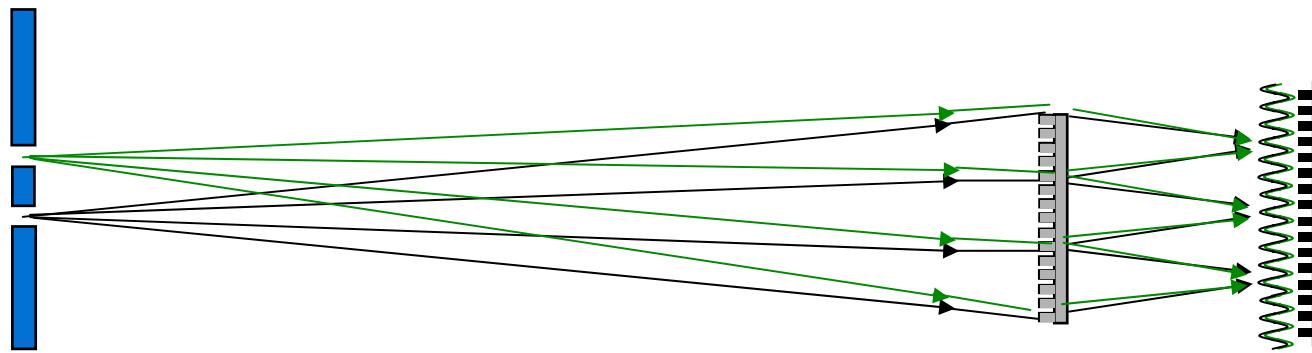
Higher efficiency with Talbot-Lau geometry

single slit



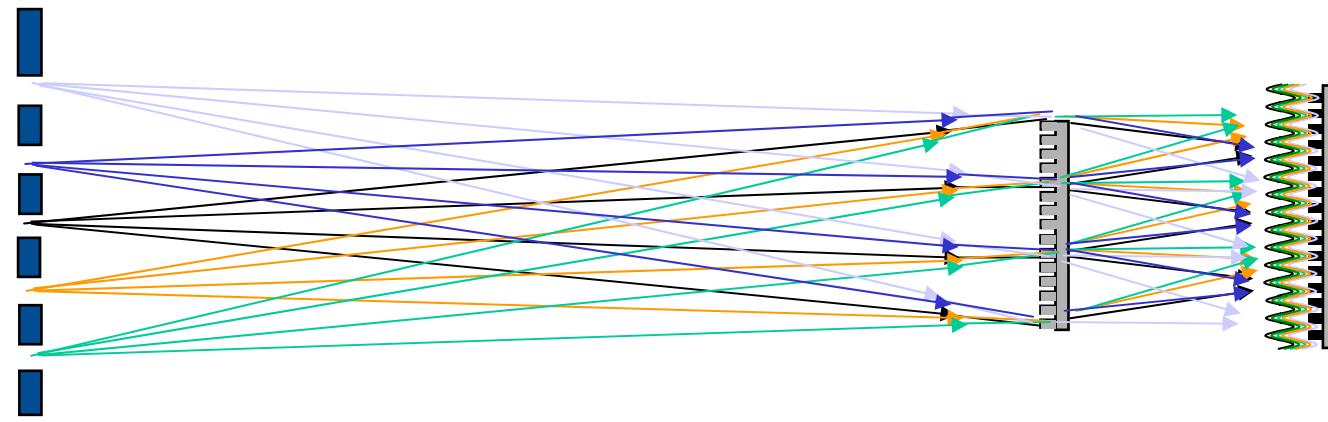
Higher efficiency with Talbot-Lau geometry

double slit



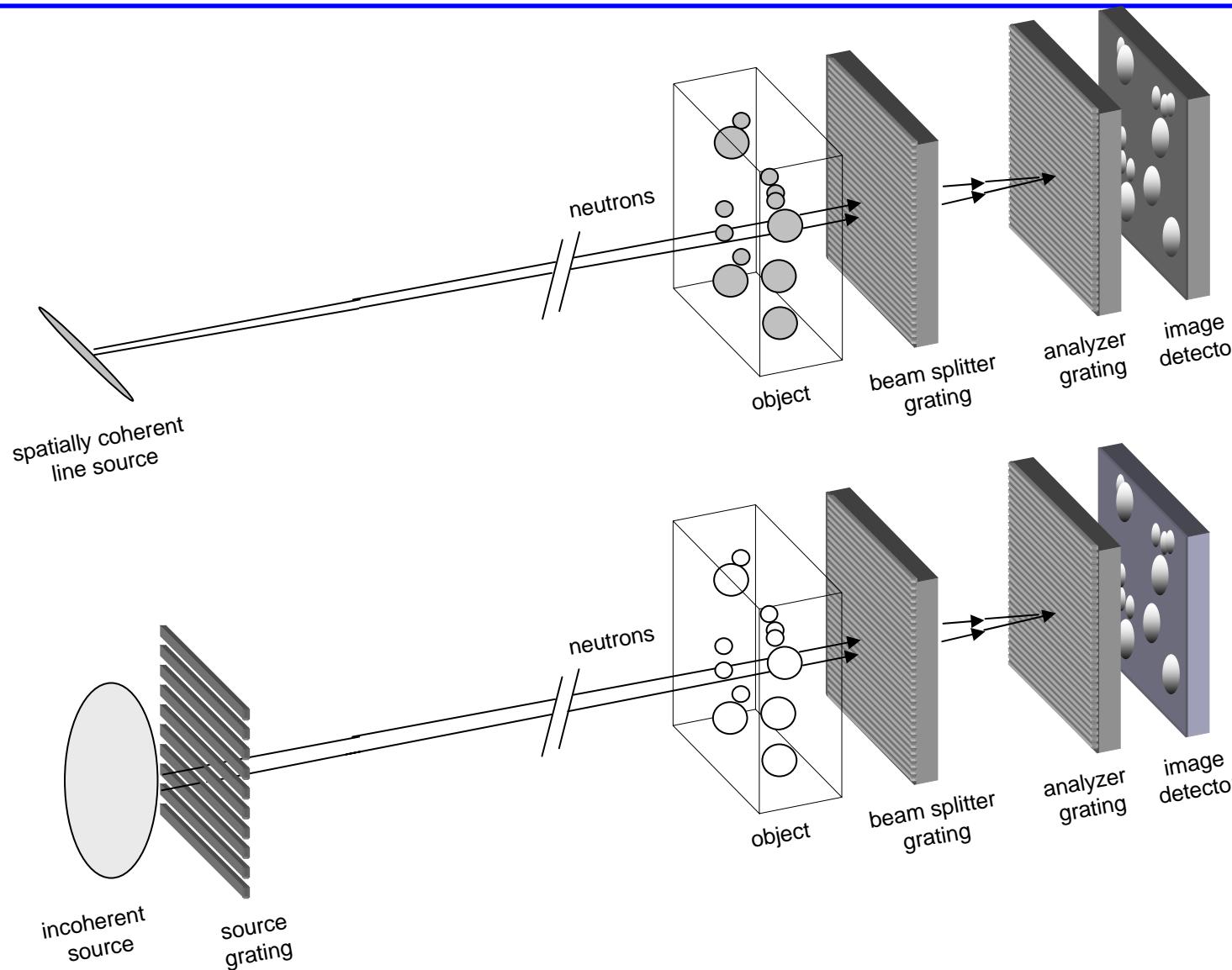
Higher efficiency with Talbot-Lau geometry

slit array/ grating



Decouples coherence from spatial resolution !

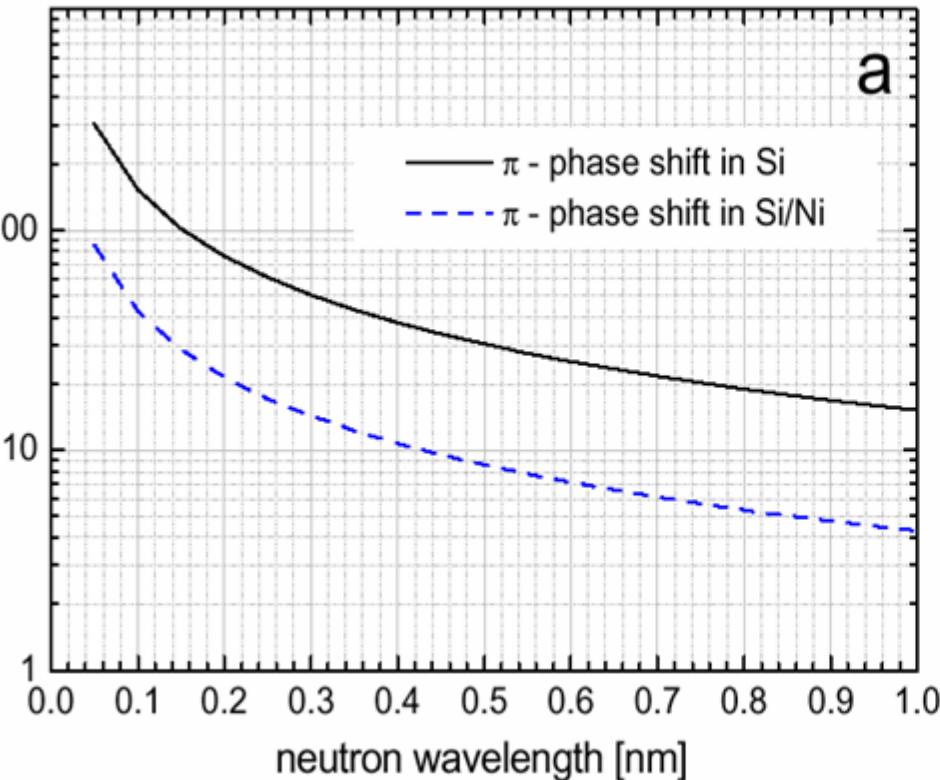
Talbot-Lau grating interferometer



Gratings for neutron applications

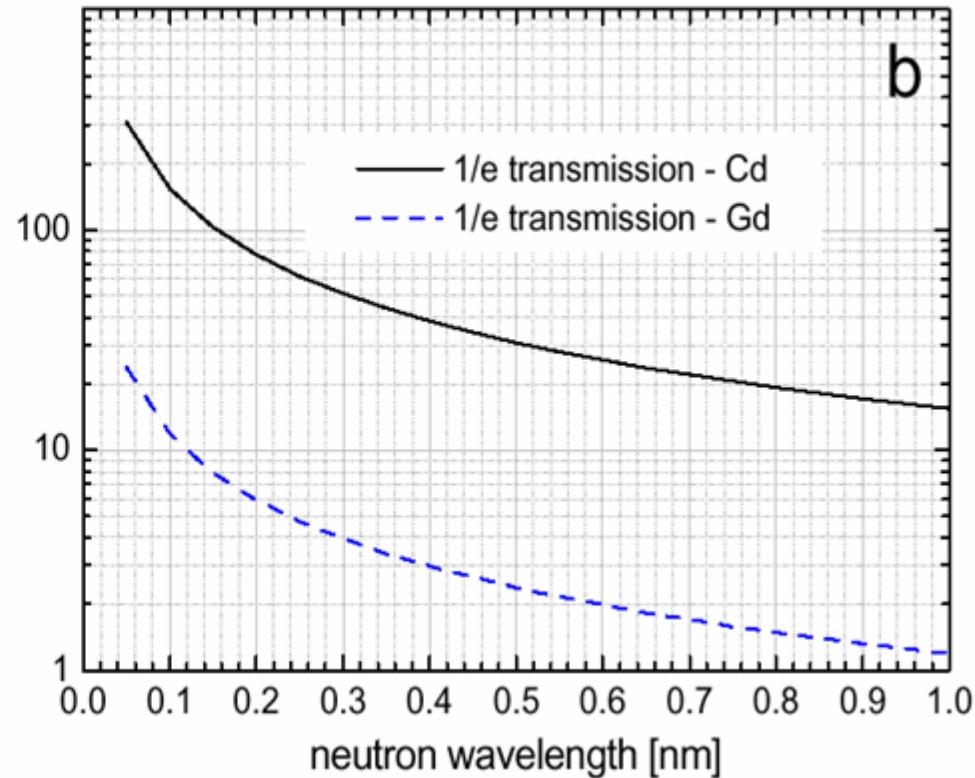
phase grating G1

structure height [μm]



