

## THE UNIVERSITY of LIVERPOOL

## An Introduction to Fortran 90 <br> (1 Day Seminar)

Dr. A C Marshall (funded by JISC/NTI)
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## Fortran Evolution

History:
$\square$ FORmula TRANslation.
$\square$ first compiler: 1957.
$\square$ first official standard 1972: 'Fortran 66’.
$\square$ updated in 1980 to Fortran 77.
$\square$ updated further in 1991 to Fortran 90.
$\square$ next upgrade due in 1996 - remove obsolescent features, correct mistakes and add limited basket of new facilities such as ELEMENTAL and PURE userdefined procedures and the FORALL statement.
$\square$ Fortran is now an ISO/IEC and ANSI standard.

## Design Goals

A compromise between:
ㅁ Fortran 77 as a subset;
$\square$ efficiency;
$\square$ portability;
$\square$ regularity;
$\square$ ease of use;

## Drawbacks of Fortran 77

Fortran 77 was limited in the following areas,

1. awkward 'punched card' or 'fixed form' source format;
2. inability to represent intrinsically parallel operations;
3. lack of dynamic storage;
4. non-portability;
5. no user-defined data types;
6. lack of explicit recursion;
7. reliance on unsafe storage and sequence association features.

## Fortran 90 New features

Fortran 90 supports,

1. free source form;
2. array syntax and many more (array) intrinsics;
3. dynamic storage and pointers;
4. portable data types (KINDs);
5. derived data types and operators;
6. recursion;
7. MODULES
$\square$ procedure interfaces;
$\square$ enhanced control structures;
$\square$ user defined generic procedures;
$\square$ enhanced I/O.

## Source Form

Free source form:
$\square 132$ characters per line;
$\square$ extended character set;
$\square$ '!’ comment initiator;
$\square$ ' $\&$ ' line continuation character;
$\square$ ';' statement separator;
$\square$ significant blanks.

## New Style Declarations and Attributing

Can state IMPLICIT NONE meaning that variables must be declared.

## Syntax

$$
\begin{aligned}
<\text { type }>[, & <\text { attribute-list }>][::] \& \\
& <\text { variable-list }>[=<\text { value }>]
\end{aligned}
$$

The are no new data types. (If $<$ attribute-list $>$ or =<value $>$ are present then so must be ::.)

The following are all valid declarations,
SUBROUTINE Sub( $\mathrm{x}, \mathrm{i}, \mathrm{j}$ )
IMPLICIT NONE
REAL, INTENT(IN) :: x
LOGICAL, POINTER :: ptr
REAL, DIMENSION $(10,10):: y, z(10)$
CHARACTER(LEN=*), PARAMETER :: 'Maud'’dib'
INTEGER, TARGET :: k = 4
The DIMENSION attribute declares a $10 \times 10$ array, this can be overridden as with z .

## New Control Constructs

$\square$ IF construct names for clarity (new relational and logical operators too),

```
zob: IF (A > 0) THEN
            ELSEIF (A == -1) THEN zob
            ELSE zob
chum: IF (c == 0 .EQV. B >= 0) THEN
                ENDIF chum
    ENDIF zob
```

$\square$ SELECT CASE for integer and character expressions,

```
SELECT CASE (case_expr)
    CASE (1,3,5)
        •••
    CASE (2,4,6)
    CASE(7:10)
    CASE(11:)
    CASE DEFAULT
END SELECT
```


## New Control Constructs

$\square$ DO names, END DO terminators, EXIT and CYCLE,

```
outa: DO i = 1,n
    inna: DO j = 1,m
            IF (X == 0) EXIT
            IF (X < 0) EXIT outa
            IF (X > 10) CYCLE inna
            IF (X > 100) CYCLE outa
            END DO inna
            END DO outa
```

$\square$ DO WHILE but this superseded by EXIT clause.

## New Procedure Features

$\square$ internal procedures,

```
SUBROUTINE Subby(a,b,c)
    IMPLICIT NONE
```

        CALL Inty (a, c)
    CONTAINS
SUBROUTINE Inty(x,y)
END SUBROUTINE Inty
END SUBROUTINE Subby
$\square$ INTENT attribute specify how variables are to be used,

INTEGER FUNCTION Schmunction(a,b,rc)
IMPLICIT NONE ! New too
REAL, INTENT(IN) : : a
REAL, INTENT(INOUT) :: b
INTEGER, INTENT(OUT) : : rc
END FUNCTION Schmunction ! New END

## New Procedure Features

$\square$ OPTIONAL and keyword arguments,
SUBROUTINE Schmubroutine (scale, $x, y$ )
IMPLICIT NONE ! Use it
REAL, INTENT(IN) : : x,y ! New format
REAL, INTENT(IN), OPTIONAL : : scale
REAL : : actual_scale
actual_scale = 1.0
IF (PRESENT(scale)) actual_scale = scale
CALL Plot_line(x,y,actual_scale)
END SUBROUTINE Schmubroutine ! Neater
called as
CALL Schmubroutine ( $\mathrm{x}=1.0, \mathrm{y}=2.0$ )
CALL Schmubroutine(10.0,1.0,2.0)
$\square$ Explicit recursion is permitted,

```
RECURSIVE SUBROUTINE Factorial(N, Result)
    IMPLICIT NONE
    INTEGER, INTENT(IN) : : N
    INTEGER, INTENT(INOUT) : : Result
    IF (N > 0) THEN
        CALL Factorial (N-1,Result)
        Result \(=\) Result * N
    ELSE
        Result = 1
    END IF
END SUBROUTINE Factorial
```


## EXTERNAL Procedure Interfaces

$\square$ INTERFACE blocks,

INTERFACE
SUBROUTINE Schmubroutine (scale, x,y)
REAL, INTENT (IN) : : x, y
REAL, INTENT(IN), OPTIONAL : : scale
END SUBROUTINE Schmubroutine
END INTERFACE
these are mandatory for EXTERNAL procedures with,
$\diamond$ optional and keyword arguments;
$\diamond$ pointer and target arguments;
$\diamond$ new style array arguments;
$\diamond$ array or pointer valued procedures.

## New Array Facilities

$\square$ arrays as objects,

$$
\begin{aligned}
& \text { REAL, DIMENSION }(10,10):: \text { A, B } \\
& \text { REAL, ALLOCATABLE }(:,:):: C \\
& \text { REAL }:: x=1.0 \text { ! new } \\
& A=10.0 \text { ! scalar conformance } \\
& B=A \quad \text { ! shape conformance }
\end{aligned}
$$

$\square$ elemental operations,

$$
\mathrm{B}=\mathrm{x} * \mathrm{~A}+\mathrm{B} * \mathrm{~B}
$$

$\square$ sectioning,

$$
\begin{aligned}
& \text { PRINT*, A }(2: 4,2: 6: 2) \\
& B(:, 10: 1:-1)=A(:,:)
\end{aligned}
$$

$\square$ array valued intrinsics,

$$
\begin{aligned}
& B=\operatorname{SIN}(A) \\
& B(:, 4)=\operatorname{ABS}(A(:, 5))
\end{aligned}
$$

$\square$ masked assignment,

$$
\text { WHERE }(\mathrm{A}>0.0) \mathrm{B}=\mathrm{B} / \mathrm{A}
$$

## Program Packaging - Modules

$\square$ the MODULE program unit may contain
$\diamond$ definitions of user types,
$\diamond$ declarations of constants,
$\diamond$ declaration of variables (possibly with initialisation),
$\diamond$ accessibility statements,
$\diamond$ definition of procedures,
$\diamond$ definition of interfaces for external procedures,
$\diamond$ declarations of generic procedure names and operator symbols,
the above provides basis of object oriented technology.
$\square$ the USE statement,
$\diamond$ names the particular MODULE,
$\diamond$ imports the public objects,
$\square$ provides global storage without COMMON,

## Stack Example

MODULE stack

## IMPLICIT NONE

## PRIVATE

INTEGER, PARAMETER : : stack_size = 100
INTEGER, SAVE :: store(stack_size), pos = 0 PUBLIC push, pop
CONTAINS

