

Appendix A

3rd Order Log-Logistic Regression Results for the Non Elderly – 1992 NMES

-> ipl= 1				Number of obs =	95
Source	SS	df	MS	F(3, 91)	= 2405.38
Model	305.842493	3	101.947498	Prob > F	= 0.0000
Residual	3.8568665	91	.042383148	R-squared	= 0.9875
Total	309.699359	94	3.29467403	Adj R-squared	= 0.9871
				Root MSE	= .20587

lnodds	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnmoop	1.028337	.0302884	33.952	0.000	.9681726	1.088501
lnmp2	.3279916	.0137416	23.868	0.000	.3006955	.3552877
lnmp3	.1039791	.0059403	17.504	0.000	.0921795	.1157788
_cons	.2481396	.0278213	8.919	0.000	.192876	.3034032

-> ipl= 2				Number of obs =	18
Source	SS	df	MS	F(3, 14)	= 125.96
Model	23.5796402	3	7.85988005	Prob > F	= 0.0000
Residual	.8735684	14	.062397743	R-squared	= 0.9643
Total	24.4532086	17	1.43842403	Adj R-squared	= 0.9566
				Root MSE	= .2498

lnodds	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnmoop	1.275706	.1246871	10.231	0.000	1.008279	1.543133
lnmp2	.1921735	.1078129	1.782	0.096	-.0390621	.4234092
lnmp3	.0123426	.02171	0.569	0.579	-.0342207	.0589059
_cons	.8920519	.0885659	10.072	0.000	.7020969	1.082007

-> ipl= 3				Number of obs =	661
Source	SS	df	MS	F(3, 657)	= 41417.33
Model	2115.81186	3	705.270619	Prob > F	= 0.0000
Residual	11.1876545	657	.017028393	R-squared	= 0.9947
Total	2126.99951	660	3.22272653	Adj R-squared	= 0.9947
				Root MSE	= .13049

lnodds	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnmoop	1.640223	.0067654	242.442	0.000	1.626939	1.653508
lnmp2	.2358787	.0043474	54.257	0.000	.2273422	.2444152
lnmp3	.0217826	.0006417	33.947	0.000	.0205227	.0230426
_cons	.8545995	.0066664	128.195	0.000	.8415096	.8676895

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-> ipl=          4
Source |          SS      df      MS                Number of obs =      135
-----+-----
Model | 421.075911      3 140.358637                F( 3, 131) = 5832.04
Residual | 3.15275169    131  .024066807                Prob > F      = 0.0000
-----+-----
Total | 424.228663    134  3.16588554                R-squared     = 0.9926
                                           Adj R-squared = 0.9924
                                           Root MSE     = .15513

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lnodds |          Coef.    Std. Err.      t    P>|t|     [95% Conf. Interval]
-----+-----
lnmoop | 2.067369    .0237845    86.921  0.000     2.020317     2.11442
lnmp2  | .5307119    .0178904    29.665  0.000     .4953205     .5661032
lnmp3  | .0668307    .0031987    20.893  0.000     .0605029     .0731584
_cons  | .9250693    .0178594    51.797  0.000     .8897391     .9603995
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-> ipl=          5
Source |          SS      df      MS                Number of obs =      97
-----+-----
Model | 225.398596      3 75.1328652                F( 3, 93) = 1856.86
Residual | 3.76299442    93  .040462306                Prob > F      = 0.0000
-----+-----
Total | 229.16159     96  2.3870999                R-squared     = 0.9836
                                           Adj R-squared = 0.9830
                                           Root MSE     = .20115

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-----
lnodds |          Coef.    Std. Err.      t    P>|t|     [95% Conf. Interval]
-----+-----
lnmoop | 1.20965     .021538     56.164  0.000     1.16688     1.25242
lnmp2  | .0904161    .0133463     6.775  0.000     .0639129     .1169192
lnmp3  | .0052674    .0031591     1.667  0.099     -.001006     .0115407
_cons  | -.2725821    .0274003    -9.948  0.000     -.3269936     -.2181706
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-> ipl=          6
Source |          SS      df      MS                Number of obs =      36
-----+-----
Model | 120.944988      3 40.3149961                F( 3, 32) = 637.87
Residual | 2.02247349    32  .063202297                Prob > F      = 0.0000
-----+-----
Total | 122.967462    35  3.51335605                R-squared     = 0.9836
                                           Adj R-squared = 0.9820
                                           Root MSE     = .2514

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-----
lnodds |          Coef.    Std. Err.      t    P>|t|     [95% Conf. Interval]
-----+-----
lnmoop | 1.216438    .0539722    22.538  0.000     1.106501     1.326376
lnmp2  | -.077237    .0439161    -1.759  0.088     -.1666911     .0122171
lnmp3  | .005772     .0140506     0.411  0.684     -.0228481     .0343921
_cons  | .5502528    .063478     8.668  0.000     .4209524     .6795532
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-> ipl=      7
Source |      SS      df      MS                Number of obs =      1288
-----+-----
Model | 4173.02539      3 1391.00846            F( 3, 1284) =94094.71
Residual | 18.9814588 1284 .014783068            Prob > F      = 0.0000
-----+-----
Total | 4192.00685 1287 3.25719258            R-squared     = 0.9955
                                           Adj R-squared = 0.9955
                                           Root MSE     = .12159

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-----
lnodds |      Coef.   Std. Err.      t    P>|t|     [95% Conf. Interval]
-----+-----
lnmoop | 1.530963    .003594    425.980  0.000    1.523912    1.538014
lnmp2  | .2010627    .0020244    99.317  0.000    .1970911    .2050343
lnmp3  | .01849      .0004554    40.599  0.000    .0175965    .0193835
_cons  | -.5283127   .0042469   -124.400  0.000   -.5366443   -.5199811
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-> ipl=      8
Source |      SS      df      MS                Number of obs =      246
-----+-----
Model | 725.871756      3 241.957252            F( 3, 242) =12675.98
Residual | 4.61926039 242 .019087853            Prob > F      = 0.0000
-----+-----
Total | 730.491017 245 2.98159599            R-squared     = 0.9937
                                           Adj R-squared = 0.9936
                                           Root MSE     = .13816

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-----
lnodds |      Coef.   Std. Err.      t    P>|t|     [95% Conf. Interval]
-----+-----
lnmoop | 1.710414    .0107335   159.353  0.000    1.689271    1.731557
lnmp2  | .2842935    .0080191    35.452  0.000    .2684974    .3000896
lnmp3  | .0336115    .0019594    17.154  0.000    .0297518    .0374713
_cons  | .0543327    .0110507     4.917  0.000    .0325649    .0761005
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-> ipl=      9
Source |      SS      df      MS                Number of obs =      103
-----+-----
Model | 286.768458      3 95.5894861            F( 3, 99) = 2035.24
Residual | 4.64975632 99 .046967236            Prob > F      = 0.0000
-----+-----
Total | 291.418215 102 2.85704132            R-squared     = 0.9840
                                           Adj R-squared = 0.9836
                                           Root MSE     = .21672

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-----
lnodds |      Coef.   Std. Err.      t    P>|t|     [95% Conf. Interval]
-----+-----
lnmoop | 1.521131    .0363363    41.863  0.000    1.449032    1.59323
lnmp2  | .1103374    .0143106     7.710  0.000    .0819421    .1387327
lnmp3  | .019345     .0084659     2.285  0.024    .0025468    .0361432
_cons  | -.4183104   .0261139   -16.019  0.000   -.470126   -.3664948
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-> ipl=      10
Source |      SS      df      MS                Number of obs =      36
-----+-----
Model | 116.655431      3 38.8851436          F( 3,      32) = 568.31
Residual | 2.1895111     32 .068422222          Prob > F      = 0.0000
-----+-----
Total | 118.844942     35 3.39556977          R-squared     = 0.9816
                                          Adj R-squared = 0.9798
                                          Root MSE     = .26158

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-----
lnodds |      Coef.   Std. Err.      t    P>|t|     [95% Conf. Interval]
-----+-----
lnmoop | 1.856376   .0688594    26.959  0.000     1.716114     1.996639
lnmp2  | .2636983   .0546097     4.829  0.000     .1524621     .3749346
lnmp3  | .0151784   .025188      0.603  0.551    -.0361279     .0664848
_cons  | .4011379   .0612369     6.551  0.000     .2764025     .5258734
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-> ipl=      11
Source |      SS      df      MS                Number of obs =      785
-----+-----
Model | 2516.2491      3 838.749702          F( 3,      781) =83980.30
Residual | 7.80020426    781 .009987457          Prob > F      = 0.0000
-----+-----
Total | 2524.04931    784 3.21945065          R-squared     = 0.9969
                                          Adj R-squared = 0.9969
                                          Root MSE     = .09994

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-----
lnodds |      Coef.   Std. Err.      t    P>|t|     [95% Conf. Interval]
-----+-----
lnmoop | 1.592924   .004907    324.623  0.000     1.583292     1.602557
lnmp2  | .233218   .0024115   96.711  0.000     .2284843     .2379518
lnmp3  | .0303497   .0008133   37.316  0.000     .0287532     .0319463
_cons  | -.87723    .004545  -193.008  0.000    -.886152    -.8683081
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-> ipl=      12
Source |      SS      df      MS                Number of obs =      139
-----+-----
Model | 412.725524      3 137.575175          F( 3,     135) = 5072.28
Residual | 3.66159985    135 .027122962          Prob > F      = 0.0000
-----+-----
Total | 416.387124    138 3.017298          R-squared     = 0.9912
                                          Adj R-squared = 0.9910
                                          Root MSE     = .16469

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lnodds |      Coef.   Std. Err.      t    P>|t|     [95% Conf. Interval]
-----+-----
lnmoop | 1.635539   .0223557    73.160  0.000     1.591326     1.679752
lnmp2  | .3662254   .0134862    27.156  0.000     .3395539     .392897
lnmp3  | .0795462   .0058544    13.587  0.000     .067968      .0911244
_cons  | -.6992638   .0183075   -38.196  0.000    -.7354703    -.6630572
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-> ipl=      13
Source |      SS      df      MS                Number of obs =      93
-----+-----
Model | 244.456556      3 81.4855186          F( 3, 89) = 4039.88
Residual | 1.7951569     89 .020170302        Prob > F      = 0.0000
-----+-----
Total | 246.251713     92 2.67664905       R-squared     = 0.9927
                                           Adj R-squared = 0.9925
                                           Root MSE     = .14202

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-----
lnodds |      Coef.   Std. Err.      t    P>|t|     [95% Conf. Interval]
-----+-----
lnmoop | 1.192253   .0225827    52.795  0.000    1.147381    1.237124
lnmp2  | .1081199   .0092478    11.691  0.000    .0897447    .1264951
lnmp3  | .006368    .000939     6.782  0.000    .0045022    .0082337
_cons  | 1.68074    .0222479    75.546  0.000    1.636533    1.724946
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-> ipl=      14
Source |      SS      df      MS                Number of obs =      41
-----+-----
Model | 116.471256      3 38.8237522          F( 3, 37) = 1246.93
Residual | 1.15201124     37 .031135439        Prob > F      = 0.0000
-----+-----
Total | 117.623268     40 2.94058169       R-squared     = 0.9902
                                           Adj R-squared = 0.9894
                                           Root MSE     = .17645

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-----
lnodds |      Coef.   Std. Err.      t    P>|t|     [95% Conf. Interval]
-----+-----
lnmoop | .9352596   .0375598    24.901  0.000    .8591562    1.011363
lnmp2  | .0268821   .0228014     1.179  0.246   -.019318    .0730822
lnmp3  | .0052166   .0033453     1.559  0.127   -.0015617    .0119949
_cons  | 1.591682   .0468847    33.949  0.000    1.496684    1.686679
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-> ipl=      15
Source |      SS      df      MS                Number of obs =      25
-----+-----
Model | 56.9611825      3 18.9870608          F( 3, 21) = 189.30
Residual | 2.10632801     21 .100301334        Prob > F      = 0.0000
-----+-----
Total | 59.0675106     24 2.46114627       R-squared     = 0.9643
                                           Adj R-squared = 0.9592
                                           Root MSE     = .3167

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-----
lnodds |      Coef.   Std. Err.      t    P>|t|     [95% Conf. Interval]
-----+-----
lnmoop | .8886003   .079478     11.180  0.000    .7233167    1.053884
lnmp2  | .2116832   .0432449     4.895  0.000    .1217506    .3016158
lnmp3  | .0591864   .0153827     3.848  0.001    .0271963    .0911766
_cons  | .6600614   .0977487     6.753  0.000    .4567818    .863341
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-> ipl=      16
Source |      SS      df      MS                Number of obs =      6
-----+-----
Model |  9.36582546    3  3.12194182            F( 3,    2) = 230.00
Residual | .027147655    2  .013573827          Prob > F      = 0.0043
-----+-----
Total |  9.39297312    5  1.87859462          R-squared     = 0.9971
                                           Adj R-squared = 0.9928
                                           Root MSE     = .11651

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lnodds |      Coef.   Std. Err.      t    P>|t|     [95% Conf. Interval]
-----+-----
lnmoop |   .7575798   .1381421     5.484  0.032    .1632025    1.351957
lnmp2  |  -.1534394   .113387    -1.353  0.309   -.6413041    .3344252
lnmp3  |  -.0359639   .0199313    -1.804  0.213   -.1217215    .0497938
_cons  |   .7252665   .0663259    10.935  0.008    .439889    1.010644
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-> ipl=      17
Source |      SS      df      MS                Number of obs =     123
-----+-----
Model | 373.368485    3 124.456162            F( 3,   119) = 3053.57
Residual | 4.85014579   119 .040757528          Prob > F      = 0.0000
-----+-----
Total | 378.21863    122 3.10015271          R-squared     = 0.9872
                                           Adj R-squared = 0.9869
                                           Root MSE     = .20188

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-----
lnodds |      Coef.   Std. Err.      t    P>|t|     [95% Conf. Interval]
-----+-----
lnmoop |  1.264254   .0232095    54.471  0.000    1.218297    1.310212
lnmp2  |  .2554846   .015543    16.437  0.000    .224708    .2862612
lnmp3  |  .0370303   .0025662    14.430  0.000    .0319491    .0421116
_cons  |  1.474751   .0299808    49.190  0.000    1.415386    1.534116
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-> ipl=      18
Source |      SS      df      MS                Number of obs =     95
-----+-----
Model | 341.404109    3 113.80137            F( 3,    91) = 2324.83
Residual | 4.45448083   91 .048950339          Prob > F      = 0.0000
-----+-----
Total | 345.85859    94  3.6793467          R-squared     = 0.9871
                                           Adj R-squared = 0.9867
                                           Root MSE     = .22125