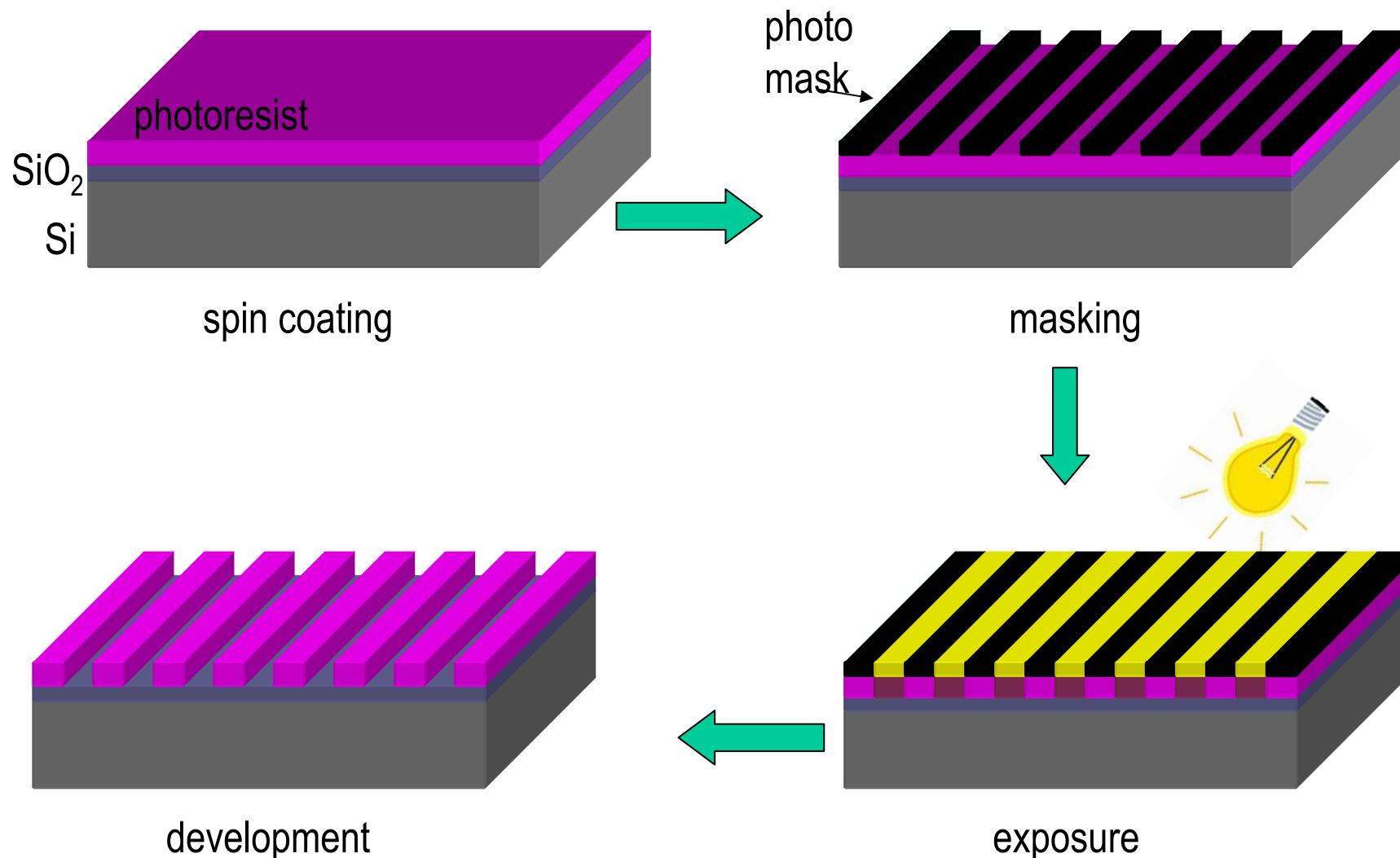
a

absorption gratings G0/G2

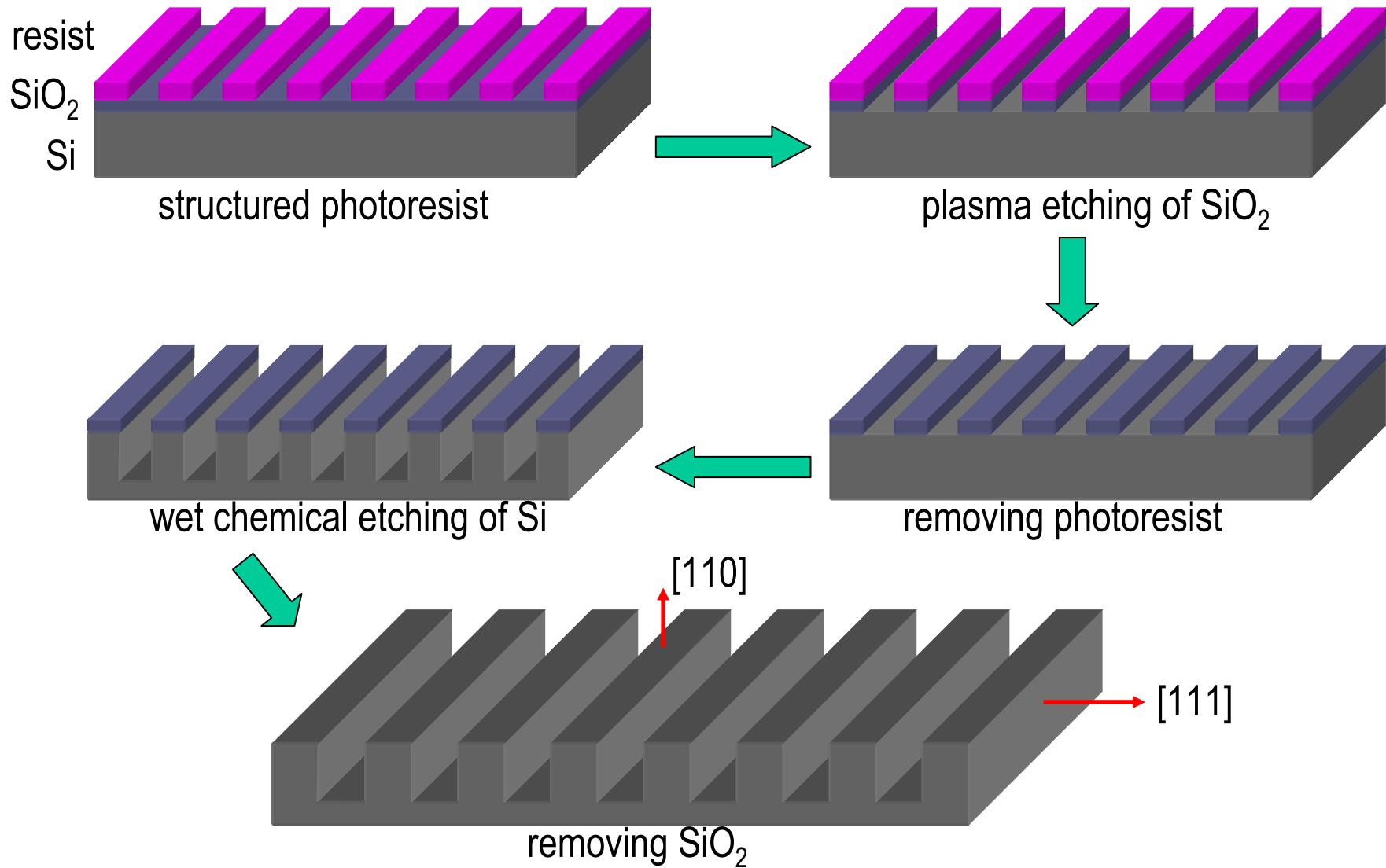


b

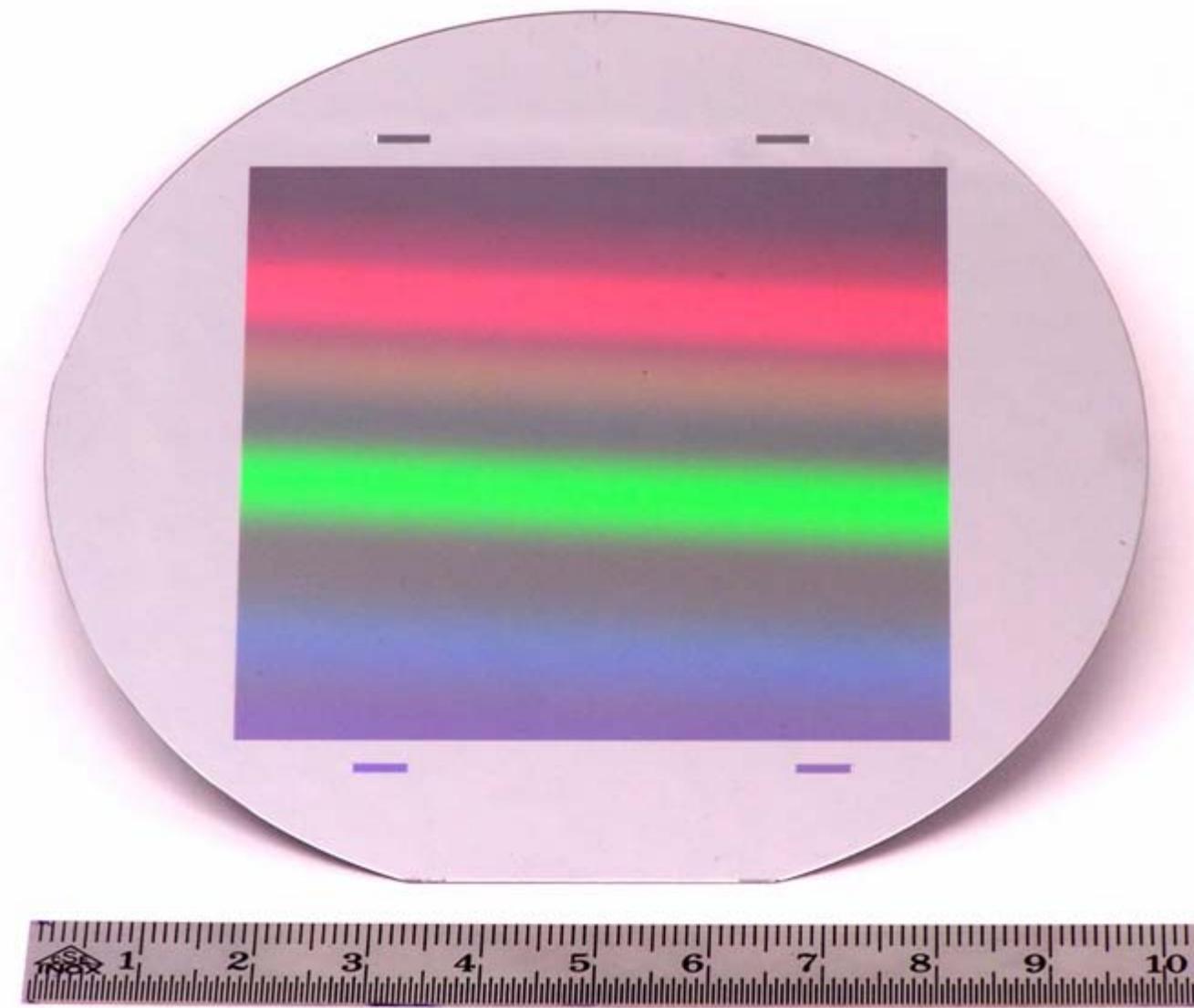
Fabrication (Si gratings)