## SUBROUTINE push(i)

INTEGER, INTENT(IN) : : i
IF (pos < stack_size) THEN pos $=$ pos +1 ; store(pos) $=i$
ELSE
STOP 'Stack Full error'
END IF
END SUBROUTINE push
SUBROUTINE pop(i)
INTEGER, INTENT(OUT) : : i
IF (pos > 0) THEN
i $=$ store (pos); pos $=$ pos -1
ELSE
STOP 'Stack Empty error'
END IF
END SUBROUTINE pop
END MODULE stack

## Rational Arithmetic Example

## MODULE RATIONAL_ARITHMETIC

TYPE RATNUM
INTEGER : : num, den
END TYPE RATNUM
INTERFACE OPERATOR (*)
MODULE PROCEDURE rat_rat, int_rat, rat_int
END INTERFACE
PRIVATE : : rat_rat, int_rat, rat_int
CONTAINS
TYPE(RATNUM) FUNCTION rat_rat(l,r)
TYPE(RATNUM), INTENT(IN) : : l,r
rat_rat\%num $=1 \%$ num $* r \%$ num
rat_rat\%den $=1 \%$ den $* r \% d e n$
END FUNCTION rat_rat
TYPE(RATNUM) FUNCTION int_rat(l,r)
INTEGER, INTENT(IN) : : l
TYPE(RATNUM), INTENT(IN) : : r
END FUNCTION int_rat
FUNCTION rat_int(l,r)
END FUNCTION rat_int
END MODULE RATIONAL_ARITHMETIC
PROGRAM Main;
USE RATIONAL_ARITHMETIC
INTEGER : : i = 32
TYPE(RATNUM) : : a,b,c
$\mathrm{a}=\operatorname{RATNUM}(1,16) ; \mathrm{b}=2 * \mathrm{a} ; \mathrm{c}=3 * \mathrm{~b}$
$\mathrm{b}=\mathrm{a} * \mathrm{i} * \mathrm{~b} * \mathrm{c} ;$ PRINT*, b
END PROGRAM Main

## User Defined Entities

$\square$ Define Type

TYPE person
CHARACTER(LEN=20) : : name
INTEGER : : age
REAL :: height
END TYPE person
TYPE couple
TYPE(person) :: he, she
END TYPE couple
$\square$ Declare structure

TYPE(person) :: him, her
TYPE (couple) :: joneses
$\square$ Component selection
him\%age, her\%name, joneses\%he\%height
$\square$ Structure constructor

```
him = person('Jones', 45, 5.8)
them = couple(person(...),person(...))
```


## Operators and Generics

$\square$ Overloaded operators and assignment
INTERFACE OPERATOR (+)
... ! what + means in this context
END INTERFACE ! OPERATOR (+)
INTERFACE ASSIGNMENT (=)
... ! what $=$ means in this context
END INTERFACE ! ASSIGNMENT (=)
joneses $=$ him+her
$\square$ Defined operators
INTERFACE OPERATOR (.YOUNGER.)
... ! what . YOUNGER. means
END INTERFACE ! OPERATOR (.YOUNGER.)

IF (him. YOUNGER.her) ...
$\square$ Generic interfaces (intrinsic and user defined),
INTERFACE LLT
... ! what LLT means in this context
END INTERFACE ! LLT
INTERFACE My_Generic
... ! what My_Generic means in this context END INTERFACE ! My_Generic

IF (LLT(him,her)) ...

## Pointers

$\square$ Objects declared with the POINTER attribute

REAL, DIMENSION(:,:), POINTER :: pra, prb pra is a descriptor for a 2D array of reals,
$\square$ objects to be referenced must have TARGET attribute, REAL, DIMENSION(-10:10,-10:10), TARGET : : a
$\square$ a pointer is associated with memory by allocation, ALLOCATE (prb ( $0: n, 0: 2 * n * n)$, STAT=ierr)
$\square$ pointer assignment,

$$
\text { pra } \Rightarrow \text { a }(-k: k,-j: j)
$$

\{\tt pra\} is now an alias for part of $\{\backslash t t a\}$.
$\square$ pointers are automatically dereferenced, in expressions they reference the value(s) stored in the current target,

$$
\operatorname{pra}(15: 25,5: 15)=\operatorname{pra}(10: 20,0: 10)+1.0
$$

## Pointers and Recursive Data Structures

$\square$ Derived types which include pointer components provide support for recursive data structures such as linked lists.

```
TYPE CELL
INTEGER :: val
TYPE (CELL), POINTER :: next
END TYPE CELL
```


$\square$ Assignment between structures containing pointer components is subtlely different from normal,

```
TYPE(CELL) :: A
TYPE(CELL), TARGET :: B
A = B
```

is equivalent to:

$$
\begin{aligned}
& A \% v a l=B \% v a l \\
& A \% \text { next }=>B \% \text { next }
\end{aligned}
$$

## Parameterised Data Types

$\square$ Intrinsic types can be parameterised to select accuracy and range of the representation,
$\square$ for example,

```
INTEGER(KIND=2) :: i
INTEGER(KIND=k) :: j
REAL(KIND=l) :: x
```

where $k$ and $m$ are default integer constant expressions and are called kind values,
$\square$ can have constants

$$
24 \_2,207 \_k, 1.08 \_1
$$

$\square$ SELECTED_INT_KIND, SELECTED_REAL_KIND can be parameterised and return kind value of appropriate representation. This gives portable data types.

INTEGER, PARAMETER : : k = SELECTED_INT_KIND(2)
INTEGER, PARAMETER : : $1=\operatorname{SELECTED\_ REAL\_ KIND}(10,68)$
$\square$ a generic intrinsic function KIND (object) returns the kind value of the object representation:
$\diamond \operatorname{KIND}(0.0)$ is kind value of default REAL.
$\diamond \operatorname{KIND}\left(0 \_k\right)$ is k .

## New I/O Features

$\square$ normal Fortran I/O always advances to the next record for any READ or WRITE statement,
$\square$ Fortran 90 supports non-advancing form of I/O added,

WRITE(...,ADVANCE='NO',...) a appends output characters to the current record and

READ (..., ADVANCE='NO',...) a
reads from the next available character in a file
READ (..., ADVANCE='NO', EOR=99,SIZE=nch) a
detects end of record and nch will contain the number of characters actually read.

## Advantages of Additions

Fortran 90 is:
$\square$ more natural;
$\square$ greater flexibility;
$\square$ enhanced safety;
$\square$ parallel execution;
$\square$ separate compilation;
$\square$ greater portability;
but is
$\square$ larger;
$\square$ more complex;

## Language Obsolescence

Fortran 90 has a number of features marked as obsolescent, this means,
$\square$ they are already redundant in Fortran 77;
$\square$ better methods of programming already existed in the Fortran 77 standard;
$\square$ programmers should stop using them;
$\square$ the standards committee's intention is that many of these features will be removed from the next revision of the language, Fortran 95;

## Obsolescent Features

The following features are labelled as obsolescent and will be removed from the next revision of Fortran, Fortran 95,
$\square$ the arithmetic IF statement;
$\square$ ASSIGN statement;
$\square$ ASSIGNed GOTO statements;
$\square$ ASSIGNed FORMAT statements;
$\square$ Hollerith format strings;
$\square$ the PAUSE statement;
$\square$ REAL and DOUBLE PRECISION DO-Ioop control expressions and index variables;
$\square$ shared DO-loop termination;
$\square$ alternate RETURN;
$\square$ branching to an ENDIF from outside the IF block;

## Undesirable Features

$\square$ fixed source form layout - use free form;
$\square$ implicit declaration of variables - use IMPLICIT NONE;
$\square$ COMMON blocks - use MODULE;
$\square$ assumed size arrays - use assumed shape;
$\square$ EQUIVALENCE statements;
$\square$ ENTRY statements;
$\square$ the computed GOTO statement - use IF statement;


## Arrays

Arrays (or matrices) hold a collection of different values at the same time. Individual elements are accessed by subscripting the array.

A 15 element array can be visualised as:


And a $5 \times 3$ array as:
Dimension 2


Every array has a type and each element holds a value of that type.