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-----
lnodds |      Coef.   Std. Err.      t    P>|t|     [95% Conf. Interval]
-----+-----
lnmoop |  1.313108   .030892    42.506  0.000    1.251745    1.374471
lnmp2  |  .1801353   .0149059    12.085  0.000    .1505266    .209744
lnmp3  |  .0179951   .0018205     9.885  0.000    .014379    .0216113
_cons  |  2.001622   .0354134    56.522  0.000    1.931277    2.071966
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-> ipl=      19
Source |      SS      df      MS                Number of obs =      80
-----+-----
Model | 191.563878      3 63.8546261          F( 3,      76) = 1706.45
Residual | 2.8438812     76  .03741949          Prob > F      = 0.0000
-----+-----
Total | 194.407759     79 2.46085771          R-squared     = 0.9854
                                           Adj R-squared = 0.9848
                                           Root MSE     = .19344

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-----
lnodds |      Coef.   Std. Err.      t    P>|t|     [95% Conf. Interval]
-----+-----
lnmoop | 1.342251   .0239307    56.089  0.000    1.294589    1.389913
lnmp2  | .2363857   .0169853    13.917  0.000    .2025567    .2702148
lnmp3  | .0221976   .0029257     7.587  0.000    .0163706    .0280246
_cons  | .6526474   .0317504    20.556  0.000    .589411    .7158838
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-> ipl=      20
Source |      SS      df      MS                Number of obs =      25
-----+-----
Model | 67.7309759      3 22.576992          F( 3,      21) = 396.62
Residual | 1.19538687     21  .056923184          Prob > F      = 0.0000
-----+-----
Total | 68.9263628     24 2.87193178          R-squared     = 0.9827
                                           Adj R-squared = 0.9802
                                           Root MSE     = .23859

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-----
lnodds |      Coef.   Std. Err.      t    P>|t|     [95% Conf. Interval]
-----+-----
lnmoop | .9711176   .0566334    17.147  0.000    .853342    1.088893
lnmp2  | .0686191   .0358318     1.915  0.069   -.0058971    .1431354
lnmp3  | .0117069   .0059579     1.965  0.063   -.0006831    .024097
_cons  | 1.274808   .0717247    17.774  0.000    1.125648    1.423968
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-> ipl=      21
Source |      SS      df      MS                Number of obs =      83
-----+-----
Model | 224.942774      3 74.9809247          F( 3,      79) = 1622.14
Residual | 3.65165743     79  .046223512          Prob > F      = 0.0000
-----+-----
Total | 228.594432     82 2.78773697          R-squared     = 0.9840
                                           Adj R-squared = 0.9834
                                           Root MSE     = .215

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-----
lnodds |      Coef.   Std. Err.      t    P>|t|     [95% Conf. Interval]
-----+-----
lnmoop | 1.158905   .0283697    40.850  0.000    1.102436    1.215373
lnmp2  | .1862828   .0217528     8.564  0.000    .1429851    .2295806
lnmp3  | .030229    .0043844     6.895  0.000    .0215021    .038956
_cons  | .866542    .0354968    24.412  0.000    .7958874    .9371966
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-> ipl=      22
Source |      SS      df      MS                Number of obs =      58
-----+-----
Model | 173.539553      3  57.8465176          F( 3, 54) = 1114.55
Residual | 2.80267227     54  .051901338          Prob > F      = 0.0000
-----+-----
Total | 176.342225     57  3.09372325          R-squared     = 0.9841
                                           Adj R-squared = 0.9832
                                           Root MSE     = .22782

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-----
lnodds |      Coef.   Std. Err.      t    P>|t|     [95% Conf. Interval]
-----+-----
lnmoop |   .8611484   .0454843    18.933  0.000    .7699578    .952339
lnmp2  |  -.0174433   .0279733    -0.624  0.536   -.0735264    .0386398
lnmp3  |   .000104    .0039589     0.026  0.979   -.0078331    .0080411
_cons  |   1.913165   .0522935    36.585  0.000    1.808323    2.018008
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-> ipl=      23
Source |      SS      df      MS                Number of obs =      61
-----+-----
Model | 184.506921      3  61.502307          F( 3, 57) = 1584.69
Residual | 2.21218187     57  .038810208          Prob > F      = 0.0000
-----+-----
Total | 186.719103     60  3.11198505          R-squared     = 0.9882
                                           Adj R-squared = 0.9875
                                           Root MSE     = .197

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-----
lnodds |      Coef.   Std. Err.      t    P>|t|     [95% Conf. Interval]
-----+-----
lnmoop |   1.267037   .0278727    45.458  0.000    1.211223    1.322851
lnmp2  |   .1302579   .0179956     7.238  0.000    .0942223    .1662935
lnmp3  |   .0134795   .0028976     4.652  0.000    .0076772    .0192817
_cons  |   .8463711   .035423     23.893  0.000    .7754377    .9173045
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-> ipl=      24
Source |      SS      df      MS                Number of obs =      33
-----+-----
Model | 78.0530688      3  26.0176896          F( 3, 29) = 231.95
Residual | 3.25291544     29  .112169498          Prob > F      = 0.0000
-----+-----
Total | 81.3059842     32  2.54081201          R-squared     = 0.9600
                                           Adj R-squared = 0.9559
                                           Root MSE     = .33492

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-----
lnodds |      Coef.   Std. Err.      t    P>|t|     [95% Conf. Interval]
-----+-----
lnmoop |   .7206272   .1347306     5.349  0.000    .4450722    .9961822
lnmp2  |  -.1105214   .0740161    -1.493  0.146   -.2619013    .0408585
lnmp3  |  -.0121664   .0096213    -1.265  0.216   -.0318442    .0075113
_cons  |   2.101374   .1117858    18.798  0.000    1.872747    2.330002
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-> ipl=      25
Source |      SS      df      MS                Number of obs =      159
-----+-----
Model | 492.381375      3 164.127125          F( 3, 155) = 5001.63
Residual | 5.08628555    155  .032814745        Prob > F      = 0.0000
-----+-----
Total | 497.46766     158  3.1485295        R-squared     = 0.9898
                                           Adj R-squared = 0.9896
                                           Root MSE     = .18115

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-----
lnodds |      Coef.   Std. Err.      t    P>|t|     [95% Conf. Interval]
-----+-----
lnmoop | 1.410947   .0205055     68.808  0.000     1.37044     1.451453
lnmp2  | .0891125   .0113234      7.870  0.000     .0667443    .1114807
lnmp3  | .0030982   .0016678      1.858  0.065    -.0001963    .0063927
_cons  | 1.995875   .0224328     88.971  0.000     1.951562    2.040189
-----

```

```

-> ipl=      26
Source |      SS      df      MS                Number of obs =      48
-----+-----
Model | 112.080781      3 37.3602602          F( 3, 44) = 1057.84
Residual | 1.55397074     44  .035317517        Prob > F      = 0.0000
-----+-----
Total | 113.634751     47  2.41776067        R-squared     = 0.9863
                                           Adj R-squared = 0.9854
                                           Root MSE     = .18793

```

```

-----
lnodds |      Coef.   Std. Err.      t    P>|t|     [95% Conf. Interval]
-----+-----
lnmoop | .8881042   .0274997     32.295  0.000     .8326822    .9435262
lnmp2  | -.1773623   .014845    -11.948  0.000    -.2072804   -.1474441
lnmp3  | -.0239216   .0015952    -14.996  0.000    -.0271364   -.0207067
_cons  | 1.679487   .0439712     38.195  0.000     1.590869    1.768105
-----

```

```

-> ipl=      27
Source |      SS      df      MS                Number of obs =     165
-----+-----
Model | 435.680349      3 145.226783          F( 3, 161) = 2794.02
Residual | 8.36841432    161  .051977729        Prob > F      = 0.0000
-----+-----
Total | 444.048763    164  2.70761441        R-squared     = 0.9812
                                           Adj R-squared = 0.9808
                                           Root MSE     = .22799

```

```

-----
lnodds |      Coef.   Std. Err.      t    P>|t|     [95% Conf. Interval]
-----+-----
lnmoop | 1.476446   .0294434     50.145  0.000     1.418301    1.534591
lnmp2  | .1750389   .0227349      7.699  0.000     .1301418    .2199361
lnmp3  | .0244074   .0043731      5.581  0.000     .0157713    .0330434
_cons  | 1.649103   .0301115     54.767  0.000     1.589639    1.708568
-----

```

```

-> ipl=      28
Source |      SS      df      MS                Number of obs =      31
-----+-----
Model | 80.0117646      3 26.6705882            F( 3, 27) = 607.16
Residual | 1.18603266     27  .043927136          Prob > F      = 0.0000
-----+-----
Total | 81.1977972     30 2.70659324          R-squared     = 0.9854
                                           Adj R-squared = 0.9838
                                           Root MSE     = .20959

```

```

-----
lnodds |      Coef.   Std. Err.      t    P>|t|     [95% Conf. Interval]
-----+-----
lnmoop | 1.048392   .1043977    10.042  0.000   .8341852   1.262598
lnmp2  | -.1262209   .0835     -1.512  0.142  -.2975487   .0451068
lnmp3  | -.0106782   .0156954    -0.680  0.502  -.0428824   .021526
_cons  | 2.294564   .0723208    31.728  0.000   2.146174   2.442954
-----

```

```

-> ipl=      29
Source |      SS      df      MS                Number of obs =     117
-----+-----
Model | 394.496958      3 131.498986            F( 3, 113) = 5568.06
Residual | 2.6686842    113  .023616674          Prob > F      = 0.0000
-----+-----
Total | 397.165643    116 3.42384175          R-squared     = 0.9933
                                           Adj R-squared = 0.9931
                                           Root MSE     = .15368

```

```

-----
lnodds |      Coef.   Std. Err.      t    P>|t|     [95% Conf. Interval]
-----+-----
lnmoop | 1.383701   .0180565    76.632  0.000   1.347928   1.419474
lnmp2  | .1510551   .014352    10.525  0.000   .1226212   .179489
lnmp3  | .0329309   .0034669     9.499  0.000   .0260624   .0397995
_cons  | 1.289012   .0221936    58.080  0.000   1.245043   1.332982
-----

```

```

-> ipl=      30
Source |      SS      df      MS                Number of obs =      39
-----+-----
Model | 124.329781      3 41.4432603            F( 3, 35) = 613.78
Residual | 2.36323      35  .067520857          Prob > F      = 0.0000
-----+-----
Total | 126.693011     38 3.3340266          R-squared     = 0.9813
                                           Adj R-squared = 0.9797
                                           Root MSE     = .25985

```

```

-----
lnodds |      Coef.   Std. Err.      t    P>|t|     [95% Conf. Interval]
-----+-----
lnmoop | 1.763089   .0954174    18.478  0.000   1.569382   1.956797
lnmp2  | .2158413   .0449643     4.800  0.000   .1245589   .3071237
lnmp3  | .015256    .0053539     2.850  0.007   .004387    .026125
_cons  | 2.111643   .0713644    29.590  0.000   1.966765   2.25652
-----

```

```

-> ipl=      31
Source |      SS      df      MS                Number of obs =      147
-----+-----
Model | 432.398629      3 144.132876            F( 3, 143) = 2957.62
Residual | 6.9687771    143  .048732707          Prob > F      = 0.0000
-----+-----
Total | 439.367406    146  3.00936579          R-squared     = 0.9841
                                           Adj R-squared = 0.9838
                                           Root MSE     = .22075

```

```

-----
lnodds |      Coef.   Std. Err.      t    P>|t|     [95% Conf. Interval]
-----+-----
lnmoop | 1.664321   .0250284    66.497  0.000    1.614848    1.713795
lnmp2  | .1682311   .0202813     8.295  0.000    .1281412    .208321
lnmp3  | .0173382   .0039553     4.384  0.000    .0095199    .0251566
_cons  | .9179109   .024995     36.724  0.000    .8685034    .9673184
-----

```

```

-> ipl=      32
Source |      SS      df      MS                Number of obs =      29
-----+-----
Model | 45.0813839      3 15.027128            F( 3, 25) = 702.67
Residual | .534642548    25  .021385702          Prob > F      = 0.0000
-----+-----
Total | 45.6160265    28  1.6291438          R-squared     = 0.9883
                                           Adj R-squared = 0.9869
                                           Root MSE     = .14624

```

```

-----
lnodds |      Coef.   Std. Err.      t    P>|t|     [95% Conf. Interval]
-----+-----
lnmoop | 1.085683   .037348     29.069  0.000    1.008763    1.162602
lnmp2  | .4554284   .0377607    12.061  0.000    .3776588    .533198
lnmp3  | .0980967   .0100309     9.779  0.000    .0774378    .1187557
_cons  | .6488838   .0481696    13.471  0.000    .5496767    .7480909
-----

```

```

-> ipl=      33
Source |      SS      df      MS                Number of obs =      94
-----+-----
Model | 264.342029      3 88.1140095            F( 3, 90) = 2764.60
Residual | 2.86850687    90  .031872299          Prob > F      = 0.0000
-----+-----
Total | 267.210536    93  2.87323156          R-squared     = 0.9893
                                           Adj R-squared = 0.9889
                                           Root MSE     = .17853

```

```

-----
lnodds |      Coef.   Std. Err.      t    P>|t|     [95% Conf. Interval]
-----+-----
lnmoop | 1.377571   .0188401    73.119  0.000    1.340142    1.415001
lnmp2  | .1627608   .0157923    10.306  0.000    .1313867    .194135
lnmp3  | .0156125   .0034004     4.591  0.000    .008857     .022368
_cons  | .4258514   .0268525    15.859  0.000    .3725042    .4791985
-----

```

```

-> ipl=      34
Source |      SS      df      MS                Number of obs =      25
-----+-----
Model | 61.8161143      3 20.6053714          F( 3, 21) = 125.37
Residual | 3.45156253     21  .16436012        Prob > F      = 0.0000
-----+-----
Total | 65.2676768     24 2.71948654        R-squared     = 0.9471
                                           Adj R-squared = 0.9396
                                           Root MSE     = .40541

```

```

-----
lnodds |      Coef.   Std. Err.      t    P>|t|     [95% Conf. Interval]
-----+-----
lnmoop | 1.303318   .1274283    10.228  0.000    1.038316    1.56832
lnmp2  | .2476674   .1658784     1.493  0.150   -.0972957    .5926304
lnmp3  | .0569785   .0448092     1.272  0.217   -.0362074    .1501645
_cons  | 1.1964     .1490861     8.025  0.000    .8863583    1.506441
-----

```

```

-> ipl=      35
Source |      SS      df      MS                Number of obs =      95
-----+-----
Model | 305.735567      3 101.911856          F( 3, 91) = 3712.32
Residual | 2.49816301     91  .027452341        Prob > F      = 0.0000
-----+-----
Total | 308.23373     94 3.27908224        R-squared     = 0.9919
                                           Adj R-squared = 0.9916
                                           Root MSE     = .16569

```