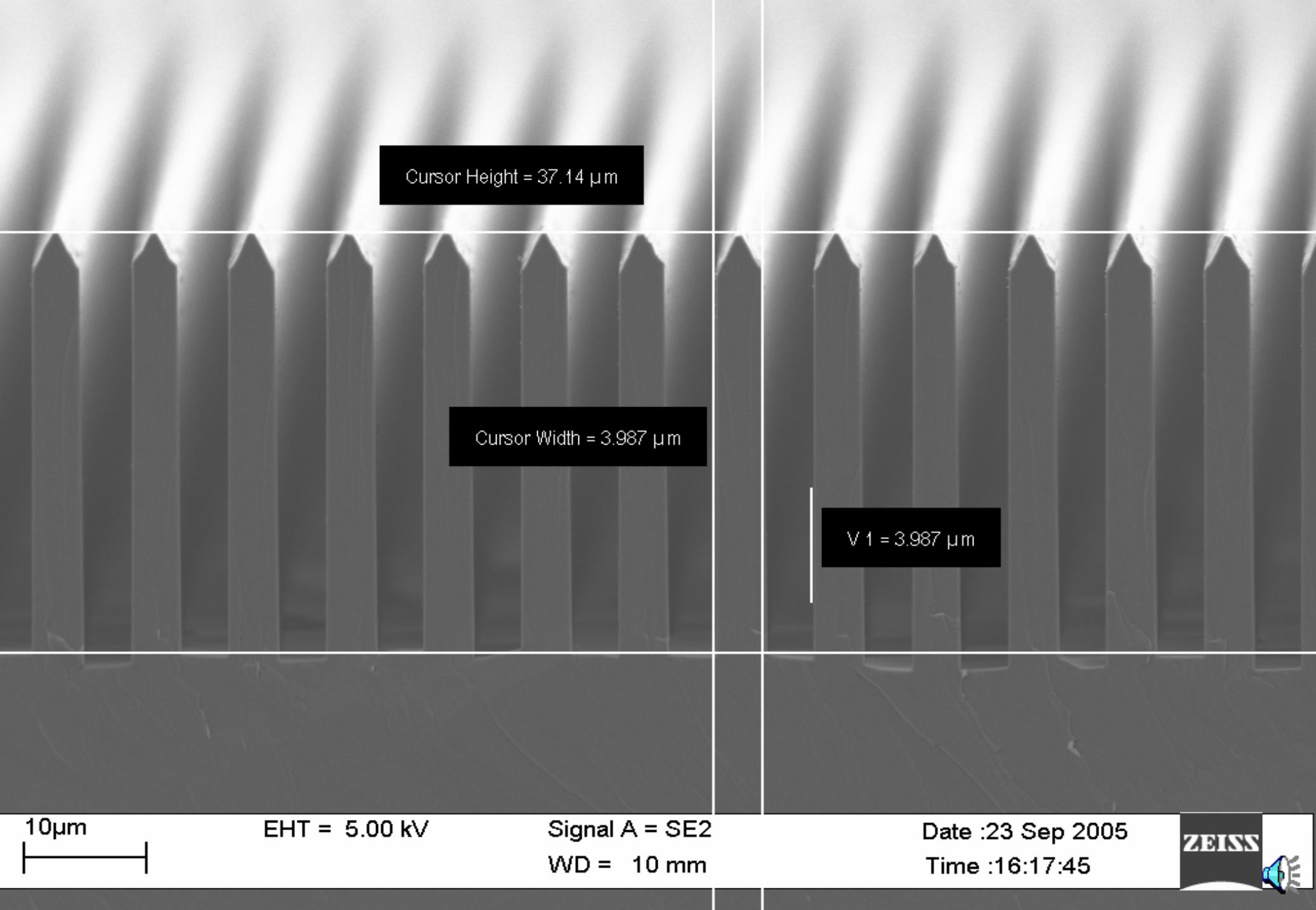


Fabrication (Si gratings)



Fabrication (Si gratings)





Cursor Height = 37.14 μm

Cursor Width = 3.987 μm

V 1 = 3.987 μm

10 μm

EHT = 5.00 kV

Signal A = SE2

WD = 10 mm

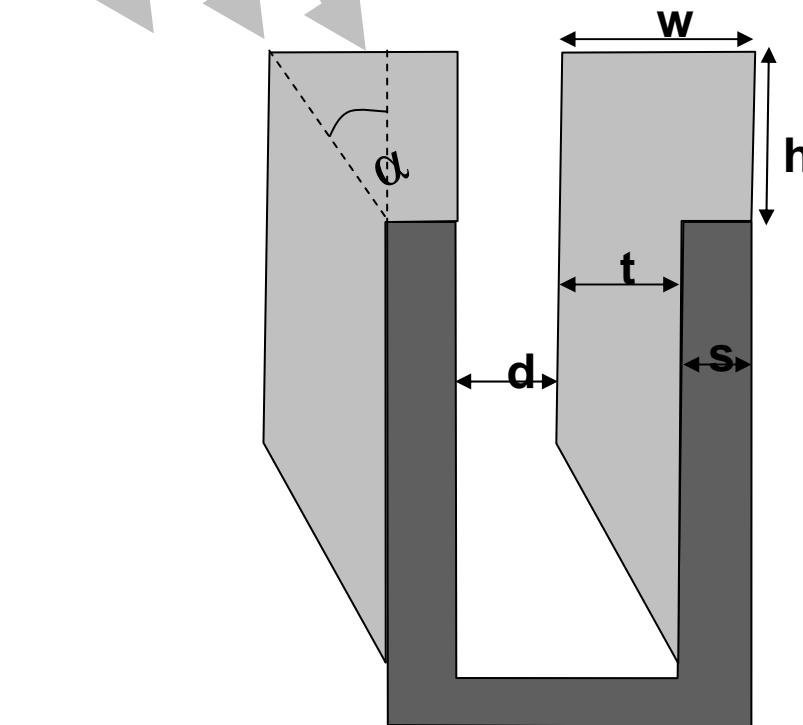
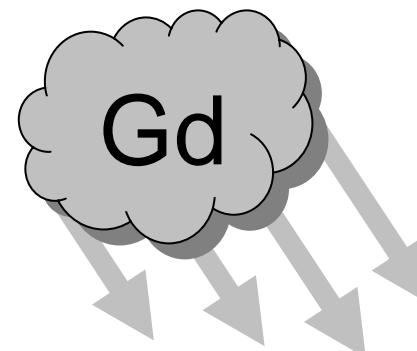
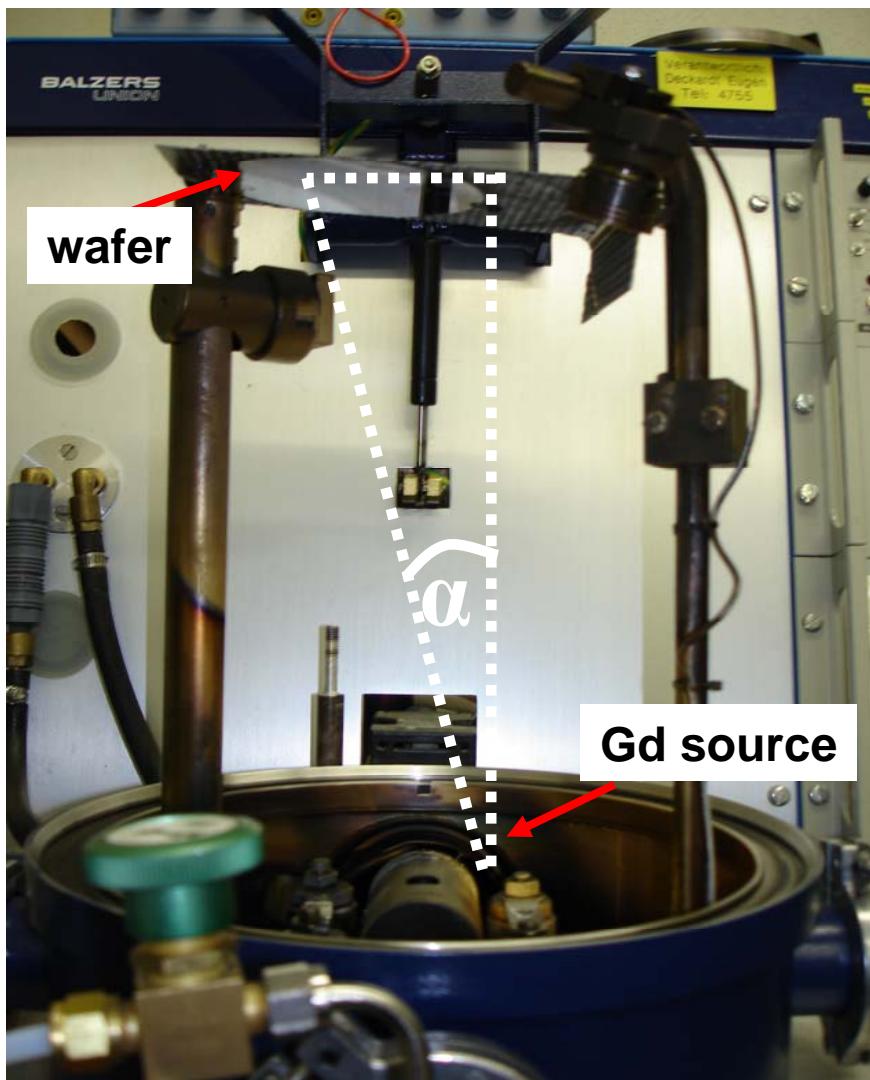
Date :23 Sep 2005