## Array Terminology

Examples of declarations:
REAL, DIMENSION(15) :: X
REAL, DIMENSION(1:5,1:3) :: Y, Z
The above are explicit-shape arrays.
Terminology:
$\square$ rank - number of dimensions.
Rank of X is 1 ; rank of Y and Z is 2 .
$\square$ bounds - upper and lower limits of indices.
Bounds of X are 1 and 15 ; Bound of Y and Z are 1 and 5 and 1 and 3.
$\square$ extent - number of elements in dimension;
Extent of X is 15 ; extents of Y and Z are 5 and 3 .
$\square$ size - total number of elements.
Size of $\mathrm{X}, \mathrm{Y}$ and Z is 15 .
$\square$ shape - rank and extents;
Shape of X is 15 ; shape of Y and Z is 5,3 .
$\square$ conformable - same shape.
Y and Z are conformable.

## Declarations

Literals and constants can be used in array declarations,

```
REAL, DIMENSION(100) :: R
REAL, DIMENSION(1:10,1:10) :: S
REAL :: T(10,10)
REAL, DIMENSION(-10:-1) :: X
INTEGER, PARAMETER :: lda = 5
REAL, DIMENSION(0:lda-1) :: Y
REAL, DIMENSION(1+lda*lda,10) :: Z
```

$\square$ default lower bound is 1 ,
$\square$ bounds can begin and end anywhere,
$\square$ arrays can be zero-sized (if lda $=0$ ),

## Visualisation of Arrays

$$
\begin{array}{ll}
\text { REAL, DIMENSION }(15) & :: A \\
\text { REAL, DIMENSION }(-4: 0,0: 2) & :: \mathrm{B} \\
\text { REAL, } \operatorname{DIMENSION~}(5,3) & :: C \\
\text { REAL, } \operatorname{DIMENSION~}(0: 4,0: 2) & :: \mathrm{D}
\end{array}
$$

Individual array elements are denoted by subscripting the array name by an INTEGER, for example, A(7) $7^{\text {th }}$ element of A , or $\mathrm{C}(3,2), 3$ elements down, 2 across.


## Array Conformance

Arrays or sub-arrays must conform with all other objects in an expression:
$\square$ a scalar conforms to an array of any shape with the same value for every element:

$$
C=1.0 \quad!\text { is valid }
$$

$\square$ two array references must conform in their shape. Using the declarations from before:

$C=D$


Valid

$B=A$


Invalid
$A$ and $B$ have the same size but have different shapes so cannot be directly equated.

## Array Element Ordering

Organisation in memory:
$\square$ Fortran 90 does not specify anything about how arrays should be located in memory. It has no storage association.
$\square$ Fortran 90 does define an array element ordering for certain situations which is of column major form,

The array is conceptually ordered as:

$C(1,1), C(2,1), \ldots, C(5,1), C(1,2), C(2,2), \ldots, C(5,3)$

## Array Syntax

Can reference:
$\square$ whole arrays
$\diamond \mathrm{A}=0.0$
sets whole array A to zero.
$\diamond$ B $=$ C + D
adds $C$ and $D$ then assigns result to $B$.
$\square$ elements

$$
\diamond A(1)=0.0
$$

sets one element to zero,
$\diamond B(0,0)=A(3)+C(5,1)$
sets an element of $B$ to the sum of two other elements.
$\square$ array sections

$$
\begin{aligned}
\diamond & A(2: 4)=0.0 \\
& \text { sets } A(2), A(3) \text { and } A(4) \text { to zero, } \\
\diamond & B(-1: 0,1: 2)=C(1: 2,2: 3)+1.0 \\
& \text { adds one to the subsection of } C \text { and assigns to } \\
& \text { the subsection of } B .
\end{aligned}
$$

## Whole Array Expressions

Arrays can be treated like a single variable in that:
$\square$ can use intrinsic operators between conformable arrays (or sections),

$$
\mathrm{B}=\mathrm{C} * \mathrm{D}-\mathrm{B} * * 2
$$

this is equivalent to concurrent execution of:

$$
\begin{aligned}
& B(-4,0)=C(1,1) * D(0,0)-B(-4,0) * * 2 \text { ! in } \| \\
& B(-3,0)=C(2,1) * D(1,0)-B(-3,0) * * 2 \text { ! in \| } \\
& \ldots \\
& B(-4,1)=C(1,2) * D(0,1)-B(-4,1) * * 2 \text { ! in } \| \\
& \ldots \\
& B(0,2)=C(5,3) * D(4,2)-B(0,2) * * 2 \text { ! in } \|
\end{aligned}
$$

$\square$ elemental intrinsic functions can be used,

$$
B=\operatorname{SIN}(C)+\operatorname{COS}(D)
$$

the function is applied element by element.

## Array Sections - Visualisation

Given,
REAL, DIMENSION(1:6,1:8) : : P


Consider the following assignments,
$\square P(1: 3,1: 4)=P(1: 6: 2,1: 8: 2)$ and $P(1: 3,1: 4)=1.0$ are valid.
$\square P(2: 8: 2,1: 7: 3)=P(1: 3,1: 4)$ and $P(2: 6: 2,1: 7: 3)=P(2: 5,7)$ are not.
$\square P(2: 5,7)$ is a 1D section (scalar in dimension 2) whereas $P(2: 5,7: 7)$ is a 2D section.

## Array Sections

subscript-triplets specify sub-arrays. The general form is:
$[<$ bound $1>]:[<$ bound $2>][:<$ stride $>]$
The section starts at $<$ bound $1>$ and ends at or before $<$ bound $2>$. $<$ stride $>$ is the increment by which the locations are selected.
$<$ bound1 $>,<$ bound2 $>$ and $<$ stride $>$ must all be scalar integer expressions. Thus

| $A(:)$ | $!$ the whole array |
| :--- | :--- |
| $A(3: 9)$ | $!A(m)$ to $A(n)$ in steps of 1 |
| $A(3: 9: 1)$ | $!$ as above |
| $A(m: n)$ | $!A(m)$ to $A(n)$ |
| $A(m: n: k)$ | $!A(m)$ to $A(n)$ in steps of $k$ |
| $A(8: 3:-1)$ | $!A(8)$ to $A(3)$ in steps of -1 |
| $A(8: 3)$ | $!$ A(8) to $A(3)$ step $1 \Rightarrow$ Zero size |
| $A(m:)$ | $!$ from $A(m)$ to default UPB |
| $A(: n)$ | $!$ from default LWB to $A(n)$ |
| $A(:: 2)$ | $!$ from default LWB to UPB step 2 |
| $A(m: m)$ | $!$ 1 element section |
| $A(m)$ | $!$ scalar element - not a section |

are all valid sections.

## Array Inquiry Intrinsics

These are often useful in procedures, consider the declaration:

REAL, DIMENSION $(-10: 10,23,14: 28):: A$
$\square$ LBOUND (SOURCE[,DIM]) - lower bounds of an array (or bound in an optionally specified dimension).
$\diamond \operatorname{LBOUND}(\mathrm{A})$ is $(/-10,1,14 /)$ (array);
$\diamond \operatorname{LBOUND}(\mathrm{A}, 1)$ is -10 (scalar).
$\square$ UBOUND (SOURCE[,DIM]) - upper bounds of an array (or bound in an optionally specified dimension).
$\square$ SHAPE (SOURCE) - shape of an array,

$$
\begin{aligned}
& \diamond \operatorname{SHAPE}(A) \text { is }(/ 21,23,15 /) \text { (array) } \\
& \diamond \operatorname{SHAPE}((/ 4 /)) \text { is }(/ 1 /) \text { (array) }
\end{aligned}
$$

$\square$ SIZE (SOURCE[,DIM]) - total number of array elements (in an optionally specified dimension),
$\diamond \operatorname{SIZE}(A, 1)$ is 21 ;
$\diamond \operatorname{SIZE}(A)$ is 7245.
$\square$ ALLOCATED (SOURCE) - array allocation status;

## Vector-valued Subscripts

A 1D array can be used to subscript an array in a dimension. Consider:

INTEGER, DIMENSION(5) : : V = (/1, 4, $8,12,10 /$ )
INTEGER, DIMENSION(3) : : $W=(/ 1,2,2 /)$
$\square A(V)$ is $A(1), A(4), A(8), A(12)$, and $A(10)$.

