FINALLY A REALISTIC HIGGSLESS MODEL

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OUTLINE

Review about Higgsless models
Main challenges
The third generation: top mass and Zbb
New realization of the custodial symmetry
Summary

Why do we need the Higgs ?

Break the ElectroWeak symmetry

• Fermion masses

• Unitarize the WW scattering

All this can be achieved through extra dimensions

Why do we need the Higgs ?

Break the ElectroWeak symmetry -> BC

Fermion masses -> BC

Unitarize the WW scattering -> KK gauge bosons

All this can be achieved through extra dimensions (C. Csaki, C. Grojean, J. Hubisz, H. Murayama, L. Pilo, Y. Shirman, J. Terning)

Attempts to build realistic Higgsless models face two main challanges already at tree-level

ElectroWeak Precision Data (S-parameter)

• Top mass without spoiling Zbb

The setup



Embedding fermions

 $\Psi = \left(egin{array}{c} \chi \ \psi \end{array}
ight) egin{array}{c} \chi \colon \ \chi \colon \ \psi \colon \ \psi \colon \ \psi \to \ \psi \to$

Chiral spectrum with different BC

For massless fermions (under $SU(2)_L \times SU(2)_R \times U(1)_X$)

 $\Psi_L = ({f 2},{f 1})_Y, \quad \Psi_R = ({f 1},{f 2})_Y$

BC (UV,IR)

 $\chi_R = (-,-)$ $\chi_L = (+,+)$ $\psi_L = (-,-)$ $\psi_R = (+,+)$

give a LH zero mode living in Ψ_L and a RH zero mode living in Ψ_R

Where do fermions live ?

Bulk mass terms

$$S_m = \int d^5 x \left(\frac{R}{z}\right)^5 \left[\frac{c_L}{R}\bar{\Psi}_L\Psi_L + \frac{c_R}{R}\bar{\Psi}_R\Psi_R\right]$$
$$c_L < 1/2 \ (c_R > -1)$$

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IR $c_L > 1/2$ $(c_R < -1/2)$

 $c_L = -c_R = 1/2$

UV

Three KK towers of neutral gauge boson. **Before EWSB** W_{3L} (+,+), B_{Y} (+,+), B_{2} (-,+) Corrections to precision observables $B^{(k)}, B^{(k)}_{2}, W^{(k)}_{3L}$ make it $\simeq 0$

S-parameter



 $1/R = 10^{-8} \text{ GeV}, 1/R' = 280 \text{ GeV}$

(G. Cacciapaglia, C. Csaki, C. Grojean and J. Terning, hep-ph/0409126)

The third generation is special due to the heaviness of the top quark

$$\Psi_L^{(2,1)_{1/6}} = \begin{pmatrix} \chi_L \\ \psi_L \end{pmatrix} \quad \Psi_R^{(1,2)_{1/6}} = \begin{pmatrix} \chi_R \\ \psi_R \end{pmatrix}$$

Big Dirac mass on the TeV brane

 $M\left(\chi_L\psi_R+\chi_R\psi_L\right)$

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$$\chi_L = \begin{pmatrix} \chi_{t_L} \\ \chi_{b_L} \end{pmatrix}, \quad \psi_L = \begin{pmatrix} \psi_{t_L} \\ \psi_{b_L} \end{pmatrix}$$

Boundary conditions on the TeV brane

 $\psi_L = MR' \,\psi_R \qquad \chi_R = -MR' \,\chi_L$

It is not possible to get arbitrarily high mass. For $MR' \rightarrow \infty$ the BC become

 $\psi_R = \chi_L = 0$

So the top is a KK excitation: its mass is set by $1/R' \simeq 300$ GeV

The bottom mass is suppressed with a big kinetic terms localized on the Planck brane

To have Zbb ok we need $c_L \simeq 0.46$, i.e. the bottom wave function almost flat. But

 $\chi_R = -MR' \,\chi_L$

M has to be $\simeq 1/R'$ to get the top mass

 $\chi_R = \begin{pmatrix} \chi_{t_R} \\ \chi_{b_R} \end{pmatrix} \qquad \begin{array}{c} \chi_{b_R} \text{ is a LH bottom quark} \\ \text{with Y} = -1/3 \end{array}$

The coupling of the LH bottom to the Z modified

 \mathcal{Z}

b



An alternative realization of the custodial symmetry (K. Agashe, R. Contino, L. Da Rold, A. Pomarol, hep-ph/0605341