```

-----
lnodds |      Coef.   Std. Err.      t    P>|t|     [95% Conf. Interval]
-----+-----
lnmoop | 1.455078   .019807    73.463  0.000    1.415733    1.494422
lnmp2  | .400624    .0143618   27.895  0.000    .3720961    .4291519
lnmp3  | .0720243   .0037024   19.453  0.000    .0646699    .0793787
_cons  | .0460845   .0224547    2.052  0.043    .0014809    .0906881
-----

```

```

-> ipl=      36
Source |      SS      df      MS                Number of obs =      17
-----+-----
Model | 30.1905849      3 10.0635283          F( 3, 13) = 126.96
Residual | 1.03043208     13  .079264006        Prob > F      = 0.0000
-----+-----
Total | 31.221017     16 1.95131356        R-squared     = 0.9670
                                           Adj R-squared = 0.9594
                                           Root MSE     = .28154

```

```

-----
lnodds |      Coef.   Std. Err.      t    P>|t|     [95% Conf. Interval]
-----+-----
lnmoop | 1.02722    .1537007     6.683  0.000    .6951702    1.359271
lnmp2  | -.1764032   .0573916    -3.074  0.009   -.3003901   -.0524162
lnmp3  | .0762584    .0532075     1.433  0.175   -.0386894    .1912061
_cons  | .5618133    .1106814     5.076  0.000    .3227008    .8009259
-----

```

Appendix B

3rd Order Log-Logistic Regression Results for the Elderly – 1992 NMES

```

-> ipl=          1
Source |          SS          df          MS          Number of obs =          271
-----+-----
Model | 969.687286          3 323.229095          F( 3, 267) = 6312.62
Residual | 13.6713752        267  .051203652          Prob > F      = 0.0000
-----+-----
Total | 983.358661        270  3.64206911          R-squared     = 0.9861
                                          Adj R-squared = 0.9859
                                          Root MSE     = .22628

```

```

-----+-----
lnodds |          Coef.      Std. Err.          t      P>|t|      [95% Conf. Interval]
-----+-----
lnmoop | 1.492615      .0138132      108.057    0.000      1.465418      1.519811
lnmp2  | .2132053      .0081531       26.150    0.000      .1971528      .2292577
lnmp3  | .0216962      .0014721       14.739    0.000      .0187979      .0245945
_cons  | .0970413      .0172941        5.611    0.000      .0629911      .1310916
-----+-----

```

```

-> ipl=          2
Source |          SS          df          MS          Number of obs =          286
-----+-----
Model | 896.414127          3 298.804709          F( 3, 282) = 6476.79
Residual | 13.0099841        282  .046134695          Prob > F      = 0.0000
-----+-----
Total | 909.424111        285  3.19096179          R-squared     = 0.9857
                                          Adj R-squared = 0.9855
                                          Root MSE     = .21479

```

```

-----+-----
lnodds |          Coef.      Std. Err.          t      P>|t|      [95% Conf. Interval]
-----+-----
lnmoop | 1.870395      .014838       126.054    0.000      1.841187      1.899602
lnmp2  | .2991561      .0099501       30.066    0.000      .2795703      .3187419
lnmp3  | .0202544      .0018981       10.671    0.000      .0165181      .0239906
_cons  | -.2493622      .0153731      -16.221    0.000     -.2796228     -.2191017
-----+-----

```

```

-> ipl=          3
Source |          SS          df          MS          Number of obs =          129
-----+-----
Model | 383.006522          3 127.668841          F( 3, 125) = 8213.81
Residual | 1.9428987         125  .01554319          Prob > F      = 0.0000
-----+-----
Total | 384.949421        128  3.00741735          R-squared     = 0.9950
                                          Adj R-squared = 0.9948
                                          Root MSE     = .12467

```

```

-----+-----
lnodds |          Coef.      Std. Err.          t      P>|t|      [95% Conf. Interval]
-----+-----
lnmoop | 1.052572      .0108431       97.073    0.000      1.031112      1.074032
lnmp2  | .2052475      .0067467       30.422    0.000      .191895      .2185999
lnmp3  | .0425626      .0017337       24.550    0.000      .0391314      .0459939
_cons  | .0244914      .0158575        1.544    0.125     -.0068926      .0558753
-----+-----

```

```

-> ipl=          4
Source |          SS      df      MS                Number of obs =      540
-----+-----
Model | 1776.08577      3  592.028591            F( 3, 536) =77806.15
Residual | 4.0784351    536  .007609021          Prob > F      = 0.0000
-----+-----
Total | 1780.16421    539  3.30271653          R-squared     = 0.9977
                                           Adj R-squared = 0.9977
                                           Root MSE     = .08723

```

```

-----
lnodds |          Coef.    Std. Err.      t    P>|t|     [95% Conf. Interval]
-----+-----
lnmoop | 1.456565      .0047581    306.125  0.000     1.447218     1.465912
lnmp2  | .0989779     .0017526     56.473  0.000     .095535     .1024208
lnmp3  | .0180522     .0006072     29.730  0.000     .0168593     .019245
_cons  | -.8261255     .0046334    -178.298  0.000    -.8352274    -.8170236
-----

```

```

-> ipl=          5
Source |          SS      df      MS                Number of obs =      329
-----+-----
Model | 1164.88921      3  388.296405            F( 3, 325) = 3772.72
Residual | 33.4497098    325  .102922184          Prob > F      = 0.0000
-----+-----
Total | 1198.33892    328  3.65347233          R-squared     = 0.9721
                                           Adj R-squared = 0.9718
                                           Root MSE     = .32081

```

```

-----
lnodds |          Coef.    Std. Err.      t    P>|t|     [95% Conf. Interval]
-----+-----
lnmoop | 1.353372     .0170589     79.335  0.000     1.319812     1.386932
lnmp2  | .1354451     .0069065     19.611  0.000     .121858     .1490322
lnmp3  | .0077417     .0015246      5.078  0.000     .0047423     .010741
_cons  | -.0288342     .0211457     -1.364  0.174    -.0704339     .0127655
-----

```

```

-> ipl=          6
Source |          SS      df      MS                Number of obs =      272
-----+-----
Model | 983.959069      3  327.986356            F( 3, 268) = 4425.14
Residual | 19.8638414    268  .074118811          Prob > F      = 0.0000
-----+-----
Total | 1003.82291    271  3.70414358          R-squared     = 0.9802
                                           Adj R-squared = 0.9800
                                           Root MSE     = .27225

```

```

-----
lnodds |          Coef.    Std. Err.      t    P>|t|     [95% Conf. Interval]
-----+-----
lnmoop | 1.716371     .0276049     62.176  0.000     1.662021     1.770722
lnmp2  | .1079747     .0080613     13.394  0.000     .0921032     .1238463
lnmp3  | -.0074709     .0050011     -1.494  0.136    -.0173173     .0023754
_cons  | -.563099     .0209306     -26.903  0.000    -.6043084    -.5218897
-----

```

```

-> ipl=      7
Source |      SS      df      MS                Number of obs =      107
-----+-----
Model | 303.895845      3 101.298615            F( 3, 103) = 2555.51
Residual | 4.08284255    103  .039639248          Prob > F      = 0.0000
-----+-----
Total | 307.978688    106  2.90545932          R-squared     = 0.9867
                                           Adj R-squared = 0.9864
                                           Root MSE     = .1991

```

```

-----
lnodds |      Coef.   Std. Err.      t    P>|t|     [95% Conf. Interval]
-----+-----
lnmoop |   .9622642   .0214949    44.767  0.000    .9196342    1.004894
lnmp2  |   .1523191   .0084182    18.094  0.000    .1356236    .1690145
lnmp3  |   .0343741   .0028561    12.035  0.000    .0287097    .0400385
_cons  |  -.3060569   .0246775   -12.402  0.000   -.3549988   -.257115
-----

```

```

-> ipl=      8
Source |      SS      df      MS                Number of obs =      239
-----+-----
Model | 660.545375      3 220.181792            F( 3, 235) = 9930.15
Residual | 5.21066722    235  .022173052          Prob > F      = 0.0000
-----+-----
Total | 665.756042    238  2.79729429          R-squared     = 0.9922
                                           Adj R-squared = 0.9921
                                           Root MSE     = .14891

```

```

-----
lnodds |      Coef.   Std. Err.      t    P>|t|     [95% Conf. Interval]
-----+-----
lnmoop |   1.343431   .0131444   102.206  0.000    1.317536    1.369327
lnmp2  |   .0209974   .004437    4.732   0.000    .0122561    .0297387
lnmp3  |   .0058502   .0019436    3.010   0.003    .0020211    .0096792
_cons  |  -.9076475   .0131758   -68.888  0.000   -.9336052   -.8816898
-----

```

Appendix C

Fortran Source Code for Imputation of MOOP

The following variables are needed prior to calling either yngoop3 or oldoop3:

For units headed by a person less than 65 years old:

Let:

```
      1 if has private insurance
icov =  2 if Medicaid or Medicare only
      3 if uninsured
```

```
      1 if single individual
isize =  2 if family size 2 or 3
      3 if family size is 4 or more
```

```
npoor =  1 if census money income is less than 150% of poverty
      2 otherwise
```

```
irace =  2 if Black
      1 otherwise
```

```
v      a random draw from a uniform distribution
u      a random draw from a uniform distribution
```

```
ipl = (icov-1)*12 + (isize-1)*4 + (npoor-1)*2 + irace
```

then

```
oop = yngoop3(ipl,v,u) ! returns with value of MOOP in $1
```

For Units headed by a person 65 years old or older:

```
iage=    1 if head is less than 75 years old
        2 if head is 75 years old or older
```

```
isize =   1 if single individual
        2 if family size is 2 or more
```

```
npoor =  1 if census money income is less than 150% of poverty
      2 otherwise
```

```
ipl = (iage-1)*4 + (isize-1)*2 + npoor
```

then

```
oop = oldoop3(ipl,v,u) ! returns with value of MOOP in $1
```


Then add Medicare Part B premiums:

```
partB = 0          if income less than 120% of poverty
      PREM*NOLD    otherwise
```

Where PREM is the yearly premium and NOLD is the number of Elderly.

Source Code for yngoop3, oldoop3 and other need functions:

```
function yngoop3(ipl,v,u)
real ypzero(36),cof(4,36)

data ypzero/
& .065,.041,.075,.143,.061,.083,.012,.012,.031,.024,.003,.006,
& .397,.606,.219,.628,.371,.408,.212,.279,.237,.507,.256,.345,
& .378,.482,.248,.420,.151,.194,.103,.128,.043,.126,.036,.213/

data (cof(n,1),n=1,4)/1.028337,.32799,.10397,.24814/
data (cof(n,2),n=1,4)/1.2757,.19217,.01234,.89205/
data (cof(n,3),n=1,4)/1.64022,.23587,.021783,.85459/
data (cof(n,4),n=1,4)/2.067369,.5307119,.06683,.92506/
data (cof(n,5),n=1,4)/1.20965,.090416,.005267,-.27258/
data (cof(n,6),n=1,4)/1.216438,-.077237,.00577,.550253/
data (cof(n,7),n=1,4)/1.530963,.20106,.01849,-.528312/
data (cof(n,8),n=1,4)/1.710414,.28429,.0336115,.054332/
data (cof(n,9),n=1,4)/1.52113,.11033,.019345,-.41831/
data (cof(n,10),n=1,4)/1.85638,.26369,.01517,.40114/
data (cof(n,11),n=1,4)/1.59292,.2332,.03035,-.87723/
data (cof(n,12),n=1,4)/1.635539,.36623,.079546,-.69926/
data (cof(n,13),n=1,4)/1.19225,.108119,.006368,1.68074/
data (cof(n,14),n=1,4)/.93525,.02688,.0052166,1.59168/
data (cof(n,15),n=1,4)/.8886,.21168,.059186,.66006/
data (cof(n,16),n=1,4)/.75758,-.15343,-.03596,.725266/
data (cof(n,17),n=1,4)/1.26425,.25548,.03703,1.47475/
data (cof(n,18),n=1,4)/1.3131,.180135,.017995,2.001622/
data (cof(n,19),n=1,4)/1.34225,.2363857,.0221976,.652647/
data (cof(n,20),n=1,4)/.971117,.0686191,.011707,1.2748/
data (cof(n,21),n=1,4)/1.1589,.186283,.030229,.86654/
data (cof(n,22),n=1,4)/.861148,-.017444,.000104,1.913165/
data (cof(n,23),n=1,4)/1.26704,.13025,.01348,.84627/
data (cof(n,24),n=1,4)/.720627,-.1105214,-.012166,2.101374/
data (cof(n,25),n=1,4)/1.410947,.089113,.003098,1.995875/
data (cof(n,26),n=1,4)/.8881,-.17736,-.02393,1.67948/
data (cof(n,27),n=1,4)/1.476446,.17504,.024407,1.6491/
data (cof(n,28),n=1,4)/1.048392,-.1262209,-.010678,2.294564/
data (cof(n,29),n=1,4)/1.383701,.151055,.03293,1.28901/
data (cof(n,30),n=1,4)/1.76309,.21584,.01526,2.11164/
data (cof(n,31),n=1,4)/1.664321,.1682311,.017338,.917911/
data (cof(n,32),n=1,4)/1.08568,.45543,.098097,.648884/
data (cof(n,33),n=1,4)/1.377571,.1627608,.0156125,.4258514/
data (cof(n,34),n=1,4)/1.303318,.24766,.05697,1.1964/
data (cof(n,35),n=1,4)/1.455078,.400624,.0720243,.04608/
data (cof(n,36),n=1,4)/1.02722,-.1764032,.076258,.561813/

yngoop3=0.0
havemp=1.-ypzero(ipl)
if(v.gt.havemp) return
```

```

d=cof(4,ipl)
f1=cof(1,ipl)
f2=cof(2,ipl)
f3=cof(3,ipl)
z=amin1(.99,u)
odds=alog(z/(1.-z))

yngoop3=root3(odds,d,f1,f2,f3)

return
end
function oldoop3(ipl,v,u)

real opzero(8),cof(4,8)

data (cof(n,1),n=1,4)/1.4926,.2132,.02169,.09704/
data (cof(n,2),n=1,4)/1.8704,.2992,.2025,-.2494/
data (cof(n,3),n=1,4)/1.05257,.20525,.04256,.02449/
data (cof(n,4),n=1,4)/1.45657,.098978,.01805,-.82613/
data (cof(n,5),n=1,4)/1.3534,.13545,.00774,-.02883/
data (cof(n,6),n=1,4)/1.71637,.10798,-.00747,-.563099/
data (cof(n,7),n=1,4)/.9226,.15232,.034374,-.30606/
data (cof(n,8),n=1,4)/1.34343,.020997,.00585,-.90765/

data opzero/.1666,.0233,.1010,.016,.0872,.0220,.0536,.0165/

oldoop3=0.0
havemp=1.-opzero(ipl)
if(v.gt.havemp) return

d=cof(4,ipl)
f1=cof(1,ipl)
f2=cof(2,ipl)
f3=cof(3,ipl)
z=amin1(.99,u)
odds=alog(z/(1.-z))

oldoop3=root3(odds,d,f1,f2,f3)

return
end

```

```

function root3(odds,d,f1,f2,f3)

data tol/.001/
con=d-odds

y0=-con/f1
zero0=cube(y0,con,f1,f2,f3)

do inter=1,20

    slope=dcube(y0,f1,f2,f3)
    step=zero0/slope
    istep=1

1    y1=y0-step/float(istep)
    zero1=cube(y1,con,f1,f2,f3)
    if(abs(zero1).lt.abs(zero0)) go to 5
    istep=istep+1
    if(istep.gt.3) go to 4
    go to 1