$\square$ the following are valid assignments:

$$
\begin{aligned}
& A(V)=3.5 \\
& C(1: 3,1)=A(W)
\end{aligned}
$$

$\square$ it would be invalid to assign values to $A(W)$ as $A(2)$ is referred to twice.
$\square$ only 1D vector subscripts are allowed, for example,

$$
A(1)=\operatorname{SUM}(C(V, W))
$$

## Array Constructors

Used to give arrays or sections of arrays specific values. For example,

IMPLICIT NONE

```
INTEGER
INTEGER, DIMENSION(10) :: ints
CHARACTER(len=5), DIMENSION(3) :: colours
REAL, DIMENSION(4) :: heights
heights = (/5.10, 5.6, 4.0, 3.6/)
colours = (/'RED ','GREEN','BLUE '/)
! note padding so strings are 5 chars
ints = (/ 100, (i, i=1,8), 100 /)
```

    ...
    $\square$ constructors and array sections must conform.
$\square$ must be 1D.
$\square$ for higher rank arrays use RESHAPE intrinsic.
$\square$ (i, $i=1,8$ ) is an implied $D 0$ and is $1,2, . ., 8$, it is possible to specify a stride.

## The RESHAPE Intrinsic Function

RESHAPE is a general intrinsic function which delivers an array of a specific shape:

RESHAPE(SOURCE, SHAPE)
For example,
$\mathrm{A}=\operatorname{RESHAPE}((/ 1,2,3,4 /),(/ 2,2 /))$
A is filled in array element order and looks like:
13
24
Visualisation,


## Allocatable Arrays

Fortran 90 allows arrays to be created on-the-fly; these are known as deferred-shape arrays:
$\square$ Declaration:
INTEGER, DIMENSION(:), ALLOCATABLE :: ages ! 1D
REAL, DIMENSION(:,:), ALLOCATABLE :: speed ! 2D
Note ALLOCATABLE attribute and fixed rank.

- Allocation:

READ*, isize
ALLOCATE(ages(isize), STAT=ierr)
IF (ierr /= 0) PRINT*, "ages : Allocation failed"
ALLOCATE(speed(0:isize-1, 10),STAT=ierr)
IF (ierr /= 0) PRINT*, "speed : Allocation failed"
$\square$ the optional STAT= field reports on the success of the storage request. If the INTEGER variable ierr is zero the request was successful otherwise it failed.

## Deallocating Arrays

Heap storage can be reclaimed using the DEALLOCATE statement:

IF (ALLOCATED (ages)) DEALLOCATE(ages,STAT=ierr)
$\square$ it is an error to deallocate an array without the ALLOCATE attribute or one that has not been previously allocated space,
$\square$ there is an intrinsic function, ALLOCATED, which returns a scalar LOGICAL values reporting on the status of an array,
$\square$ the STAT= field is optional but its use is recommended,
$\square$ if a procedure containing an allocatable array which does not have the SAVE attribute is exited without the array being DEALLOCATEd then this storage becomes inaccessible.

## Masked Array Assignment - Where Statement

This is achieved using WHERE:

$$
\text { WHERE (I .NE. 0) } A=B / I
$$

the LHS of the assignment must be array valued and the mask, (the logical expression,) and the RHS of the assignment must all conform;

For example, if

$$
B=\left(\begin{array}{ll}
1.0 & 2.0 \\
3.0 & 4.0
\end{array}\right)
$$

and,

$$
I=\left(\begin{array}{cc}
\boxed{2} & 0 \\
0 & \boxed{2}
\end{array}\right)
$$

then

$$
A=\left(\begin{array}{cc}
\boxed{0.5} & \cdot \\
\cdot & \boxed{2.0}
\end{array}\right)
$$

Only the indicated elements, corresponding to the nonzero elements of $I$, have been assigned to.

## Where Construct

$\square$ there is a block form of masked assignment:

```
WHERE (A > 0.0)
    \(B=\operatorname{LOG}(A)\)
    \(\mathrm{C}=\operatorname{SQRT}(\mathrm{A})\)
ELSEWHERE
    \(B=0.0\) ! \(C\) is NOT changed
ENDWHERE
```

$\square$ the mask must conform to the RHS of each assignment; A, B and C must conform;
$\square$ WHERE ... END WHERE is not a control construct and cannot currently be nested;
$\square$ the execution sequence is as follows: evaluate the mask, execute the WHERE block (in full) then execute the ELSEWHERE block;
$\square$ the separate assignment statements are executed sequentially but the individual elemental assignments within each statement are (conceptually) executed in parallel.

## Dummy Array Arguments

There are two main types of dummy array argument:
$\square$ explicit-shape - all bounds specified;

REAL, DIMENSION (8,8), INTENT(IN) : : expl_shape
The actual argument that becomes associated with an explicit-shape dummy must conform in size and shape.
$\square$ assumed-shape - no bounds specified, all inherited from the actual argument;

REAL, DIMENSION(:,:), INTENT(IN) :: ass_shape An explicit interface must be provided.
$\square$ dummy arguments cannot be (unallocated) ALLOCATABLE arrays.

## Assumed-shape Arrays

Should declare dummy arrays as assumed-shape arrays:

```
PROGRAM Main
    IMPLICIT NONE
        REAL, DIMENSION(40) :: X
        REAL, DIMENSION(40,40) :: Y
        CALL gimlet(X,Y)
        CALL gimlet(X(1:39:2),Y(2:4,4:4))
        CALL gimlet(X(1:39:2),Y(2:4,4)) ! invalid
CONTAINS
    SUBROUTINE gimlet(a,b)
    REAL, INTENT(IN) :: a(:), b(:,:)
        ...
    END SUBROUTINE gimlet
END PROGRAM
```

Note:
$\square$ the actual arguments cannot be a vector subscripted array,
$\square$ the actual argument cannot be an assumed-size array.
$\square$ in the procedure, bounds begin at 1.

## Automatic Arrays

Other arrays can depend on dummy arguments, these are called automatic arrays and:
$\square$ their size is determined by dummy arguments,
$\square$ they cannot have the SAVE attribute (or be initialised);
Consider,

```
PROGRAM Main
    IMPLICIT NONE
    INTEGER :: IX, IY
    CALL une_bus_riot(IX,2,3)
    CALL une_bus_riot(IY,7,2)
CONTAINS
    SUBROUTINE une_bus_riot(A,M,N)
    INTEGER, INTENT(IN) :: M, N
    INTEGER, INTENT(INOUT) :: A(:,:)
    REAL :: A1(M,N) ! auto
    REAL :: A2(SIZE(A,1),SIZE(A,2)) ! auto
    END SUBROUTINE
END PROGRAM
```

The SIZE intrinsic or dummy arguments can be used to declare automatic arrays. A1 and A2 may have different sizes for different calls.

## Random Number Intrinsic

$\square$ RANDOM_NUMBER(HARVEST) will return a scalar (or array of) pseudorandom number(s) in the range $0 \leq x<$ 1.

For example,

REAL : : HARVEST
REAL, DIMENSION $(10,10)::$ HARVEYS
CALL RANDOM_NUMBER (HARVEST)
CALL RANDOM_NUMBER (HARVEYS)
$\square$ RANDOM_SEED $([$ SIZE $=<$ int $>])$ finds the size of the seed.
$\square$ RANDOM_SEED $([\mathrm{PUT}=<\operatorname{array}>]$ ) seeds the random number generator.

CALL RANDOM_SEED (SIZE=isze)
CALL RANDOM_SEED (PUT=IArr (1:isze))

## Vector and Matrix Multiply Intrinsics

There are two types of intrinsic matrix multiplication:
$\square$ DOT_PRODUCT (VEC1, VEC2) - inner (dot) product of two rank 1 arrays.

For example,

$$
\text { DP }=\text { DOT_PRODUCT }(A, B)
$$

is equivalent to:

$$
\mathrm{DP}=\mathrm{A}(1) * \mathrm{~B}(1)+\mathrm{A}(2) * \mathrm{~B}(2)+\ldots
$$

For LOGICAL arrays, the corresponding operation is a logical. AND..

$$
\begin{aligned}
& \mathrm{DP}=\mathrm{LA}(1) \text {.AND. } \mathrm{LB}(1) \text {. OR . \& } \\
& \text { LA (2) . AND. LB(2) . OR. ... }
\end{aligned}
$$

MATMUL (MAT1, MAT2) - 'traditional’ matrix-matrix multiplication:
$\diamond$ if MAT1 has shape $(n, m)$ and MAT2 shape $(m, k)$ then the result has shape $(n, k)$;
$\diamond$ if MAT1 has shape $(m)$ and MAT2 shape $(m, k)$ then the result has shape $(k)$;
$\diamond$ if MAT1 has shape $(n, m)$ and MAT2 shape $(m)$ then the result has shape ( $n$ );

For LOGICAL arrays, the corresponding operation is a logical .AND..