M. Carena, E. Ponton, J. Santiago and C. Wagner, hep-ph/0607106

Consider a BSM sector symmetric under $O(4) \sim SU(2)_L \otimes SU(2)_R \otimes P_{LR}$

broken to

 $O(3) \sim SU(2)_V \otimes P_{LR}$

Z coupling to a fermion

 $\frac{g}{\cos\theta_W} \left[Q_L^3 - Q\sin^2\theta_W \right] Z^\mu \bar{\psi} \gamma_\mu \psi$ Q is conserved, Q_L^3 not necessarily If ψ is a +1 eigenstate of P_{LR} then $T_L = T_R, \quad T_L^3 = T_R^3$ which implies $\delta Q_L + \delta Q_R = 0, \quad \delta Q_L = \delta Q_R$ i.e. Q_L^3 is protected

 $T_{3L} = T_{3R} = -1/2$

Promote

$$\Psi_L = (\mathbf{2}, \mathbf{1})_{1/6} \longrightarrow (\mathbf{2}, \mathbf{2})_{2/3} = \begin{pmatrix} t_L & X_L \\ b_L & T_L \end{pmatrix}$$

for the RH fields

$$t_R = (\mathbf{1}, \mathbf{1})_{2/3}$$
 $\Psi_R = (\mathbf{1}, \mathbf{3})_{2/3} = \begin{pmatrix} X_R \\ T_R \\ b_R \end{pmatrix}$

Mass for top and bottom

$$\frac{M_1}{\sqrt{2}} t_R (t_L - T_L) + M_3 \left[\frac{1}{\sqrt{2}} T_R (t_L + T_L) + b_R b_L \right]$$

Not enough though



(Almost) constant +4/5 % deviation. Where does it come from ?

On the Planck brane

 $SU(2)_R \times U(1)_Y \rightarrow U(1)_Y$

breaks the discrete parity P_{LR}

Suppose that there is no such breaking on the UV brane. Before EWSB all gauge bosons have a flat zero mode and the same KK tower

 $W_L^3 - W_R^3$ is broken on the TeV brane $W_L^3 + W_R^3$ are not B_X b

 $Z \qquad (W_L^3 + W_R^3)^{(k)}, B_X^{(k)}$

cannot occur

b

However, $W_R^3 - B_X$ is broken on the UV brane, so its KK tower is different from $W_R^3 + B_X$, W_L^3

When going to the basis

 $W_L^3 - W_R^3$ $W_L^3 + W_R^3$ B_X

b

one can have

The solution

 $T_{3L} = T_{3R} = -1/2$

$$\Psi_L = (\mathbf{2}, \mathbf{1})_{1/6} \longrightarrow (\mathbf{2}, \mathbf{2})_{2/3} = \begin{pmatrix} t_L & X_L \\ b_L & T_L \end{pmatrix}$$
$$t_R = (\mathbf{1}, \mathbf{1})_{2/3} \quad \Psi_R = (\mathbf{1}, \mathbf{3})_{2/3} = \begin{pmatrix} X_R \\ T_R \\ b_R \end{pmatrix}$$

 $\mathcal{L}_{m} = M_{3} \left[\frac{1}{\sqrt{2}} T_{R} \left(t_{L} + T_{L} \right) + b_{R} b_{L} \right] \quad \mathsf{T}_{3L} = 0, \ \mathsf{T}_{3R} = -1$

If b_{L} and b_{R} are localized far apart, M_{3} has to be $\simeq 1/R'$ and a sizable component of the LH bottom lives in b_{R} -> modifications in $Zb_{l}b_{l}$

Diagramatically, before we were neglecting



which instead can be sizable if b_L and b_R are localized near opposite branes

 $1/R = 10^{-8}$ GeV, 1/R' = 280 GeV, $c_L = 0.1$



Summarizing the configuration for zero modes



SUMMARY OF THE MODEL

The couplings of the third generation

	frac. of SM
$Zb_\ell \overline{b}_\ell$	1.004
$Zb_r\overline{b}_r$	0.993
$Zt_\ell \overline{t}_\ell$	0.461
$Zt_r\overline{t}_r$	1.908
$Wt_\ell \overline{b}_\ell$	0.862
$Wt_r\overline{b}_r$	$3 \cdot 10^{-4} g_{Wt_\ell \bar{b}_\ell}$

 $1/R = 10^{-8} \text{ GeV}, \quad 1/R' = 280 \text{ GeV}, \quad c_L = 0.1, \quad c_R^{\dagger} = 0, \quad c_R^{b} = -0.73$

CONCLUSIONS

An alternative realization of the custodial symmetry allows with a discrete L-R parity

obtain the top mass

make Zbb deviations arbitrarily small

(Almost) flat light fermions allow an arbitrarily small S parameter.

The Higgsless model has finally a fully realistic formulation at tree level.

Loop effects to be analyzed (T-parameter ?)