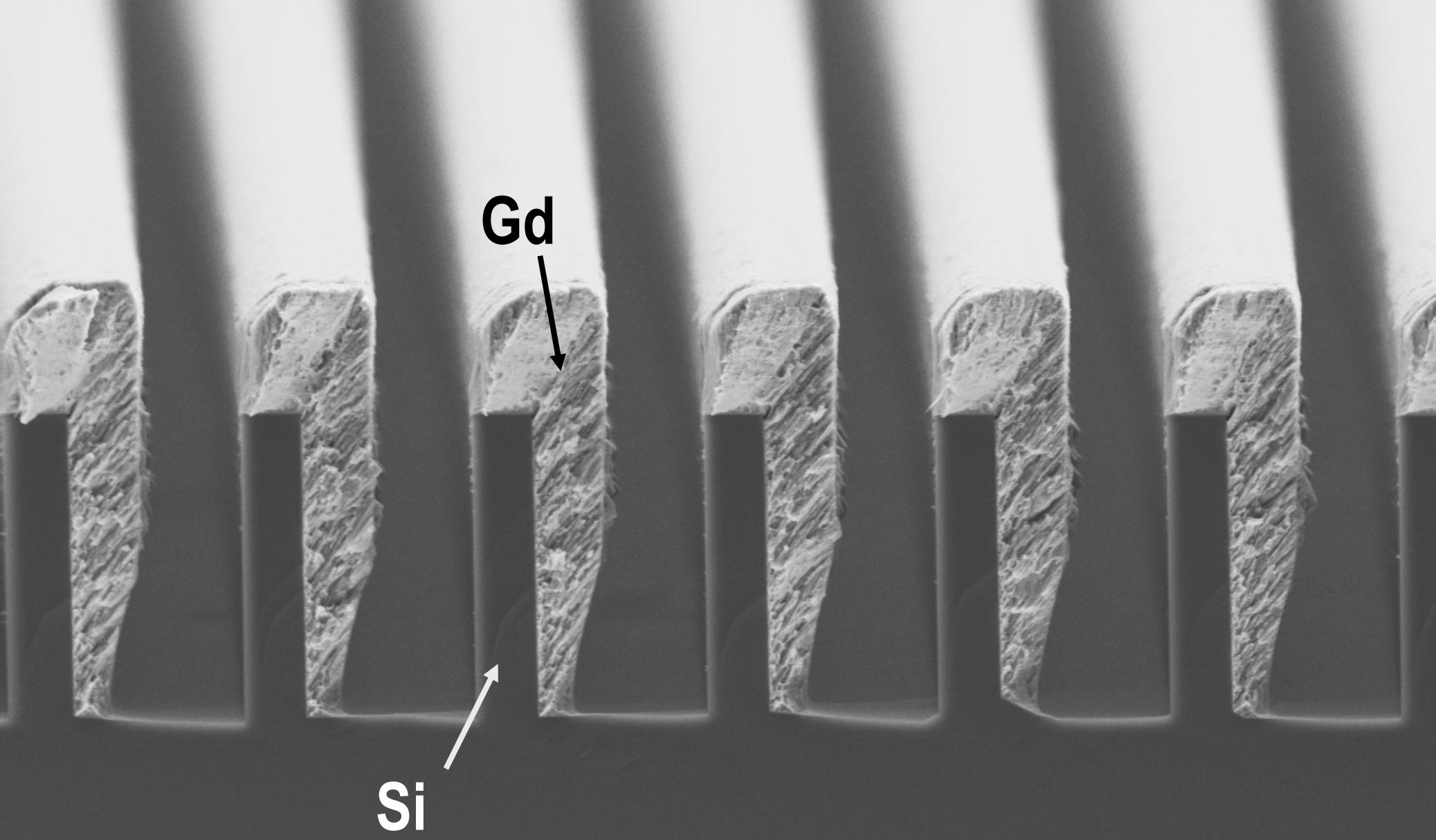
Time :16:17:45

ZEISS



Fabrication (*Si + Gd* gratings)





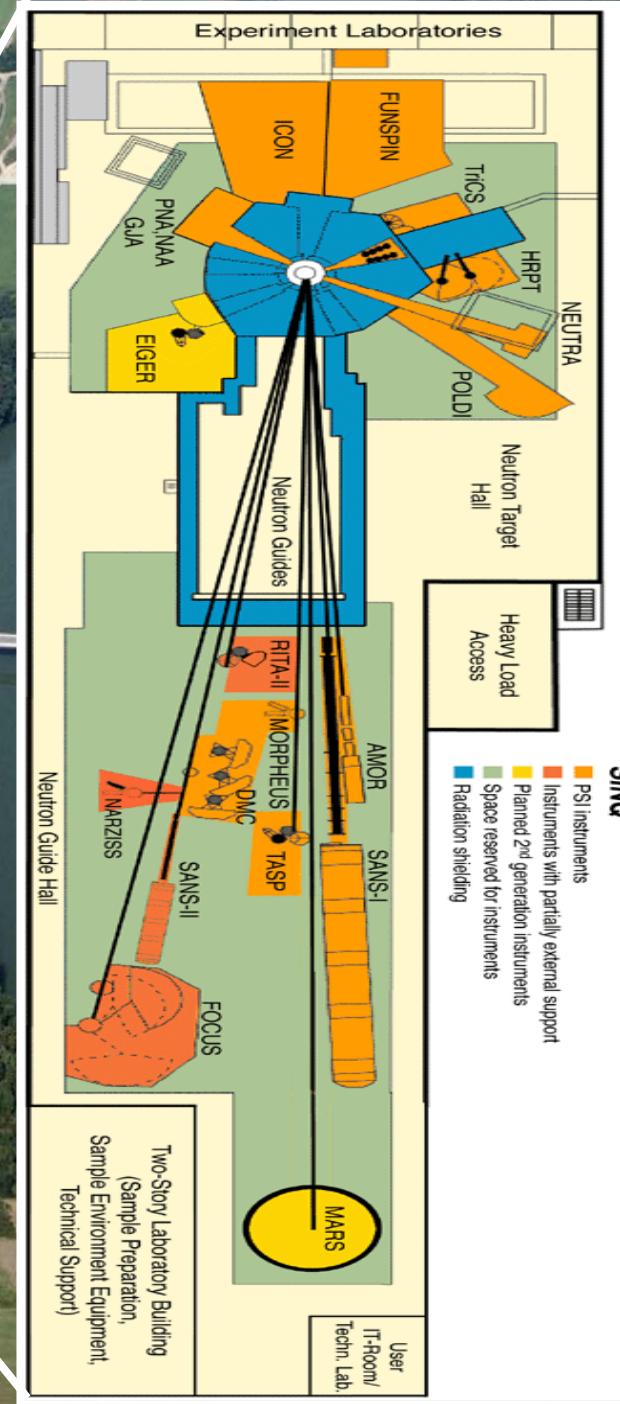
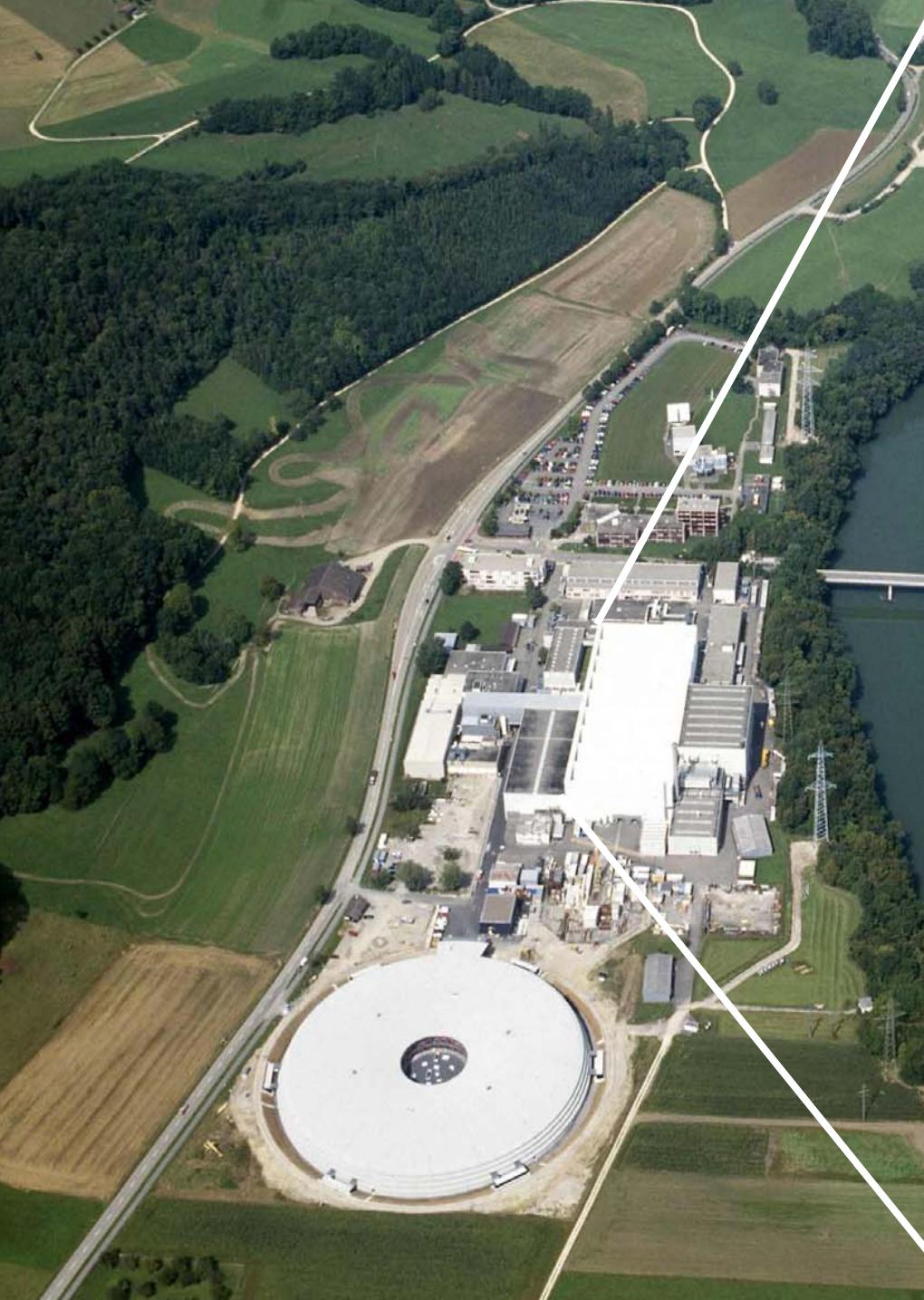
1 μ m