4    y1=y0-zero0/f1
    zero1=cube(y1,con,f1,f2,f3)

5    if(abs(zero1).lt.tol) go to 10

    y0=y1
    zero0=zero1

repeat

10    root3=1000.*exp(y1)

return
end

function cube(y,con,f1,f2,f3)

cube=con+f1*y+f2*y*y+f3*y*y*y

return
end

function dcube(y,f1,f2,f3)

dcube=f1+2.0*y*f2+3.0*f3*y*y

return
end

```

Appendix D

Replication of NMES Imputation Model on 1996-7 CEX

In this appendix, the results of replicating the imputation model on the 1996-7 CEX data using the groupings based upon insurance status, family size, income and race are presented. These are the same groupings as was utilized in the NMES analysis except that on the CEX data, small sample sizes did not allow the groupings to be differentiated by race with the exception for the groups that had only private insurance. Also the sample size was too small to differentiate groups by race and income for those who had only public insurance (INSTAT=2).

The following results are for the non-elderly population only. The replication of the imputation model for the elderly population appears in Appendix E.

Let:

INSTAT = 1 if has private insurance
2 if Medicaid or Medicare only
3 if uninsured

ISIZE = 1 if single individual
2 if family size 2 or 3
3 if family size is 4 or more

NONPOOR = 1 if census money income is less than 150% of poverty
2 otherwise

IRACE = 2 if Black, INSTAT=1 and ISIZE=3
1 otherwise

If INSTAT = 2 (public insurance only) then if ISIZE = 1 or 2 then
NONPOOR=1 and IRACE=1

The groupings are identified by the following formula:

$$IPL = (INSTAT-1)*12 + (ISIZE-1)*4 + (NONPOOR-1)*2 + IRACE$$

Probability of Having MOOP – Non-Elderly Population

IPL	Probability of MOOP
1	.842
3	.908
5	.949
7	.968
9	.951
10	.873
11	.979
12	.986
13	.703
17	.665
21	.634
23	.787
25	.558
27	.643
29	.728
31	.718
33	.784
35	.796

Non-Elderly Imputation Model for Non-Zero MOOP

-> ipl0 = 1

Source	SS	df	MS	Number of obs =	110
Model	313.666183	3	104.555394	F(3, 106) =	5054.28
Residual	2.1927717	106	.020686525	Prob > F =	0.0000
				R-squared =	0.9931
				Adj R-squared =	0.9929
Total	315.858954	109	2.89778857	Root MSE =	.14383

lnodds0	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
lnmp	1.270823	.0162808	78.06	0.000	1.238545 1.303101
lnmp2	.3314816	.0130191	25.46	0.000	.3056699 .3572933
lnmp3	.0629001	.0032124	19.58	0.000	.0565311 .069269
_cons	.4990751	.0194402	25.67	0.000	.460533 .5376171

-> ipl0 = 3

Source	SS	df	MS	Number of obs =	796
Model	2563.74701	3	854.582338	F(3, 792) =	.
Residual	5.40361419	792	.006822745	Prob > F =	0.0000
				R-squared =	0.9979
				Adj R-squared =	0.9979
Total	2569.15063	795	3.23163601	Root MSE =	.0826

lnodds0	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
lnmp	1.760454	.0036304	484.92	0.000	1.753328 1.76758
lnmp2	.1899753	.0025243	75.26	0.000	.1850201 .1949304
lnmp3	.0186888	.0006408	29.17	0.000	.017431 .0199466
_cons	.4756625	.0037021	128.49	0.000	.4683955 .4829296

-> ipl0 = 5

Source	SS	df	MS	Number of obs =	229
Model	720.740062	3	240.246687	F(3, 225) =	12106.47
Residual	4.46500935	225	.019844486	Prob > F =	0.0000
				R-squared =	0.9938
				Adj R-squared =	0.9938
Total	725.205071	228	3.180724	Root MSE =	.14087

lnodds0	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
lnmp	1.475147	.0100905	146.19	0.000	1.455263 1.495031
lnmp2	.2272457	.0071674	31.71	0.000	.2131219 .2413695
lnmp3	.023161	.001601	14.47	0.000	.0200063 .0263158
_cons	-.0026705	.0121682	-0.22	0.826	-.0266487 .0213077

-> ip10 = 7

Source	SS	df	MS	Number of obs =	2057
Model	6698.27732	3	2232.75911	F(3, 2053) =	.
Residual	37.1833876	2053	.018111733	Prob > F	= 0.0000
Total	6735.46071	2056	3.27600229	R-squared	= 0.9945
				Adj R-squared	= 0.9945
				Root MSE	= .13458

lnodds0	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnmp	1.555788	.0037595	413.83	0.000	1.548415	1.563161
lnmp2	.2738869	.0020143	135.97	0.000	.2699366	.2778373
lnmp3	.0354377	.0005649	62.73	0.000	.0343298	.0365456
_cons	-.6591008	.0037144	-177.44	0.000	-.6663853	-.6518163

-> ip10 = 9

Source	SS	df	MS	Number of obs =	205
Model	636.166433	3	212.055478	F(3, 201) =	9061.35
Residual	4.7038417	201	.023402198	Prob > F	= 0.0000
Total	640.870275	204	3.14152096	R-squared	= 0.9927
				Adj R-squared	= 0.9926
				Root MSE	= .15298

lnodds0	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnmp	1.519885	.0134181	113.27	0.000	1.493426	1.546343
lnmp2	.2694567	.0083575	32.24	0.000	.2529771	.2859364
lnmp3	.0397127	.0025392	15.64	0.000	.0347058	.0447197
_cons	-.2443986	.0135966	-17.97	0.000	-.2712089	-.2175883

-> ip10 = 10

Source	SS	df	MS	Number of obs =	43
Model	102.228558	3	34.0761859	F(3, 39) =	548.36
Residual	2.42351615	39	.06214144	Prob > F	= 0.0000
Total	104.652074	42	2.49171604	R-squared	= 0.9768
				Adj R-squared	= 0.9751
				Root MSE	= .24928

lnodds0	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnmp	2.268354	.0750149	30.24	0.000	2.116622	2.420086
lnmp2	.9294971	.0764459	12.16	0.000	.7748708	1.084123
lnmp3	.1486186	.0166335	8.93	0.000	.1149741	.182263
_cons	.1682033	.051008	3.30	0.002	.06503	.2713767

-> ip10 = 11

Source	SS	df	MS	Number of obs =	1267
Model	4096.66838	3	1365.55613	F(3, 1263) =	66580.57
Residual	25.9039132	1263	.020509828	Prob > F =	0.0000
				R-squared =	0.9937
				Adj R-squared =	0.9937
Total	4122.57229	1266	3.25637622	Root MSE =	.14321

lnodds0	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnmp	1.546965	.0060943	253.84	0.000	1.535009	1.558921
lnmp2	.317996	.0028232	112.64	0.000	.3124573	.3235348
lnmp3	.0624999	.0011404	54.81	0.000	.0602627	.0647371
_cons	-1.04679	.0053111	-197.09	0.000	-1.05721	-1.036371

-> ip10 = 12

Source	SS	df	MS	Number of obs =	109
Model	348.298536	3	116.099512	F(3, 105) =	5171.79
Residual	2.35710525	105	.022448621	Prob > F =	0.0000
				R-squared =	0.9933
				Adj R-squared =	0.9931
Total	350.655641	108	3.24681149	Root MSE =	.14983

lnodds0	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnmp	1.427354	.0207109	68.92	0.000	1.386288	1.46842
lnmp2	.3195822	.0114892	27.82	0.000	.2968013	.3423632
lnmp3	.0812965	.0052383	15.52	0.000	.07091	.091683
_cons	-.464437	.01933	-24.03	0.000	-.5027648	-.4261093

-> ip10 = 13

Source	SS	df	MS	Number of obs =	98
Model	283.075756	3	94.3585853	F(3, 94) =	1603.29
Residual	5.53218641	94	.058853047	Prob > F =	0.0000
				R-squared =	0.9808
				Adj R-squared =	0.9802
Total	288.607942	97	2.97533961	Root MSE =	.2426

lnodds0	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnmp	1.634853	.0387734	42.16	0.000	1.557868	1.711839
lnmp2	.0747695	.0233731	3.20	0.002	.0283616	.1211775
lnmp3	-.0081499	.0035738	-2.28	0.025	-.0152457	-.0010541
_cons	1.651279	.0368749	44.78	0.000	1.578062	1.724495

-> ip10 = 17

Source	SS	df	MS	Number of obs =	159
Model	422.169203	3	140.723068	F(3, 155) =	9067.74
Residual	2.40545913	155	.015519091	Prob > F	= 0.0000
				R-squared	= 0.9943
				Adj R-squared	= 0.9942
Total	424.574662	158	2.68718141	Root MSE	= .12458

lnodds0	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnmp	1.406477	.0147449	95.39	0.000	1.37735	1.435604
lnmp2	.1112553	.0082043	13.56	0.000	.0950485	.127462
lnmp3	.0050012	.0011762	4.25	0.000	.0026777	.0073248
_cons	1.685182	.0153879	109.51	0.000	1.654785	1.715579

-> ip10 = 21

Source	SS	df	MS	Number of obs =	157
Model	437.864224	3	145.954741	F(3, 153) =	6806.47
Residual	3.28085766	153	.021443514	Prob > F	= 0.0000
				R-squared	= 0.9926
				Adj R-squared	= 0.9924
Total	441.145082	156	2.82785309	Root MSE	= .14644

lnodds0	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnmp	1.606122	.0241057	66.63	0.000	1.558499	1.653745
lnmp2	.2328089	.0136431	17.06	0.000	.2058558	.259762
lnmp3	.0239905	.0020119	11.92	0.000	.0200157	.0279652
_cons	1.801535	.0189411	95.11	0.000	1.764115	1.838954

-> ip10 = 23

Source	SS	df	MS	Number of obs =	34
Model	96.6098117	3	32.2032706	F(3, 30) =	826.94
Residual	1.16827395	30	.038942465	Prob > F	= 0.0000
				R-squared	= 0.9881
				Adj R-squared	= 0.9869
Total	97.7780856	33	2.96297229	Root MSE	= .19734

lnodds0	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnmp	2.274316	.0666782	34.11	0.000	2.138141	2.410491
lnmp2	.5451357	.0621607	8.77	0.000	.4181865	.6720848
lnmp3	.0597377	.012886	4.64	0.000	.0334209	.0860545
_cons	1.250818	.0489752	25.54	0.000	1.150798	1.350839

-> ip10 = 25

Source	SS	df	MS	Number of obs =	65
Model	180.236844	3	60.0789479	F(3, 61)	= 3147.43
Residual	1.16438395	61	.019088261	Prob > F	= 0.0000
				R-squared	= 0.9936
				Adj R-squared	= 0.9933
Total	181.401228	64	2.83439418	Root MSE	= .13816

lnodds0	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnmp	2.172226	.0671027	32.37	0.000	2.038045	2.306406
lnmp2	.4828395	.0308537	15.65	0.000	.4211436	.5445354
lnmp3	.0554706	.0039029	14.21	0.000	.0476662	.063275
_cons	2.776844	.0422846	65.67	0.000	2.69229	2.861397

-> ip10 = 27

Source	SS	df	MS	Number of obs =	75
Model	238.830971	3	79.6103238	F(3, 71)	= 1419.60
Residual	3.98164499	71	.056079507	Prob > F	= 0.0000
				R-squared	= 0.9836
				Adj R-squared	= 0.9829
Total	242.812616	74	3.28125157	Root MSE	= .23681

lnodds0	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnmp	1.639134	.072721	22.54	0.000	1.494132	1.784135
lnmp2	-.044923	.0464196	-0.97	0.336	-.137481	.047635
lnmp3	-.0211202	.0073036	-2.89	0.005	-.0356833	-.0065572
_cons	2.241372	.0475961	47.09	0.000	2.146468	2.336276

-> ip10 = 29

Source	SS	df	MS	Number of obs =	37
Model	87.724984	3	29.2416613	F(3, 33)	= 503.46
Residual	1.91667577	33	.058081084	Prob > F	= 0.0000
				R-squared	= 0.9786
				Adj R-squared	= 0.9767
Total	89.6416598	36	2.4900461	Root MSE	= .241

lnodds0	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnmp	2.850055	.1568527	18.17	0.000	2.530936	3.169174
lnmp2	.863806	.0846488	10.20	0.000	.6915868	1.036025
lnmp3	.0998697	.0119731	8.34	0.000	.0755103	.1242291
_cons	1.897999	.0745764	25.45	0.000	1.746272	2.049726

-> ip10 = 31

Source	SS	df	MS	Number of obs =	86
Model	255.489676	3	85.1632252	F(3, 82) =	2092.53
Residual	3.33729774	82	.040698753	Prob > F	= 0.0000
				R-squared	= 0.9871
				Adj R-squared	= 0.9866
Total	258.826973	85	3.04502322	Root MSE	= .20174

lnodds0	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnmp	1.530674	.0303045	50.51	0.000	1.470389	1.590959
lnmp2	.2877134	.0312452	9.21	0.000	.2255567	.3498701
lnmp3	.0579084	.0079339	7.30	0.000	.0421253	.0736916
_cons	1.072714	.0346481	30.96	0.000	1.003788	1.14164

-> ip10 = 33

Source	SS	df	MS	Number of obs =	54
Model	145.832873	3	48.6109578	F(3, 50) =	1696.97
Residual	1.43228579	50	.028645716	Prob > F	= 0.0000
				R-squared	= 0.9903
				Adj R-squared	= 0.9897
Total	147.265159	53	2.77858791	Root MSE	= .16925

lnodds0	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnmp	1.780869	.0517555	34.41	0.000	1.676915	1.884823
lnmp2	.5609236	.0427114	13.13	0.000	.4751353	.6467119
lnmp3	.1003726	.008277	12.13	0.000	.0837479	.1169974
_cons	1.312455	.0356775	36.79	0.000	1.240795	1.384115

-> ip10 = 35

Source	SS	df	MS	Number of obs =	65
Model	182.047952	3	60.6826505	F(3, 61) =	1450.22
Residual	2.55246037	61	.041843613	Prob > F	= 0.0000
				R-squared	= 0.9862
				Adj R-squared	= 0.9855
Total	184.600412	64	2.88438144	Root MSE	= .20456

lnodds0	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnmp	1.532605	.0356367	43.01	0.000	1.461345	1.603865
lnmp2	.2644441	.0304412	8.69	0.000	.2035731	.325315
lnmp3	.0330439	.005472	6.04	0.000	.0221019	.0439859
_cons	.8283945	.0360977	22.95	0.000	.7562126	.9005764

Appendix E

Replication of Imputation Model – Elderly Population

The groupings of the elderly population were made on the same basis as in the earlier analysis. Groups were differentiated by age, family size and income. Specifically, let

IAGE = 1 if head is less than 75 years old
 2 if head is 75 years old or older

ISIZE = 1 if single individual
 2 if family size is 2 or more

NONPOOR = 1 if census money income is less than 150% of poverty
 2 otherwise

Then the group can be identified as

$$IPL = (IAGE-1)*4 + (ISIZE-1)*2 + NONPOOR.$$

Probability of Having MOOP – Elderly Population

IPL	Probability of MOOP
1	1.000
2	.986
3	.999
4	.996
5	.996
6	.995
7	.976
8	.997

Elderly Imputation Model for Non-Zero MOOP

-> ipl = 1

Source	SS	df	MS	Number of obs = 188		
