The form XObject specified by the **O** entry is subject to the following restrictions; failure to abide by them could result in misalignment of the overlay with the rendered 3D graphics:

- The form XObject is associated with a specific view (not with the camera position defined by the 3D view dictionary). It should only be drawn when the user navigates using the 3D view, not when the user happens to navigate to the same orientation by manual means.
- It should only be drawn if the artwork-to-world matrix has not been altered.
- It may only be specified in 3D view dictionaries in which both a camera-to-world matrix (MS and associated entries) and a projection dictionary (the P entry) are present.

The CO entry specifies the distance from the camera to the *center of orbit* for the 3D view, which is the point around which the camera should rotate when performing an orbit-style navigation. Figure 9.4 illustrates camera positioning when orbiting around the center of orbit.

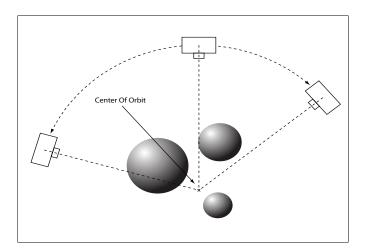


FIGURE 9.4 *RID 2otation around the center of orbit*

The LS entry allws the lghting of the 3D artwork to be changed without chang ing the artwork itself. This enables consumers to view a given piece of 3D artwork with a variety of lighting options without requiring multiple copies of the 3D artworkID 2 stream that differ only in lighting. It also enables artwork with poor lighting

far planes, pectively. A value of ANF for CS means that the near and far planes are determed automatically based on the objects in the artwork.

The **Subty** are project onto the near plane and scaled. The possible values are **O** for *orthographic projection* and **P** for *perspective projection*.

For orthog mic projection, objects are projected onto the near plane by simply discarding r z value. They are scaled from units of the near plane's coordinate system to to of the annotation's target coordinate system by the combined factors specifically the OS entry and the OB entry.

For perspective projection, a given coord nate (x, y, z) is projected onto the near plane, define a 2D coordinate (x_1, y_1) using the following formulas:

$$x_1 = x \times \frac{n}{z}$$
$$y_1 = y \times \frac{n}{z}$$

where n is the coordinate of the near plane.

Scaling wit erspective projection is more complicated than for orthographic projection. FOV entry specifies an angle that defines a cone centered along the z axis is a camera coordinate system (see Figure 9.5). The cone intersects with the near plane, forming a circular a ea on the near plane. Figure 9.6 shows this circle a graphics from the position of the camera.

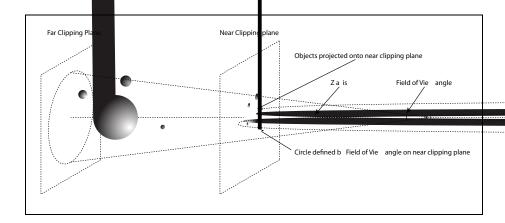


FIGURE 9.5 *Perspective projection of 3D artwork onto the near plane*

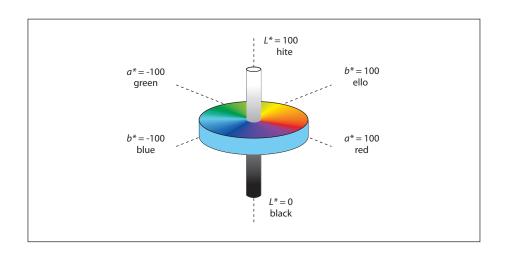


PLATE 3 Lab color space ("Lab Color Spaces," page 250)

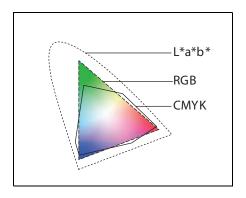


PLATE 4 Color gamuts ("Lab Color Spaces," page 250)

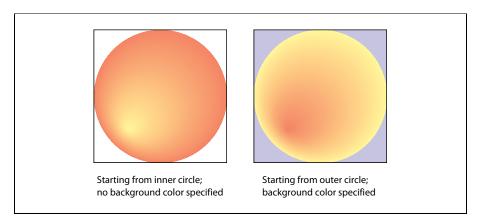


PLATE 12 Radial shadings depicting a sphere ("Type 3 (Radial) Shadings," page 313)

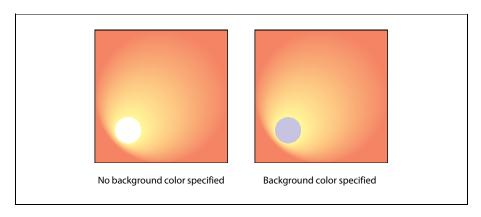


PLATE 13 Radial shadings with extension ("Type 3 (Radial) Shadings," page 313)

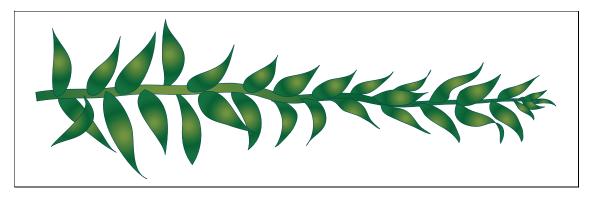
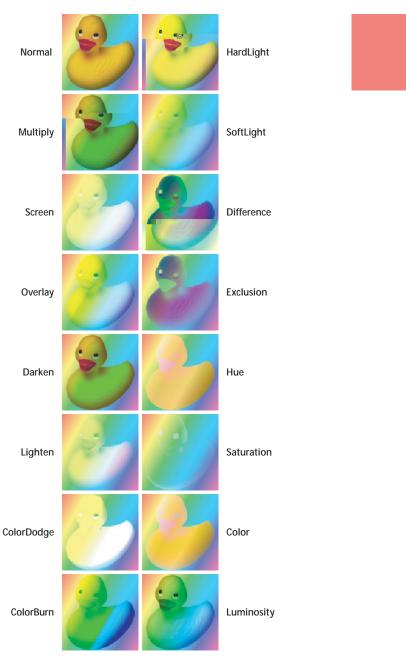


PLATE 14 Radial shading effect ("Type 3 (Radial) Shadings," page 313)





Duck in foreground, rainbow in background