## Array Location Intrinsics

There are two intrinsics in this class:
$\square$ MINLOC(SOURCE[,MASK])— Location of a minimum value in an array under an optional mask.
$\square$ MAXLOC (SOURCE[,MASK]) - Location of a maximum value in an array under an optional mask.

A 1D example,

$$
\operatorname{MAXLOC}(X)=(/ 6 /)
$$

| 7 | 9 | -2 | 4 | 8 | 10 | 2 | 7 | 10 | 2 | 1 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |

## $\Delta$

A 2D example. If

$$
\text { Array }=\left(\begin{array}{ccccc}
0 & -1 & 1 & 6 & -4 \\
1 & -2 & 5 & 4 & -3 \\
3 & 8 & 3 & -7 & 0
\end{array}\right)
$$

then
$\square$ MINLOC(Array) is (/3,4/)
$\square$ MAXLOC(Array,Array.LE.7) is (/1,4/)
$\square$ MAXLOC(MAXLOC(Array,Array.LE.7)) is (/2/) (array valued).

## Array Reduction Intrinsics

$\square$ PRODUCT (SOURCE[,DIM][,MASK]) - product of array elements (in an optionally specified dimension under an optional mask);
$\square$ SUM (SOURCE[,DIM][,MASK]) - sum of array elements (in an optionally specified dimension under an optional mask).

The following 1D example demonstrates how the 11 values are reduced to just one by the SUM reduction:

$$
\operatorname{SUM}(W)=58
$$



Consider this 2D example, if

$$
A=\left(\begin{array}{lll}
1 & 3 & 5 \\
2 & 4 & 6
\end{array}\right)
$$

$\square$ PRODUCT(A) is 720
$\square$ PRODUCT (A,DIM=1) is (/2, 12, 30/)
$\square$ PRODUCT(A,DIM=2) is (/15, 48/)

## Array Reduction Intrinsics (Cont'd)

These functions operate on arrays and produce a result with less dimensions that the source object:
$\square$ ALL (MASK[,DIM]) - .TRUE. if all values are .TRUE., (in an optionally specified dimension);
$\square$ ANY (MASK[,DIM]) - .TRUE. if any values are .TRUE., (in an optionally specified dimension);
$\square$ COUNT (MASK[,DIM])— number of .TRUE. elements in an array, (in an optionally specified dimension);
$\square$ MAXVAL(SOURCE[,DIM][,MASK]) - maximum Value in an array (in an optionally specified dimension under an optional mask);
$\square$ MINVAL(SOURCE[,DIM][,MASK])- minimum value in an array (in an optionally specified dimension under an optional mask);

If DIM is absent or the source array is of rank 1 then the result is scalar, otherwise the result is of rank $n-1$.


## Modules - An Overview

The MODULE program unit provides the following facilities:
$\square$ global object declaration;
$\square$ procedure declaration (includes operator definition);
$\square$ semantic extension;
$\square$ ability to control accessibility of above to different programs and program units;
$\square$ ability to package together whole sets of facilities;

## Module - General Form

```
MODULE Nodule
    ! TYPE Definitions
    ! Global data
        ! ..
    ! etc..
CONTAINS
SUBROUTINE Sub(..)
            ! Executable stmts
CONTAINS
                SUBROUTINE Int1(..)
                END SUBROUTINE Int1
                ! etc.
                SUBROUTINE Intn(..)
                END SUBROUTINE Int2n
END SUBROUTINE Sub
        ! etc.
FUNCTION Funky(..)
            ! Executable stmts
                CONTAINS
            ! etc
END FUNCTION Funky
END MODULE Nodule
```

> MODULE < module name > <declarations and specifications statements> [ CONTAINS
> <definitions of module procedures>] END [ MODULE [ < module name > ] ]

## Modules - Global Data

Fortran 90 implements a new mechanism to implement global data:
$\square$ declare the required objects within a module;
$\square$ give them the SAVE attribute;
$\square$ USE the module when global data is needed.
For example, to declare pi as a global constant
MODULE Pye
REAL, SAVE :: pi = 3.142
END MODULE Pye
PROGRAM Area
USE Pye
IMPLICIT NONE
REAL :: r
READ*, $r$
PRINT*, "Area= ",pi*r*r
End PROGRAM Area
MODULES should be placed before the program.

## Module Global Data Example

For example, the following defines a very simple 100 element integer stack

MODULE stack<br>INTEGER, PARAMETER :: stack_size = 100<br>INTEGER, SAVE :: store(stack_size), pos=0<br>END MODULE stack

and two access functions,
SUBROUTINE push(i)
USE stack
IMPLICIT NONE

END SUBROUTINE push
SUBROUTINE pop(i) USE stack
IMPLICIT NONE

END SUBROUTINE pop
A main program can now call push and pop which simulate a 100 element INTEGER stack - this is much neater than using COMMON block.


Both procedures access the same (global) data in the MODULE.

## Modules - Procedure Encapsulation

Module procedures are specified after the contains separator,

MODULE related_procedures
IMPLICIT NONE
! INTERFACEs of MODULE PROCEDURES do
! not need to be specified they are
! 'already present'
CONTAINS
SUBROUTINE sub1 (A, B, C)
! Can see Sub2's INTERFACE
...
END SUBROUTINE sub1
SUBROUTINE sub2(time,dist)
! Can see Sub1's INTERFACE
END SUBROUTINE sub2
END MODULE related_procedures
The main program attaches the procedures by use-association

PROGRAM use_of_module
USE related_procedures ! includes INTERFACES
CALL sub1 ( (/1.0,3.14,0.57/), 2, 'Yobot')
CALL sub2 ( $t, d$ )
END PROGRAM use_of_module
sub1 can call sub2 or vice versa.

## Encapsulation - Stack example

We can also encapsulate the stack program,
MODULE stack
IMPLICIT NONE
INTEGER, PARAMETER : : stack_size = 100
INTEGER, SAVE :: store(stack_size), pos=0
CONTAINS
SUBROUTINE push(i)
INTEGER, INTENT(IN) : : i
...
END SUBROUTINE push
SUBROUTINE pop(i)
INTEGER, INTENT (OUT) : : i
...
END SUBROUTINE pop
END MODULE stack
Any program unit that includes the line:
USE stack
CALL push(2); CALL push(6); ..
CALL pop(i); ....
can access pop and push therefore use the 100 element global integer stack.

## Modules - Object Based Programming

We can write a module that allows a derived type to behave in the same way as an intrinsic type. The module can contain:
$\square$ the type definitions,
$\square$ constructors,
$\square$ overloaded intrinsics,
$\square$ overload set of operators,
$\square$ other related procedures

An example of such a module is the varying string module which is to be an ancillary standard.

## Derived Type Constructors

Derived types have in-built constructors, however, it is better to write a specific routine instead.

Purpose written constructors can support default values and will not change if the internal structure of the type is modified. It is also possible to hide the internal details of the type:

```
MODULE ThreeDee
    IMPLICIT NONE
    TYPE Coords_3D
        PRIVATE
        REAL :: x, y, z
    END TYPE Coords_3D
CONTAINS
    TYPE(Coords_3D) FUNCTION Init_Coords_3D(x,y,z)
    REAL, INTENT(IN), OPTIONAL :: x,y,z
        ! Set Defaults
    Init_Coords_3D = Coords_3D(0.0,0.0,0.0)
    IF (PRESENT(x)) Init_Coords_3D%x = x
    IF (PRESENT (y)) Init_Coords_3D%y = y
    IF (PRESENT(z)) Init_Coords_3D%z = z
    END FUNCTION Init_Coords_3D
END MODULE ThreeDee
```

If an argument is not supplied then the corresponding component of Coords_3D is set to zero.