Model	570.365877	3	190.121959	F(3, 184)	=	3040.15
Residual	11.5068149	184	.062537037	Prob > F	=	0.0000
				R-squared	=	0.9802
				Adj R-squared	=	0.9799
Total	581.872692	187	3.11161867	Root MSE	=	.25007

lnodds	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnmp	2.101525	.0400035	52.53	0.000	2.0226	2.180449
lnmp2	.1727591	.0255197	6.77	0.000	.1224102	.2231081
lnmp3	.1089421	.0197995	5.50	0.000	.0698789	.1480053
_cons	-.1673944	.0231582	-7.23	0.000	-.2130843	-.1217046

-> ipl = 2

Source	SS	df	MS	Number of obs = 165		
Model	448.936087	3	149.645362	F(3, 161)	=	6133.49
Residual	3.92809342	161	.024398096	Prob > F	=	0.0000
				R-squared	=	0.9913
				Adj R-squared	=	0.9912
Total	452.86418	164	2.76136695	Root MSE	=	.1562

lnodds	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnmp	1.961973	.0210569	93.17	0.000	1.92039	2.003557
lnmp2	.2546825	.0141478	18.00	0.000	.2267433	.2826217
lnmp3	.004392	.004425	0.99	0.322	-.0043466	.0131305
_cons	-.8216088	.0156114	-52.63	0.000	-.8524383	-.7907794

-> ipl = 3

Source	SS	df	MS	Number of obs = 169		
Model	491.09388	3	163.69796	F(3, 165)	=	9921.25
Residual	2.72245588	165	.016499733	Prob > F	=	0.0000
				R-squared	=	0.9945
				Adj R-squared	=	0.9944
Total	493.816335	168	2.93938295	Root MSE	=	.12845

lnodds	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnmp	1.846542	.0233022	79.24	0.000	1.800533	1.89255
lnmp2	-.4010439	.0310036	-12.94	0.000	-.4622588	-.339829
lnmp3	.4341095	.0183691	23.63	0.000	.3978406	.4703783
_cons	-1.177701	.0161101	-73.10	0.000	-1.209509	-1.145892

-> ipl = 4

Source	SS	df	MS	Number of obs =	475
Model	1513.18687	3	504.395622	F(3, 471) =	26014.65
Residual	9.13217354	471	.019388903	Prob > F =	0.0000
				R-squared =	0.9940
				Adj R-squared =	0.9940
Total	1522.31904	474	3.21164355	Root MSE =	.13924

lnodds	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnmp	1.979389	.0172136	114.99	0.000	1.945564	2.013214
lnmp2	.2290744	.0106835	21.44	0.000	.2080812	.2500677
lnmp3	.0672247	.005711	11.77	0.000	.0560024	.078447
_cons	-2.395021	.0130408	-183.66	0.000	-2.420646	-2.369396

-> ipl = 5

Source	SS	df	MS	Number of obs =	302
Model	1016.1833	3	338.727767	F(3, 298) =	3436.29
Residual	29.374944	298	.098573638	Prob > F =	0.0000
				R-squared =	0.9719
				Adj R-squared =	0.9716
Total	1045.55824	301	3.47361543	Root MSE =	.31396

lnodds	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnmp	2.541231	.0308295	82.43	0.000	2.48056	2.601902
lnmp2	.0633489	.0156158	4.06	0.000	.0326177	.0940802
lnmp3	-.0531291	.0059835	-8.88	0.000	-.0649043	-.0413539
_cons	-.8010746	.0209389	-38.26	0.000	-.8422815	-.7598677

-> ipl = 6

Source	SS	df	MS	Number of obs =	196
Model	588.964149	3	196.321383	F(3, 192) =	2998.97
Residual	12.5689003	192	.065463022	Prob > F =	0.0000
				R-squared =	0.9791
				Adj R-squared =	0.9788
Total	601.533049	195	3.08478487	Root MSE =	.25586

lnodds	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnmp	2.560052	.0429927	59.55	0.000	2.475253	2.64485
lnmp2	-.6190044	.0740219	-8.36	0.000	-.7650049	-.4730039
lnmp3	.2318814	.0309174	7.50	0.000	.1709001	.2928628
_cons	-1.158787	.0303005	-38.24	0.000	-1.218551	-1.099022

-> ipl = 7

Source	SS	df	MS	Number of obs =	137
Model	383.310372	3	127.770124	F(3, 133) =	5903.80
Residual	2.8783902	133	.021642032	Prob > F	= 0.0000
				R-squared	= 0.9925
				Adj R-squared	= 0.9924
Total	386.188762	136	2.83962325	Root MSE	= .14711

lnodds	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnmp	2.575988	.041496	62.08	0.000	2.493911	2.658065
lnmp2	-.5825523	.056553	-10.30	0.000	-.6944119	-.4706927
lnmp3	.2024832	.0197975	10.23	0.000	.1633245	.2416419
_cons	-1.706958	.020833	-81.94	0.000	-1.748165	-1.665751

-> ipl = 8

Source	SS	df	MS	Number of obs =	290
Model	876.737503	3	292.245834	F(3, 286) =	26061.01
Residual	3.2071789	286	.011213912	Prob > F	= 0.0000
				R-squared	= 0.9964
				Adj R-squared	= 0.9963
Total	879.944682	289	3.04479129	Root MSE	= .1059

lnodds	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnmp	2.841958	.0314979	90.23	0.000	2.779961	2.903955
lnmp2	-.8559645	.036577	-23.40	0.000	-.9279588	-.7839702
lnmp3	.3537896	.0119303	29.65	0.000	.3303072	.377272
_cons	-2.678313	.0139782	-191.61	0.000	-2.705826	-2.6508

Appendix F

New MOOP Imputation Model – Non-Elderly Population

The non-elderly population of the CEX data was divided into mutually exclusive groups based upon the insurance status, the age of the head of the unit, family size and income. The variables that defined the various groups are the following

INSTAT = 1	if the unit has private insurance;
INSTAT = 2	if the unit has public insurance (Medicare or Medicaid) only; and
INSTAT = 3	if the unit does not have health care insurance
ISIZE = 1	if the unit is composed of a single individual only
ISIZE = 2	if the unit has two or three family members
ISIZE = 3	if the unit has four or more members
NONPOOR = 1	if the family's income is less than 150% of poverty
NONPOOR = 2	if the family income is greater than or equal to 150% of poverty;

While these variables are the same as in the previous versions of the imputation model, the age of the oldest adult in the unit was included as a dimension that defined the various groups. In general, I defined five different age groups:

IAGE = 1	if age is less than or equal to 25 year old;
IAGE = 2	if age is greater than 25 and less than or equal to 35 years old;
IAGE = 3	if age is greater than 35 and less than or equal to 45 years old;
IAGE = 4	if age is greater than 45 and less than or equal to 55 years old;
IAGE = 5	if age is greater than 55 and less than 65 years old;

Ideally, I would have wished to use all five age groups to define the various analysis groupings but the sample size of the CEX limited my ability to pursue this strategy. Only for those units with private insurance was I able to create a significant number of age groups. If the unit had private insurance (INSTAT=1) could the groupings be done by a wide range of age groups. For those units with public insurance, many of the age classifications had to be redefined. Age could not be used for those units without health care insurance. Specifically, the age classifications were redefined as

If INSTAT = 1 and ISIZE = 3	then	$IAGE = \text{MIN}(IAGE, 4)$
If INSTAT = 2 and ISIZE = 1	then	$IAGE = 1$
If INSTAT = 2 and ISIZE = 2	then	$IAGE = \text{MAX}(IAGE, 2)$
If INSTAT = 2 and ISIZE = 3	then	$IAGE = \text{MIN}(IA, 4)$ where $IA = \text{MAX}(IAGE, 3)$

Also because of sample size, it was not possible to differentiate groups who have only public insurance by income. The various groups can be identified by the variable IPL which is defined as

If INSTAT = 1	then	$IPL = (\text{NONPOOR} - 1) * 15 + (\text{ISIZE} - 1) * 5 + IAGE$
If INSTAT = 2	then	$IPL = 30 + (\text{ISIZE} - 1) * 5 + IAGE$
If INSTAT = 3	then	$IPL = 46 + (\text{NONPOOR} - 1) * 2 + (\text{ISIZE} - 1) * 4$

Probability of Having MOOP – Non-Elderly Population

IPL	Probability of MOOP
1	.649
2	.943
6	.963
7	.894
8	.964
11	.936
16	.842
17	.886
18	.910
19	.932
20	.933
21	.891
22	.964
23	.955
24	.979
25	.987
27	.981
28	.983
29	.974
31	.703
37	.487
38	.705
39	.735
40	.877
43	.602
44	.823
46	.558
48	.642
50	.728
52	.718
54	.784
56	.796

Non-Elderly Imputation Model for Non-Zero MOOP

-> ip11 = 1

Source	SS	df	MS	Number of obs =	30
Model	94.8576509	3	31.619217	F(3, 26) =	717.87
Residual	1.14519369	26	.044045911	Prob > F =	0.0000
				R-squared =	0.9881
				Adj R-squared =	0.9867
Total	96.0028446	29	3.31044292	Root MSE =	.20987

lnodds1	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
lnmp	3.380802	.2613304	12.94	0.000	2.84363 3.917974
lnmp2	1.089769	.1311942	8.31	0.000	.8200957 1.359443
lnmp3	.1570075	.0188927	8.31	0.000	.1181731 .195842
_cons	4.333561	.15029	28.83	0.000	4.024635 4.642486

-> ip11 = 2

Source	SS	df	MS	Number of obs =	79
Model	216.436061	3	72.1453537	F(3, 75) =	2530.18
Residual	2.13854571	75	.028513943	Prob > F =	0.0000
				R-squared =	0.9902
				Adj R-squared =	0.9898
Total	218.574607	78	2.80223855	Root MSE =	.16886

lnodds1	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
lnmp	1.618113	.0296844	54.51	0.000	1.558978 1.677247
lnmp2	.1982901	.0200768	9.88	0.000	.1582949 .2382852
lnmp3	.0333083	.0085108	3.91	0.000	.0163539 .0502627
_cons	.0081001	.0249838	0.32	0.747	-.0416702 .0578705

-> ip11 = 6

Source	SS	df	MS	Number of obs =	26
Model	61.4395456	3	20.4798485	F(3, 22) =	300.68
Residual	1.49844307	22	.068111048	Prob > F =	0.0000
				R-squared =	0.9762
				Adj R-squared =	0.9729
Total	62.9379887	25	2.51751955	Root MSE =	.26098

lnodds1	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
lnmp	1.75527	.1276162	13.75	0.000	1.490611 2.01993
lnmp2	.5244303	.0842018	6.23	0.000	.3498065 .699054
lnmp3	.0657601	.0127474	5.16	0.000	.0393236 .0921966
_cons	1.411803	.075072	18.81	0.000	1.256113 1.567493

-> ip11 = 7

Source	SS	df	MS	Number of obs =	49
Model	153.643226	3	51.2144087	F(3, 45) =	1345.27
Residual	1.71314781	45	.038069951	Prob > F =	0.0000
				R-squared =	0.9890
				Adj R-squared =	0.9882
Total	155.356374	48	3.23659112	Root MSE =	.19512

lnodds1	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnmp	1.568187	.0369415	42.45	0.000	1.493783	1.642591
lnmp2	.2874485	.0293632	9.79	0.000	.2283081	.346589
lnmp3	.03204	.0056286	5.69	0.000	.0207034	.0433767
_cons	.5636717	.0380578	14.81	0.000	.4870193	.6403241

-> ip11 = 8

Source	SS	df	MS	Number of obs =	152
Model	455.771792	3	151.923931	F(3, 148) =	5629.08
Residual	3.99438745	148	.026989104	Prob > F =	0.0000
				R-squared =	0.9913
				Adj R-squared =	0.9911
Total	459.766179	151	3.04480913	Root MSE =	.16428

lnodds1	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnmp	1.50419	.0251298	59.86	0.000	1.454531	1.55385
lnmp2	.128676	.0105806	12.16	0.000	.1077674	.1495846
lnmp3	.0644176	.0074306	8.67	0.000	.0497339	.0791014
_cons	-.3035066	.017026	-17.83	0.000	-.337152	-.2698612

-> ip11 = 11

Source	SS	df	MS	Number of obs =	249
Model	774.586879	3	258.195626	F(3, 245) =	12335.43
Residual	5.12815139	245	.02093123	Prob > F =	0.0000
				R-squared =	0.9934
				Adj R-squared =	0.9933
Total	779.715031	248	3.14401222	Root MSE =	.14468

lnodds1	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnmp	1.552922	.0115023	135.01	0.000	1.530266	1.575578
lnmp2	.2973864	.0074936	39.69	0.000	.2826264	.3121464
lnmp3	.0449263	.0022199	20.24	0.000	.0405538	.0492989
_cons	-.1611459	.011624	-13.86	0.000	-.1840416	-.1382502

-> ip11 = 16

Source	SS	df	MS	Number of obs =	54
Model	151.922489	3	50.6408296	F(3, 50) =	801.44
Residual	3.15938312	50	.063187662	Prob > F	= 0.0000
				R-squared	= 0.9796
				Adj R-squared	= 0.9784
Total	155.081872	53	2.92607306	Root MSE	= .25137

lnodds1	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnmp	1.963238	.0720205	27.26	0.000	1.81858	2.107895
lnmp2	.3443781	.0660286	5.22	0.000	.2117557	.4770005
lnmp3	.0553817	.0141797	3.91	0.000	.026901	.0838624
_cons	1.366921	.0504673	27.09	0.000	1.265554	1.468287

-> ip11 = 17

Source	SS	df	MS	Number of obs =	196
Model	570.779961	3	190.259987	F(3, 192) =	31047.51
Residual	1.17658116	192	.006128027	Prob > F	= 0.0000
				R-squared	= 0.9979
				Adj R-squared	= 0.9979
Total	571.956542	195	2.93311047	Root MSE	= .07828

lnodds1	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnmp	2.165107	.0100126	216.24	0.000	2.145358	2.184856
lnmp2	.3327327	.0087288	38.12	0.000	.3155161	.3499493
lnmp3	.0282678	.0018427	15.34	0.000	.0246333	.0319024
_cons	1.027711	.0074443	138.05	0.000	1.013028	1.042394

-> ip11 = 18

Source	SS	df	MS	Number of obs =	220
Model	666.805555	3	222.268518	F(3, 216) =	9178.32
Residual	5.23080448	216	.024216687	Prob > F	= 0.0000
				R-squared	= 0.9922
				Adj R-squared	= 0.9921
Total	672.036359	219	3.06865918	Root MSE	= .15562

lnodds1	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnmp	1.767181	.0130663	135.25	0.000	1.741427	1.792934
lnmp2	.1886579	.0092302	20.44	0.000	.1704652	.2068506
lnmp3	.0105524	.0020142	5.24	0.000	.0065825	.0145223
_cons	.5314355	.0130668	40.67	0.000	.5056807	.5571903

-> ip11 = 19

Source	SS	df	MS	Number of obs =	215
Model	700.220868	3	233.406956	F(3, 211) =	19855.82
Residual	2.48032452	211	.011755093	Prob > F	= 0.0000
				R-squared	= 0.9965
				Adj R-squared	= 0.9964