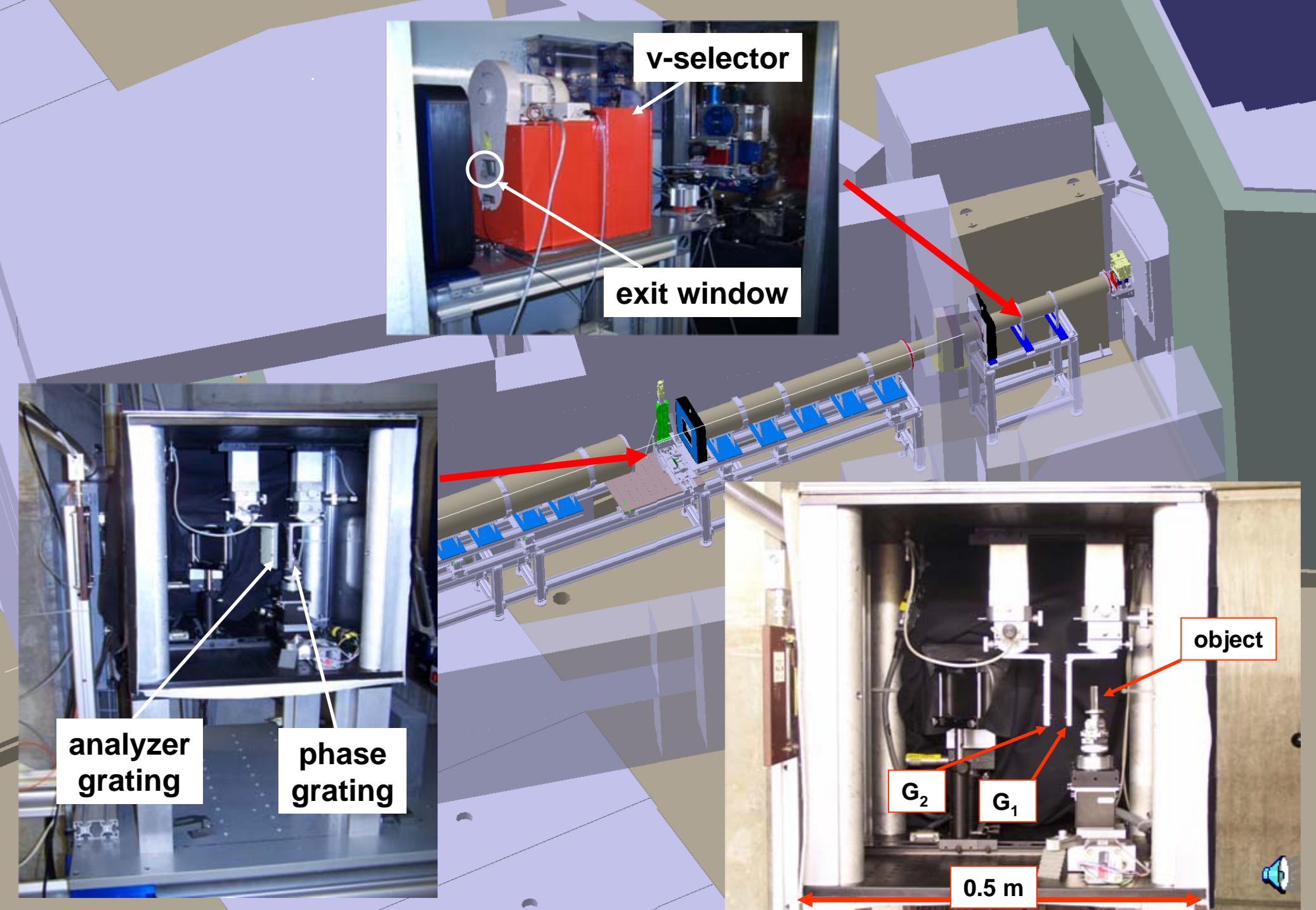
EHT = 5.00 kV
Mag = 15.00 KX

Signal A = SE2
WD = 2 mm

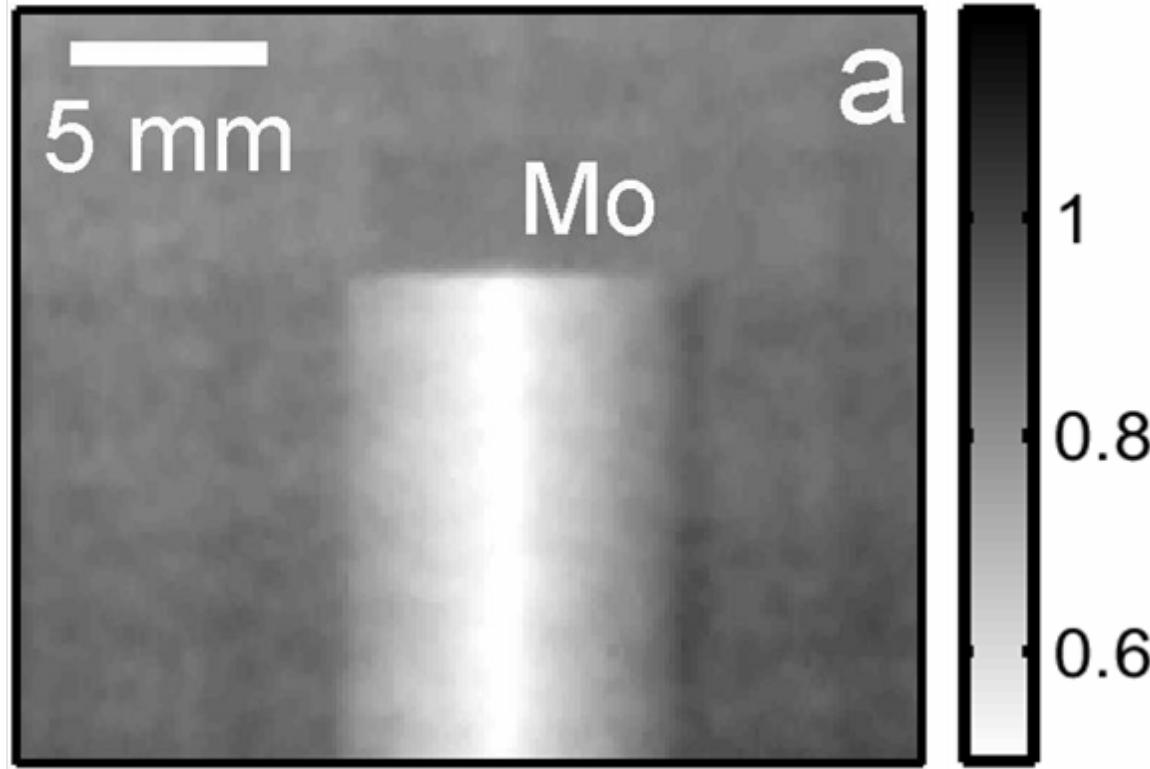
Date :19 Sep 2005
Time :11:05:26

ZEISS



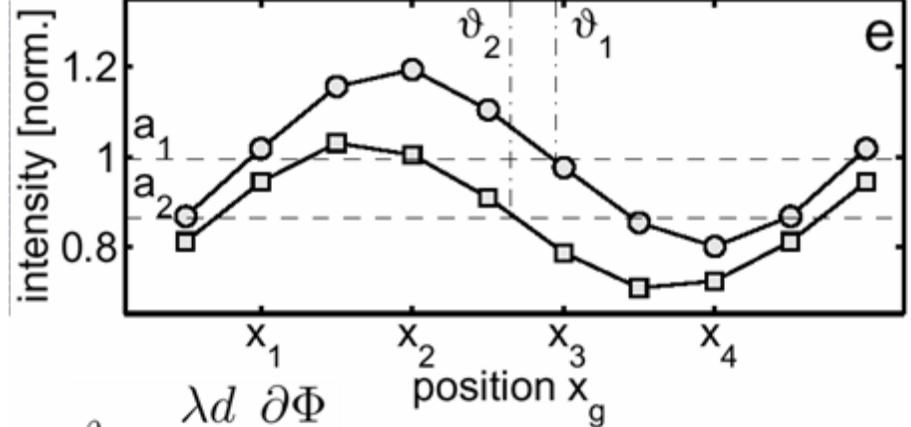
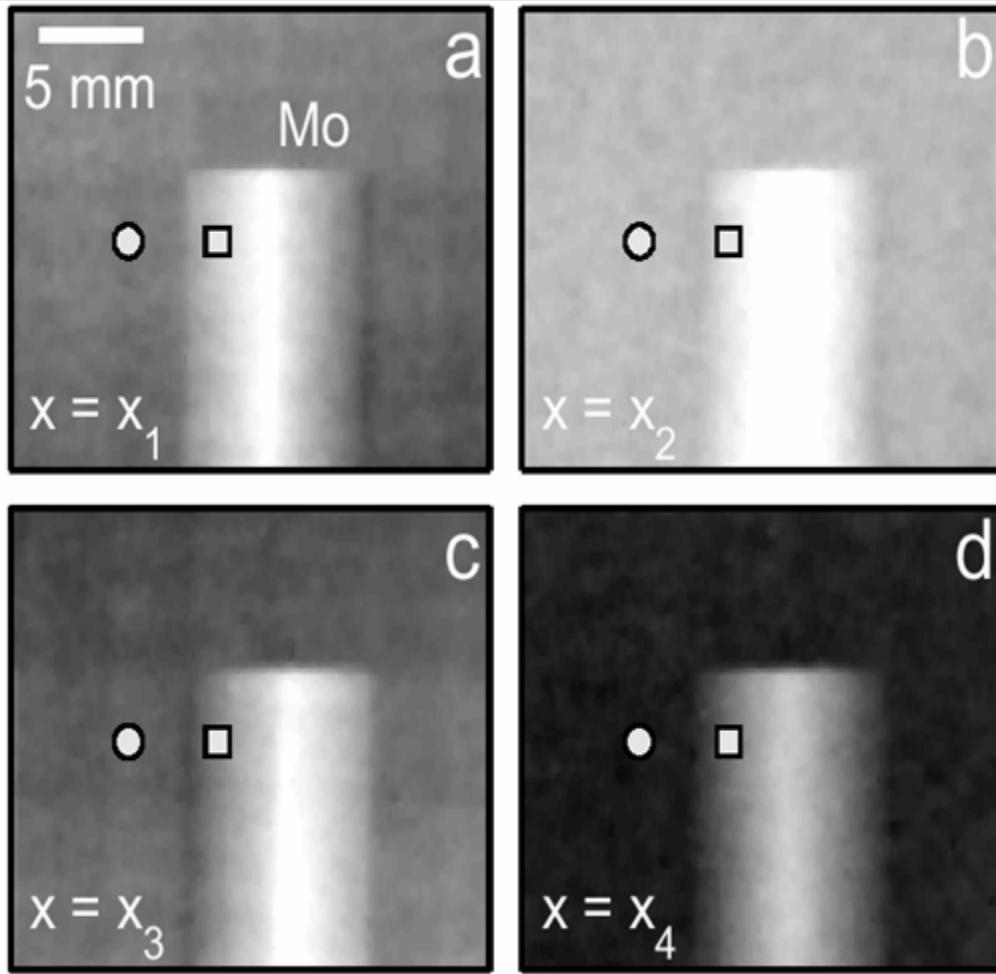
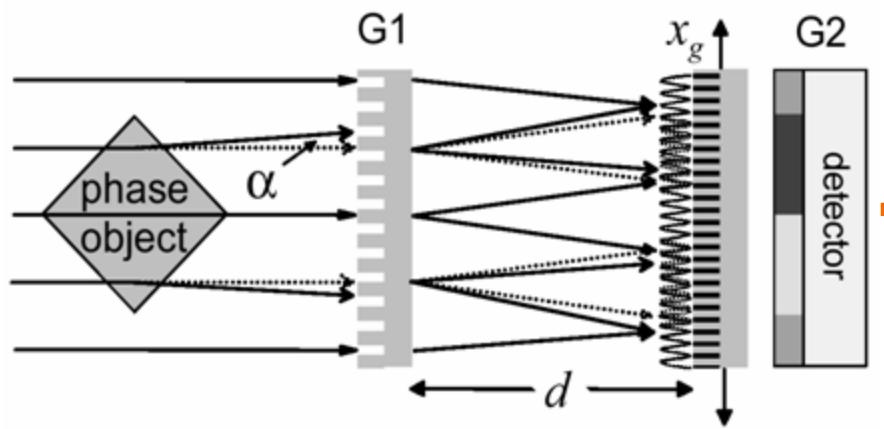


