

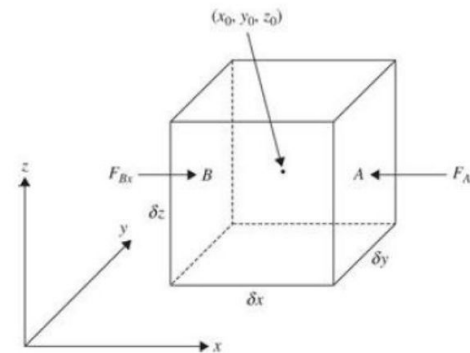
.pptx file, view in LO Impress 6.4.4.2 under Ubuntu 18.04
(Cambria Math is installed)

2 Principles

Pressure gradient force:

- Random molecular motion → no direction dependency of the pressure
- Infinitesimal volume element, pressure
 - Taylor-expansion:
 - ;

Total pressure gradient force with



.pptx file, view in LO Impress 6.4.4.2 under Win 10

2 Principles

Pressure gradient force:

- Random molecular motion \rightarrow no direction dependency of the pressure
- Infinitesimal volume element, pressure p_0

- Taylor-expansion:
 \rightarrow ; Taylor-expansion: $p \approx p_0 + \frac{\partial p}{\partial x} \frac{\delta x}{2}$

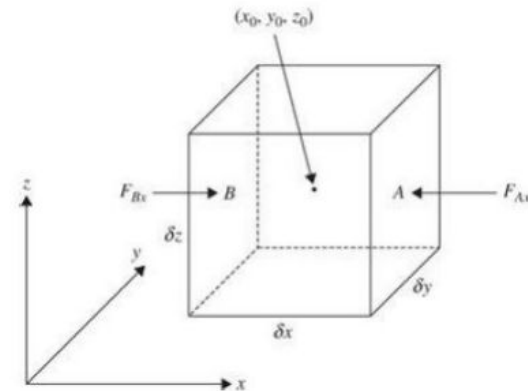
$$\rightarrow F_{Ax} = -(p_0 + \frac{\partial p}{\partial x} \frac{\delta x}{2}) \delta y \delta z ; F_{Bx} = +(p_0 - \frac{\partial p}{\partial x} \frac{\delta x}{2}) \delta y \delta z$$

$$\rightarrow F_x = -\frac{\partial p}{\partial x} \delta x \delta y \delta z$$

Total pressure gradient force with

Total pressure \rightarrow gradient force with $m = \rho \delta x \delta y \delta z$

$$\rightarrow \frac{\vec{F}}{m} = -\frac{1}{\rho} \vec{\nabla} p$$



.pptx file, view in Powerpoint 2016

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Pressure gradient force:

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Total pressure gradient force with $m = \rho \delta x \delta y \delta z$

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