Total	702.701192	214	3.28365043	Root MSE	= .10842

lnodds1	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnmp	1.812815	.0104432	173.59	0.000	1.792229	1.833401
lnmp2	.2396805	.0080486	29.78	0.000	.2238145	.2555465
lnmp3	.0409031	.0028128	14.54	0.000	.0353584	.0464479
_cons	.1734063	.0096758	17.92	0.000	.1543326	.1924799

-> ip11 = 20

Source	SS	df	MS	Number of obs =	107
Model	328.818462	3	109.606154	F(3, 103) =	7261.60
Residual	1.55467645	103	.015093946	Prob > F	= 0.0000
				R-squared	= 0.9953
				Adj R-squared	= 0.9952
Total	330.373138	106	3.11672772	Root MSE	= .12286

lnodds1	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnmp	1.557268	.0200395	77.71	0.000	1.517524	1.597011
lnmp2	.2930063	.0109866	26.67	0.000	.2712169	.3147957
lnmp3	.0650828	.005606	11.61	0.000	.0539646	.0762011
_cons	-.2350858	.0153826	-15.28	0.000	-.2655936	-.2045779

-> ip11 = 21

Source	SS	df	MS	Number of obs =	60
Model	156.60119	3	52.2003968	F(3, 56) =	1430.29
Residual	2.04379268	56	.036496298	Prob > F	= 0.0000
				R-squared	= 0.9871
				Adj R-squared	= 0.9864
Total	158.644983	59	2.68889802	Root MSE	= .19104

lnodds1	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnmp	1.93819	.0358366	54.08	0.000	1.8664	2.009979
lnmp2	.5361325	.0286849	18.69	0.000	.4786697	.5935954
lnmp3	.058243	.0050111	11.62	0.000	.0482046	.0682814
_cons	.2480439	.0309887	8.00	0.000	.1859661	.3101217

-> ip11 = 22

Source	SS	df	MS	Number of obs =	447
Model	1370.54711	3	456.849036	F(3, 443) =	79073.85
Residual	2.55943177	443	.005777498	Prob > F =	0.0000
				R-squared =	0.9981
				Adj R-squared =	0.9981
Total	1373.10654	446	3.07871421	Root MSE =	.07601

lnodds1	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnmp	1.703292	.0043144	394.79	0.000	1.694813	1.711772
lnmp2	.3336177	.0031382	106.31	0.000	.3274501	.3397852
lnmp3	.0372242	.0006997	53.20	0.000	.0358491	.0385994
_cons	-.0485922	.0044889	-10.82	0.000	-.0574144	-.03977

-> ip11 = 23

Source	SS	df	MS	Number of obs =	474
Model	1458.64181	3	486.213936	F(3, 470) =	37476.08
Residual	6.09777034	470	.012973979	Prob > F =	0.0000
				R-squared =	0.9958
				Adj R-squared =	0.9958
Total	1464.73958	473	3.09670101	Root MSE =	.1139

lnodds1	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnmp	1.680711	.0068087	246.85	0.000	1.667331	1.69409
lnmp2	.2378291	.0041564	57.22	0.000	.2296617	.2459965
lnmp3	.0220017	.0011444	19.23	0.000	.019753	.0242504
_cons	-.6113615	.0065794	-92.92	0.000	-.6242902	-.5984329

-> ip11 = 24

Source	SS	df	MS	Number of obs =	630
Model	2052.27161	3	684.090535	F(3, 626) =	60857.24
Residual	7.03680741	626	.011240906	Prob > F =	0.0000
				R-squared =	0.9966
				Adj R-squared =	0.9966
Total	2059.30841	629	3.27394024	Root MSE =	.10602

lnodds1	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnmp	1.652191	.0061435	268.93	0.000	1.640126	1.664255
lnmp2	.2971006	.003288	90.36	0.000	.2906438	.3035574
lnmp3	.0425554	.0011679	36.44	0.000	.0402619	.0448488
_cons	-.8570955	.0054666	-156.79	0.000	-.8678306	-.8463604

-> ip11 = 25

Source	SS	df	MS	Number of obs =	441
Model	1330.19265	3	443.397548	F(3, 437) =	21411.50
Residual	9.04956248	437	.020708381	Prob > F	= 0.0000
				R-squared	= 0.9932
				Adj R-squared	= 0.9932
Total	1339.24221	440	3.04373229	Root MSE	= .1439

lnodds1	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnmp	1.450697	.010328	140.46	0.000	1.430398	1.470996
lnmp2	.2341676	.0044344	52.81	0.000	.2254521	.2428831
lnmp3	.0338855	.001541	21.99	0.000	.0308568	.0369142
_cons	-1.181211	.0091289	-129.39	0.000	-1.199153	-1.163269

-> ip11 = 27

Source	SS	df	MS	Number of obs =	315
Model	1092.34992	3	364.116641	F(3, 311) =	3851.28
Residual	29.4032999	311	.094544373	Prob > F	= 0.0000
				R-squared	= 0.9738
				Adj R-squared	= 0.9735
Total	1121.75322	314	3.57246249	Root MSE	= .30748

lnodds1	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnmp	1.583961	.0251982	62.86	0.000	1.53438	1.633541
lnmp2	.4846474	.0141509	34.25	0.000	.4568039	.5124909
lnmp3	.1079689	.0054242	19.91	0.000	.0972962	.1186416
_cons	-.7927049	.0220837	-35.90	0.000	-.8361571	-.7492526

-> ip11 = 28

Source	SS	df	MS	Number of obs =	675
Model	2104.75983	3	701.586609	F(3, 671) =	.
Residual	2.46911671	671	.003679757	Prob > F	= 0.0000
				R-squared	= 0.9988
				Adj R-squared	= 0.9988
Total	2107.22895	674	3.12645244	Root MSE	= .06066

lnodds1	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnmp	1.555189	.0036395	427.31	0.000	1.548043	1.562335
lnmp2	.3348093	.001768	189.37	0.000	.3313378	.3382809
lnmp3	.0641008	.0007558	84.81	0.000	.0626167	.0655849
_cons	-.970979	.0031239	-310.82	0.000	-.9771129	-.9648452

-> ip11 = 29

Source	SS	df	MS	Number of obs =	385
Model	1188.57519	3	396.191732	F(3, 381) =	30083.44
Residual	5.01767919	381	.013169762	Prob > F =	0.0000
				R-squared =	0.9958
				Adj R-squared =	0.9958
Total	1193.59287	384	3.10831478	Root MSE =	.11476

lnodds1	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnmp	1.524288	.00882	172.82	0.000	1.506946	1.54163
lnmp2	.2660472	.003984	66.78	0.000	.2582139	.2738805
lnmp3	.0419135	.0015258	27.47	0.000	.0389134	.0449135
_cons	-1.231859	.0080446	-153.13	0.000	-1.247676	-1.216042

-> ip11 = 31

Source	SS	df	MS	Number of obs =	98
Model	283.198054	3	94.3993514	F(3, 94) =	1571.66
Residual	5.64596125	94	.060063418	Prob > F =	0.0000
				R-squared =	0.9805
				Adj R-squared =	0.9798
Total	288.844015	97	2.97777335	Root MSE =	.24508

lnodds1	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnmp	1.635143	.03917	41.74	0.000	1.55737	1.712916
lnmp2	.0745447	.0236123	3.16	0.002	.027662	.1214274
lnmp3	-.0081997	.0036103	-2.27	0.025	-.0153681	-.0010313
_cons	1.65141	.0372522	44.33	0.000	1.577445	1.725375

-> ip11 = 37

Source	SS	df	MS	Number of obs =	46
Model	107.484004	3	35.8280014	F(3, 42) =	1226.29
Residual	1.22709574	42	.029216565	Prob > F =	0.0000
				R-squared =	0.9887
				Adj R-squared =	0.9879
Total	108.7111	45	2.41580222	Root MSE =	.17093

lnodds1	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnmp	3.805655	.2000528	19.02	0.000	3.401932	4.209378
lnmp2	.7267538	.0669524	10.85	0.000	.5916383	.8618694
lnmp3	.0528099	.0065147	8.11	0.000	.0396627	.065957
_cons	5.147042	.1718608	29.95	0.000	4.800213	5.493871

-> ip11 = 38

Source	SS	df	MS	Number of obs =	42
Model	85.7601441	3	28.5867147	F(3, 38) =	867.95
Residual	1.25155764	38	.032935727	Prob > F	= 0.0000
				R-squared	= 0.9856
				Adj R-squared	= 0.9845
Total	87.0117017	41	2.12223663	Root MSE	= .18148

lnodds1	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnmp	1.121695	.0351967	31.87	0.000	1.050443	1.192947
lnmp2	.0982069	.0197586	4.97	0.000	.0582077	.138206
lnmp3	.0044751	.0029386	1.52	0.136	-.0014738	.010424
_cons	1.420082	.0422055	33.65	0.000	1.334641	1.505522

-> ip11 = 39

Source	SS	df	MS	Number of obs =	33
Model	79.1982514	3	26.3994171	F(3, 29) =	441.00
Residual	1.73599769	29	.059861989	Prob > F	= 0.0000
				R-squared	= 0.9786
				Adj R-squared	= 0.9763
Total	80.9342491	32	2.52919528	Root MSE	= .24467

lnodds1	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnmp	1.544476	.0927271	16.66	0.000	1.354828	1.734125
lnmp2	-.0229351	.0877745	-0.26	0.796	-.202454	.1565838
lnmp3	-.0228356	.0189589	-1.20	0.238	-.061611	.0159397
_cons	1.788168	.0733365	24.38	0.000	1.638177	1.938158

-> ip11 = 40

Source	SS	df	MS	Number of obs =	35
Model	78.2010029	3	26.067001	F(3, 31) =	819.62
Residual	.985913605	31	.031803665	Prob > F	= 0.0000
				R-squared	= 0.9875
				Adj R-squared	= 0.9863
Total	79.1869165	34	2.32902696	Root MSE	= .17834

lnodds1	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnmp	1.908364	.062105	30.73	0.000	1.7817	2.035028
lnmp2	.4435909	.0646618	6.86	0.000	.3117123	.5754694
lnmp3	.0705073	.0161085	4.38	0.000	.0376539	.1033607
_cons	1.010555	.0432926	23.34	0.000	.9222588	1.098851

-> ip11 = 43

Source	SS	df	MS	Number of obs =	135
Model	407.706476	3	135.902159	F(3, 131) =	4795.36
Residual	3.71258714	131	.02834036	Prob > F =	0.0000
				R-squared =	0.9910
				Adj R-squared =	0.9908
Total	411.419064	134	3.07029152	Root MSE =	.16835

lnodds1	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnmp	1.949365	.0338096	57.66	0.000	1.882482	2.016249
lnmp2	.3499296	.0180863	19.35	0.000	.3141506	.3857086
lnmp3	.0355299	.0025548	13.91	0.000	.0304758	.040584
_cons	2.150156	.0248835	86.41	0.000	2.10093	2.199381

-> ip11 = 44

Source	SS	df	MS	Number of obs =	56
Model	143.259898	3	47.7532992	F(3, 52) =	878.09
Residual	2.82791069	52	.054382898	Prob > F =	0.0000
				R-squared =	0.9806
				Adj R-squared =	0.9795
Total	146.087808	55	2.65614197	Root MSE =	.2332

lnodds1	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnmp	1.65879	.0456399	36.35	0.000	1.567207	1.750373
lnmp2	.2325325	.0380845	6.11	0.000	.1561104	.3089547
lnmp3	.0146117	.0078362	1.86	0.068	-.0011127	.0303362
_cons	1.063485	.0453828	23.43	0.000	.9724177	1.154552

-> ip11 = 46

Source	SS	df	MS	Number of obs =	65
Model	180.243037	3	60.0810124	F(3, 61) =	3146.01
Residual	1.16494754	61	.019097501	Prob > F =	0.0000
				R-squared =	0.9936
				Adj R-squared =	0.9933
Total	181.407985	64	2.83449976	Root MSE =	.13819

lnodds1	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnmp	2.17228	.0671189	32.36	0.000	2.038067	2.306493
lnmp2	.48282	.0308612	15.64	0.000	.4211092	.5445308
lnmp3	.0554649	.0039039	14.21	0.000	.0476586	.0632712
_cons	2.77688	.0422948	65.66	0.000	2.692306	2.861454

-> ip11 = 48

Source	SS	df	MS	Number of obs =	75
Model	238.997297	3	79.6657656	F(3, 71) =	1421.99
Residual	3.97771847	71	.056024204	Prob > F	= 0.0000
				R-squared	= 0.9836
				Adj R-squared	= 0.9829
Total	242.975015	74	3.28344615	Root MSE	= .23669

lnodds1	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnmp	1.637898	.0726851	22.53	0.000	1.492968	1.782828
lnmp2	-.0463199	.0463967	-1.00	0.322	-.1388323	.0461925
lnmp3	-.0213438	.0073	-2.92	0.005	-.0358996	-.0067879
_cons	2.242124	.0475726	47.13	0.000	2.147267	2.336981

-> ip11 = 50

Source	SS	df	MS	Number of obs =	37
Model	87.724984	3	29.2416613	F(3, 33) =	503.46
Residual	1.91667577	33	.058081084	Prob > F	= 0.0000
				R-squared	= 0.9786
				Adj R-squared	= 0.9767
Total	89.6416598	36	2.4900461	Root MSE	= .241

lnodds1	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnmp	2.850055	.1568527	18.17	0.000	2.530936	3.169174
lnmp2	.863806	.0846488	10.20	0.000	.6915868	1.036025
lnmp3	.0998697	.0119731	8.34	0.000	.0755103	.1242291
_cons	1.897999	.0745764	25.45	0.000	1.746272	2.049726

-> ip11 = 52

Source	SS	df	MS	Number of obs =	86
Model	255.815647	3	85.2718822	F(3, 82) =	2092.53
Residual	3.34155443	82	.040750664	Prob > F	= 0.0000
				R-squared	= 0.9871
				Adj R-squared	= 0.9866
Total	259.157201	85	3.04890825	Root MSE	= .20187

lnodds1	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnmp	1.531126	.0303238	50.49	0.000	1.470802	1.59145
lnmp2	.2859285	.0312651	9.15	0.000	.2237322	.3481248
lnmp3	.0574634	.007939	7.24	0.000	.0416702	.0732566
_cons	1.073971	.0346702	30.98	0.000	1.005001	1.142941

-> ip11 = 54

Source	SS	df	MS	Number of obs =	54
Model	146.216098	3	48.7386993	F(3, 50) =	1621.84
Residual	1.50257197	50	.030051439	Prob > F	= 0.0000
Total	147.71867	53	2.78714472	R-squared	= 0.9898
				Adj R-squared	= 0.9892
				Root MSE	= .17335

lnodds1	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnmp	1.781647	.0530102	33.61	0.000	1.675173	1.888121
lnmp2	.5550114	.0437468	12.69	0.000	.4671433	.6428794
lnmp3	.0988205	.0084776	11.66	0.000	.0817927	.1158483
_cons	1.314594	.0365425	35.97	0.000	1.241196	1.387991

-> ip11 = 56

Source	SS	df	MS	Number of obs =	65
Model	181.964486	3	60.6548287	F(3, 61) =	1442.45
Residual	2.56504025	61	.04204984	Prob > F	= 0.0000
Total	184.529526	64	2.88327385	R-squared	= 0.9861
				Adj R-squared	= 0.9854
				Root MSE	= .20506

lnodds1	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnmp	1.531775	.0357244	42.88	0.000	1.460339	1.60321
lnmp2	.2642883	.0305161	8.66	0.000	.2032675	.325309
lnmp3	.0330595	.0054855	6.03	0.000	.0220905	.0440284
_cons	.8288672	.0361866	22.91	0.000	.7565077	.9012268

Appendix G

Fortran Source Code for Imputation of MOOP – NEW MODEL

The following variables are needed prior to calling either yngoop or oldoop:

For units headed by a person less than 65 years old:

Let:

```

      1 if has private insurance
icov =  2 if Medicaid or Medicare only
      3 if uninsured

      1 if single individual
isize =  2 if family size 2 or 3
      3 if family size is 4 or more

npoor =  1 if census money income is less than 150% of poverty
        2 otherwise

age  =  max(age of reference individual, age of spouse)

iage =  1 if age  25
        2 if 25 < age  35
        3 if 35 < age  45
        4 if 45 < age  55
        5 if 55 < age < 65

if(icov=1 and isize=3) then iage = min(iage,4)
if(icov=2 and isize=1) then iage = 1
if(icov=2 and isize=2) then iage = max(iage,2)
if(icov=2 and isize=3) then iage=min(max(iage,3),4)

v      a random draw from a uniform distribution
u      a random draw from a uniform distribution

if icov = 1 then ipl = (npoor-1)*15 + (isize-1)*5 + iage
if icov = 2 then ipl = 30 + (isize-1)*5+iage
if icov = 3 then ipl = 46 + (isize-1)*4 + (npoor-1)*2
```

then

```
oop = yngoop(ipl,v,u) ! returns with value of MOOP in $1997
```

For Units headed by a person 65 years old or older:

```

iage=      1 if head is less than 75 years old
           2 if head is 75 years old or older
```

```

isize =      1 if single individual
             2 if family size is 2 or more

npoor =      1 if census money income is less than 150% of poverty
             2 otherwise

v           a random draw from a uniform distribution
u           a random draw from a uniform distribution

ipl = (iage-1)*4 + (isize-1)*2 + npoor

then

oop = oldoop(ipl,v,u) ! returns with value of MOOP in $1997

```


Source Code for yngoop3, oldoop3 and other needed functions:

```
function yngoop(ipl,v,u)
  real ypzero(56),cof(4,56)

  data ypzero/
& .649,.943,3*0.0,.963,.894,.964,2*0.,.963,4*0.,.842,.886,.910,
& .932,.933,.891,.964,.955,.979,.987,0.0,.981,.983,.974,0.,.703,
& 5*0.,.487,.705,.735,.877,2*0.,.602,.823,0.,.558,0.,.642,
& 0.,.728,0.,.718,0.,.784,0.,.796/

  data (cof(n,1),n=1,4)/3.380802,1.0897,.157,4.33356/
  data (cof(n,2),n=1,4)/1.61811,.19829,.0333,.008101/
  data (cof(n,6),n=1,4)/1.75527,.52443,.0656,1.4118/
  data (cof(n,7),n=1,4)/1.568187,.2874485,.03204,.56367/
  data (cof(n,8),n=1,4)/1.50419,.128676,.0644176,-.303506/
  data (cof(n,11),n=1,4)/1.55292,.29738,.044926,-.1611459/
  data (cof(n,16),n=1,4)/1.963238,.344378,.055382,1.36692/
  data (cof(n,17),n=1,4)/2.165107,.3327327,.0282678,1.02771/
  data (cof(n,18),n=1,4)/1.767181,.1886579,.0105524,.5314355/
  data (cof(n,19),n=1,4)/1.812815,.23968,.040903,.1734063/
  data (cof(n,20),n=1,4)/1.557268,.2930063,.0650828,-.2350858/
  data (cof(n,21),n=1,4)/1.93819,.5361325,.058243,.2480439/
  data (cof(n,22),n=1,4)/1.703292,.3336177,.0372242,-.0485922/
  data (cof(n,23),n=1,4)/1.680711,.2378291,.0220017,-.6113615/
  data (cof(n,24),n=1,4)/1.652191,.2971006,.0425554,-.8570955/
  data (cof(n,25),n=1,4)/1.450697,.2341678,.0338855,-1.18122/
  data (cof(n,27),n=1,4)/1.583961,.4846474,.1079689,-.7927049/
  data (cof(n,28),n=1,4)/1.555189,.3348093,.0641008,-.970979 /
  data (cof(n,29),n=1,4)/1.524288,.2660472,.0419135,-1.231859 /
  data (cof(n,31),n=1,4)/1.635143,.074544,-.0081997,1.65141 /
  data (cof(n,37),n=1,4)/3.80565,.7267538,.0528099,5.147042 /
  data (cof(n,38),n=1,4)/1.121695,.0982069,.0044751,1.42008 /
  data (cof(n,39),n=1,4)/1.544476,-.0229351,-.022356,1.788168 /
  data (cof(n,40),n=1,4)/1.908364,.443591,.0705073,1.01055 /
  data (cof(n,43),n=1,4)/1.949365,.3499296,.0355299,2.150156/
  data (cof(n,44),n=1,4)/1.65879,.2325325,.014617,1.063485 /
  data (cof(n,46),n=1,4)/2.17228,.48282,.0554649,2.77688/
  data (cof(n,48),n=1,4)/1.637898,-.0463199,-.0213438,2.242124 /
  data (cof(n,50),n=1,4)/2.850055,.86380,.0998697,1.89799/
  data (cof(n,52),n=1,4)/1.531126,.2859285,.0574634,1.073971 /
  data (cof(n,54),n=1,4)/1.781647,.5550114,.0988205,1.314594/
  data (cof(n,56),n=1,4)/1.531775,.2642883,.0330595,.8288672/

  yngoop=0.0
  havemp=ypzero(ipl)
  if(v.gt.havemp) return

  d=cof(4,ipl)
  fl=cof(1,ipl)
  f2=cof(2,ipl)
  f3=cof(3,ipl)
  z=amin1(.99,u)
  odds=alog(z/(1.-z))
```

```

yngoop=root3(odds,d,f1,f2,f3)

return
end
function oldoop(ipl,v,u)

real opzero(8),cof(4,8)

data (cof(n,1),n=1,4)/2.101525,.17275,.10894,-.167394/
data (cof(n,2),n=1,4)/1.96197,.25468,.004392,-.821608/
data (cof(n,3),n=1,4)/1.846542,-.401044,.434109,-1.1777/
data (cof(n,4),n=1,4)/1.97939,.22907,.067225,-2.39502/
data (cof(n,5),n=1,4)/2.541231,.063349,-.053129,-.80107/
data (cof(n,6),n=1,4)/2.56005,-.619,.23188,-1.158788 /
data (cof(n,7),n=1,4)/2.575988,-.58255523,.20248,-1.70695/
data (cof(n,8),n=1,4)/2.841958,-.8559645,.353786,-2.678313/

data opzero/1.000,.986,.999,.996,.996,.995,.976,.997/

oldoop3=0.0
havemp=opzero(ipl)
if(v.gt.havemp) return

d=cof(4,ipl)
f1=cof(1,ipl)
f2=cof(2,ipl)
f3=cof(3,ipl)
z=amin1(.99,u)
odds=alog(z/(1.-z))

oldoop=root3(odds,d,f1,f2,f3)

return
end

```

```

function root3(odds,d,f1,f2,f3)

data tol/.001/
con=d-odds

y0=-con/f1
zero0=cube(y0,con,f1,f2,f3)

do inter=1,20

    slope=dcube(y0,f1,f2,f3)
    step=zero0/slope
    istep=1

1    y1=y0-step/float(istep)
    zero1=cube(y1,con,f1,f2,f3)
    if(abs(zero1).lt.abs(zero0)) go to 5
    istep=istep+1
    if(istep.gt.3) go to 4
    go to 1

4    y1=y0-zero0/f1
    zero1=cube(y1,con,f1,f2,f3)

5    if(abs(zero1).lt.tol) go to 10

    y0=y1
    zero0=zero1

repeat

10    root3=1000.*exp(y1)

return
end

function cube(y,con,f1,f2,f3)

cube=con+f1*y+f2*y*y+f3*y*y*y

return
end

function dcube(y,f1,f2,f3)