First neutron phase contrast results



$L/D \sim 250$, exposure time per image: 10 sec, spatial resolution ~ 250 micron

First neutron phase contrast results

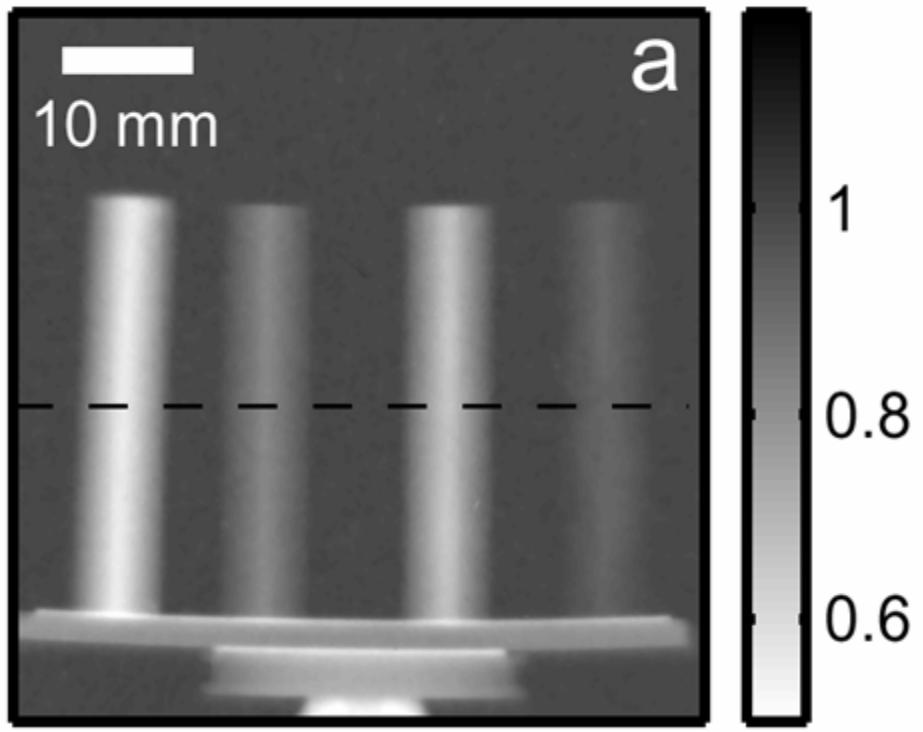


$$\vartheta = \frac{\lambda d}{p_2} \frac{\partial \Phi}{\partial x}$$

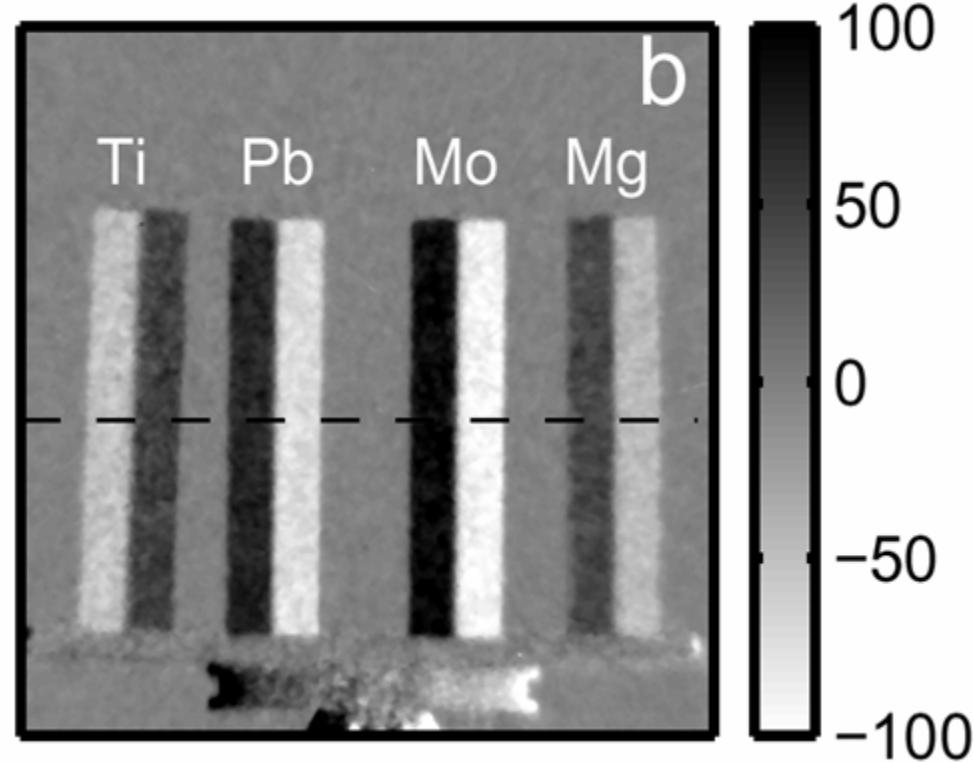
Phase stepping

First neutron phase contrast results

object transmission a



phase gradient $d\Phi/dx [\pi/\text{mm}]$

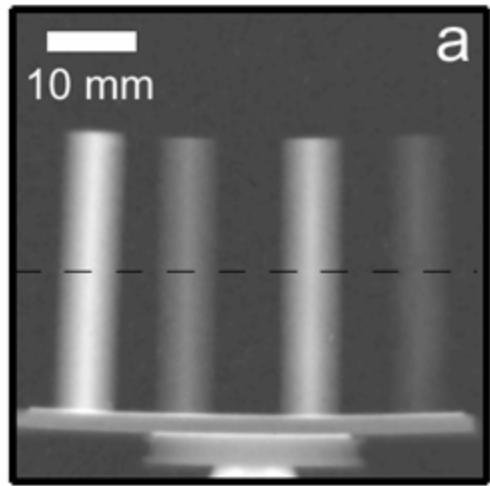


$L/D \sim 250$, total exposure time ~ 100 sec, spatial resolution ~ 250 micron

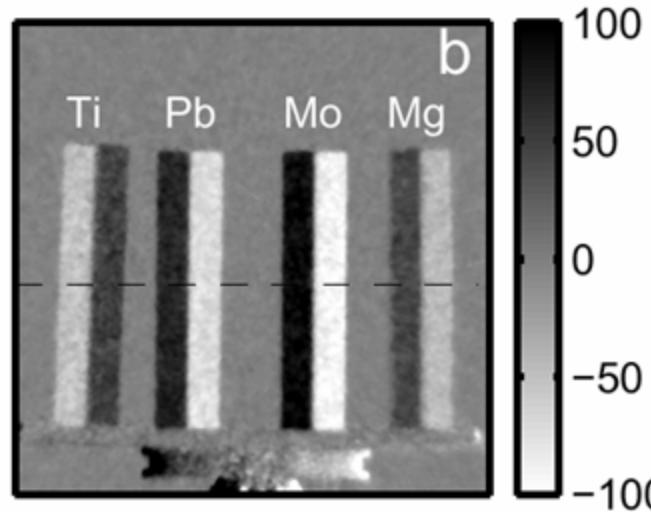
First neutron phase contrast results

Quantitative ✓

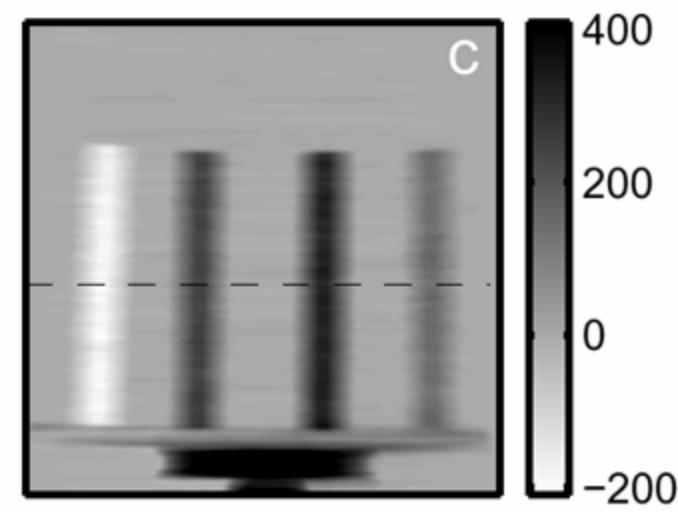
object transmission a



phase gradient $d\Phi/dx [\pi/\text{mm}]$