## Generic Interfaces

Most intrinsics are generic in that their type is determined by their argument(s). For example, the generic function $\operatorname{ABS}(X)$ comprises the specific functions:
$\square$ CABS - called when $X$ is COMPLEX,
$\square$ ABS - called when $X$ is REAL,
$\square$ IABS - called when X is INTEGER,
These specific functions are called the overload set.
A user may define his own overload set in an INTERFACE block:

```
INTERFACE CLEAR
    MODULE PROCEDUE clear_int
    MODULE PROCEDUE clear_real
END INTERFACE ! CLEAR
```

The generic name, CLEAR, is associated with specific names clear_int and clear_real (the overload set).

## Generic Interfaces - Example

The full module would be

```
MODULE Schmodule
    IMPLICIT NONE
    INTERFACE CLEAR
        MODULE PROCEDURE clear_int
        MODULE PROCEDURE clear_real
    END INTERFACE CLEAR
CONTAINS
    SUBROUTINE clear_int(a)
        INTEGER, DIMENSION(:), INTENT(INOUT) :: a
        ... ! code to do clearing
    END SUBROUTINE clear_int
    SUBROUTINE clear_real(a)
    REAL, DIMENSION(:), INTENT(INOUT) :: a
        ... ! code to do clearing
    END SUBROUTINE clear_real
END MODULE Schmodule
PROGRAM Main
    IMPLICIT NONE
    USE Schmodule
    REAL :: prices(100)
    INTEGER :: counts(50)
    CALL CLEAR(prices) ! generic call
    CALL CLEAR(counts) ! generic call
END PROGRAM Main
```

The first procedure invocation would be resolved with clear_real and the second with clear_int.

## Generic Interfaces - Commentry

In order for the compiler to be able to resolve the reference, both module procedures must be unique:
$\square$ the specific procedure to be used is determined by the number, type, kind or rank of the non-optional arguments,
$\square$ the overload set of procedures must be unambiguous with respect to their dummy arguments,
$\square$ default intrinsic types should not be used in generic interfaces, use parameterised types.

Basically, by examining the argument(s), the compiler calculates which specific procedure to invoke.

## Overloading Intrinsic Procedures

When a new type is added, it is a simple process to add a new overload to any relevant intrinsic procedures.

The following extends the LEN_TRIM intrinsic to return the number of letters in the owners name for objects of type HOUSE,

```
MODULE new_house_defs
    IMPLICIT NONE
    TYPE HOUSE
        CHARACTER(LEN=16) :: owner
        INTEGER :: residents
        REAL :: value
    END TYPE HOUSE
    INTERFACE LEN_TRIM
        MODULE PROCEDURE owner_len_trim
    END INTERFACE
CONTAINS
    FUNCTION owner_len_trim(ho)
        TYPE(HOUSE), INTENT(IN) :: ho
        INTEGER :: owner_len_trim
    owner_len_trim = LEN_TRIM(ho%owner)
    END FUNCTION owner_len_trim
        .... ! other encapsulated stuff
END MODULE new_house_defs
```

The user defined procedures are added to the existing generic overload set.

## Overloading Operators

Intrinsic operators, such as -, = and *, can be overloaded to apply to all types in a program:
$\square$ specify the generic operator symbol in an INTERFACE OPERATOR statement,
$\square$ specify the overload set in a generic interface,
$\square$ declare the MODULE PROCEDURES (FUNCTIONs) which define how the operations are implemented.

These functions must have one or two non-optional arguments with INTENT(IN) which correspond to monadic and dyadic operators.

Overloads are resolved as normal.

## Operator Overloading Example

The ' $*$ ' operator can be extended to apply to the rational number data type as follows:

```
MODULE rational_arithmetic
    TYPE RATNUM
        INTEGER :: num, den
        END TYPE RATNUM
    INTERFACE OPERATOR (*)
        MODULE PROCEDURE rat_rat,int_rat,rat_int
    END INTERFACE
CONTAINS
    FUNCTION rat_rat(l,r) ! rat * rat
    TYPE(RATNUM), INTENT(IN) :: l,r
```

        rat_rat = ...
    FUNCTION int_rat(l,r) ! int * rat
    INTEGER, INTENT(IN) : : l
    TYPE(RATNUM), INTENT(IN) : : r
    FUNCTION rat_int(l,r) ! rat * int
    TYPE(RATNUM), INTENT(IN) : : l
    INTEGER, INTENT(IN) : : r
    END MODULE rational_arithmetic
The three new procedures are added to the operator overload set allowing them to be used as operators in a normal arithmetic expressions.

## Example (Cont'd)

With,
USE rational_arithmetic
TYPE (RATNUM) :: ra, rb, rc
we could write,

$$
r c=r a t \_r a t\left(i n t \_r a t(2, r a), r b\right)
$$

but better:

$$
r c=2 * r a * r b
$$

And even better still add visibility attributes to force user into good coding:

MODULE rational_arithmetic
TYPE RATNUM
PRIVATE
INTEGER : : num, den
END TYPE RATNUM
INTERFACE OPERATOR (*)
MODULE PROCEDURE rat_rat,int_rat,rat_int
END INTERFACE
PRIVATE : : rat_rat,int_rat,rat_int

## Defining New Operators

can define new monadic and dyadic operators. They have the form,

$$
.<n a m e>.
$$

Note:
$\square$ monadic operators have precedence over dyadic.
$\square$ names must be 31 letters (no numbers or underscore) or less.
$\square$ basic rules same as for overloading procedures.

## Defined Operator Example

For example, consider the following definition of the .TWIDDLE. operator in both monadic and dyadic forms,

MODULE twiddle_op
INTERFACE OPERATOR (.TWIDDLE.)
MODULE PROCEDURE itwiddle, iitwiddle
END INTERFACE ! (.TWIDDLE.)
CONTAINS
FUNCTION itwiddle(i)
INTEGER itwiddle
INTEGER, INTENT(IN) :: i
itwiddle = -i*i
END FUNCTION
FUNCTION iitwiddle(i,j)
INTEGER iitwiddle
INTEGER, INTENT(IN) :: i,j
iitwiddle = -i*j
END FUNCTION
END MODULE
The following
PROGRAM main
USE twiddle_op
print*, 2.TWIDDLE.5, .TWIDDLE.8, \&
.TWIDDLE.(2.TWIDDLE.5), \&
.TWIDDLE.2.TWIDDLE. 5
END PROGRAM
produces

$$
-10-64-100 \quad 20
$$

## Precedence

$\square$ user defined monadic operators are most tightly binding.
$\square$ user defined dyadic operators are least tightly binding.

For example,
.TWIDDLE.e**j/a.TWIDDLE.b+c.AND.d
is equivalent to
(( (.TWIDDLE.e)**j)/a).TWIDDLE. ((b+c).AND.d)

## User-defined Assignment

Assignment between two different user defined types must be explicitly programmed; a SUBROUTINE with two arguments specifies what to do,
$\square$ the first argument is the result variable and must have Intent (OUT);
$\square$ the second is the expression whose value is converted and must have INTENT(IN).

Overloading the assignment operator differs from other operators:
$\square$ assignment overload sets do not have to produce an unambiguous set of overloads;
$\square$ later overloads override earlier ones if there is an ambiguity;

## Defined Assignment Example

Should put in a module,
INTERFACE ASSIGNMENT (=)
MODULE PROCEDURE rat_ass_int, real_ass_rat
END INTERFACE
PRIVATE :: rat_ass_int, real_ass_rat
specify SUBROUTINEs in the CONTAINS block:
SUBROUTINE rat_ass_int(var, exp)
TYPE (RATNUM), INTENT (OUT) : : var
INTEGER, INTENT(IN) : : exp
var\%num = exp
var\%den = 1
END SUBROUTINE rat_ass_int
SUBROUTINE real_ass_rat(var, exp)
REAL, INTENT(OUT) : : var
TYPE (RATNUM), INTENT (IN) : : exp
var = REAL(exp\%num) / REAL(exp\%den)
END SUBROUTINE real_ass_rat
Wherever the module is used the following is valid:

$$
\begin{aligned}
& \mathrm{ra}=50 \\
& \mathrm{x}=\mathrm{rb} * \mathrm{rc}
\end{aligned}
$$

for real x .