dcube=f1+2.0*y*f2+3.0*f3*y*y

return
end

```

Imputation of Medical Out-of-Pocket (MOOP) Expenditures to CPS Analysis Files

**David M. Betson
University of Notre Dame
February 1998**

The purpose of this memo is to describe the methods that were employed to impute medical out-of-pocket (MOOP) expenditures to the various years of CPS data which were utilized to analyze the NRC Panel's poverty measure recommendations. The imputation procedure consisted of two parts: estimating the total amount of MOOP which would be used for a control total for the imputation, and a procedure of allocating the totals to individual records.

Constructing Control Totals for MOOP

After much searching and questioning of researchers both inside and outside of government, I concluded there did not exist a consistent series for how much the non-institutionalized population spends directly out of their own pockets for medical services and supplies. In the absence of an official series, I decided to construct one for the research project of back casting the NRC Panel's recommendation to years prior to 1992 -- the year that was reported in the Panel's report.

I began with a simple accounting relationship that states that the aggregate amount of MOOP in current dollars is equal to the real per capita MOOP (RPCMOOP) at time t times the current price of health care (PHC) times the size of the population (POP), i.e.,

$$MOOP_t = POP_t \times PHC_t \times RPCMOOP_t .$$

Using this identity, a rather simple estimate of MOOP at t could be based upon the assumption that RPCMOOP remains constant over time? Utilizing this assumption, we could estimate MOOP_t using only a single years estimate of MOOP and a historical series of population estimates and the price of health care. If B is the base year in which we have an estimate of MOOP then the specific estimate in any year t would be

$$\begin{aligned} MOOP_t &= POP_t \times PHC_t \times RPCMOOP_B \\ &= MOOP_B \times \frac{POP_t}{POP_B} \times \frac{PHC_t}{PHC_B} . \end{aligned}$$

To evaluate how well this simple estimate performs, I used a historical series published by DHHS (Table 124 in *Health, United States 1992*) which reports on the aggregate amount of MOOP (direct out-of-pocket payments for services and supplies plus the total amount of health care insurance premiums paid by households) in the total population (including the institutionalized population). Given I would be back casting data, I chose the last year of

the series, 1991, as my base year. Using a historical series for the total population and medical price index, I employed the above equation to predict MOOP in each of the previous ten years in the published DHHS series. The results of this evaluation is presented in the following table.

YEAR	MOOP (in billions)		Percentage Difference
	DHHS	Estimate	
1965	23.6	21.5	-8.8%
1967	23.8	24.6	3.5%
1970	31.6	30.6	-3.1%
1975	48.4	45.1	-6.9%
1980	76.1	75.0	-1.5%
1985	124.4	118.9	-4.4%
1987	146.3	138.8	-5.1%
1988	156.2	149.2	-4.5%
1989	168.9	162.3	-3.9%
1990	183.1	178.8	-2.4%
1991	196.5	196.5	0.0%

I feel that this comparison suggests two conclusions. While the naive model consistently underestimates the published data, it does a fairly good job of predicting previous years MOOP especially during the period which we will be imputing, 1979 to the present. Second, the consistent underestimation of the model suggests that real per capita MOOP has over time been declining not constant as assumed by the model. While it is true that over this period, the percentage of all health care directly financed out households' pockets has been significantly declining, what has not been documented has been real per capita spending.

While this exercise built some confidence in what I was going to do, I felt that some other information could also be used. The Annual Statistical Supplement to the Social Security Bulletin provides annual data on the amount of premiums paid by households to Medicare Part B. My strategy was to begin where there was some consensus, MOOP in 1992. As part of the NRC Panel's work, we received from AHCPR their estimate of MOOP for the non-institutionalized population in 1992. Their estimate was \$219.4 billion dollars which included premium payments to Medicare Part B. In 1992, there was \$11.0 billion of Medicare Part B payments. What I decided to do was to forecast and backcast the difference between these two numbers in 1992 (\$208.4) by changes in population (using the CPS counts of total population) and prices (Medical Care Component of the CPI) employing the above naive accounting model. To arrive at the aggregate MOOP figure, I would add the published Medicare Part B payments to this estimate. The following table presents the results of the calculations for the years of the CPS to which I will be imputing MOOP values. The numbers in **bold** type face represent figures from published sources or figures which I believe there is some consensus.

Aggregate Control Totals for MOOP

YEAR	Medicare Part B	OTHER MOOP	TOTAL MOOP
1979	2.3	65.2	67.5
1983	3.5	101.2	104.7
1989	10.5	158.6	169.1
1992	11.0	208.4	219.4
1994	16.2	236.1	252.3

Allocating Aggregate MOOP to Elderly and Non Elderly Households

The next step is to allocate these aggregates to individual households. I first disaggregated the aggregate totals into what households (families) headed by non-elderly and headed by elderly adults would spend on MOOP. In conversations with Urban Institute and researchers in ASPE (Health), there seemed to be consensus that roughly 27% of all MOOP was made by elderly units. This percentage was based upon examination of NMES data from 1987 which was aged to 1992. However, in article by Acs and Sablehouse (Monthly Labor Review, 1995) the authors report that in 1992, 34% of MOOP expenditures were made by elderly families reported in the CEX survey (my own calculations on the CEX suggest that 33% of MOOP expenditures were made by the elderly). To be honest, I am not sure which estimate is to believe so I decided to average the two estimates and use the figure of 30.3% for split between the elderly and non-elderly populations in 1992.

The Acs and Sablehouse article show that over the period of 1980 to 1992, the share of MOOP paid by the elderly has grown. The share of MOOP of the elderly in 1992 was 9.2% higher than in 1980. To replicate the general pattern of changes in the elderly share, I assumed the following splits of the aggregate amount of MOOP :

Year :	1979	1983	1989	1992	1994
Elderly Share	27.4%	28.9%	30.3%	30.3%	30.0%

These shares were based upon the change in the relative number of families units headed by an elderly individual. In particular, I used the following adjustment process :

$$\text{Elderly Share of MOOP in Year } t = \frac{\% \text{ of Families Headed by Elderly in Year } t}{\% \text{ of Families Headed by Elderly in 1992}} \times 30.3$$

The following controls were derived for the Elderly and NonElderly subpopulations. Again the numbers in **bold** type face, represent figures from published sources or figures which I believe there is some consensus.

Subaggregate Control Totals for MOOP (in Billions)				
YEAR	Aggregate	Medicare Part B	Other Elderly MOOP	NonElderly
1979	67.5	2.3	16.1	49.1
1983	104.7	3.5	26.7	74.5
1989	169.1	10.5	40.7	117.9
1992	219.4	11.0	55.4	153.0
1994	252.3	16.2	59.4	176.7

Allocating the Subaggregate Control Totals to Individual Records

The next step is allocate these subaggregates to individual family records. One procedure could be to compute the average family MOOP expenditure for each subgroup and then assign this average value to each record. However, given the rather skewed distribution of MOOP spending, this procedure would greatly overstate the amount of MOOP for the majority of families and hence potentially lead to an overstatement of poverty in the population.

For the NRC Panel, AHCPR produced tables from the 1987 NMES file which had been aged to 1992. These tables provided information on the cumulative distribution of MOOP for households which had MOOP expenditures as well as the percentage of households whom had MOOP expenditures. These detail tables were produced for various subgroups of the population defined by type of insurance coverage, age of the head of the family, race, income, and family size. Using the information, I was able to estimate the probability that a household with a given set of characteristics (X_h) would have MOOP. Let us denote this probability by

$$P(X_h)$$

I was also able to estimate for Elderly and NonElderly populations of the following form describing the cumulative distribution of MOOP :

$$\text{Ln}(C/(1-C)) = \quad + \quad X_h + \quad \text{LNMOOP} \quad (1)$$

where

C = the percentile in the MOOP distribution

X_h = a vector of family characteristics (age, race, income, and insurance coverage)

LNMOOP = Log of Moop Spending.

The estimated relationship (, ,) was utilized in the following manner. For each household, a uniform random number was drawn from a random number generator, RN₁. If RN₁ was less than P(X_h) then the household would be assigned a level of MOOP otherwise the household would be assigned a zero value. If the household was to be assigned a non zero value of MOOP, a second random was drawn, RN₂, which was to represent the percentile in the MOOP distribution to which the family was to be assigned. The level of MOOP that corresponds to this percentile was then estimated as

$$\mu \times \text{EXP} \left[\frac{\text{Ln}(\text{RN}_2 / (1 - \text{RN}_2)) - \text{X}_h}{\text{LNMOOP}} \right]$$

where μ is a proportional factor computed so that weighted sum of MOOP adds up to the control totals for the two subgroups of the population: the elderly and nonelderly.

This past summer (1997), I was able to acquire the micro (family) data from which the original AHCPR tables were constructed. Using this data I was able to reestimate the above equation (1) using the micro data instead of the aggregated tabular data. Given the larger sample size, I was able to estimate a more comprehensive model that included interaction terms of the family characteristics and level of MOOP. The description of variables used and regression results are provided below. Other than using the newly estimated regression results, the procedures to impute MOOP to the individual records remains the same as utilized for the NRC Panel report.

Description of Independent Variables

LNMOOP	Log of Medical Out of Pocket Expenses
PUBLIC	1 if Insured by Medicare or Medicaid only; 0 otherwise
UNINS	1 if Uninsured; 0 otherwise
FS23	1 if Family Size is 2 or 3; 0 otherwise
FS4M	1 if Family Size is 4 or more; 0 otherwise
FS2M	1 if Family Size is 2 or more; 0 otherwise
AGE75	1 if Head is 75 years or older; 0 otherwise
NONPOOR	1 if the ratio of the Family's Census Money Income to Poverty Line exceeds 1.50; 0 otherwise
BLACK	1 if Black; 0 otherwise
PUBLMP	= LNMOOP * PUBLIC
UNLMP	= LNMOOP * UNINS
NPLMP	= LNMOOP * NONPOOR
F23LMP	= LNMOOP * FS23
F4MLMP	= LNMOOP * FS4M
F2MLMP	= LNMOOP * FS2M
A75LMP	= LNMOOP * AGE75

Regression Model for NonElderly Population :

```

Ordinary least squares regression.      Dep. Variable      = LNODDS
Observations      =          5328      Weights           = ONE
Mean of LHS       = -0.3648372D-01     Std.Dev of LHS    = 0.1757924D+01
StdDev of residuals= 0.4893229D+00     Sum of squares    = 0.1272368D+04
R-squared         = 0.9227089D+00     Adjusted R-squared= 0.9225198D+00
F[ 13, 5314]     = 0.4879926D+04     Prob value        0.3217295D-13
Log-likelihood    = -0.3744999D+04     Restr.(β=0) Log-l = -0.1056531D+05
ANOVA Source      Variation      Degrees ofFreedom,      Mean Square
      Regression    0.1518964D+05          13.          0.1168434D+04
      Residual      0.1272368D+04         5314.         0.2394369D+00
      Total         0.1646201D+05         5327.         0.3090297D+01

```

Variable	Coefficient	Std. Error	t-ratio	Prob t >x	Mean of X	Std.Dev.of X
Constant	.90283	0.2401E-01	37.595	0.00000		
LNMOOP	1.2549	0.1397E-01	89.848	0.00000	-.47910	1.5211
PUBLMP	-.40385	0.1442E-01	-28.007	0.00000	-.21546	.86030
UNLMP	-.13039	0.1377E-01	-9.467	0.00000	-.19744	.74545
NPLMP	0.64415E-01	0.1184E-01	5.441	0.00000	-.19158	1.1969
F23LMP	0.92141E-01	0.1105E-01	8.338	0.00000	-.13601	.98365
F4MLMP	.14905	0.1251E-01	11.912	0.00000	-0.35087E-01	.75400
BLKLMP	-0.69204E-01	0.1100E-01	-6.290	0.00000	-.18269	.81236
PUBLIC	1.2560	0.2782E-01	45.142	0.00000	.13570	.34250
UNINS	1.0070	0.2266E-01	44.449	0.00000	.18131	.38531
FS23	-.87023	0.1916E-01	-45.427	0.00000	.43581	.49591
FS4M	-1.1897	0.2036E-01	-58.434	0.00000	.28697	.45239
NONPOOR	-.19126	0.2006E-01	-9.533	0.00000	.74474	.43605
BLACK	.38658	0.1912E-01	20.215	0.00000	.19839	.39882

Regression Model for Elderly Population :

```

Ordinary least squares regression.      Dep. Variable      = LNODDS
Observations      =          2173      Weights           = ONE
Mean of LHS       = -0.1392984D+00     Std.Dev of LHS    = 0.1831889D+01
StdDev of residuals= 0.4271742D+00     Sum of squares    = 0.3950644D+03
R-squared         = 0.9457987D+00     Adjusted R-squared= 0.9456234D+00
F[ 7, 2165]     = 0.5396953D+04     Prob value        0.3217295D-13
Log-likelihood    = -0.1231072D+04     Restr.(β=0) Log-l = -0.4398273D+04
ANOVA Source      Variation      Degrees ofFreedom,      Mean Square
      Regression    0.6893768D+04           7.          0.9848240D+03
      Residual      0.3950644D+03         2165.         0.1824778D+00
      Total         0.7288833D+04         2172.         0.3355816D+01

```

Variable	Coefficient	Std. Error	t-ratio	Prob t >x	Mean of X	Std.Dev.of X
Constant	.50786	0.1970E-01	25.777	0.00000		
LNMOOP	1.2170	0.1288E-01	94.459	0.00000	0.10989E-01	1.3975
NPLMP	.44104	0.1451E-01	30.387	0.00000	.19703	.92900
A75LMP	-0.51473E-01	0.1341E-01	-3.837	.00012	0.28515E-01	.95821
F2MLMP	-.18101	0.1420E-01	-12.750	0.00000	.11100	.93611
AGE75	-.26820	0.1895E-01	-14.151	0.00000	.43580	.49598
FS2M	-.46551	0.1959E-01	-23.768	0.00000	.46710	.49903
NONPOOR	-.63639	0.2052E-01	-31.019	0.00000	.61528	.48664

Code Segments for Imputation of MOOP (FORTRAN)

here is the call from the main routine :

where

```
hage=reference person's age
sage=spouse's age
insstat = insurance status of reference person
premium = yearly medicare part b premium
```

```
iold=0
if(hage.gt.64) then
  out(21)=oldoop(iseed)
  iold=1
  if(sage.gt.64)iold=2
  iage=2
else
  out(21)=yngoop(iseed)
  if(sage.gt.64) iold=1
  iage=1
end if
medicare=0
if(insstat.gt.0.and.insstat.ne.4) then
  medicare=float(iold)*premium
  if(ew.eq.0.0) medicare=0
end if
out(21)=out(21)+medicare
```

function yngoop(iseed)

```
real cof(7),dum(7),ycof0(7)
real ypzero(37)
data ypzero/
  & .065,.041,.075,.143,.061,.083,.012,.012,.031,.024,.003,.006,
  & .397,.606,.219,.628,.371,.408,.212,.279,.237,.507,.256,.345,
  & .378,.482,.248,.420,.151,.194,.103,.128,.043,.126,.036,.213,
  & 0./
data cof/.90283,1.256,1.007,-.87023,-1.1897,-.19126,.38658/
data ycof0/1.2549,-.40385,-.13039,.092141,.14905,.064415,-.0692/
```

```
yngoop=0.0
```

```
do k=2,7
  dum(k)=0.0
repeat
```

```
if(insstat.eq.0) then  ! insurance status of reference person
  insure=3             ! uninsured
  dum(3)=1.0
else if(insstat.eq.2.or.insstat.eq.4) then
  insure=2             ! public insurance only
  dum(2)=1.0
else
  insure=1             ! private
end if
```

```

ifam=xin(13)

if(ifam.eq.1) then
  isize=1          ! family size = 1
else if(ifam.eq.2.or.ifam.eq.3) then
  isize=2          ! family size 2 or 3
  dum(4)=1.0
else
  isize=3          ! family size is four or more
  dum(5)=1.0
end if

rneeds=0.0          ! census money income to needs (poverty line) ratio
pline=xin(14)

if(pline.ne.0.0) rneeds=cminc/pline
if(rneeds.lt.1.5) then
  ipoor=1
else
  ipoor=2
  dum(6)=1.0
end if

if(xin(29).ne.2) then          ! race
  irace=1                      ! non black
else
  irace=2                      ! black
  dum(7)=1.0
end if
ipl=(insure-1)*12+(isize-1)*4+(ipoor-1)*2+irace
if(ran1(iseed).lt.ypzero(ipl)) return
cons=cof(1)
do k=2,7
  cons=cons+dum(k)*cof(k)
repeat
ycof=ycof0(1)
do k=2,7
  ycof=ycof+dum(k)*ycof0(k)
repeat

c ran1 is an uniform random number generator RN[0,1]

c
c If imax99 equals 1 then the distribution of MOOP is bounded at the
c pmax percentile -- this is an alternative way to bound "high values"
c of MOOP compared to the Pat Doyle's way (imax99 equal 2) which limits
c the elderly to $8200 of MOOP which she estimated to be 99th percentile
c of the elderly MOOP Distribution -- see below
c

p=ran1(iseed)
if(imax99.eq.1) p=p*pmax
odds=alog(p/(1.-p))
yngoop=1000.*exp((odds-cons)/ycof)
if(imax99.eq.2) then

```

```

    yngoop=amin1(amax1(1.,yngoop),8200.)
end if
yngoop=yngoop*yfac      ! yfac multiplicative factor to hit aggregate
return
end

function oldoop(iseed)
real dum(4),cof(4),ycof0(4)
real opzero(9)
    data opzero/.1666,.0233,.1010,.016,.0872,.0220,.0536,.0165,0./
    data cof/.50786,-.2682,-.46551,-.63639/
    data ycof0/1.2170,-.05147,-.18101,.44104/

oldoop=0.0

do k=2,4
    dum(k)=0.0
repeat

if(hage.lt.75) then      ! age of reference person
    iage=1
else
    iage=2
    dum(2)=1.0
end if

if(xin(13).eq.1) then    ! family size
    isize=1
else
    isize=2
    dum(3)=1.0
end if

rneeds=0.0              ! census money income to needs (Poverty line) ratio
pline=xin(14)
if(pline.ne.0) rneeds=cminc/pline
if(rneeds.lt.1.5) then
    ipoor=1
else
    ipoor=2
    dum(4)=1.0
end if

ipl=(iage-1)*4+(isize-1)*2+ipoor

if(ran1(iseed).lt.opzero(ipl)) return ! pzero is the probability of not having
MOOP

ycof=ycof0(1)
do j=2,4
    ycof=ycof+dum(j)*ycof0(j)
repeat

cons=cof(1)
do k=2,4

```

```

      cons=cons+dum(k)*cof(k)
    repeat

      p=ran1(iseed)      ! p is the random percentile in the MOOP distribution

c ran1 is an uniform random number generator RN[0,1]

c
c If imax99 equals 1 then the distribution of MOOP is bounded at the
c pmax percentile -- this is an alternative way to bound "high values"
c of MOOP compared to the Pat Doyle's way (imax99 equal 2) which limits
c the elderly to $18000 of MOOP which she estimated to be 99th percentile
c of the elderly MOOP Distribution -- see below
c

      if(imax99.eq.1) p=p*pmax

      odds=alog(p/(1.-p))

      oldoop=1000.*exp((odds-cons)/ycof)

      if(imax99.eq.2) then
        oldoop=amin1(amax1(1.,oldoop),18000.)
      end if

      oldoop=oldoop*ofac  ! ofac = a multiplicative factor to hit aggregate total

    return
  end

```