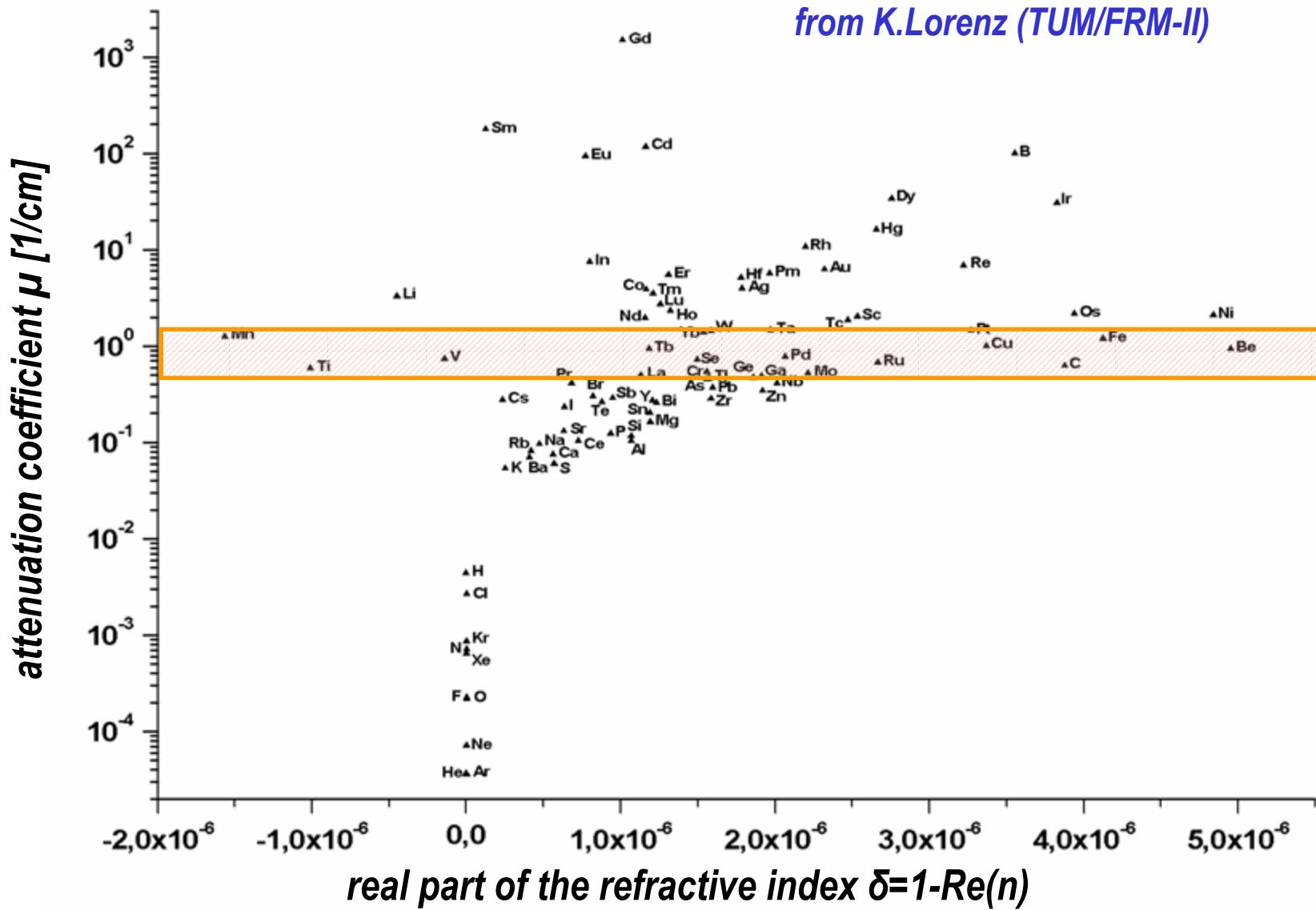
object phase shift $\Phi [\pi]$



$L/D \sim 250$, total exposure time ~ 100 sec, spatial resolution ~ 250 micron

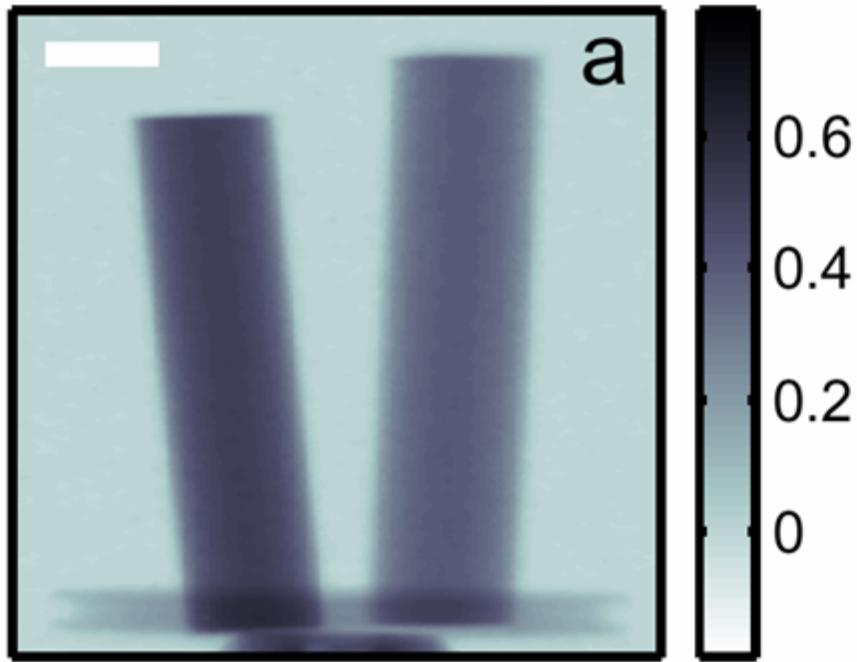
Absorption vs. Phase Contrast

from K.Lorenz (TUM/FRM-II)

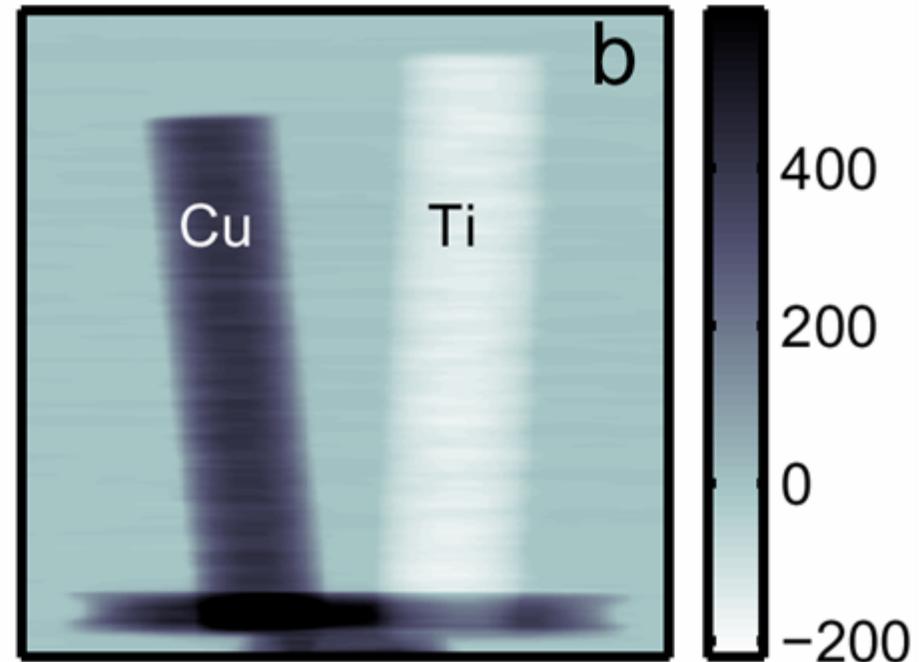


Absorption vs. Phase Contrast

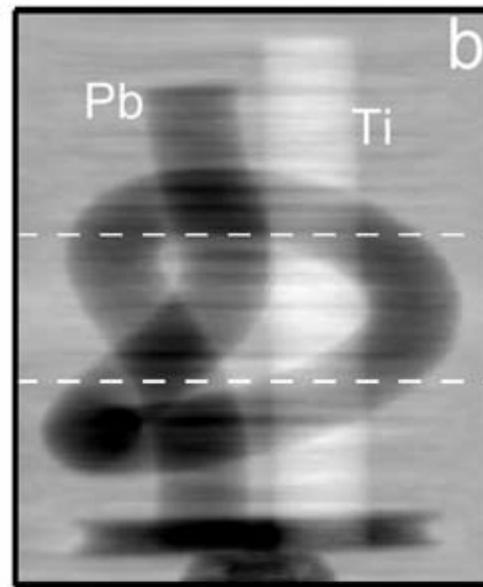
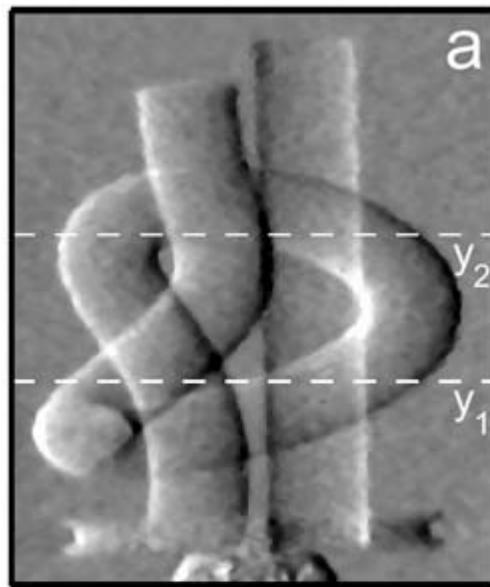
absorption



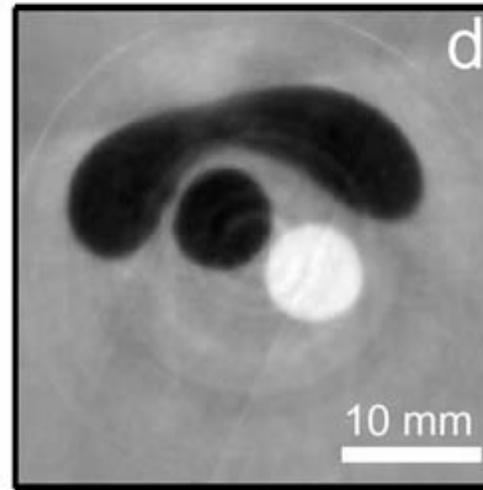
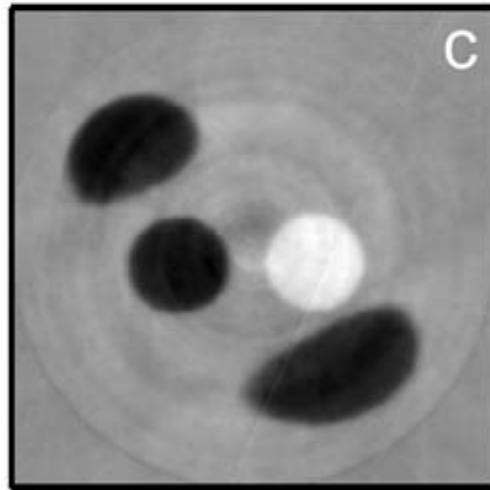
phase shift



Neutron phase contrast tomography

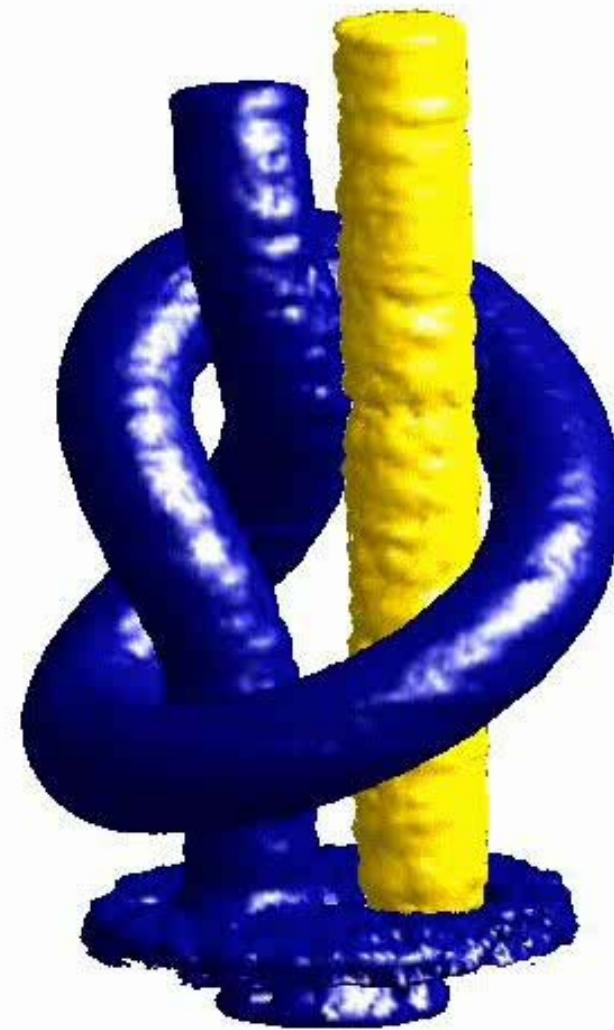
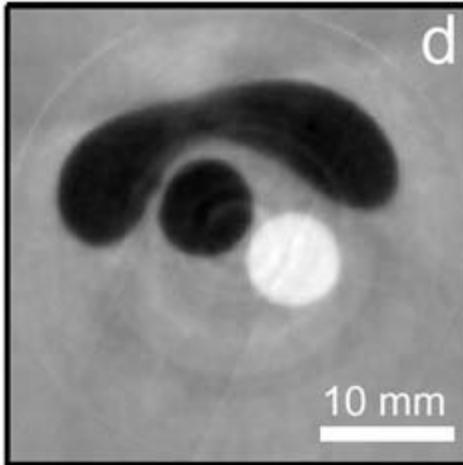
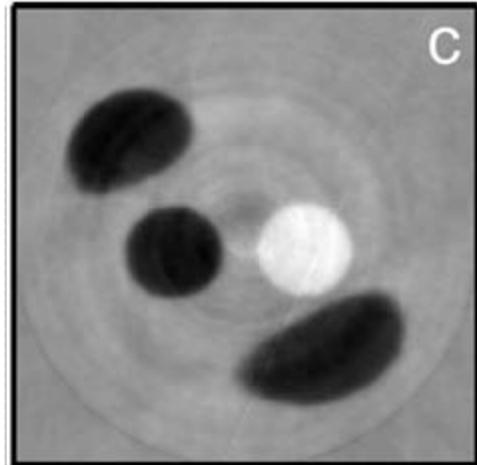
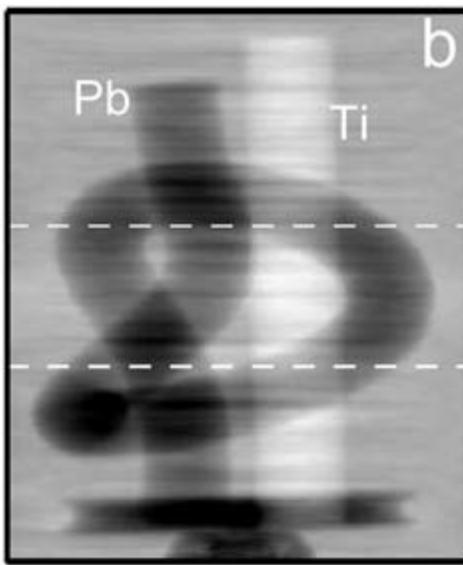
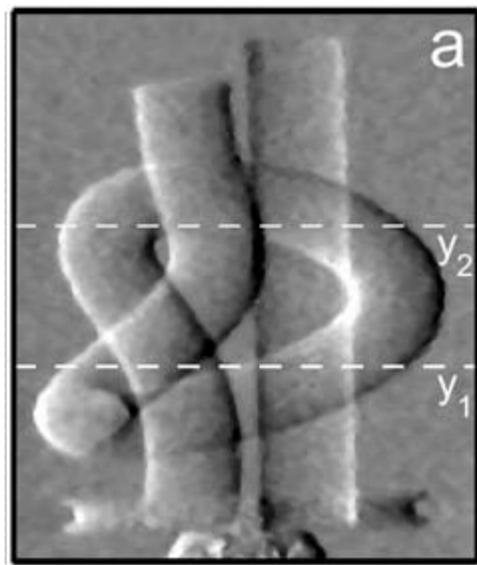