## Restricting Visibility

$\square$ Objects in a MODULE can be given visibility attributes:

```
PRIVATE :: rat_ass_int, real_ass_rat
PRIVATE :: rat_int, int_rat, rat_rat
PUBLIC :: OPRATOR(*)
PUBLIC :: ASSIGNMENT(=)
```

only allows access to symbolic versions of multiply and assignment (* and $=$ ).
$\square$ This allows the internal structure of a module to be changed without modifying the users program.
$\square$ default visibility is PUBLIC, this can be reversed by a PRIVATE statement.
$\square$ individual declarations can also be attributed,

INTEGER, PRIVATE : : Intern

## Derived Types with Private Components

The type RATNUM is declared with PRIVATE internal structure,

TYPE RATNUM
PRIVATE
INTEGER : : num, den
END TYPE RATNUM
The user is unable to access specific components,
TYPE (RATNUM) : : splodge
splodge $=$ RATNUM $(2,3)$ ! invalid
splodge\%num = 2 ! invalid
splodge\%den = 3 ! invalid
splodge = set_up_RATNUM $(2,3)$ ! OK
! set_up_RATNUM must be module procedure
CALL Print_out_RATNUM (splodge)
! Print_out_RATNUM must be module procedure
this allows the internal representation of the type to be changed:

TYPE RATNUM
PRIVATE
REAL : : numb
END TYPE RATNUM

## Accessibility Example

We can update our stack example,
MODULE stack
IMPLICIT NONE
PRIVATE
INTEGER, PARAMETER : : stack_size = 100
INTEGER, SAVE :: store(stack_size), pos = 0 PUBLIC push, pop
CONTAINS
SUBROUTINE push(i)
INTEGER, INTENT(IN) : : i
... ! as before
END SUBROUTINE push
SUBROUTINE pop(i)
INTEGER, INTENT(OUT) : : i
... ! as before
END SUBROUTINE pop
END MODULE stack
User cannot now alter the value of store or pos.

## Another Accessibility Example

The visibility specifiers can be applied to all objects including type definitions, procedures and operators:

For example,
MODULE rational_arithmetic
IMPLICIT NONE
PUBLIC :: OPERATOR (*)
PUBLIC :: ASSIGNMENT (=)
TYPE RATNUM
PRIVATE
INTEGER : : num, den
END TYPE RATNUM
TYPE, PRIVATE :: INTERNAL
INTEGER :: lhs, rhs
END TYPE INTERNAL
INTERFACE OPERATOR (*)
MODULE PROCEDURE rat_rat,int_rat,rat_int
END INTERFACE ! OPERATOR (*)
PRIVATE rat_rat, int_rat, rat_int
... ! and so on
The type InTERNAL is only accessible from within the module.

## The USE Renames Facility

The USE statement names a module whose public definitions are to be made accessible.

Syntax:

$$
\begin{aligned}
& \text { USE }<\text { module-name }>\& \\
& \qquad[,<\text { new-name }>\Rightarrow<\text { use-name }>\ldots]
\end{aligned}
$$

module entities can be renamed,
USE Stack, IntegerPop => Pop
The module object Pop is renamed to IntegerPop when used locally.

## USE ONLY Statement

Another way to avoid name clashes is to only use those objects which are necessary. It has the following form:

USE $<$ module-name $>$ [ ONLY: <only-list $>\ldots$...]
The <only-list > can also contain renames (=>).
For example,
USE Stack, ONLY:pos, \& IntegerPop => Pop

Only pos and Pop are made accessible. Pop is renamed to IntegerPop.

The ONLY statement gives the compiler the option of including only those entities specifically named.

## Semantic Extension Modules

The real power of the MODULE / USE facilities appears when coupled with derived types and operator and procedure overloading to provide semantic extensions to the language.

Semantic extension modules require:
$\square$ a mechanism for defining new types;
$\square$ a method for defining operations on those types;
$\square$ a method of overloading the operations so user can use them in a natural way;
$\square$ a way of encapsulating all these features in such a way that the user can access them as a combined set;
$\square$ details of underlying data representation in the implementation of the associated operations to be kept hidden (desirable).

This is an Object Oriented approach.

## Lecture 4: <br> Miscellaneous Features

## Parameterised Data Types

$\square$ Fortran 77 had a problem with numeric portability, the precision (and exponent range) between processors could differ,
$\square$ Fortran 90 implements a portable precision selecting mechanism,
$\square$ intrinsic types can be parameterised by a kind value (an integer). For example,

INTEGER(KIND=1) : : ik1
REAL(4) : : rk4
$\square$ the kind parameters correspond to differing precisions supported by the compiler (details in the compiler manual).
$\square$ objects of different kinds can be mixed in arithmetic expressions but procedure arguments must match in type and kind.

## Integer Data Type by Kind

$\square$ selecting kind, by an explicit integer is still not portable,
$\square$ must use the SELECTED_INT_KIND intrinsic function. For example, SELECTED_INT_KIND(2) returns a kind number capable of expressing numbers in the range, $\left(-10^{2}, 10^{2}\right)$.
$\square$ here the argument specifies the minimum decimal exponent range for the desired model. For example,


## Constants of Selected Integer Kind

$\square$ Constants of a selected kind are denoted by appending underscore followed by the kind number or an integer constant name (better):
100_2, 1238_4, 54321_long
$\square$ Be very careful not to type a minus sign '-' instead of an underscore '_'!
$\square$ There are other pitfalls too, the constant

1000_short
may not be valid as KIND = short may not be able to represent numbers greater than 100. Be very careful.

## Real KIND Selection

Similar principle to INTEGER:
$\square$ SELECTED_REAL_KIND (8,9) will support numbers with a precision of 8 digits and decimal exponent range from ( $-9,9$ ). For example,

```
INTEGER, PARAMETER ::
    r1 = SELECTED_REAL_KIND (5,20), &
    r2 = SELECTED_REAL_KIND (10,40)
REAL(KIND=r1) :: x, y, z
REAL(r2), PARAMETER :: diff = 100.0_r2
```

$\square$ COMPLEX variables are specified in the same way,

$$
\begin{aligned}
& \text { COMPLEX (KIND=r1) }:: \text { cinema } \\
& \text { COMPLEX }(\mathrm{r} 2):: \text { inferiority }=\& \\
& \left(100.0 \_r 2,99.0 \_r 2\right)
\end{aligned}
$$

Both parts of the complex number have the same numeric range.

## Kind Functions

$\square$ it is often useful to be able to interrogate an object to see what kind parameter it has.
$\square$ KIND returns the integer which corresponds to the kind of the argument.
$\square$ for example, KIND (a) will return the integer parameter which corresponds to the kind of a. KIND(20) returns the kind value of the default integer type.
$\square$ the intrinsic type conversion functions have an optional argument to specify the kind of the result, for example,

$$
\begin{aligned}
& \text { print*, } \operatorname{INT}(1.0, \operatorname{KIND}=3), \operatorname{NINT}(1.0, \mathrm{KIND}=3) \\
& \mathrm{x}=\mathrm{x}+\operatorname{REAL}(\mathrm{j}, \operatorname{KIND}(\mathrm{x}))
\end{aligned}
$$

## Mixed Kind Expression Evaluation

Mixed kind expressions:
$\square$ If all operands of an expression have the same type and kind, then the result also has this type and kind.
$\square$ If the kinds are different, then operands with lower range are promoted before operations are performed. For example, if

> INTEGER(short) :: members, attendees INTEGER(long) :: salaries, costs the expression:
$\diamond$ members + attendees is of kind short,
$\diamond$ salaries - costs is of kind long,
$\diamond$ members $*$ costs is also of kind long.
$\square$ Care must be taken to ensure the LHS is able to hold numbers returned by the RHS.

## Kinds and Procedure Arguments

Dummy and actual arguments must match exactly in kind, type and rank, consider,

SUBROUTINE subbie(a,b,c) USE kind_defs
REAL(r2), INTENT(IN) : : a, c
REAL(r1), INTENT(OUT) : : b
an invocation of subbie must have matching arguments, for example,

USE kind_defs
REAL(r1) :: arg2
REAL(r2) :: arg3
CALL subbie(1.0_r2, arg2, arg3)
Using 1.0 instead of $1.0 \_$r2 will not be correct on every compiler.

This is very important with generics.

## Logical KIND Selection

$\square$ There is no SELECTED_LOGICAL_KIND intrinsic, however, the KIND intrinsic can be used as normal.