180 Phase Projections,
10 images á 10 sec



CT reconstruction:
 $\delta(x,y,z) \sim b_c(x,y,z)$,
512 slices

Neutron phase contrast tomography



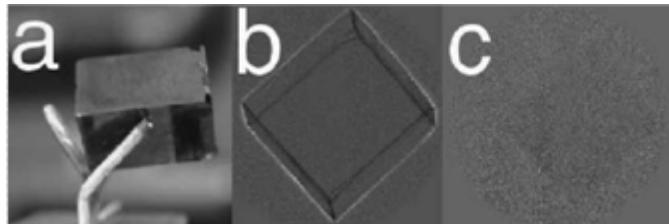
Quantitative Phase Radiography with Polychromatic Neutrons

P. J. McMahon,^{1,*} B. E. Allman,^{1,†} D. L. Jacobson,² M. Arif,² S. A. Werner,² and K. A. Nugent^{1,‡}

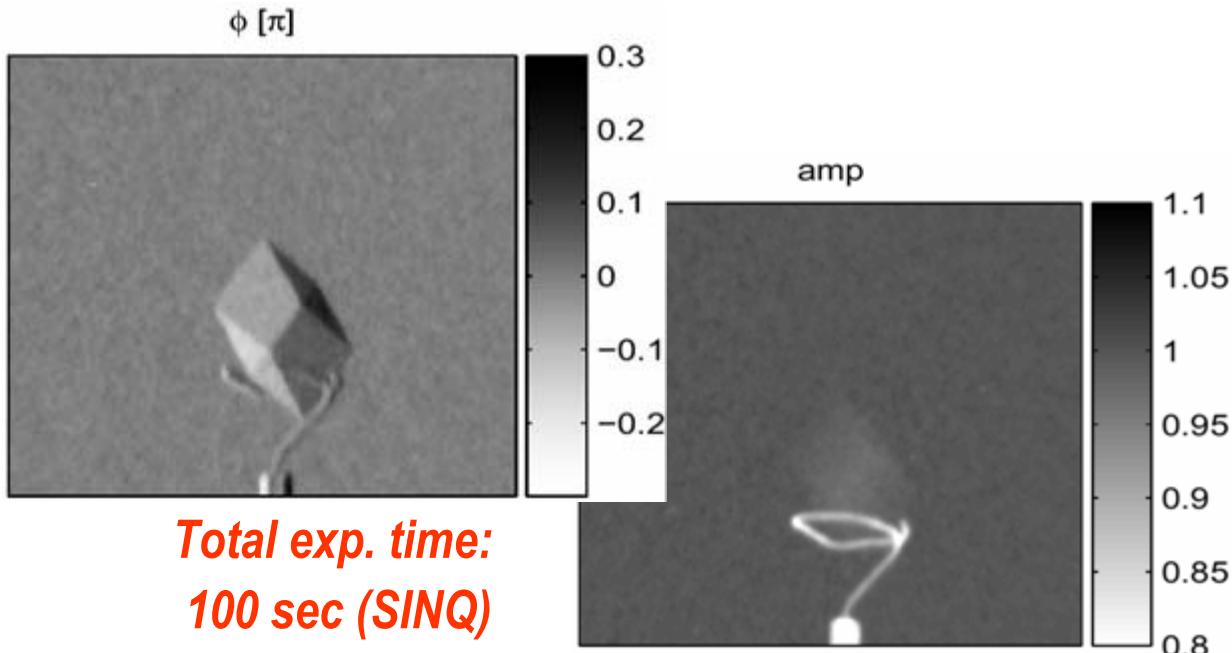
¹*School of Physics, University of Melbourne, Victoria 3010, Australia*

²*Physics Laboratory, National Institute of Standards and Technology, Gaithersburg, Maryland 20899, USA*

(Received 23 June 2003; published 1 October 2003)



the sample in order to allow a suitable redistribution of intensity. An example of the intensity recorded at this position for a 12 h exposure is shown in Fig. 2(b). This image was normalized by an image of the field recorded over a similar period without the sample in position in



Comparison to other methods

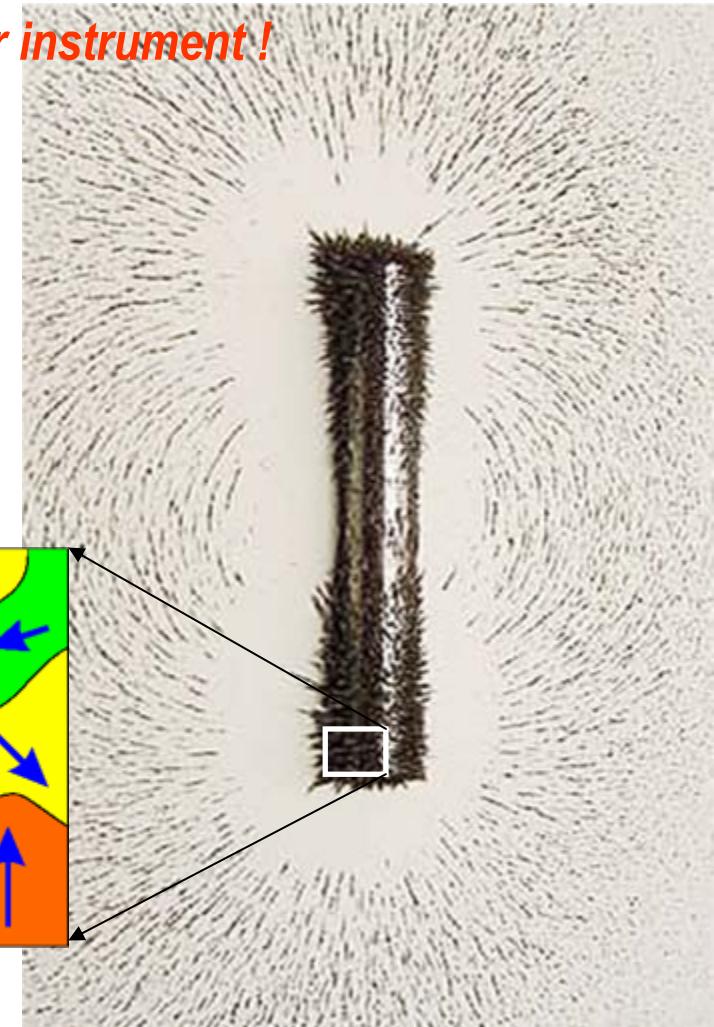
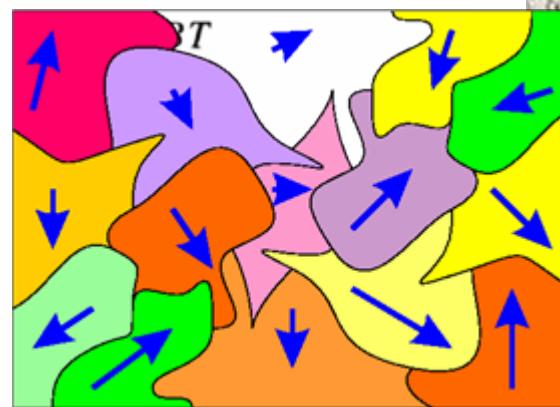
Method	Measured quantity		
Crystal Interferometer	Phase Φ	<ul style="list-style-type: none">•highest phase sensitivity	<ul style="list-style-type: none">•mechanical instability•monochromatic•limited FOV (Crystals)•low efficiency
Grating Interferometer	Phase gradient $\nabla\Phi$	<ul style="list-style-type: none">•good phase sensitivity•polychromatic•large fields of view•very efficient	<ul style="list-style-type: none">•requires gratings
Fresnel Propagation	Laplace of phase $\Delta\Phi$	<ul style="list-style-type: none">•simple•polychromatic	<ul style="list-style-type: none">•low efficiency•requires high resolution detector•low phase sensitivity

The Future ?

Interaction	Potential	Phase shift
Nuclear	$\frac{2\pi\hbar^2}{m} b_c \delta(\mathbf{r})$	$-Nb_c\lambda D$
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Gravitation	$m\mathbf{g} \cdot \mathbf{r}$	$\frac{m^2 g \lambda A \sin \alpha}{2\pi\hbar^2}$
Coriolis	$-\hbar\omega(\mathbf{r} \times \mathbf{k})$	$\frac{2m}{\hbar}\omega_e \cdot \mathbf{A}$
Aharonov–Casher (Schwinger)	$-\boldsymbol{\mu} \cdot (\mathbf{v} \times \mathbf{E})/c$	$\pm \frac{2\mu}{\hbar c} \mathbf{E} \cdot \mathbf{D}$
Scalar Aharonov–Bohm	$-\boldsymbol{\mu} \cdot \mathbf{B}(t)$	
Magnetic Josephson	$-\boldsymbol{\mu} \cdot \mathbf{B}(t)$	
Fizeau	—	
Geometry (Berry)	—	

3D domain structure ?

=> User instrument !



References

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T. Weitkamp, A. Diaz, C. David, F. Pfeiffer, M. Stampanoni et al., Optics Express **13**, 6296-6304 (2005).

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C. David, B. Nöhammer, H.H. Solak, and E. Ziegler, Appl. Phys. Lett. **81**, 3287 (2002).

<http://sls.web.psi.ch/view.php/beamlines/cs/research/index.html>