For example,

```
LOGICAL(KIND=4) :: yorn = .TRUE._4
LOGICAL(KIND=1), DIMENSION(10) :: mask
IF (yorn .EQ. LOGICAL(mask(1),KIND(yorn)))...
```

$\square$ KIND=1 may only use one byte of store per variable,

$\square$ Must refer to the compiler manual.

## Character KIND Selection

$\square$ Every compiler must support at least one character set which must include all the Fortran characters. A compiler may also support other character sets:

> INTEGER, PARAMETER : : greek = 1
> CHARACTER(KIND=greek) $::$ zeus, athena CHARACTER (KIND=2, LEN=25) $::$ mohammed
$\square$ Normal operations apply individually but characters of different kinds cannot be mixed. For example,

```
print*, zeus//athena ! OK
print*, mohammed//athena ! illegal
print*, CHAR(ICHAR(zeus),greek)
```

Note CHAR gives the character in the given position in the collating sequence.
$\square$ Literals can also be specified:
greek_" $\alpha \delta \alpha \mu$ "
Notice how the kind is specified first.

## Mathematical Intrinsic Functions

Summary,

| $\operatorname{ACOS}(\mathrm{x})$ | arccosine |
| :---: | :---: |
| $\operatorname{ASIN}(\mathrm{x})$ | arcsine |
| atan ( x ) | arctangent |
| ATAN2 ( $\mathrm{y}, \mathrm{x}$ ) | arctangent of complex number ( $x, y$ ) |
| $\operatorname{COS}(\mathrm{x})$ | cosine where $x$ is in radians |
| $\operatorname{CoSH}(\mathrm{x})$ | hyperbolic cosine where $x$ is in radians |
| $\operatorname{EXP}(\mathrm{x})$ | $e$ raised to the power $x$ |
| LOG(x) | natural logarithm of $x$ |
| LOG10 (x) | logarithm base 10 of $x$ |
| SIN(x) | sine where $x$ is in radians |
| SINH (x) | hyperbolic sine where $x$ is in radians |
| SQRT (x) | the square root of $x$ |
| TAN(x) | tangent where $x$ is in radians |
| TANH ( x ) | tangent where $x$ is in radians |

## Numeric Intrinsic Functions

## Summary,

| ABS (a) | absolute value |
| :---: | :---: |
| AINT (a) | truncates a to whole REAL number |
| ANINT ( a ) | nearest whole Real number |
| CEILING(a) | smallest INTEGER greater than or equal to REAL number |
| $\operatorname{CMPLX}(\mathrm{x}, \mathrm{y})$ | convert to COMPLEX |
| DBLE ( x ) | convert to DOUBLE PRECISION |
| DIM ( $\mathrm{x}, \mathrm{y}$ ) | positive difference |
| FLOOR (a) | biggest INTEGER less than or equal to real number |
| INT ( a ) | truncates $a$ into an INTEGER |
| $\operatorname{MAX}(\mathrm{a} 1, \mathrm{a} 2, \mathrm{a}, \ldots .$. | the maximum value of the arguments |
| $\operatorname{MIN}(\mathrm{a} 1, \mathrm{a} 2, \mathrm{a}, \ldots .$. | the minimum value of the arguments |
| MOD ( $\mathrm{a}, \mathrm{p}$ ) | remainder function |
| MODULO (a, p ) | modulo function |
| NINT ( x ) | nearest INTEGER to a REAL number |
| REAL (a) | converts to the equivalent REAL value |
| $\operatorname{SIGN}(\mathrm{a}, \mathrm{b})$ | transfer of sign - |

## Character Intrinsic Functions

Summary,

| ACHAR (i) | $i^{\text {th }}$ character in ASCII collating sequence |
| :---: | :---: |
| ADJUSTL (str) | adjust left |
| ADJUSTR(str) | adjust right |
| CHAR(i) | $i^{\text {th }}$ character in processor collating sequence |
| IACHAR (ch) | position of character in ASCII collating sequence |
| ICHAR (ch) | position of character in processor collating sequence |
| INDEX (str, substr) | starting position of substring |
| LEN (str) | Length of string |
| LEN_TRIM (str) | Length of string without trailing blanks |
| LGE(str1, str2) | lexically .GE. |
| LGT(str1,str2) | lexically .gt. |
| LLE (str1, str2) | lexically .LE. |
| LLT(str1, str2) | lexically .lt. |
| REPEAT (str, i) | repeat $i$ times |
| SCAN(str, set) | scan a string for characters in a set |
| TRIM (str) | remove trailing blanks |
| VERIFY (str, set) | verify the set of characters in a string |

## Bit Manipulation Intrinsic Functions

## Summary,

| BTEST (i, pos) | bit testing |
| :---: | :---: |
| $\operatorname{IAND}(\mathrm{i}, \mathrm{j})$ | AND |
| $\operatorname{IBCLR}(\mathrm{i}, \mathrm{pos})$ | clear bit |
| IBITS (i, pos,len) | bit extraction |
| IBSET (i,pos) | set bit |
| $\operatorname{IEOR}(\mathrm{i}, \mathrm{j})$ | exclusive OR |
| $\operatorname{IOR}(\mathrm{i}, \mathrm{j})$ | inclusive OR |
| ISHFT (i, shft) | logical shift |
| ISHFTC (i, shft) | circular shift |
| NOT (i) | complement |
| MVBITS(ifr,ifrpos, <br> len,ito,itopos) | $\begin{aligned} & \hline \begin{array}{l} \text { move bits (SUB- } \\ \text { ROUTINE) } \end{array} \end{aligned}$ |

Variables used as bit arguments must be INTEGER valued. The model for bit representation is that of an unsigned integer, for example,


The number of bits in a single variable depends on the compiler

## Array Construction Intrinsics

There are four intrinsics in this class:

- MERGE(TSOURCE,FSOURCE,MASK) - merge two arrays under a mask,
$\square$ SPREAD (SOURCE,DIM,NCOPIES) - replicates an array by adding NCOPIES of a dimension,
$\square$ PACK (SOURCE,MASK[,VECTOR]) — pack array into a onedimensional array under a mask.
$\square$ UNPACK (VECTOR,MASK,FIELD) - unpack a vector into an array under a mask.


## TRANSFER Intrinsic

TRANSFER converts (not coerces) physical representation between data types; it is a retyping facility. Syntax:

TRANSFER(SOURCE,MOLD)
$\square$ SOURCE is the object to be retyped,
$\square$ MOLD is an object of the target type.
REAL, DIMENSION(10) : : A, AA
INTEGER, DIMENSION(20) : : B
COMPLEX, DIMENSION(5) : : C

```
A = TRANSFER(B, (/ 0.0 /))
AA = TRANSFER(B, 0.0)
C = TRANSFER(B, (/ (0.0,0.0) /))
```



## Fortran 95

Fortran 95 will be the new Fortran Standard.
$\square$ FORALL statement and construct

$$
\begin{aligned}
& \text { FORALL }(i=1: n: 2, j=1: m: 2) \\
& A(i, j)=i * j \\
& \text { END FORALL }
\end{aligned}
$$

$\square$ nested WHERE constructs,
$\square$ ELEMENTAL and PURE procedures,
$\square$ user-defined functions in initialisation expressions,
$\square$ automatic deallocation of arrays,
$\square$ improved object initialisation,
$\square$ remove conflicts with IEC 559 (IEEE 754/854) (floating point arithmetic),
$\square$ deleted features, for example, PAUSE, assigned GOTO, cH edit descriptor,
$\square$ more obsolescent features, for example, fixed source form, assumed sized arrays, CHARACTER*<len $>$ declarations, statement functions,
$\square$ language tidy-ups and ambiguities (mistakes),

## High Performance Fortran

High Performance Fortran (or HPF) is an ad-hoc standard based on Fortran 90. It contains
$\square$ Fortran 90,
$\square$ syntax extensions, FORALL, new intrinsics, PURE and elemental procedures,
$\square$ discussion regarding storage and sequence association,
$\square$ compiler directives:

```
!HPF$ PROCESSORS P(5,7)
!HPF$ TEMPLATE T (20,20)
    INTEGER, DIMENSION(6,10) :: A
!HPF$ ALIGN A(J,K) WITH T(J*3,K*2)
!HPF$ DISTRIBUTE T(CYCLIC(2),BLOCK(3)) ONTO P
```


## Data Alignment



